Contents

- link solver Usage and Description
- Set Values
- Solved Values
- Solve for x

Called Functions

Set Values

The following is used to easily change the lengths and masses of the links. (A Grashof mechanism has the constraint R1 + R2 <= R3 + R4).

Solved Values

The following assigns values derived and/or solved from the given values to variables. See the attached file for hand calculations.

```
% Easy access to...
t 2 = u(1);
                            % Angular position of link 2 (rad)
tdot_2 = u(2);
                            % Angular velocity of link 2 (rad/s)
                            % Angular position of link 3 (rad)
t 3 = u(3);
t_4 = u(4);
                            % Angular position of link 4 (rad)
                            % Angular velocity of link 3 (rad/s)
tdot_3 = u(11);
                            % Angular velocity of link 4 (rad/s)
tdot_4 = u(12);
% Simplicity and Compactness of Notation
c_2 = cos(t_2);
s_2 = sin(t_2);
c_3 = cos(t_3);
s_3 = sin(t_3);
c_4 = cos(t_4);
s_4 = \sin(t_4);
I_3 = 1/12*m_3*r(3)^2; % Moment of inertia of link 3 (kg*m^2)
                       % Moment of inertia of link 4 (kg*m^2)
I 4 = 1/12*m 4*r(4)^2;
0, 0, 1, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0;
    0, 0, 0, 1, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0;
    r(3)/2*s 3, 0, 0, 0, 1, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0;
    -r(3)/2*c_3, 0, 0, 0, 0, 1, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0;
    0, r(4)/2*s_4, 0, 0, 0, 0, 1, 0, 0, 0, 0, 0, 0, 0, 0, 0;
    0, -r(4)/2*c_4, 0, 0, 0, 0, 0, 1, 0, 0, 0, 0, 0, 0, 0, 0, 0;
    0,\ 0,\ m\_2,\ 0,\ 0,\ 0,\ 0,\ -1,\ 0,\ -1,\ 0,\ 0,\ 0,\ 0,\ 0;
    0, 0, 0, m<sub>2</sub>, 0, 0, 0, 0, 0, -1, 0, -1, 0, 0, 0, 0;
    0, 0, 0, 0, 0, 0, 0, (2)/2*s_2, -r(2)/2*c_2, -r(2)/2*s_2, r(2)/2*c_2, 0, 0, 0, 0, -1;
    0, 0, 0, 0, m_3, 0, 0, 0, 1, 0, 0, 0, 0, 0, -1, 0, 0;
    0, 0, 0, 0, 0, m_3, 0, 0, 0, 1, 0, 0, 0, 0, 0, -1, 0;
```

```
I_{3}, 0, 0, 0, 0, 0, 0, r(3)/2*s_{3}, -r(3)/2*c_{3}, 0, 0, 0, 0, r(3)/2*s_{3}, -r(3)/2*c_{3}, 0;
     0,\ 0,\ 0,\ 0,\ 0,\ m\_4,\ 0,\ 0,\ 0,\ 0,\ 0,\ -1,\ 0,\ 1,\ 0,\ 0;
     0, 0, 0, 0, 0, 0, m_4, 0, 0, 0, 0, -1, 0, 1, 0;
     0, I_4, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, -r(4)/2*s_4, r(4)/2*c_4, -r(4)/2*s_4, r(4)/2*c_4, 0];
b = [-r(4)*c_4*tdot_4^2 + r(2)*c_2*tdot_2^2 + r(3)*c_3*tdot_3^2;
     -r(4)*s_4*tdot_4^2 + r(2)*s_2*tdot_2^2 + r(3)*s_3*tdot_3^2;
     -r(2)/2*c_2*tdot_2^2;
     -r(2)/2*s_2*tdot_2^2;
     -r(2)*c_2*tdot_2^2 - r(3)/2*c_3*tdot_3^2;
     -r(2)*s_2*tdot_2^2 - r(3)/2*s_3*tdot_3^2;
     -r(4)/2*c_4*tdot_4^2;
     -r(4)/2*s_4*tdot_4^2;
     0;
     0;
     0;
     0;
     0;
     0;
     0;
     0;
     0];
```

```
Not enough input arguments.
```

Solve for x

Solve for x using mldivide.

```
x = A \setminus b;
```

end

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