

**Jaypee Institute of Information Technology, Noida**  
**Test-1 Examination**  
**Special Semester (June-July 2021)**  
**Course Name: Theoretical Foundation of Computer Science**  
**Course Code: 15B11CI212**  
**Maximum Marks: 20**  
**Maximum Time: 01 Hr.**

**Q1. [CO1][1 mark]** Assuming Set A and Set B contain n and m elements respectively. Which of the following(s) holds true for functions?

1. For an injective function from B to A,  $n \geq m$ .
2. For a surjective function from A to B,  $n \geq m$ .

**Q2. [CO1][1 mark]** Given sets  $A=\{a,b,c,d\}$  and  $B=\{1,2,3,4,5\}$ . The total number of functions from  $A \rightarrow B$  which are not injective is \_\_\_\_\_

**Q3. [CO1][1 mark]** Given sets Let  $A=\{1,2,3\}$  and  $B=\{a,b,c,d,e\}$ . The total number of functions from  $A \rightarrow A$  which are bijective is \_\_\_\_\_

**Q4. [CO1][1 mark]** Given a series as:

0, 2, 5, 26, 96, 387, 1519...

Find the recurrence relation.

**Q5. [CO1][1 mark]** The relation S on the set of positive integers  $\mathbb{Z}^+$  is defined as

$S = \{(a,b) \mid b = a^2 + a + 1\}$ . Find the  $S^2$ .

**Q6. [CO1][1 mark]** No. of Equivalence Relations on a set  $\{a,b,g,c,d,a,b,f\}$  is \_\_\_\_\_.

**Q.7 [CO1][1 mark]** Is (Set A)  $\times$  (Set B) equal to (Set B)  $\times$  (Set A) or Not? (True/False). Justify your answer.

**Q.8 [CO1][1 mark]**  $|P((S \times T) \cup (T \times S))| = |P((S \times T) \cup (S \times T))|$  if and only if \_\_\_\_  
OR \_\_\_\_ OR \_\_\_\_.

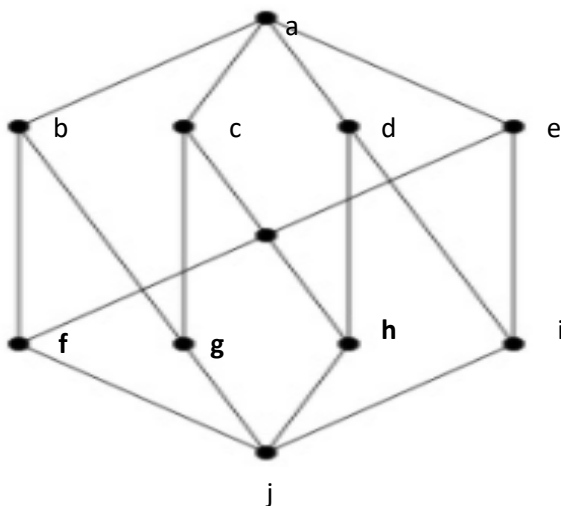
**Q.9 [CO1][1 mark]** For Two finite sets A and B, where  $|A|=m$  and  $|B|=n$ . The total number of subsets of set A is 2016 more than the total number of subsets of set B. The values of m and n are \_\_\_\_ and \_\_\_\_ respectively.

**Q10. [CO1][1 mark]**  $A^c - B^c$  is equal to the set difference of \_\_\_\_\_,

**Q11 [CO1][3 marks]** There are 7 Students each of them are from different batches (B1,B2,B3,B4,B5,B6,B7) and 3 hostel rooms named H1,H2,H3. How many ways are there to allocate hostel rooms to these 7 students such that each hostel room has at least 1 student?

**Q11 [CO1][2 marks]** Let there are 3 flags x,y,z of size 1 foot, 1 foot, and 2 feet. Find a recurrence relation for the number of ways to arrange given 3 types of flags on flagpole of n feet height.

**Q13 [CO1][5 marks]** Consider the given diagram



Find the maximum and minimum element .

Find the UB, LB, LUB and GLB of set  $\{f,c,g,i\}$  and  $\{b,c,d\}$

State whether given hasse diagram is lattice or not ? justify your answer with explanation.