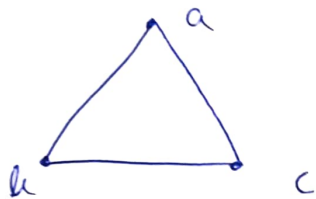
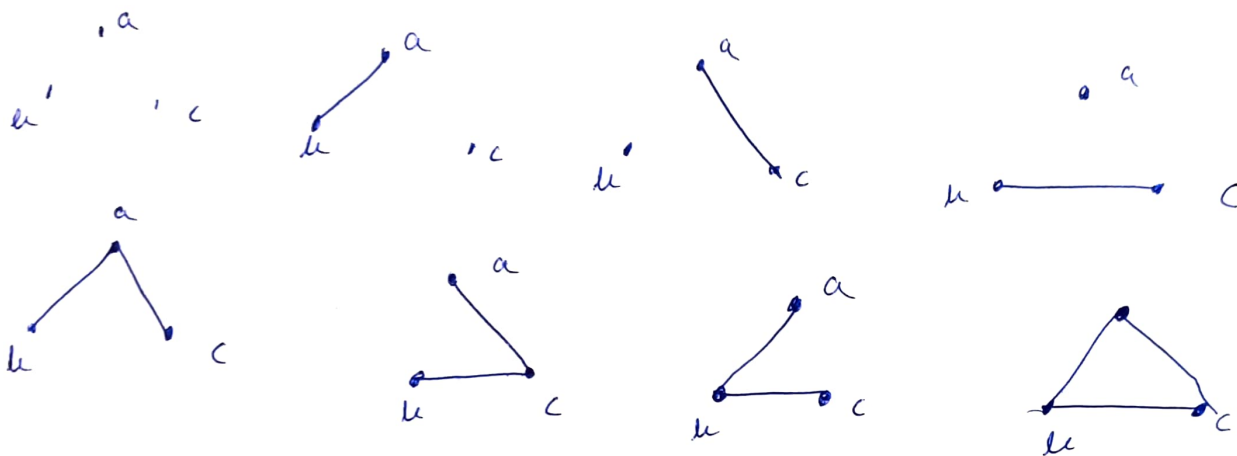


Sol 1:

Total no. of simple graphs: $2^n C_2$
 $= 2^{n(n-1)/2} = 2^{3(3-1)/2} = 2^3 = 8$

Sol 2: (a) Yes $\{V_1 = \{a, b, c, d\} \quad V_2 = \{e\}\}$ (b) Yes $\{V_1 = \{b, d, e\} \quad V_2 = \{a, c\}\}$

(c) No

(d) Yes $\{V_1 = \{a, b, d, e\} \quad V_2 = \{c, f\}\}$

(e) No

Sol 3: (a) Hamiltonian path: ABCDE and Hamiltonian circuit: ABCEDA

(b) Hamiltonian path: EABCD but no Hamiltonian circuit

(c) Neither Hamiltonian path nor circuit

(d) Hamiltonian path: ABCDEFGHI and Hamiltonian circuit: ABCDEFGHI

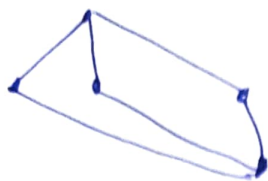
Sol 4: (a) Euler path: BCDBAD, no ~~circuit~~ Euler circuit.

(b) Euler path: BCDFBEDAB, Euler circuit: BCDFBEDAB

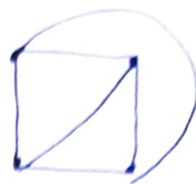
(c) No, neither path nor circuit.

(d) Euler path : B A C E D C B Euler circuit B A C E D C B

Sol 5: (a)



(b)



(c) Non-planar

(d) Non-planar

Sol 7: (a) Yes (b) Yes

Sol 8: The colors need to be assigned to the animals is then the number of diff. habitats needed. ~~Yes~~

Sol 8: The colors need ~~to~~ be assigned to ~~color~~ the animals such that no two adjacent nodes have the same color. The minimum number of colors required to color the animals is then the number of diff. habitats needed.

Sol 9: (a) 3
(b) 2
(c) 2
(d) 3

Sol 10: C₄ and C₅ are the only committees that do not share a common member. Hence we req. a diff color for every committee except for these two.

So $6 - 1 = 5$ meetings.