

PyMatLib

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Summary

PyMatLib is an extensible, open-source Python library that streamlines the definition and use of material properties in numerical simulations. The library allows users to define complex material behaviors ranging from simple constants to experimental data—in human-readable YAML configuration files. These are automatically converted into symbolic mathematical expressions for direct use in scientific computing frameworks. PyMatLib supports both pure metals and alloys, offers six different property definition methods, and intelligently manages dependencies between different material properties. It is designed for high-performance computing applications, and serves as a seamless bridge between experimental data and numerical simulation, making sophisticated material modeling accessible to a broader scientific community.

Statement of Need

Accurate numerical simulation requires accounting for material properties—such as thermal conductivity, density, and heat capacity—that are not constant but depend on variables like temperature, pressure, or concentration (Lewis et al., 1996; Zienkiewicz et al., 2013). This challenge is compounded by the wide variation in data availability, from well-characterized models for established materials to sparse experimental points for novel alloys. Consequently, property definitions can range from simple constants to complex tabular datasets or sophisticated equations, creating a significant integration hurdle for researchers.

To manage this complexity, researchers often resort to manual interpolation, custom scripting, or proprietary software, which compromises reproducibility and standardization (Ashby, 2013). While valuable resources like the NIST WebBook (National Institute of Standards and Technology, 2023) and libraries such as CoolProp (Bell et al., 2014) exist, they typically provide raw data without the integrated processing needed to unify these varied formats. Similarly, specialized CALPHAD databases (Lukas et al., 2007) are powerful but often require proprietary software and do not easily integrate with general-purpose simulation codes.

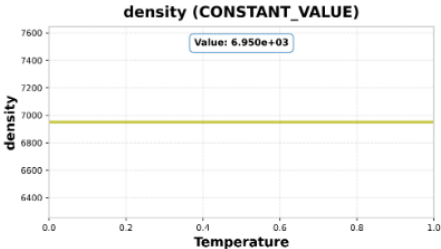
This gap forces the development of ad-hoc solutions, hindering workflow efficiency and the adoption of FAIR data principles (Wilkinson et al., 2016). PyMatLib was created to bridge this gap by providing a unified, open-source framework that leverages symbolic mathematics, automatic regression, and dependency resolution to handle these disparate data sources. By combining a user-friendly YAML configuration with powerful backend processing, PyMatLib standardizes and simplifies the integration of realistic material behavior into scientific simulations.

Key Functionality

- **Flexible Input Methods:** The library supports six different property definition methods: constant values, step functions, file-based data (Excel, CSV, txt), tabular data, piecewise equations, and computed properties ([Figure 1](#)). This versatility allows users to leverage data from diverse sources, with robust file processing handled using pandas ([McKinney, 2010](#)).

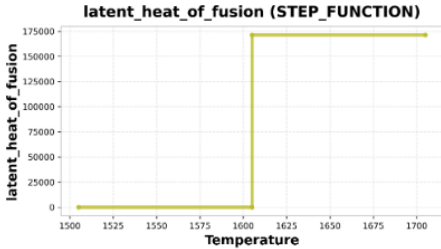
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```
properties:
  density: 2700 # kg/m^3
```



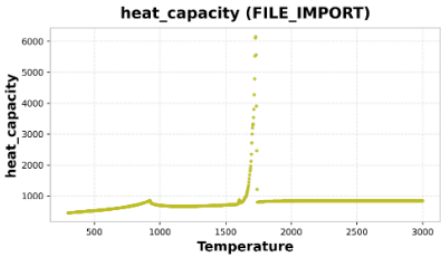
(a) Constant value

```
properties:
  latent_heat_of_fusion:
    temperature: solidus_temperature
    value: [0.0, 171401.0]
```



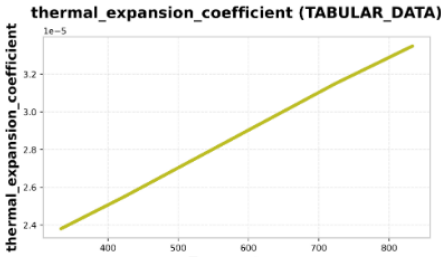
(b) Step function

```
properties:
  heat_capacity:
    file_path: ./SS304L.xlsx
    temperature_column: T (K)
    property_column: Specific heat (J/(Kg K))
```



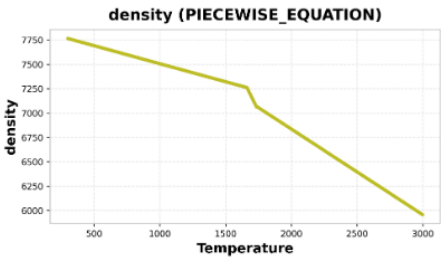
(c) File import

```
properties:
  thermal_expansion_coefficient:
    temperature: [373.15, 473.15, 573.15,
                  673.15, 773.15, 873.15]
    value: [24.56e-6, 26.54e-6, 28.51e-6,
            30.49e-6, 32.47e-6, 34.45e-6]
```



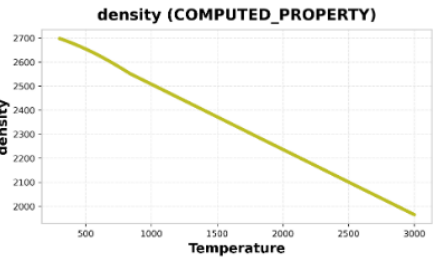
(d) Tabular data

```
properties:
  density:
    temperature: [300, 1660, 1736, 3000]
    equation: [7877.39 - 0.37*T, 11816.63
               - 2.74*T, 8596.40 - 0.88*T]
```



(e) Piecewise equation

```
properties:
  density:
    temperature: (300, 3000, 541)
    equation: 2700 / (1 + 3 *
                    thermal_expansion_coefficient * (T
                    - 293.15))
```



(f) Computed property

Figure 1: PyMatLib's property definition methods: (a) constant value, (b) step function, (c) file data, (d) tabular data, (e) piecewise equations, and (f) computed properties.

- **Universal Material Support:** The framework is designed with an extensible architecture to support any material type. It is currently implemented and thoroughly tested for pure metals and alloys through its unified interface, with a modular design that allows for straightforward extension to other material classes such as ceramics, polymers, composites, or other specialized materials as research evolves.

- 49 ■ **Automatic Dependency Resolution:** For properties that depend on others (e.g., thermal

50 diffusivity calculated from thermal conductivity, density, and heat capacity), PyMatLib

51 automatically determines the correct processing order and resolves mathematical de-

52 pendencies without manual intervention. The library detects circular dependencies and

53 provides clear error messages for invalid configurations, freeing users from complex

54 dependency management.
- 55 ■ **Regression and Data Reduction:** The library integrates pwlf (Jekel & Venter, 2019)

56 to perform piecewise regression for large datasets. This simplifies complex property

57 curves into efficient mathematical representations with configurable polynomial degrees

58 and segments, reducing computational overhead while maintaining physical accuracy

59 (Figure 2).
- 60 ■ **Configurable Boundary Behavior:** Users can define how properties behave outside their

61 specified temperature ranges, choosing between constant-value or linear extrapolation

62 to best match the physical behavior of the material. The boundary behavior options

63 work seamlessly with the regression capabilities to provide comprehensive data processing

64 control (Figure 2).

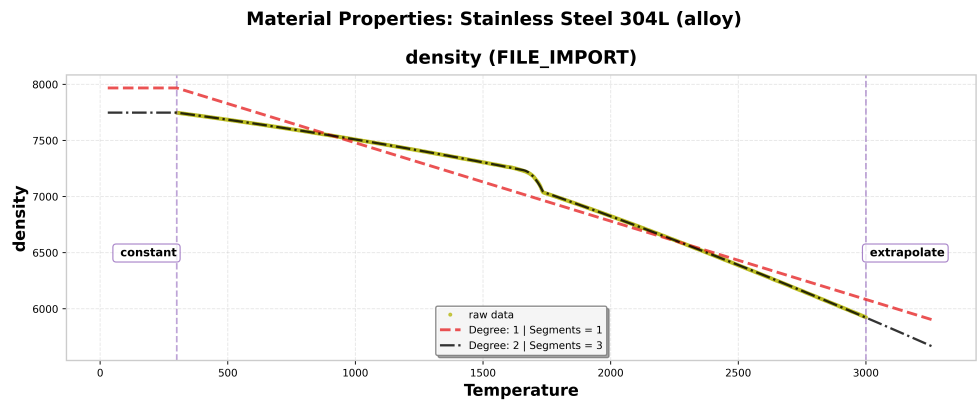


Figure 2: PyMatLib's data processing capabilities: regression and data reduction showing raw experimental data (points) fitted with different polynomial degrees and segment configurations, and boundary behavior options demonstrating constant versus extrapolate settings for the same density property, illustrating how PyMatLib can reduce complexity while maintaining physical accuracy and providing flexible boundary control.

- 65 ■ **Intelligent Simplification Timing:** PyMatLib provides sophisticated control over when data

66 simplification occurs in the dependency chain via the `simplify` parameter. `simplify:`

67 `pre` simplifies properties before they are used in dependent calculations, optimizing per-

68 formance. With `simplify: post`, simplification is deferred until all dependent properties

69 have been computed, maximizing numerical accuracy. This timing control allows users

70 to balance computational efficiency with numerical accuracy based on their specific

71 simulation requirements.

```

bounds: [constant, extrapolate] # Boundary behavior: 'constant' or 'extrapolate'
regression: # Optional regression configuration
    simplify: pre # 'pre' (before processing) or 'post' (after processing)
    degree: 2 # Polynomial degree for regression
    segments: 3 # Number of piecewise segments

```

- 72 ■ **Bidirectional Property-Variable Inversion:** The library can automatically generate inverse

73 piecewise functions, enabling determination of independent variables from known property

74 values (e.g., $\text{temperature} = f(\text{property})$). This capability is essential for energy-

based numerical methods (Voller & Prakash, 1987), phase-change simulations, and iterative solvers. Currently focused on temperature-dependent properties, the underlying architecture supports future extension to additional variables such as concentration, pressure, or shear rate. Inverse function generation supports linear piecewise segments (either through default linear interpolation or explicit degree=1 regression), ensuring robust mathematical invertibility.

- **Built-in Validation Framework:** A comprehensive validation framework checks YAML configurations for correctness, including composition sums, required fields for pure metals versus alloys, and valid property names. This prevents common configuration errors and ensures reproducible material definitions (Roache, 1998).
- **Integrated Visualization:** An integrated visualization tool using matplotlib (Hunter, 2007) allows users to automatically generate plots to verify their property definitions visually, with the option to disable visualization for production workflows after validation.

Usage

A material is defined in a YAML file and loaded with a single function call. The following examples demonstrate a pure metal and an alloy configuration, followed by the Python code to load and use the material.

YAML Configuration Examples

Pure Metal (Al.yaml)

```
name: Aluminum
material_type: pure_metal

# Composition must sum to 1.0 (for pure metals, single element = 1.0)
composition:
  Al: 1.0 # Aluminum

# Required temperature properties for pure metals
melting_temperature: 933.47 # Solid becomes liquid (K)
boiling_temperature: 2743.0 # Liquid becomes gas (K)

properties:
  thermal_expansion_coefficient:
    temperature: [373.15, 473.15, 573.15, 673.15, 773.15, 873.15]
    value: [2.38e-05, 2.55e-05, 2.75e-05, 2.95e-05, 3.15e-05, 3.35e-05]
    bounds: [constant, constant]
    regression:
      simplify: post
      degree: 1
      segments: 1

  density:
    temperature: (300, 3000, 541)
    equation: 2700 / (1 + 3 * thermal_expansion_coefficient * (T - 293.15))
    bounds: [constant, constant]
    regression:
      simplify: pre
      degree: 1
      segments: 1
```

94 **Alloy (SS304L.yaml)**

```
name: Stainless Steel 304L
material_type: alloy

# Composition fractions must sum to 1.0
composition:
  Fe: 0.675 # Iron
  Cr: 0.170 # Chromium
  Ni: 0.120 # Nickel
  Mo: 0.025 # Molybdenum
  Mn: 0.010 # Manganese

# Required temperature properties for alloys
solidus_temperature: 1605. # Melting begins (K)
liquidus_temperature: 1735. # Material is completely melted (K)
initial_boiling_temperature: 3090. # Boiling begins (K)
final_boiling_temperature: 3200. # Material is completely vaporized (K)

properties:
  density:
    file_path: ./SS304L.xlsx
    temperature_header: Temperature (K)
    value_header: Density (kg/(m)^3)
    bounds: [constant, extrapolate]
    regression: # Optional regression configuration
      simplify: pre # Simplify before processing
      degree: 2 # Use quadratic regression for simplification
      segments: 3 # Fit with 3 segments for piecewise linear approximation
```

95 Complete YAML configurations are provided in the PyMatLib [documentation](#).

96 **Python Integration**

97 The primary entry point is the `create_material` function, which parses the YAML file and
98 returns a fully configured material object.

```
import sympy as sp
from pymatlib.parsing.api import create_material

# Create a material with a symbolic temperature variable
T = sp.Symbol('T')
aluminum = create_material('Al.yaml', T, enable_plotting=True)

# Access properties as symbolic expressions
print(f"Density: {aluminum.density}")
# Output: Piecewise((2678.43051234161, u_C < 300.0),
#                  (2744.36352618972 - 0.21977671282703*u_C, u_C < 3000.0),
#                  (2085.03338770863, True))

# Evaluate properties at a specific temperature
density_at_500K = aluminum.density.subs(T, 500).evalf()
print(f"Density at 500 K: {density_at_500K:.2f} kg/m^3")
# Output: Density at 500 K: 2634.48 kg/m^3
```

99 Comparison with Existing Tools

Table with 5 columns: Feature, PyMatLib, CoolProp, NIST WebBook, CALPHAD. Rows include Core Capabilities (Symbolic Integration, Dependency Resolution, Multiple Input Methods), Material Support (Solid Materials, Custom Properties, Temperature Dependencies), and Accessibility (Open Source, Python Integration).

100 Key Advantage: PyMatLib's unique combination of native symbolic mathematics via SymPy
101 (Meurer et al., 2017), automatic dependency resolution, and multiple input methods provides
102 a level of flexibility and integration not found in existing tools, enabling more reproducible and
103 sophisticated scientific simulations.

104 Research Applications and Availability

105 PyMatLib is applicable to a wide range of research areas, including alloy design and optimization
106 (Callister & Rethwisch, 2018), finite element analysis (Hughes, 2012), multiscale modeling
107 (Tadmor & Miller, 2011), computational fluid dynamics and heat transfer. Its architecture
108 promotes reproducible science and is well-suited for high-performance computing environments,
109 with demonstrated integrations into frameworks like pystencils (Bauer et al., 2019) and
110 waLBerla (Bauer et al., 2021).
111 PyMatLib is an open-source software distributed under the BSD-3-Clause License. The source
112 code, comprehensive documentation, and example configurations are available on GitHub.

113 Acknowledgements

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116 al., 2020), pandas (McKinney, 2010), matplotlib (Hunter, 2007), and ruamel.yaml (Wel, 2023),
117 whose libraries provide the symbolic mathematics, numerical computing, data processing,
118 visualization, and configuration parsing capabilities that form the foundation of PyMatLib.

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