

Assignment 3 - Emirps

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COMP2111 18s1

1 Task 1 -Syntactic Data Type Dict

Declare dict data type here

2 Task 2 - Refinement to DictA

Refine to dictA here.

3 Task 3 - Derivation

```

proc FunctionName(value n, result r) ·  $\sqsubseteq n, r, x : [Pre, Post] \neg(1)$ 
(1)  $\sqsubseteq$      $\langle \text{Rule} \rangle$ 
 $\sqsubseteq r, x : [NewPre, NewPost] \neg(2)$ 
(2)  $\sqsubseteq$      $\langle \text{seq} \rangle$ 
 $\sqsubseteq i, x, r : [Pre, Blah] \neg(3);$ 
 $\sqsubseteq i, x : [Blah, Post] \neg(4)$ 
 $\sqsubseteq$      $\langle \text{ass} - (1) \rangle$ 
i := 1
x := 13
 $\sqsubseteq$      $\langle \text{seq} \rangle$ 
 $\sqsubseteq s, x : [pre(16), s = 0 \wedge x > 0] \neg(18);$ 
 $\sqsubseteq a, i, r, s, x : [x > 0 \wedge s = 0, post(16)] \neg(19)$ 
(5)  $\sqsubseteq$      $\langle \text{while} \rangle$ 
while j  $\neq$  r do
 $\sqsubseteq r, j : [Inv_2 \wedge j \neq r, Inv_2] \neg(8)$ 
od;
(9)  $\sqsubseteq$      $\langle \text{if} \rangle$ 
if Gaurd
then  $\sqsubseteq a : [Gaurd \wedge pre(9), post(9)] \neg(11)$ 
else  $\sqsubseteq a : [\text{Not } Gaurd \wedge pre(9), post(9)] \neg(12)$ 
fi;

```

We gather the code for the procedure body of `blah`:

```
blah(r, n) :  
  var i := 1;  
  var x := 13;  
  r := 13;  
  while j ≠ r do  
    x := x + 1;  
    var a := 1;  
    isPrime(x, a);  
    if a = 1 then  
      var s := 0;  
      reversen(x, s);  
      var b := 1;  
      isPrime(s, b);  
      if b = 1 ∧ s ≠ x then  
        i := i + 1;  
        r := x;  
    od;
```

Also, we gather the code for the procedure body of `blah`:

```
isPrime(r, j) :  
  var j := 2;  
  while j ≠ r do  
    if (r mod j) = 0 then  
      a := 0;  
      j := j + 1;  
    od;
```

We have derived our code. However we need to prove **some** refinements.

3.1 Implication 1: $[BLAH, BLAH] \sqsubseteq BLAH$

To prove: $BLAH \Rightarrow BLAH$

Proof:

$$\begin{aligned} & LHS = BLAH \\ \Rightarrow & \langle BLAH \rangle \\ & BLAH \\ \Rightarrow & \langle BLAH \rangle \\ & BLAH \\ \Rightarrow & \langle BLAH \rangle \\ & BLAH \\ \Rightarrow & \langle BLAH \rangle \\ & BLAH \\ \Rightarrow & \langle BLAH \rangle \\ & RHS \end{aligned}$$

3.2 Implication 2: $[BLAH, BLAH] \sqsubseteq BLAH$

To prove: $BLAH \Rightarrow BLAH$

Proof:

$$\begin{aligned} & LHS = BLAH \\ \Rightarrow & \langle BLAH \rangle \\ & BLAH \\ \Rightarrow & \langle BLAH \rangle \\ & BLAH \\ \Rightarrow & \langle BLAH \rangle \\ & BLAH \\ \Rightarrow & \langle BLAH \rangle \\ & BLAH \\ \Rightarrow & \langle BLAH \rangle \\ & RHS \end{aligned}$$

4 Task 4 - C Code

```
1 #include "dict.h"  
2 #include <stdio.h>
```