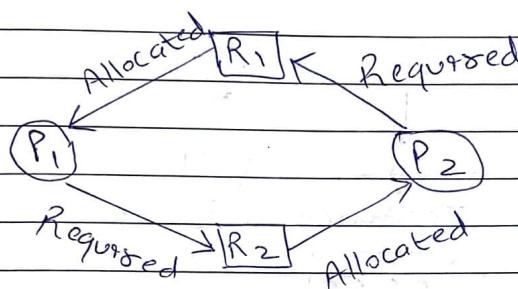


Week-7

(gate smash or)

Deadlock — (from gate smash or)

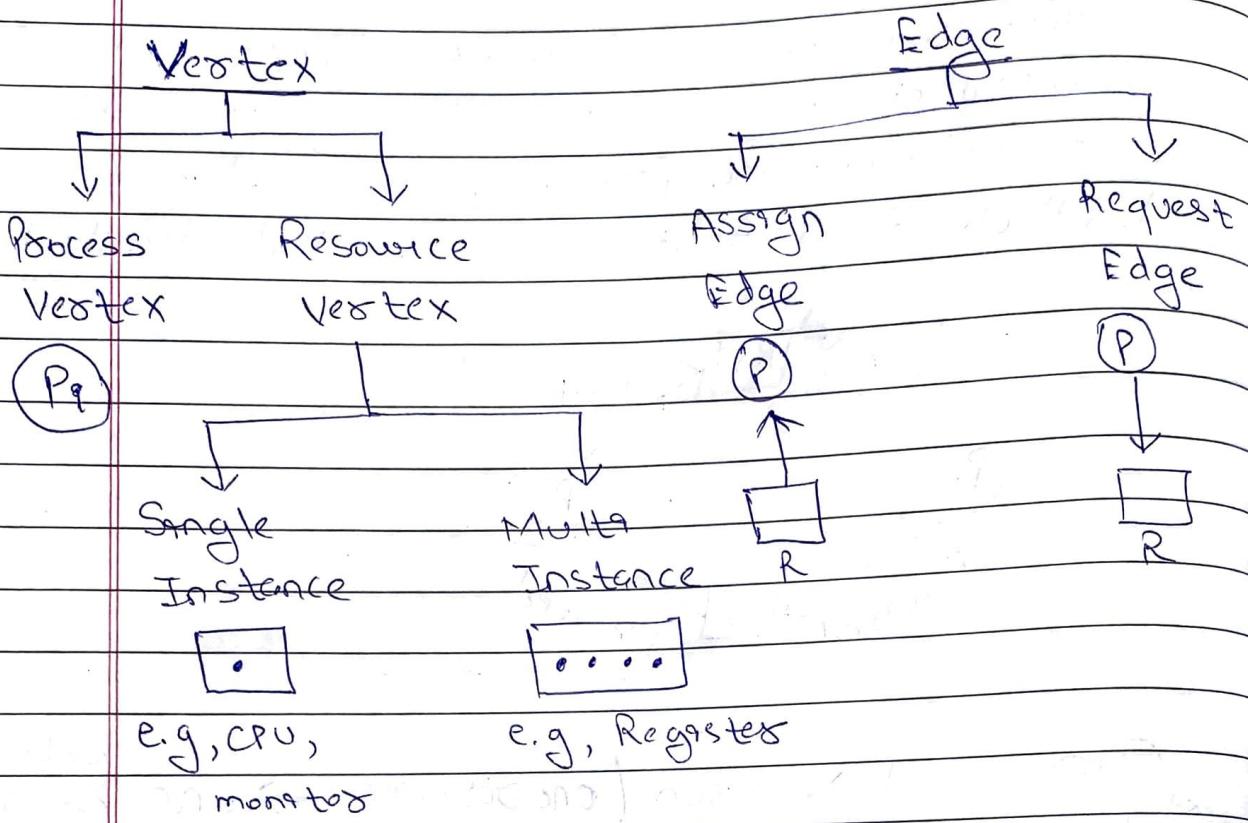
If two or more processes are waiting on happening of some event, which never happens, then we say these processes are involved in deadlock then that state is called deadlock.



- For deadlock
- Necessary conditions
- ① mutual Exclusion (one resource \rightarrow one process) only
 - ② No preemption
 - ③ Hold & wait
 - ④ circular wait

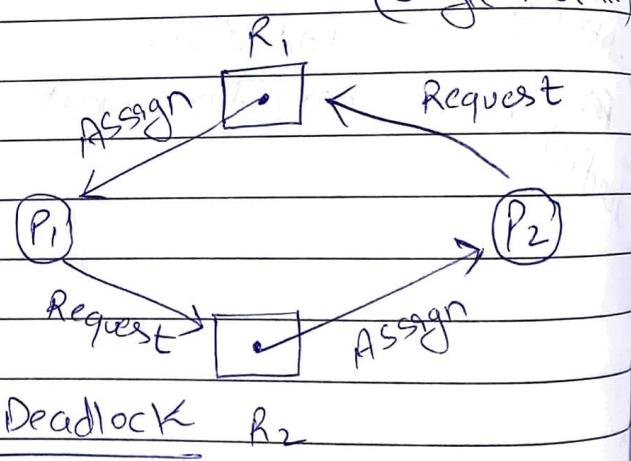
(gate smashoo)

Resource Allocation graph (RAG)



Example 1 -

Allocate		Request		
R ₁	R ₂	R ₁	R ₂	
P ₁	1 0	0 1		
P ₂	0 1	1 0		

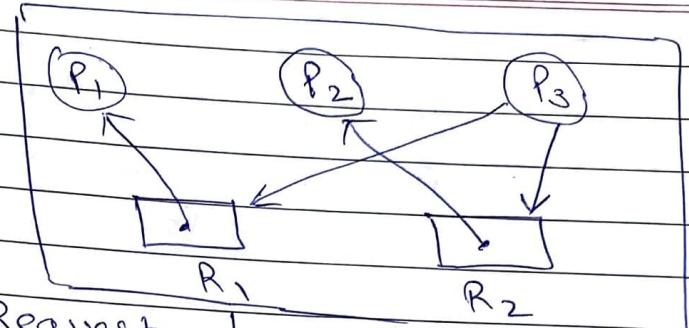


Availability (0, 0)

↳ as it is single instance

not be

Example 2 → So it will be able to full fill the request of P₁ and P₂ as P₁ request 0,1 but availability is 0,0 Similarly for P₂. So there would be a deadlock.

Example 2No Deadlock

	Allocate		Request		
	R ₁	R ₂	R ₁	R ₂	
P ₁	1	0	0	0	
P ₂	0	1	0	0	
P ₃	0	0	1	1	

Availability (0,0)For P₁ it is available so now,

availability will become (1,0)

Now also for P₂ it is available as it requires (0,0). So now availability will become (1,1)So now both are available for P₃.

So there will be no deadlock.

(P₁ P₂ P₃)Waitingfinite
(Starvation)Infinite
(Deadlock)

~~Note~~

for single instance resources:

- If RAB₁ has cyclic wait (cycle)
 - ⇒ Always Deadlock
 - True

- If RAB₁ has no cycle
 - ⇒ No Deadlock
 - True

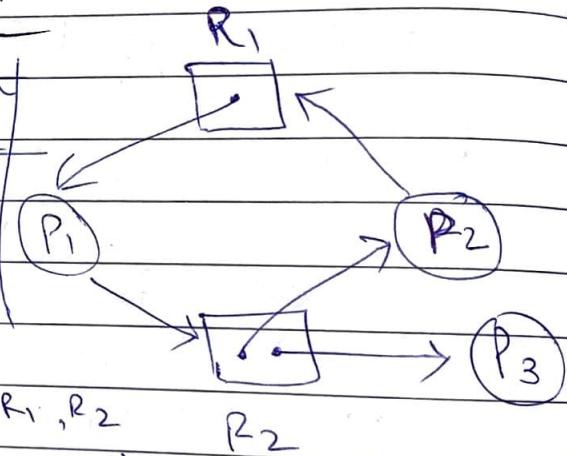
#

Multi-instance RAB₁

(cycle Smasher)

EX-1

	Allocate R ₁ R ₂		Request R ₁ R ₂	
P ₁	1	0	0	1
P ₂	0	1	1	0
P ₃	0	1	0	0



Current Availability (0, 0)

it can't fulfill P₃ request

P₃ → now avail → 0, 0 + 0, 1 → (0, 1)

it can't fulfill P₁ request

→ now avail. → 0, 1 + 1, 0 → (1, 1)

it can't fulfill P₂ request

→ now avail → (1, 1) + 0, 1

So there is No deadlock.

P₃ P₁ P₂

Multinstance SS CW

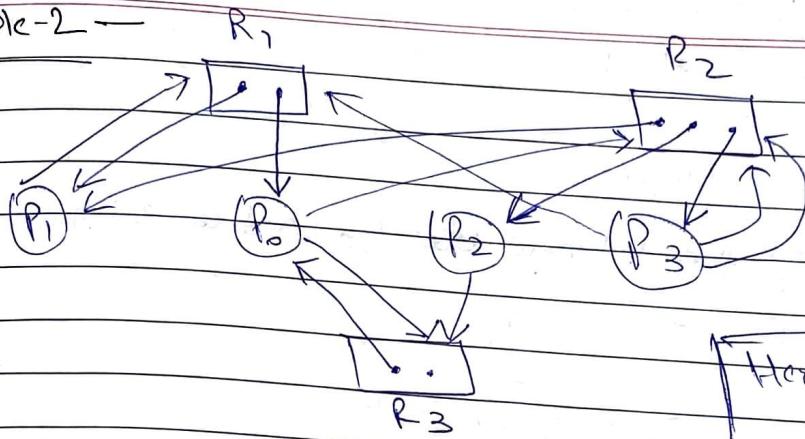
↓
\$ Deadlock

~~deadlock~~

coocuring
wait.

either

Example-2 —



Here, is NO
Deadlock

	Allocate			Request			
	R_1	R_2	R_3	R_1	R_2	R_3	
2 X	P_0	1	0	1	0	1	
3 X	P_1	1	1	0	1	0	
1 X	P_2	0	1	0	0	0	
4 X	P_3	0	1	0	1	2	0

curr. availability $\rightarrow (0 \ 0 \ 1)$

I can full fill the request of P_2 ,

so P_2 will get terminated & whatever

resources it is holding will get released

so now curr. availab $\rightarrow (0, 0, 1) + (0, 1, 0)$

Now $\rightarrow P_0$ can full fill $\rightarrow (0, 1, 1)$

so curr. avail $\rightarrow (0, 1, 1) + (1, 0, 1)$
 $\rightarrow (1, 1, 2)$

Now, P_1 wst can full fill

so curr. avail. $\rightarrow (1, 1, 2) + (1, 1, 0)$

$\rightarrow (2, 2, 2)$

Now, P_3 can full fill

so, curr. avail $\rightarrow (2, 2, 2) + (0, 1, 0)$

$\rightarrow (2, 3, 2)$

Sequence $\rightarrow P_2 \rightarrow P_0 \rightarrow P_1 \rightarrow P_3$

Reqd (lock)	Avail (lock)	Avail (unlock)	Reqd (unlock)
52 (lock)	52 (lock)	52 (unlock)	52 (unlock)
53 (lock)	53 (lock)	53 (unlock)	53 (unlock)
54 (lock)	54 (lock)	54 (unlock)	54 (unlock)

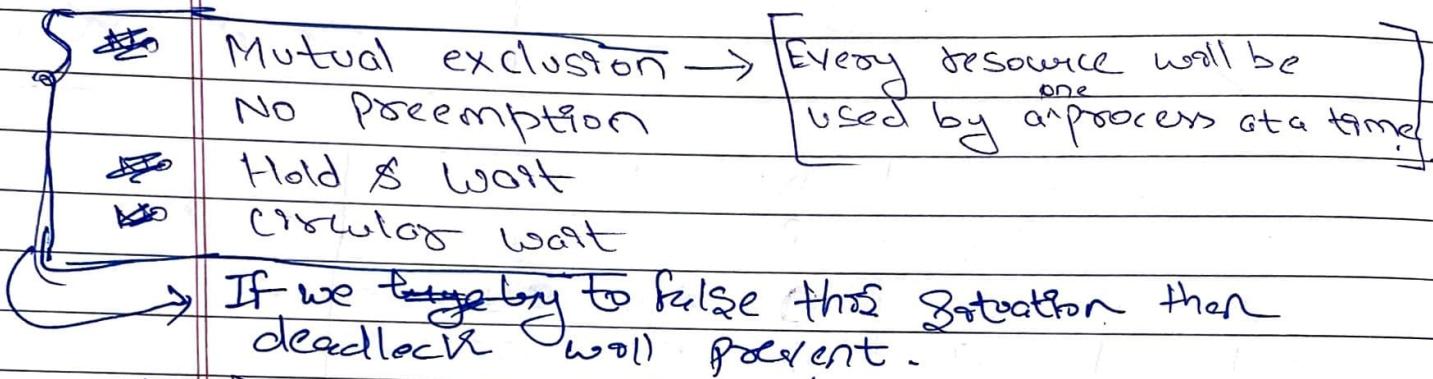
(gate smashers)

Various Method to handle deadlock.

1) Deadlock avoidance (ostach Method)

Used widely, this technique uses by windows & Linux.

2) Deadlock prevention



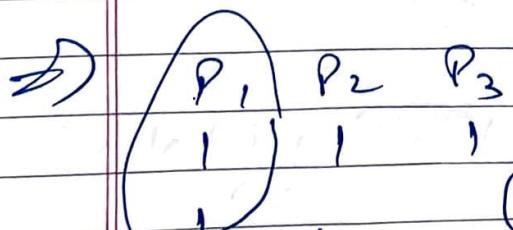
3) Deadlock avoidance (Banker's Algo)

4) Deadlock detection & Recovery

Deadlock Detection

Q1. A system is having 3 processes each require 2 units of resources R. The minimum no. of units 'R' such that no deadlock will occur

- (a) 3 (b) 5 (c) 6 (d) 4

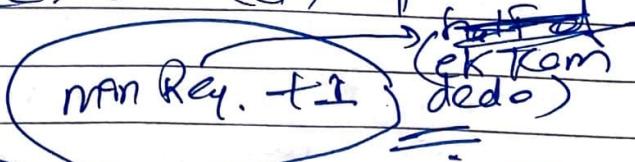


This will execute give
executive gives
the resource to

P_2 then P_2 executes

gives resource to P_3 and so on.

$$R = 4$$



$$\max. \text{ No. of } R \rightarrow 3$$

Ex - $P_1 \ P_2 \ P_3$
 $3 \ 4 \ 5 \rightarrow \text{deadlock}$

$$(P \ 3 \ 4)$$

↳ gH ⇒ 10

Safe Sequence

unsafe

classmate

Date _____

Page _____

(gatesmasher)

Banker's Algo

(Total A=10, B=5, C=7)

Deadlock avoidance
Deadlock Detection

Process	Allocation	Max Need	Available	Remaining Need
	A B C	A B C	A B C	A B C
P ₁	0 1 0	7 5 3	3 3 2	7 4 3 P ₁
P ₂	2 0 0	3 2 2	5 3 2	1 2 2 P ₂
P ₃	3 0 2	9 0 2	7 4 3	6 0 0 P ₃
P ₄	2 1 1	4 2 2	7 4 5	2 1 1 P ₄
P ₅	0 0 2	5 3 3	7 5 5	5 3 1 P ₅
	7 2 5		10 5 7	

A → CPU, B → Memory

C → Printer

$$\text{Current} = 10 - 7, 5 - 3, 7 - 5 \\ 3, 3, 2$$

Remaining Need = Max - Allocation

$\rightarrow P_2 \rightarrow P_4 \rightarrow P_5 \rightarrow P_1 \rightarrow P_3$

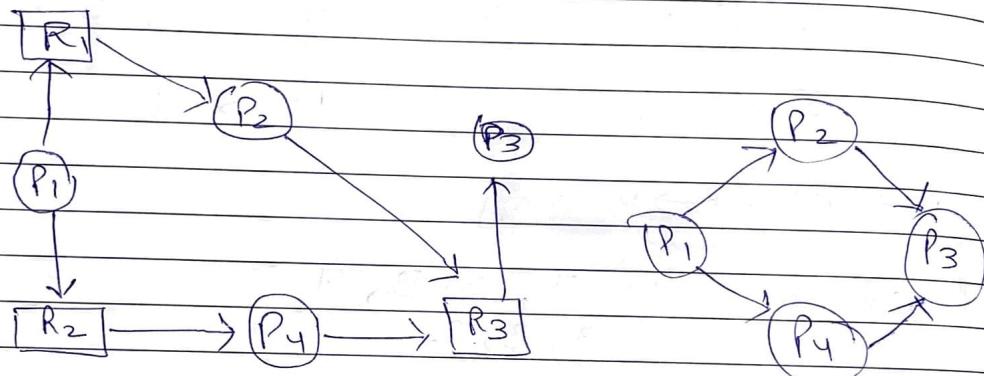
Safe Sequence (as Deadlock does not occur)

- * If we cannot fulfill any process need then we can say those ~~must~~ be deadlock.
- * We will go from top to bottom then again start from top.

Deadlock Detection & recovery

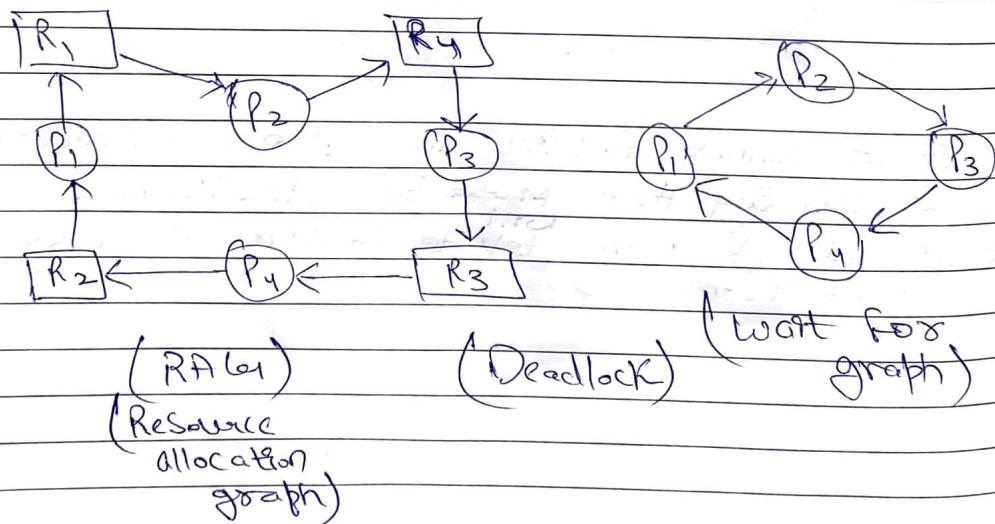
- Deadlock detection Algorithm (2 types)

↓
 Single instance
 ↴ (wait for graph)
 ↓
 multiple instances
 (Banker's algo)



(RAG) (no Deadlock) (Wait for graph)

Q. consider 4 share 4 processes can The large deadlock



(RAG) (Deadlock) (Wait for graph)
 (Resource allocation graph)

⇒ Reso

Banker's		
	Allocat9	o
P0	A	1 0
P1	2	0 0
P2	3	0 3
P3	2	1 1
P4	0	0 2

Total

P0



Baner's algo (Safety algo)

	Allocation			Request			Available		
	A	B	C	A	B	C	A	B	C
P ₀	0	1	0	0	0	0	3	2	4
P ₁	2	0	0	2	0	2	0	1	0
P ₂	3	0	3	0	0	0	3	1	3
P ₃	2	1	1	1	0	0	5	2	4
P ₄	0	0	2	0	0	2	7	2	4
							7	2	6

Total A B C
7 2 6

P₀ P₂ P₃ P₁ P₄

- Dr. consider a system with 3 processes that share 4 instances of same resource type. each process can request a max. of 'K' instances. The largest value of K that will always avoid deadlock is _____.

⇒  Resource + Processes > total demand

4+3 > 3×2 → providing 2 instances to each process.
7>6 → True

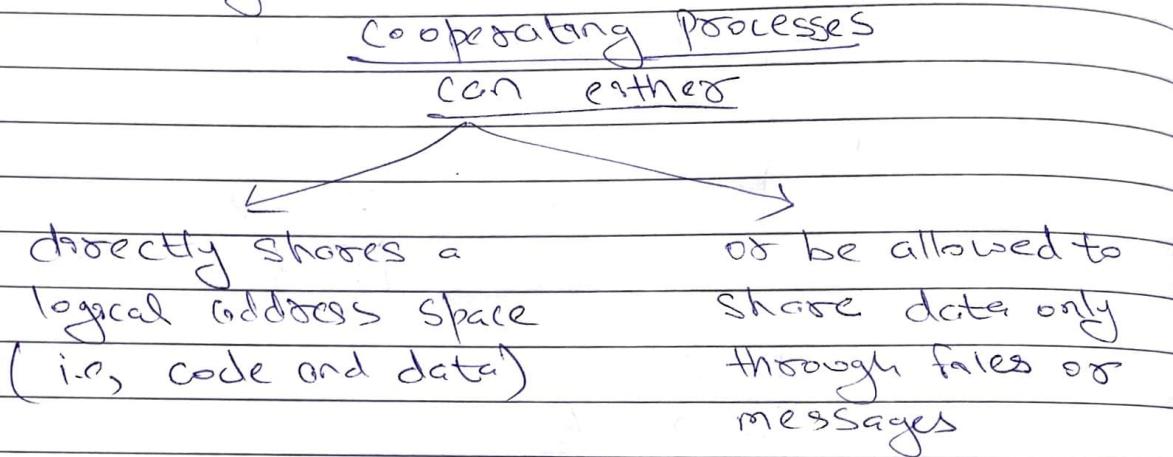
4+3 > 3×3

7>9 → False

Module - 3

Process synchronization —

A Cooperating system process is one that can affect or be affected by other processes executing in the system.



Concurrent access to shared data may result in data inconsistency.

Producers Consumers problem —

A producer process produces information that is consumed by a consumer process.

- One solution to this problem uses shared memory
- To allow pro. and cons. process run concurrently we must have available a buffer of items that can be filled by producer and emptied by consumer.

Two kind of Buffer

Unbounded buffer

- no practical limit on size of buffer

Bounded buffer

- assumes buffer size is fixed.

Ex-

- Counter is currently 5
- Prog. & con. pro: executes the statements "counter++" and "counter--" concurrently
- Value of variable counter may be 4, 5 or 6
- only current result is counter == 5 generates where prog. & con. executes separately.

"Counter++" may be implemented in machine language as:

$$\text{register}_1 = \text{counter}$$

$$\text{register}_1 = \text{register}_1 + 1$$

$$\text{counter} = \text{register}_1$$

Counter--

as:

$$\text{register}_1 = \text{counter}$$

$$\text{register}_1 = \text{register}_1 - 1$$

$$\text{counter} = \text{register}_1$$

To	Prog. executes	$\text{register}_1 = \text{counter}$	$\{\text{register}_1 = 5\}$
T1	Prog.	$\text{register}_1 = \text{register}_1 + 1$	$\{\text{register}_1 = 6\}$
T2	con.	$\text{register}_2 = \text{counter}$	$\{\text{register}_2 = 5\}$
T3	con.	$\text{register}_2 = \text{register}_2 - 1$	$\{\text{register}_2 = 4\}$
T4	Prog.	$\text{counter} = \text{register}_2$	$\{\text{counter} = 6\}$
T5	con.	$\text{counter} = \text{register}_2$	$\{\text{counter} = 4\}$

→ This is race condition.

Clearly, we want the resulting changes not to interfere with one another, hence we need process synchronization.

#

Process Synchronization↓
2 typesIndependent Process

↓

"Execution of one process does not effect the execution of others"

Cooperative process

↓

"effect the execution of others"

#

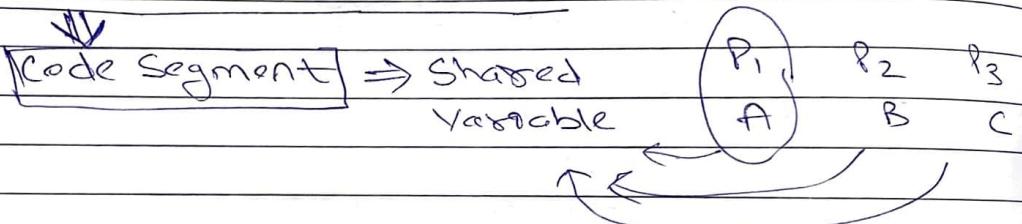
Solution

Must S

(1) Mutual
If a p
other p

(2)

Progress
Those p
that h

Critical section Problem —

(3) Bounded

do

s

Entry Section

Critical Section

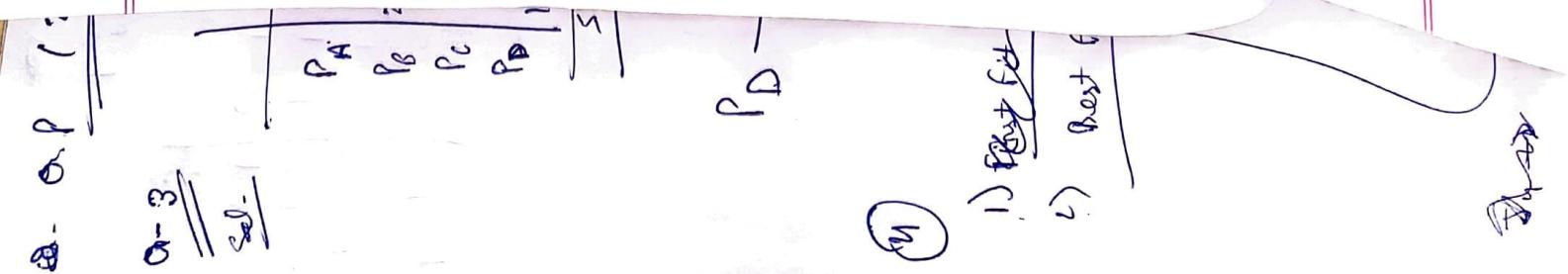
Exit Section

Remainder Section

controls the entry into Critical Section & get lock on required resource

while (true);

removes other processes
so others know
that it's critical
section so it's
safe



Solution to C.S. Problem —

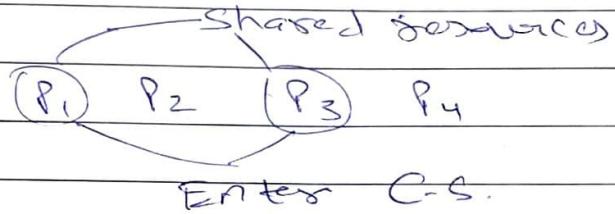
Must satisfy three condition :

(1) Mutual exclusion :

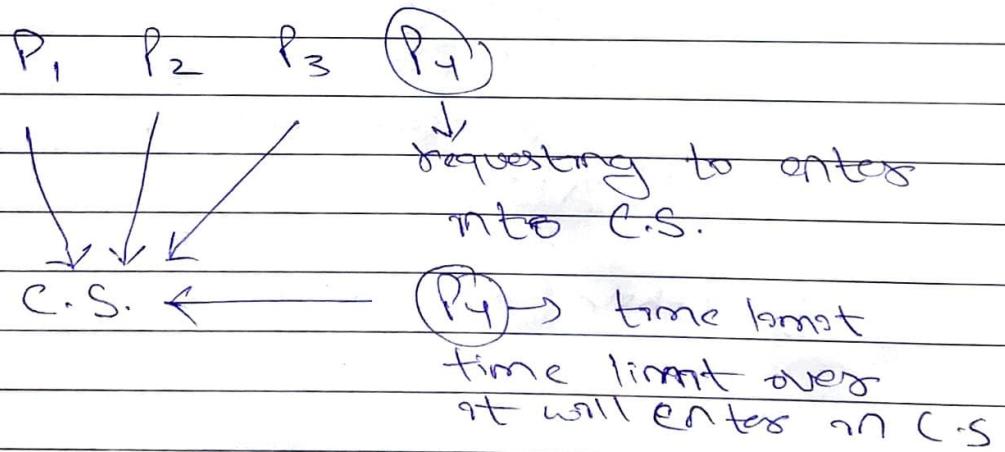
If a process is executing in its C.S., then no other process is allowed to execute in C.S.

(2) Progress :

Those process that want to enter into C.S. that has to be allowed.



(3) Bounded waiting :



Peterson's Solution —

- A classical software-based solution to the Critical-Section Problem.
- Two processes share two variables —

int turn;
indicates whose turn it
is to enter its critical
section

bool flag[2];
used to indicate if a
process is ready to enter
its critical section

Algorithm for Process P_i —

```
do {  
    flag[i] = true;  
    turn = i;  
    while( flag[j] && turn == j );  
        // Critical Section  
        flag[i] = false;  
        // Remainder Section  
    } while( true );
```

do {

while (

// cont

lock =

// done

} while

Swap ins

Void S

bo

- Solution
Shared

Set

Test and Lock —

Problems.

- A Hardware Solution to the Synchronization ~
- There is Shared lock variable 1.0, 0 or 1
- If lock → waits
- If not locked → executes the critical section

```
boolean TestandSet( boolean *target) {
    boolean &V = *target;
    *target = TRUE;
    return &V;
```

do S

while (TestandSet(&lock)); → busy

// Critical Section

lock = false

// Remaining Section

} while (true);

Swap Instruction —

Void Swap(boolean *a, boolean *b)

{

boolean temp = *a;

*a = *b;

*b = temp;

}

Solution using Swap():—

- Shared boolean variable lock initialized to false

- Each process has a local boolean variable Key
- Solution for mutual Exclusion:

do {

 key = true;
 while (key == true) → busy waiting

Swoop (&lock, &key);

critical section

lock = false;

remainder section

} while (true);

C.S. Sol. using "Test_and_Set" instruction —
 (Gate smashers)

while (test_and_set(&lock));

{CS}

lock = false;

boolean test_and_set(boolean

*target)

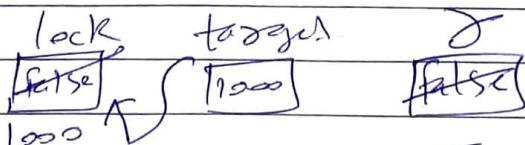
{

boolean & = *target;

*target = True

between &;

}



True
 False
 True

True

1. while (lock == 1);
2. LOCK = 1
3. critical section,
4. LOCK = 0

P₁ ←P₂ ←

↓

done

aquiring

C.S.

m.

no

method

exclu

sion

L = P1 P2

↓

↓

↓

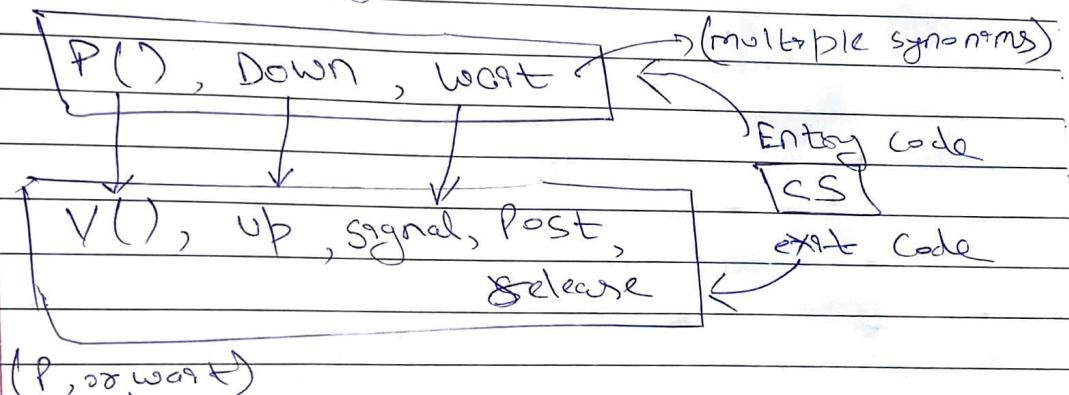
↓

↓

Semaphore — (gate Semaphor)

Counting Binary
 $(-\infty \text{ to } +\infty)$ $(0, 1)$

"Semaphore is an integer Variable which is used in mutual exclusion manner by various concurrent cooperative processes in order to achieve synchronization".



Down (Semaphore S)

S

$$S.value = S.value - 1$$

if (value < 0)

S

Put Process (P(B)) in

Suspended list,

Sleep()

else

return;

}

P, P₂, P₃

Entry Section

[CS P₁, P₂
P₃]

S

[88] 2 X ≠ X - 2

(intially taking S=3)

Block list

P₄, P₅

~~88~~ S=0 → no process in block list

S=4 → 4 process in block list

1.1

(V, signal, post)

Up (Semaphore S)

S
 $S.value = S.value + 1;$
 $\text{if } (S.value \leq 0)$

Select a process
from suspended list
 $S.wakeup()$

$\}$

S
 $[8] \times 1 \neq -1 - 1 \times$

Block list
~~P1 P2~~

Now these processes
will release from
block list and
are ready to enter
in entry section.

*
 S

$[10]$

how many successful operation can be performed

Ans \Rightarrow 10

\rightarrow C.S. ~~key~~ and ~~key~~
usage

*
 S

$[10]$

6P

4V

what will be the final value
of semaphore?

$\rightarrow 10 - 6 \Rightarrow 4$

$4 + 4 \Rightarrow$

$[8]$

\rightarrow final value

*
 S

$[17]$

5P, 3V, 1P

$\Rightarrow 17 - 5 + 3 - 1$

$\Rightarrow 14$

(get smashes)

classmate

Date _____

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(Some code mutex lock)

Binary Semaphore —

Down(Semaphore S) | Up (Semaphore S)

{ if (S.value == 1)

{ S.value = 0;

} else {

Block this process
and place in suspend
list, sleep();

}

}

{ if (suspend list is empty)

{ S.value = 1

} else {

Select a process from
suspend list and
wake up();

}

}

Down, P, wait

Up, V, signal

$\rightarrow S = X \text{ } 0$
Successful operation

$S = \emptyset \text{ } 0$ Block
unsuccessful operation

Ex

$S = \emptyset \text{ } 0$

P₁

Down (S)

[CS]

Up (S)

P₂

Down (S)

[CS]

Up (S)

Let P₂ start first,

P₂ will enter

C.S.

P₁ will get

block.

P₂ will get an up

up will set P₁,

in ready queue.

Enq (10K)

Enq (20K)

Enq (30K)

Deq (10K)

Deq (20K)

Deq (30K)

~~Part smooth~~

Bounded-buffer Problem)

classmate

Date _____
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Solution of Producers Consumer Problem Using Semaphore :-

Counting Semaphore

full = 0 = No. of filled slots

empty = N = No. of empty slots.

Binary Semaphore S=1.

Produce item (item p);

- 1) down (empty);
- 2) down (S);
- Buffer[IN] = Item p;
- IN = (IN+1) mod n;
- 3) UP (S);
- 4) UP (full);

0							
1		b					
2			c				
3				d			
4							
5							
6							
7							1

Consumer

- 1) down (full);
- 2) down (S);
- item c = Buffer[out]
- out = (out+1) mod n;
- 3) UP (S)
- 4) UP (empty);

item c = Buffer[0]
= a

out will increment

~~Case I~~
~~No point~~

empty = $\emptyset \times 5$
full = 3×3

So to check consistency
we do $S+3 = 8$

$S = X \times X \times 1$

CASE II - (Preempt)

first producer run only 1st command then
 preempt and consumer run all its command
 then again producer will run from 2nd
 command.

$$\text{empty} = \emptyset \times 5$$

$$\text{full} = \emptyset \times 3$$

$$S = \emptyset \times \emptyset \times 1$$

$$5+3 = [8] = \text{no of slots}$$

	IN	OUT
1	a	
2	b	
3	c	
4	d	
5		e
6		f
7		g
8		h

(gate smasher)

Solution of Readers-Writers Problem Using
Binary Semaphore

int $\delta C = 0$
 Semaphore mutex = 1;
 Semaphore db = 1;
 Void Readers (void)

while (true)

{ down(mutex);

Entry
Code $\delta C = \delta C + 1$ if ($\delta C == 1$) then .down(db);

up(mutex)

[DB]

R - W → Problem
 W - R → Problem
 W - W → Problem
 R - R → Problem

$\delta C \rightarrow \text{read count}$
 no. of readers in buffer.

Exit
Code

{ down(Mutex)

 $\delta C = \delta C - 1$ if ($\delta C == 0$) then up(db);

up(mutex)

Process_data;

{}

Void writer (void)

{ while (true)

down(db);

[DB]

up(db);

{}

CASE I
 $\delta C = \emptyset$
 mutex = X
 db = Y
 FABRI

CASE II
 $\delta C = \emptyset$
 mutex = X
 db = Y

CASE III
 $\delta C = 0$
 Mutex = 1
 db = X

CASE IV

$\delta C = \emptyset$
 mutex = 1
 db = X

If PRO

CASE I — $(R \rightarrow W)$ $(R_1 \text{ first come then } W_2 \text{ comes})$

$\gamma_C = \emptyset \ 1$

$\text{mutex} = X \emptyset \ 1$

$db = X \ 0$

 $DB R_1$ $down(db)$ not possible as $db = 0$. \therefore writer will block.CASE II — (W - R)

$\gamma_C = \emptyset \ 1$

$\text{mutex} = X \ 0$

$db = X \ 0$

first

 $DB W_1$

now Reader comes

 $down(db)$ not possiblebecause db is already zero. \therefore Reader will block.CASE III — (W - W)

$\gamma_C = 0$

 $DB W_1$

$\text{mutex} = 1$

$db = X \ 0$

second writer will block

as $db = 0$.CASE IV — (R - R)

$\gamma_C = \emptyset \ \emptyset \ \emptyset \ \emptyset \ 1$

 $DB R_1 R_2$
 R_3

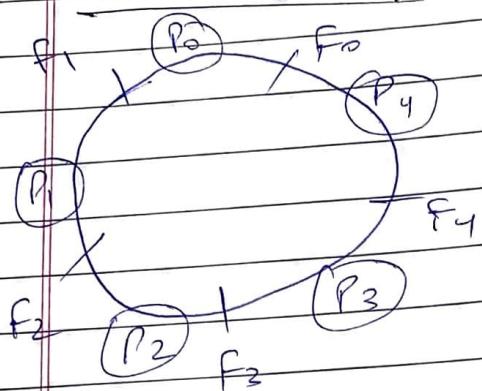
$\text{mutex} = X \emptyset \ X \emptyset \ X \emptyset \ X$

$db = X \ 0$

 $\emptyset \ \emptyset \ \emptyset \ 1$

If process done & R want to exit,

Dining Philosophers Problem



5 philosophers
5 forks

Void Philosopher (void)

{ white (true)

{ Thinking () ;

take_Fork(i); → left
fork

take_Fork((i+1)%N); → right
fork

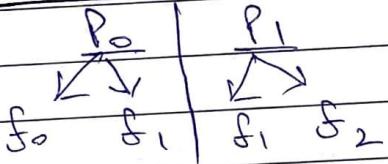
EAT();

Put_Fork(i);

Put_Fork((i+1)%N);

(how philosophers solve the left-wala fork U that has a right
wall)

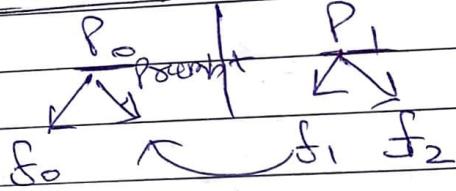
Case I



f_(i+1) mods

1 mods
0

Case II —



To solve this we use
Semaphore,

Solution using Semaphore —

STJS for Semaphore

void Philosphore(void)

{ while (True)

S

Thinking();

wait(take_fork(S+));

wait(take_fork(S(i+1)modN));

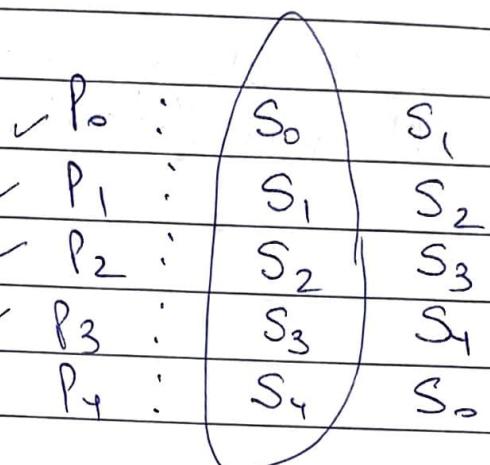
EAT();

signal (Put_fork(S+));

signal (Put_fork(S(i+1)modN));

}

	S_0	S_1	S_2	S_3	S_4
	✓	✗	✗	✗	✗
	0	0	0	0	0



Deadlock

→ P_0 aaya left wala fork uttega aur preempt hogye

phor P_1 aaya

phor P_2 aaya

phor P_3 aaya

phor P_4 aaya

now,

→ P_4 kaha tha ha S_0 do, par $S_0 \rightarrow 0$ ha toh he block ho jayega.

Similarly P_3 wants S_4 , but $S_4 \rightarrow 0$ so P_3 block

Similarly all process will block.

→ Now this condition is deadlock.

→ Solution TO remove deadlock:

	S_0	S_1	S_2	S_3	S_4
P_0	✓				
P_1		✓			
P_2			✓		
P_3				✓	
P_4	✓				

blocks ↳ Suppose the last process make fork then waiting and left bad man