

Day - 1

Saturday, 20 December 2025 12:06 PM

Rahul - SDE2 @ m-ssool \Rightarrow Qualcomm (2022-2025) \Rightarrow Java
 \Downarrow ROR, Python
- 2022 (DSA)
- Guwahati \Rightarrow Guwahati
- NIT, Tiruchy

- SDE(I)

\Rightarrow Expectⁿ
 \Rightarrow DSA + Backend (System Design)

\Rightarrow C++
 \Downarrow Java
 \Downarrow "Pseudo Code"

\Rightarrow Time Complexity \Rightarrow Recursion

```
for (i=1, i < n, i+=2) {  
    print(i)  
}
```

\Rightarrow [For / While] \Rightarrow x

\Rightarrow [Rec^r] \Rightarrow

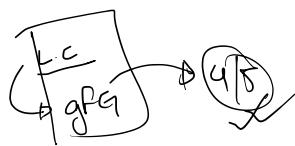
DSA \Rightarrow

\Rightarrow "30%" ↗

- Array (1, 2D)
- Bit Manipulation
- Mathematical
- Searching (LS, BS) \Rightarrow Rec^r
- Sorting (
- CL,
- Stack,
- Queue

GFG \Rightarrow Array

- Heap
- Tree \Rightarrow Binary
- Graph \Rightarrow Bipartite
- DP \Rightarrow 4/5



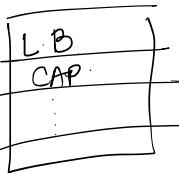
LLD =

SOLID

Design pattern

Case-studies

TLID =



Case-studies

for ($i=0$, $i < n$, $i++$) {
 print(i) - $O(1)$

$i = 5 \Rightarrow O(1)$
 $i = 2 \Rightarrow O(1)$

$i = 0 \Rightarrow O(1)$

$i < n \Rightarrow O(1)$

$O(1) - i = 0$
 $O(n) - i < n$ ✓
- print(i) - $O(1)$
- $i++$ - $O(1)$

$3 \cdot O(1) \Rightarrow O(3 \cdot 1) \Rightarrow O(1)$
const
 $\Rightarrow O(1)$

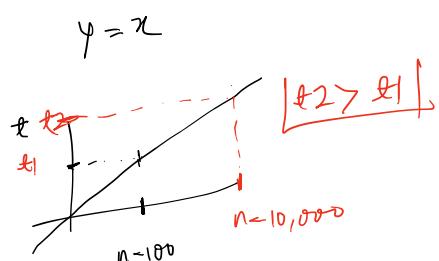
$\Rightarrow O(n)$

$O(1) - i = 1$ $i < n$ ✓
- print(i)
- $i++$

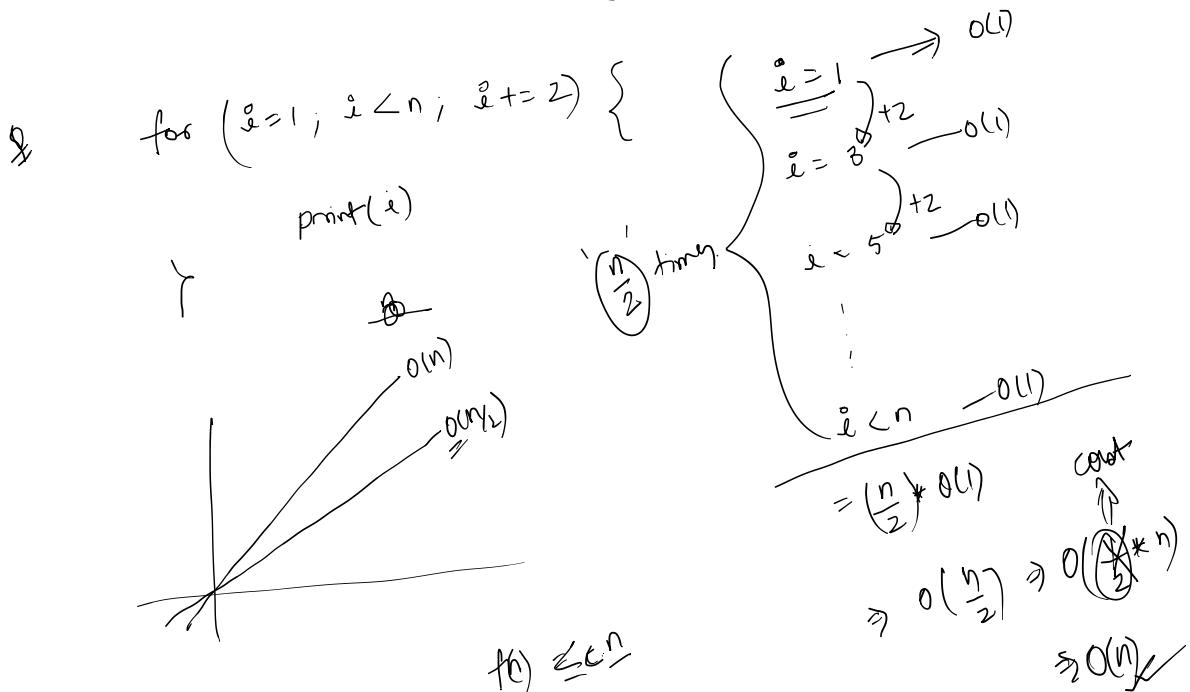
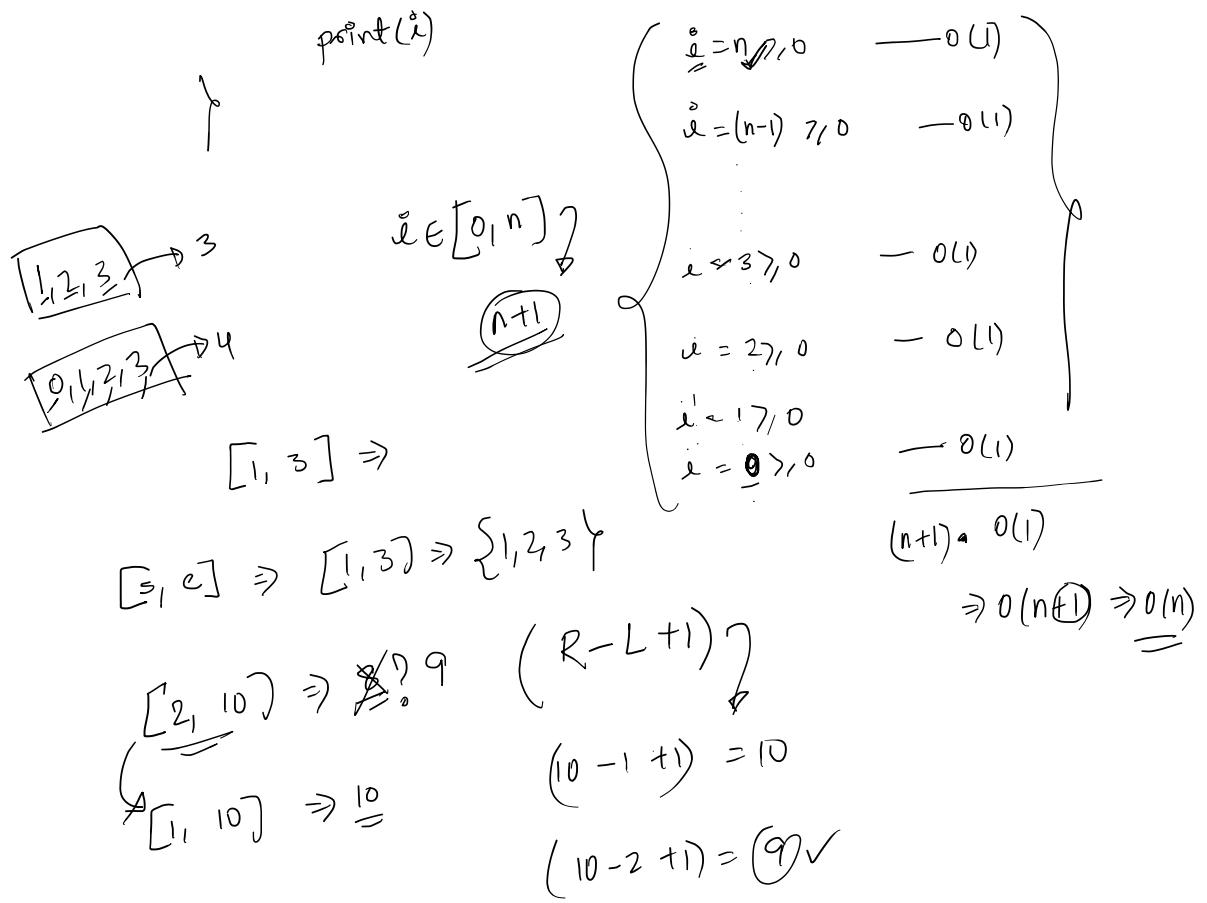
$3 \cdot O(1) \Rightarrow O(3 \cdot 1) \Rightarrow O(1)$
const
 $\Rightarrow O(1)$

$\Rightarrow O(n)$

$O(1) - i = (n-1)$ $(n-1) < n$
- $O(1) + O(1) + \dots + O(1)$
n terms
 $\Rightarrow n \cdot O(1) \Rightarrow O(n)$

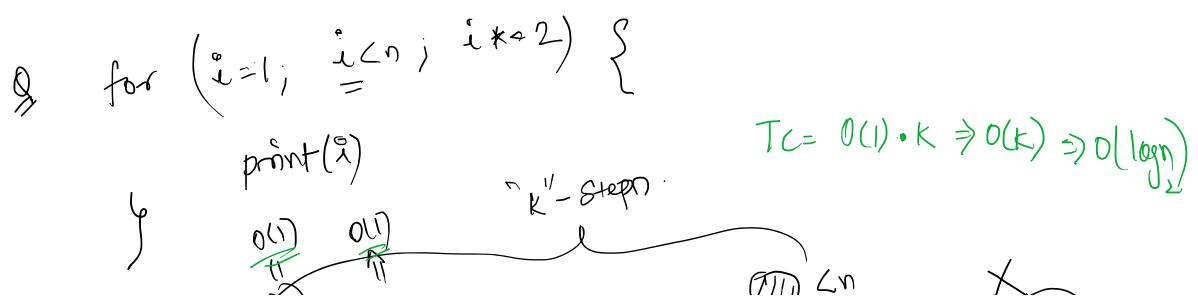
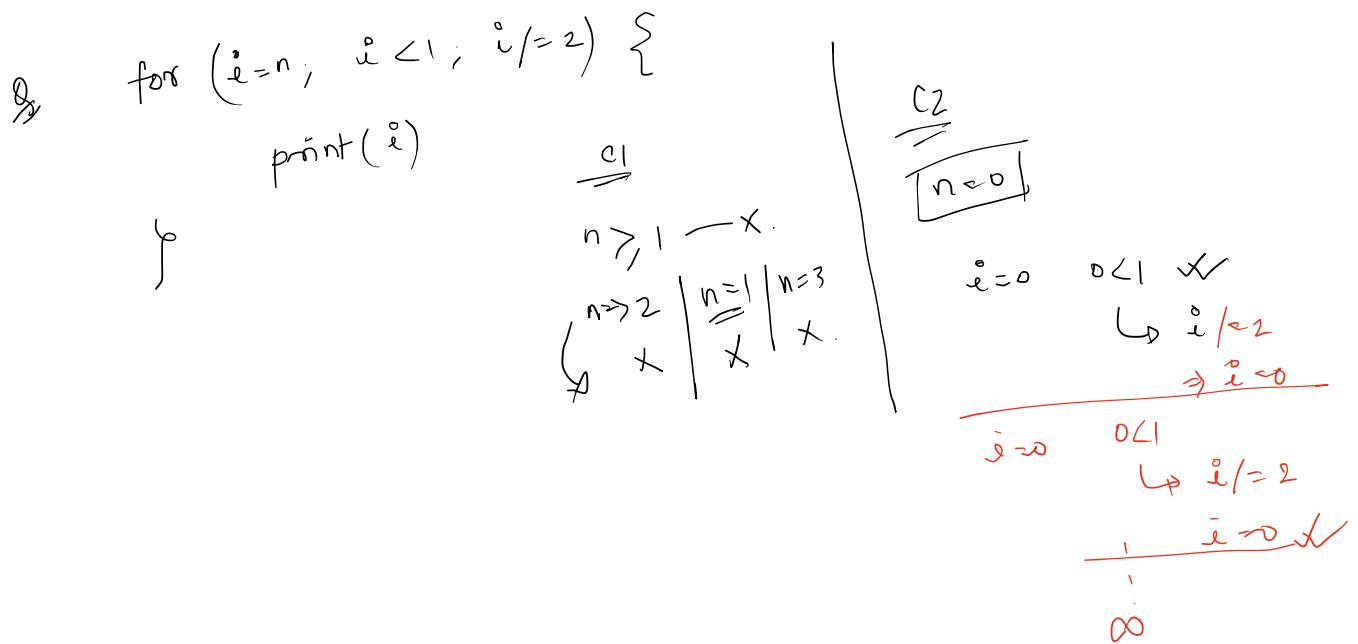
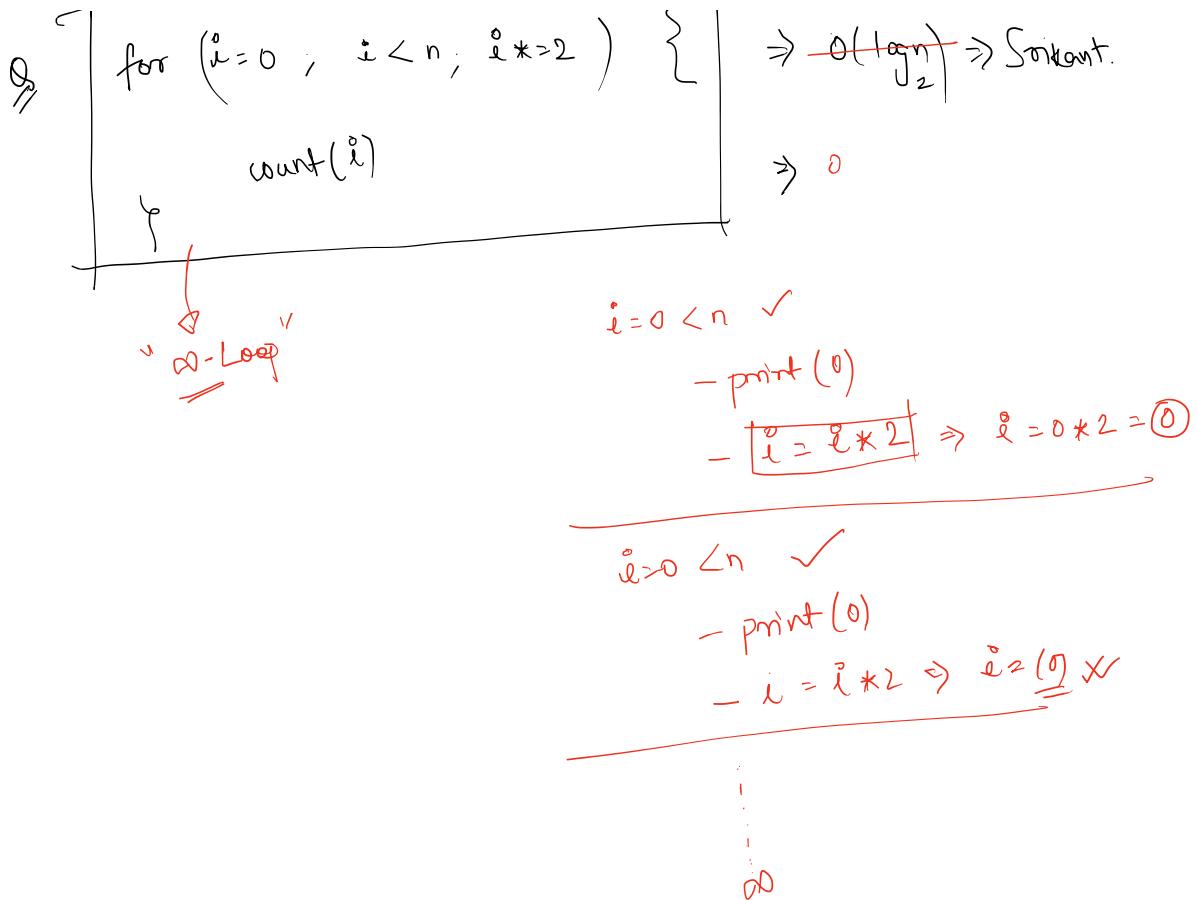


Q for ($i=n$, $i > 0$, $i--$) {

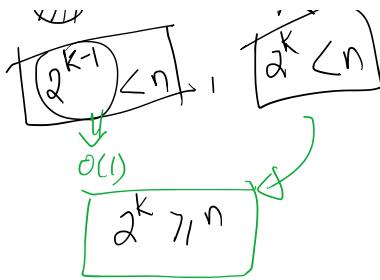


$$f(n) = O(n)$$

$f(n) \leq C \cdot n$



$$i = \begin{pmatrix} 1 \\ 2 \\ 4 \\ 8 \\ \dots \end{pmatrix} \quad \frac{1}{2^0}, \quad \frac{2}{2^1}, \quad \frac{4}{2^2}, \quad \frac{8}{2^3}, \quad \dots$$



$$TC = \underline{\underline{K}} \cdot O(1) \rightarrow O(\underline{\underline{K}})$$

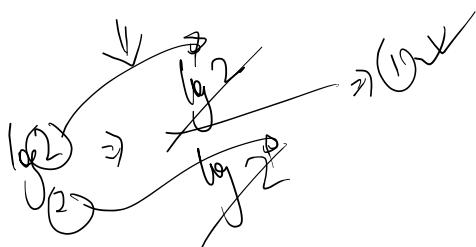
$$\geq O(\log_2 n)$$

$$\log_a b \Rightarrow \frac{\log a}{\log b}$$

$$\Rightarrow 2^k = n$$

$$\log_2(2^k) = \log_2 n$$

$$\Rightarrow K \cdot \log_2 2 = \log_2 n \Rightarrow K \cdot 1 = \log_2 n$$



for ($i = n; n > 1, i / 2$) {
 print(i)
 }