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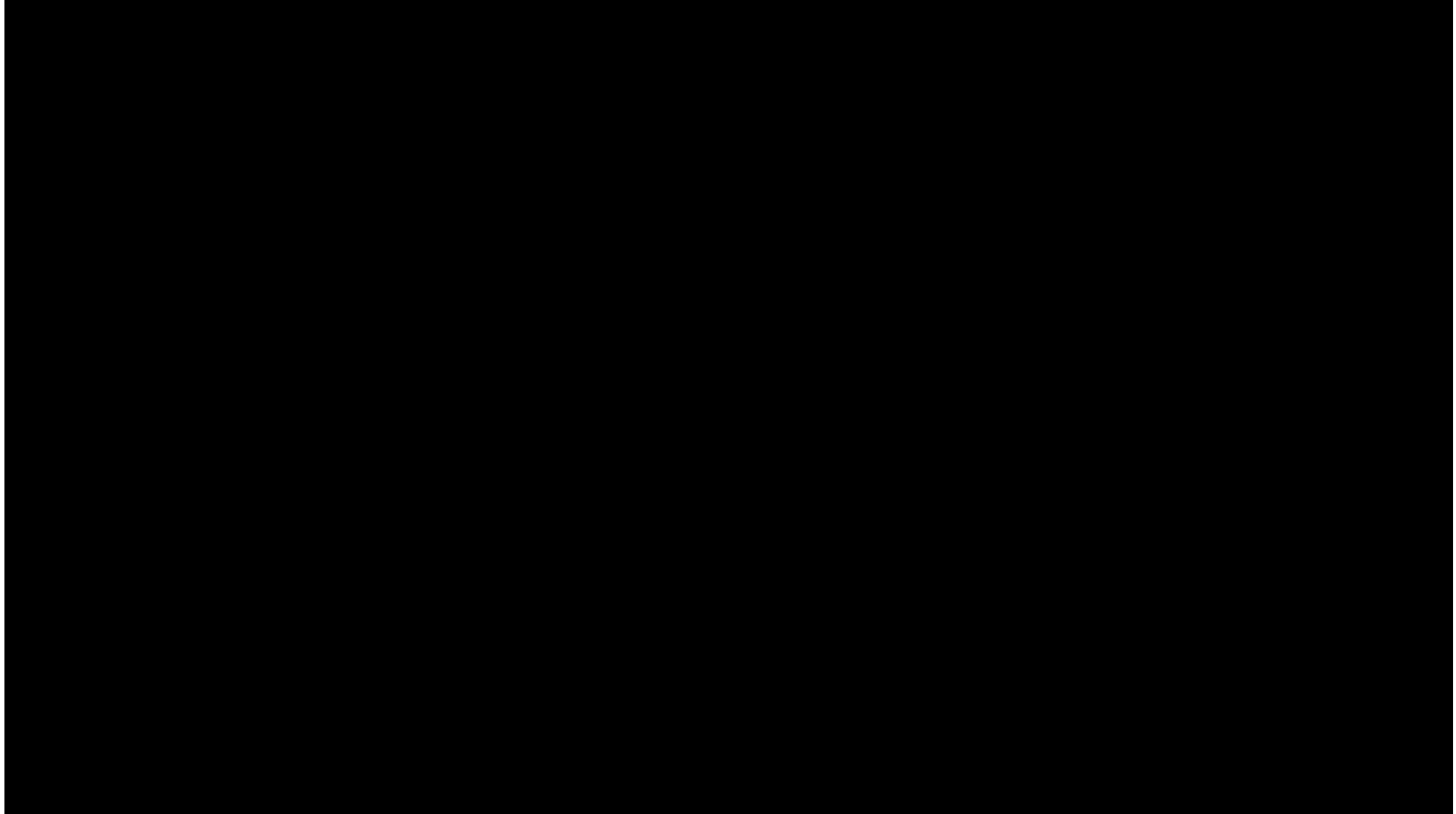
deeplearning.ai

# Face recognition

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What is face  
recognition?

# Face recognition



# Face verification vs. face recognition

## → Verification

- Input image, name/ID
- Output whether the input image is that of the claimed person

1:1

99.0%

99.9

## → Recognition

- Has a database of K persons
- Get an input image
- Output ID if the image is any of the K persons (or “not recognized”)

1:K

K=100 ←



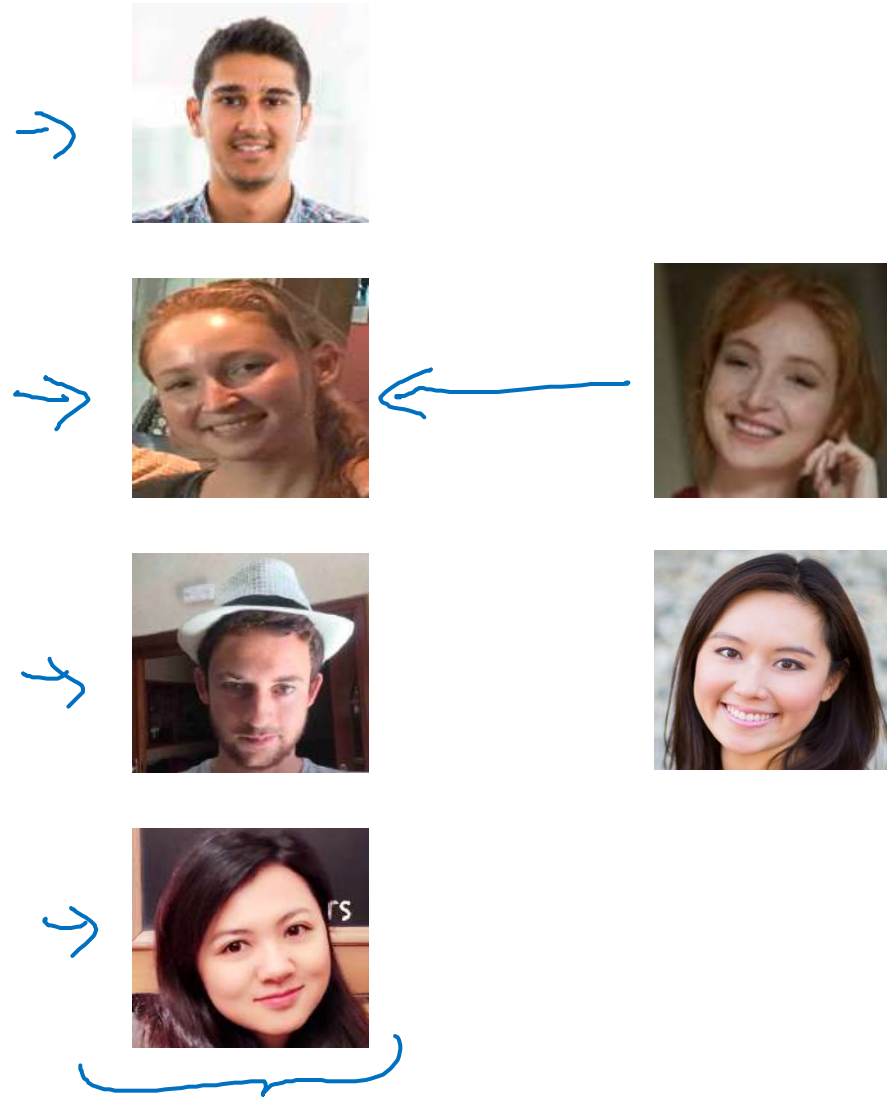
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# Face recognition

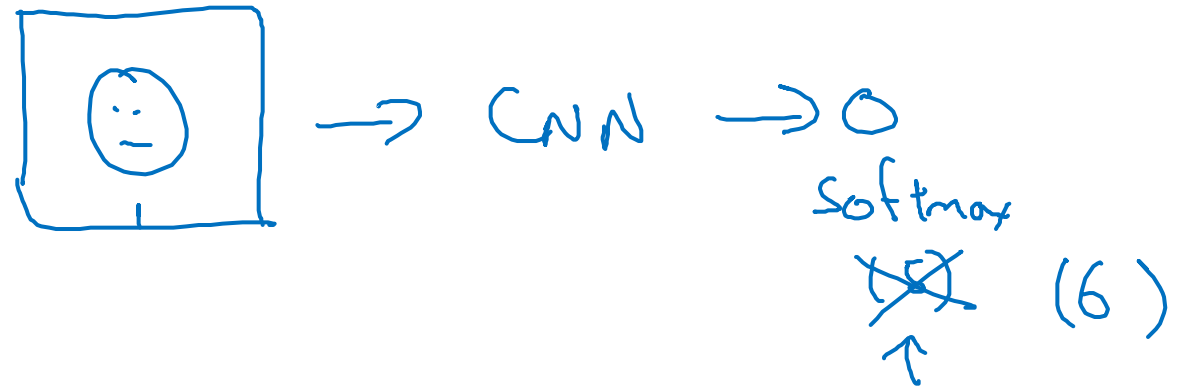
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# One-shot learning

# One-shot learning



Learning from one example to recognize the person again



# Learning a “similarity” function

→  $d(\text{img1}, \text{img2})$  = degree of difference between images

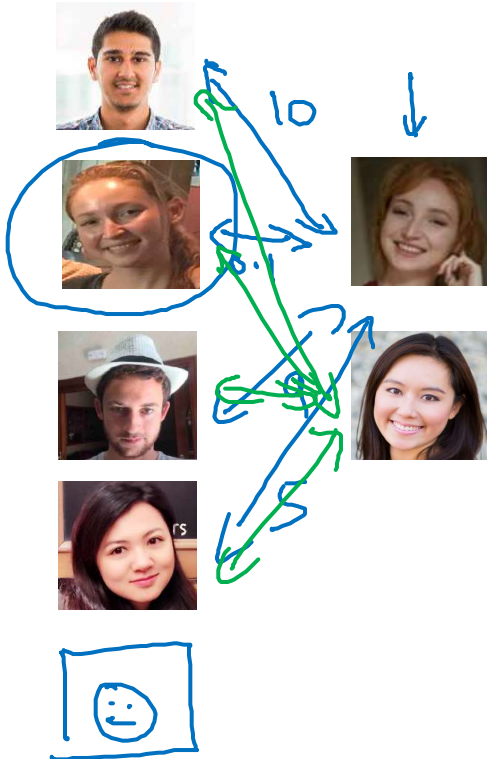
If  $d(\text{img1}, \text{img2}) \leq \tau$

$> \tau$

“same”

“different”

} Verification.



$d(\text{img1}, \text{img2})$



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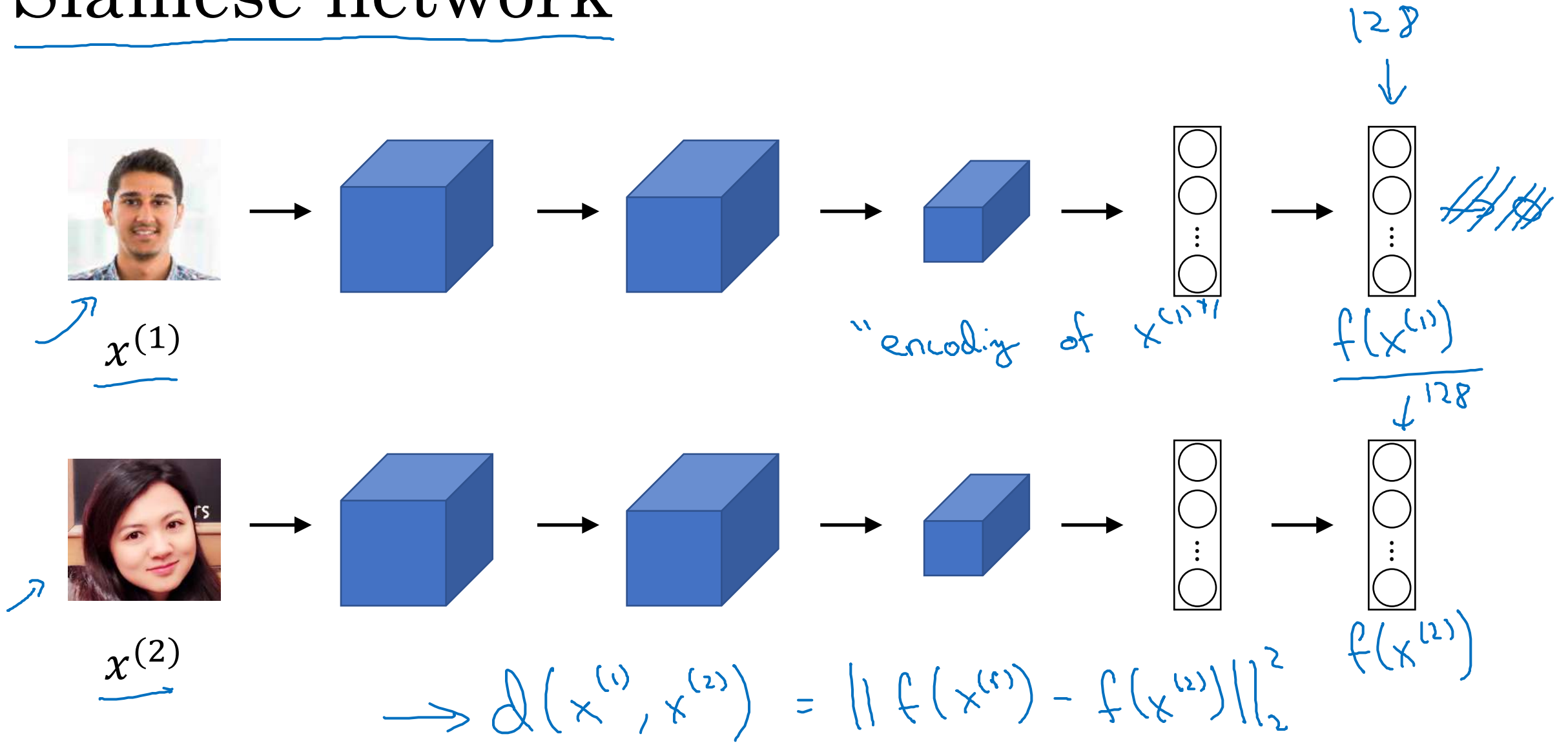
# Face recognition

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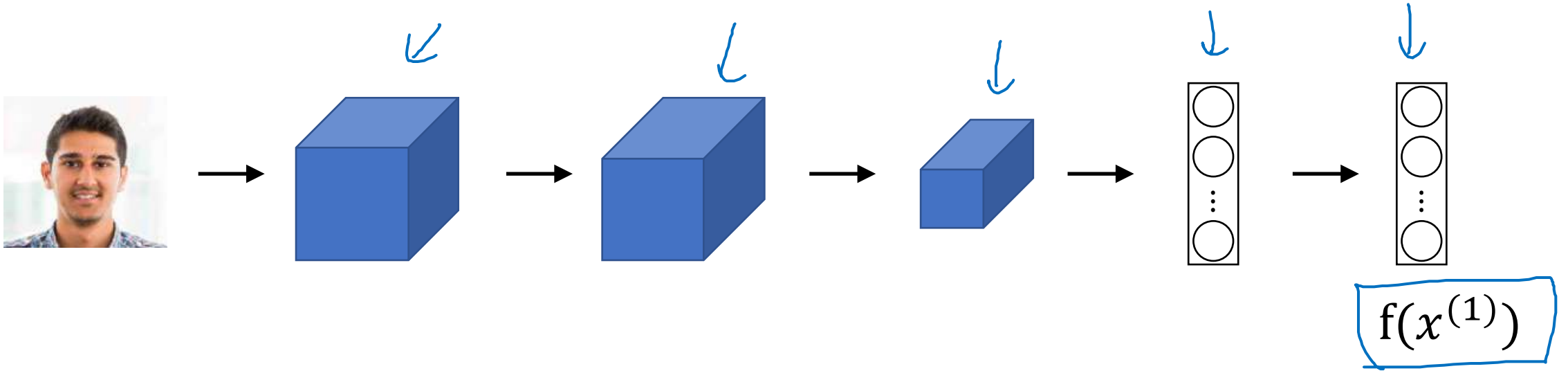
# Siamese network



# Siamese network



# Goal of learning



Parameters of NN define an encoding  $f(x^{(i)})$

128

Learn parameters so that:

If  $x^{(i)}, x^{(j)}$  are the same person,  $\|f(x^{(i)}) - f(x^{(j)})\|^2$  is small.

If  $x^{(i)}, x^{(j)}$  are different persons,  $\|f(x^{(i)}) - f(x^{(j)})\|^2$  is large.



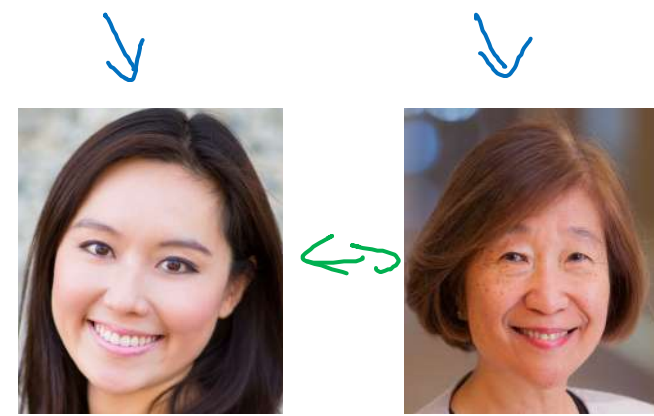
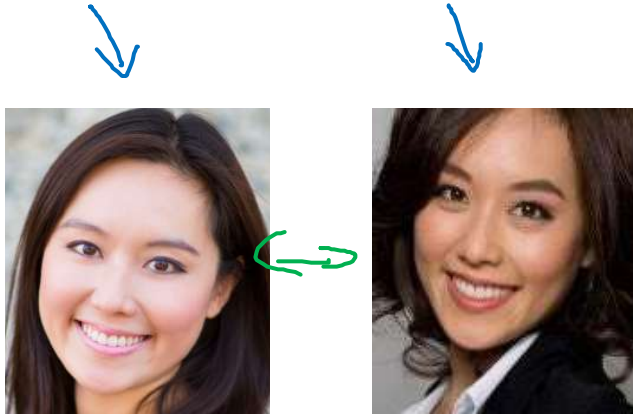
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# Face recognition

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## Triplet loss

# Learning Objective



Anchor

Positive

Anchor

Negative

A

$$d(A, P) = 0.5$$

Want:

$$\underbrace{\|f(A) - f(P)\|^2}_{d(A, P)} + \underline{\alpha} \leq$$

A

$$d(A, N) = \cancel{0.5} \quad 0.7$$

$$\underbrace{\|f(A) - f(N)\|^2}_{d(A, N)}$$

$$\underbrace{\|f(A) - f(P)\|^2}_0 - \underbrace{\|f(A) - f(N)\|^2}_0 + \underline{\alpha} \leq \underline{0} \quad \text{margin}$$

$$f(\text{img}) = \vec{0}$$

# Loss function

Given 3 images

$A, P, N$ :

$$\underline{L(A, P, N)} = \max \left( \underbrace{\|f(A) - f(P)\|^2 - \|f(A) - f(N)\|^2 + \alpha}_{> 0}, 0 \right)$$

$$J = \sum_{i=1}^m L(A^{(i)}, P^{(i)}, N^{(i)})$$

$A, P$   
↑ ↑

Training set: 10k pictures of 1k persons

# Choosing the triplets A,P,N

During training, if A,P,N are chosen randomly,  
 $d(A, P) + \alpha \leq d(A, N)$  is easily satisfied.

$$\|f(A) - f(P)\|^2 + \alpha \leq \|f(A) - f(N)\|^2$$

Choose triplets that're "hard" to train on.

$$\frac{d(A, P) + \alpha}{d(A, P)} \approx \frac{d(A, N)}{d(A, N)}$$

↓                      ↑

Face Net  
Deep Face

# Training set using triplet loss

Anchor



⋮



Positive



⋮



Negative



⋮



$$d(x^{(i)}, x^{(j)})$$



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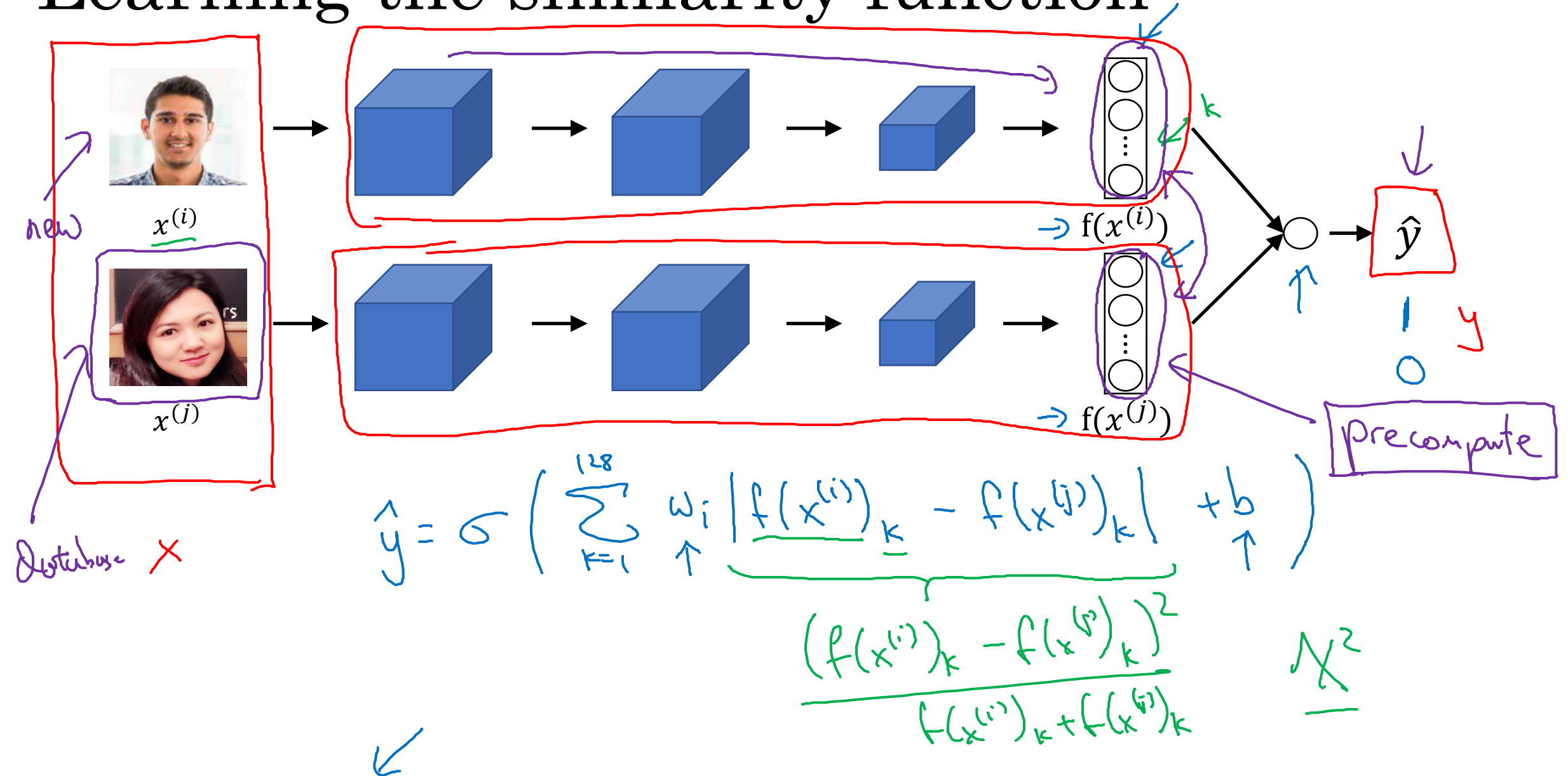
# Face recognition

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## Face verification and binary classification



# Learning the similarity function



# Face verification supervised learning

$x$		$y$	
		1	"Same"
		0	"Different"
		0	
		1	



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# Neural Style Transfer

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What is neural style  
transfer?

# Neural style transfer



Content ( $c$ )



Style ( $s$ )



Generated image ( $G$ )



Content ( $c$ )



Style ( $s$ )



Generated image ( $G$ )



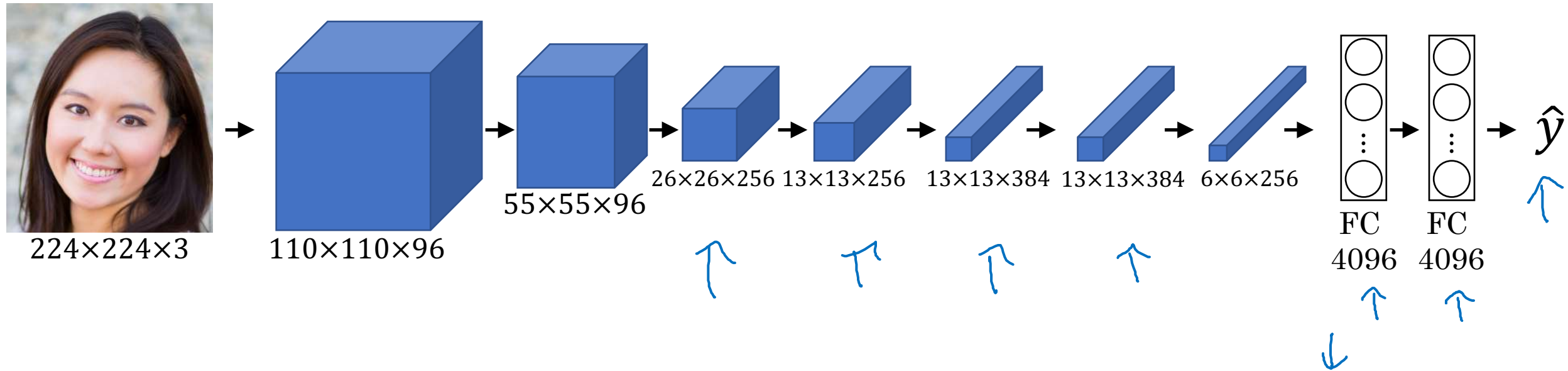
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# Neural Style Transfer

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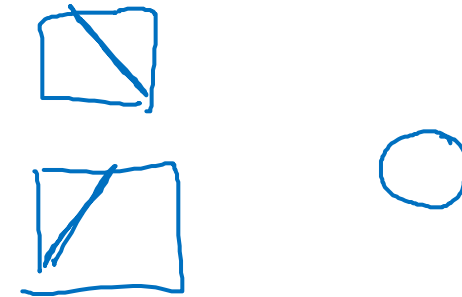
What are deep  
ConvNets learning?

# Visualizing what a deep network is learning



Pick a unit in layer 1. Find the nine image patches that maximize the unit's activation.

Repeat for other units.

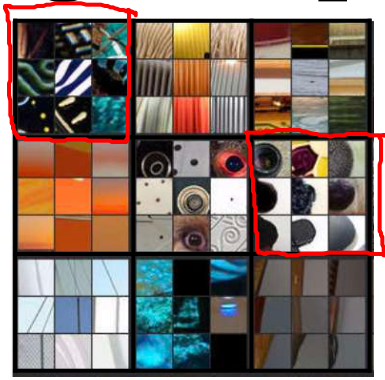




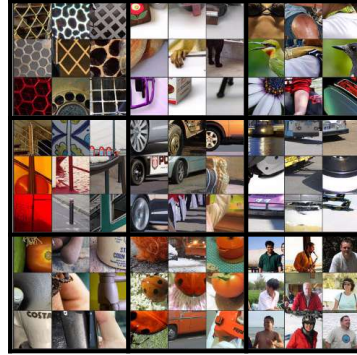
# Visualizing deep layers



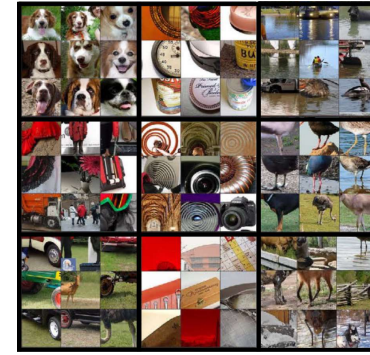
Layer 1



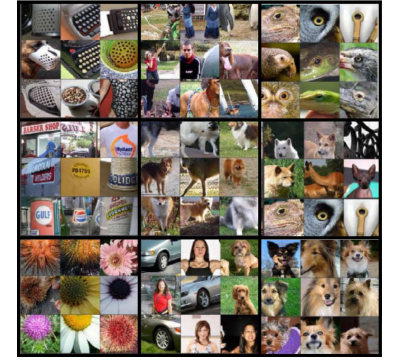
Layer 2



Layer 3

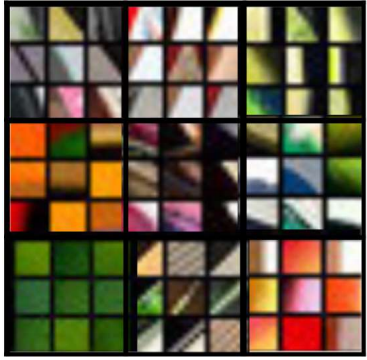


Layer 4



Layer 5

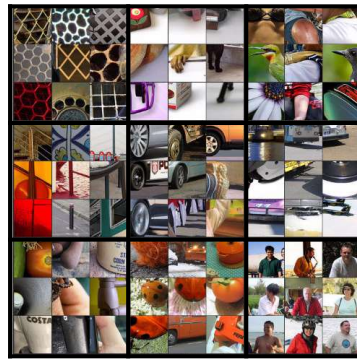
# Visualizing deep layers: Layer 1



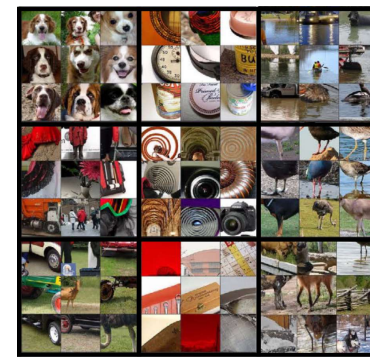
Layer 1



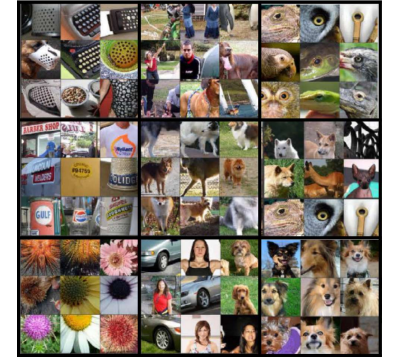
Layer 2



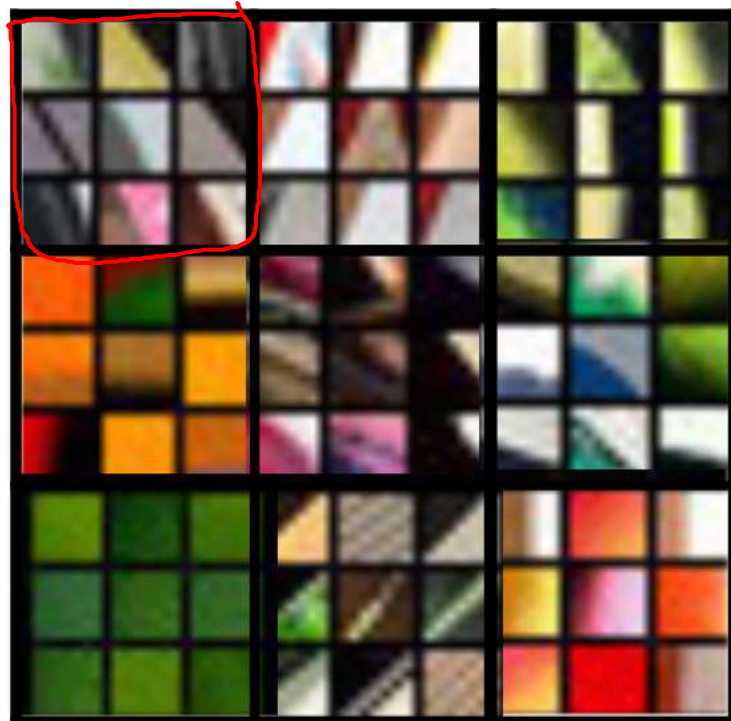
Layer 3



Layer 4



Layer 5





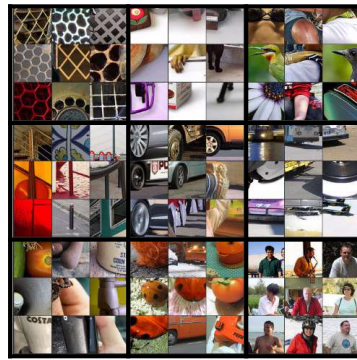
# Visualizing deep layers: Layer 2



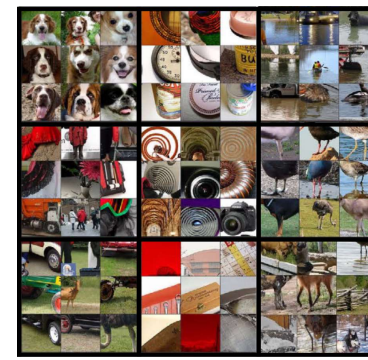
Layer 1



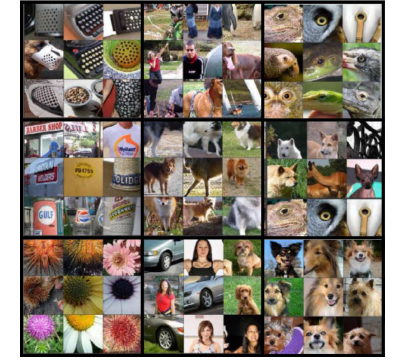
Layer 2



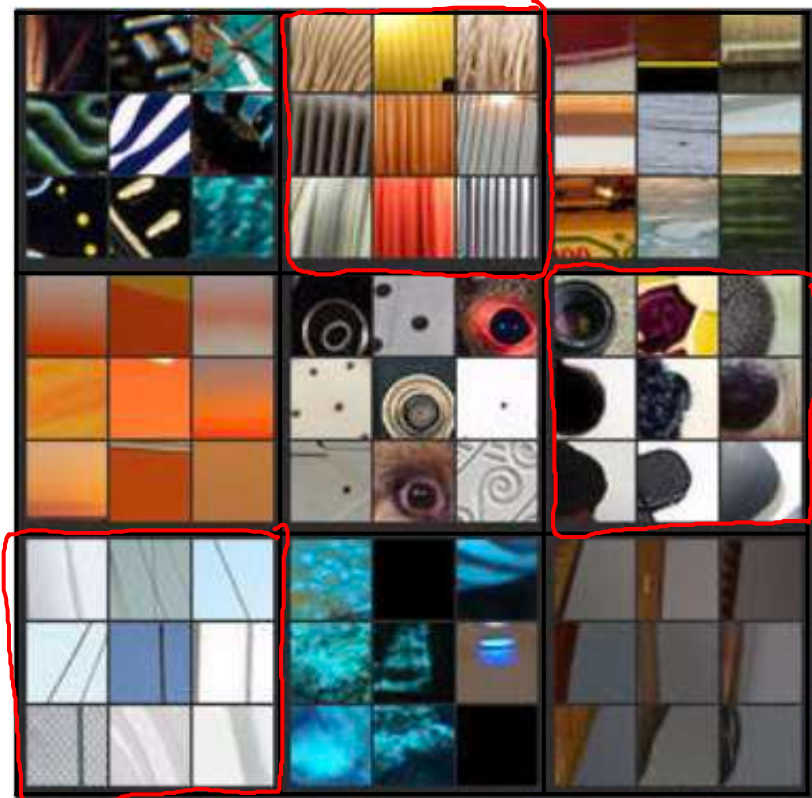
Layer 3



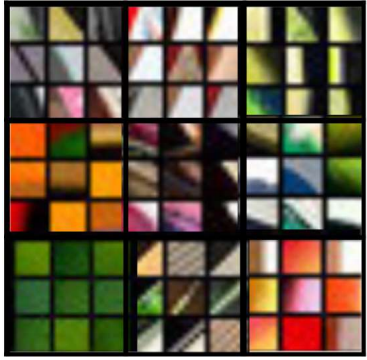
Layer 4



Layer 5



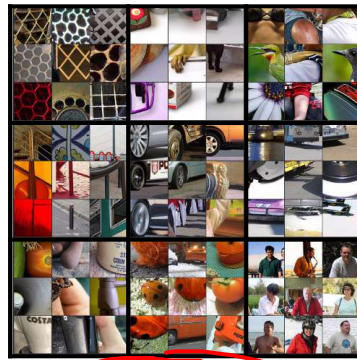
# Visualizing deep layers: Layer 3



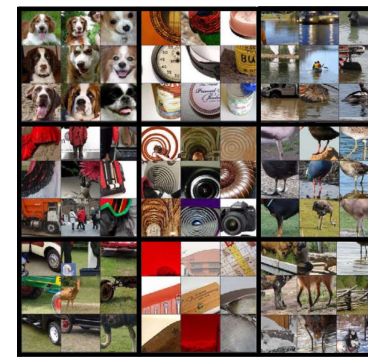
Layer 1



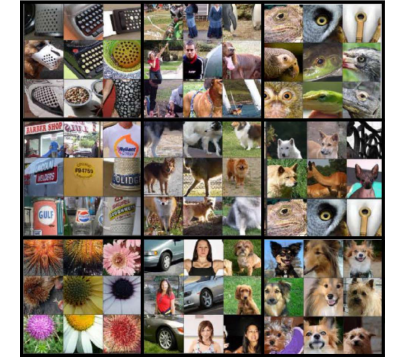
Layer 2



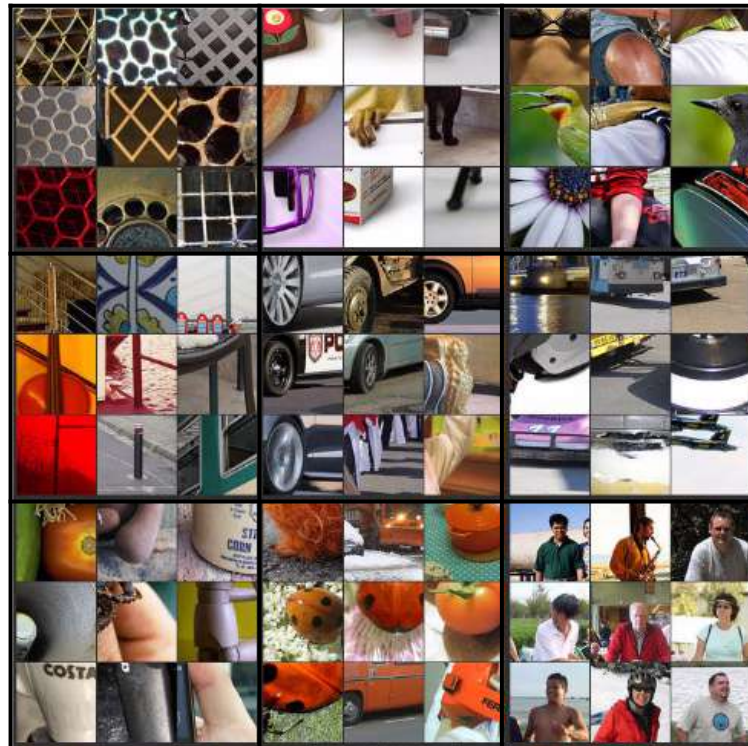
Layer 3



Layer 4

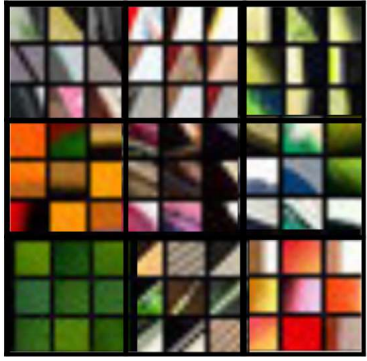


Layer 5

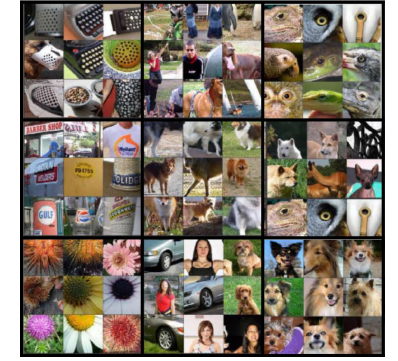
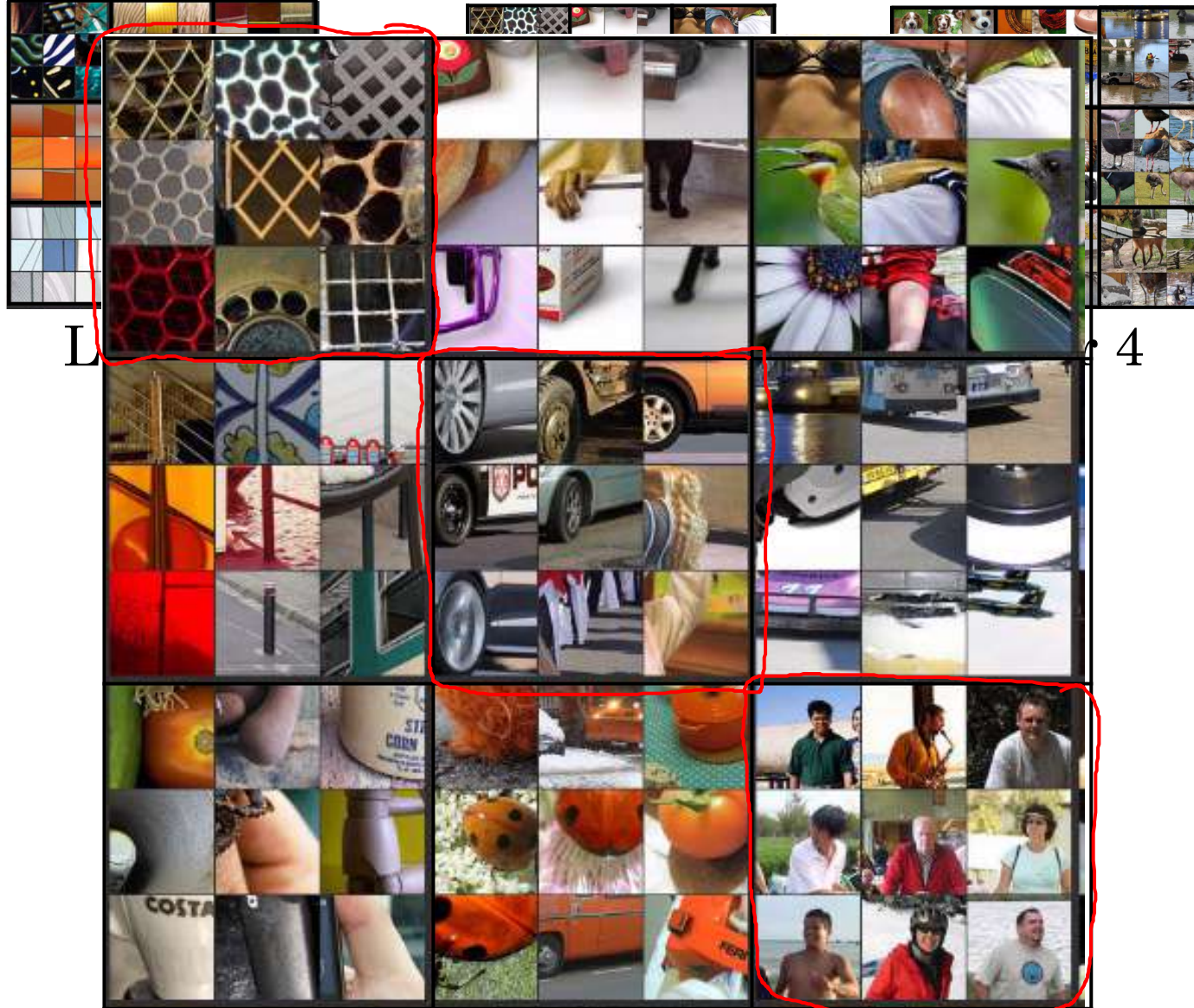




# Visualizing deep layers: Layer 3



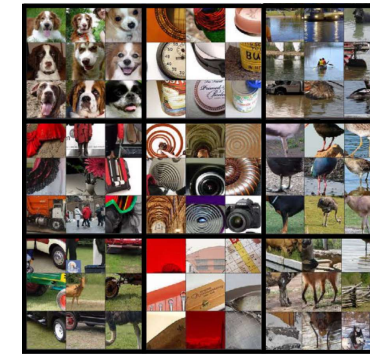
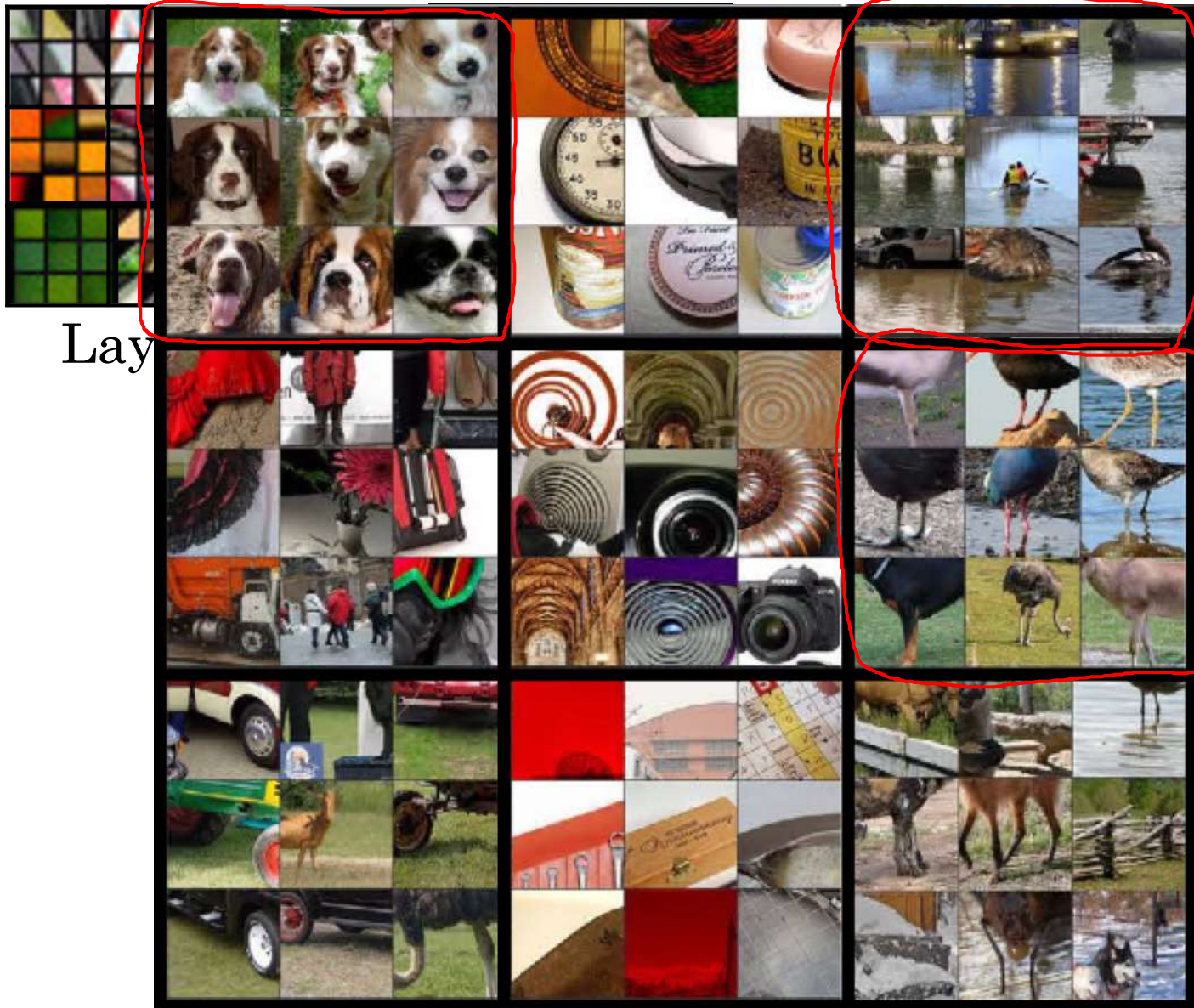
Layer 1



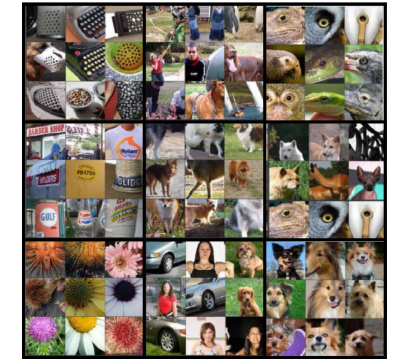
Layer 5



# Visualizing deep layers: Layer 4



Layer 4



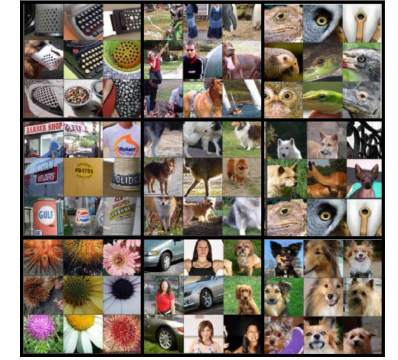
Layer 5



# Visualizing deep layers: Layer 5



Layer 1



Layer 5



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# Neural Style Transfer

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## Cost function

# Neural style transfer cost function



Content C

Style S



Generated image G

$$\mathcal{J}(G) = \alpha \mathcal{J}_{\text{Content}}(C, G) + \beta \mathcal{J}_{\text{Style}}(S, G)$$



# Find the generated image $G$

1. Initiate  $G$  randomly

$G$ :  $100 \times 100 \times 3$

↑  
RGB

2. Use gradient descent to minimize  $J(G)$

$$G := G - \frac{\partial}{\partial G} J(G)$$







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# Neural Style Transfer

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## Content cost function

# Content cost function

$$\underline{J(G)} = \alpha \underline{J_{content}(C, G)} + \beta J_{style}(S, G)$$

- Say you use hidden layer  $l$  to compute content cost.
- Use pre-trained ConvNet. (E.g., VGG network)
- Let  $a^{[l](C)}$  and  $a^{[l](G)}$  be the activation of layer  $l$  on the images
- If  $a^{[l](C)}$  and  $a^{[l](G)}$  are similar, both images have similar content

$$J_{content}(C, G) = \frac{1}{2} \left\| \underbrace{a^{[l](C)}}_{\text{activation of layer } l \text{ on } C} - \underbrace{a^{[l](G)}}_{\text{activation of layer } l \text{ on } G} \right\|^2$$



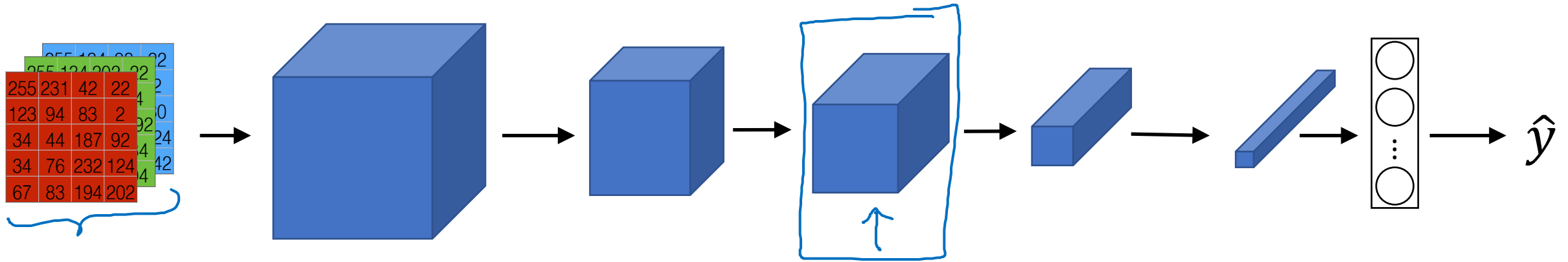
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# Neural Style Transfer

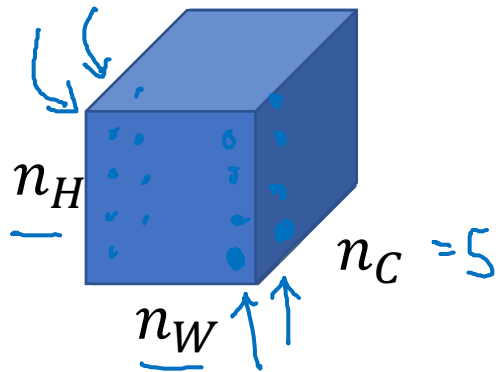
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## Style cost function

# Meaning of the “style” of an image



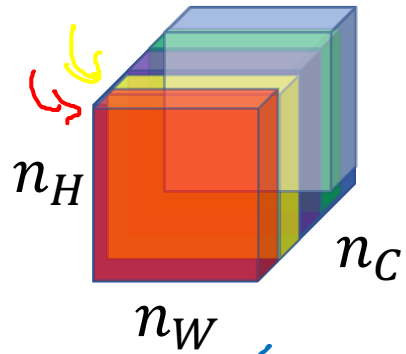
Say you are using layer  $l$ 's activation to measure “style.”  
Define style as correlation between activations across channels.



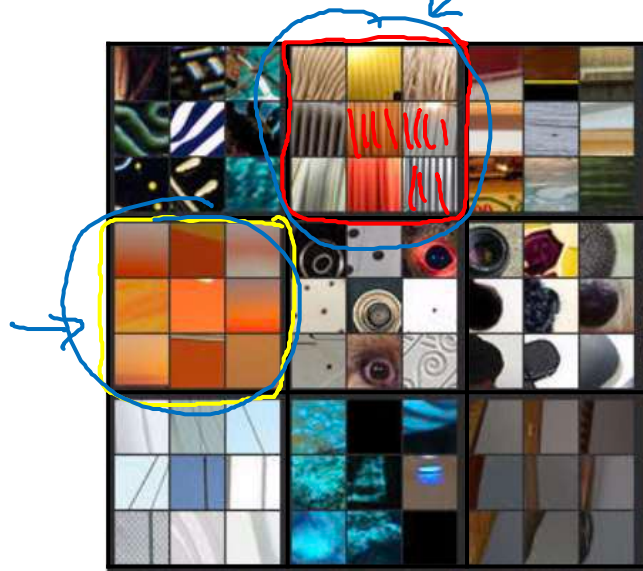
How correlated are the activations  
across different channels?

# Intuition about style of an image

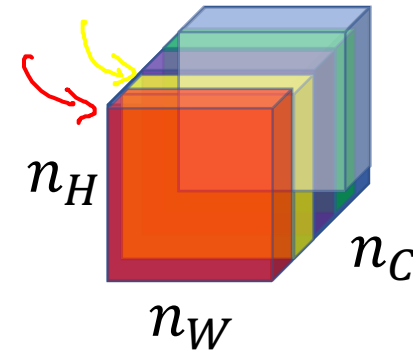
Style image



Correlated?  
Uncorrelated



Generated Image



# Style matrix

Let  $a_{i,j,k}^{[l]}$  = activation at  $(i, j, k)$ .  $G^{[l]}$  is  $n_c^{[l]} \times n_c^{[l]}$

H W C  
↓ ↓ ↙

$n_c$   
 $G_{kk'}^{[l]}$   
↑ ↑  
 $k = 1, \dots, n_c$

$$\begin{aligned} \rightarrow G_{kk'}^{[l](S)} &= \sum_{i=1}^{n_H^{[l]}} \sum_{j=1}^{n_W^{[l]}} a_{ijk}^{[l](S)} a_{ijk'}^{[l](S)} \\ \rightarrow G_{kk'}^{[l](G)} &= \sum_{i=1}^{n_H^{[l]}} \sum_{j=1}^{n_W^{[l]}} a_{ijk}^{[l](G)} a_{ijk}^{[l](G)} \end{aligned}$$

Since  $n_c$  has k no of channels  
The  $G_{kk'}$  is looping over all k's  
summing the activation from one layer to  
all the subsequent and this keeps on going  
until the activations are summed for every k  
in all k layers

Gram matrix

$$\begin{aligned} \beta \uparrow J_{\text{style}}^{[l]}(S, G) &= \frac{1}{(\dots)} \left\| G^{[l](S)} - G^{[l](G)} \right\|_F^2 \\ &= \frac{1}{(2 n_H^{[l]} n_W^{[l]} n_c^{[l]})^2} \sum_k \sum_{k'} (G_{kk'}^{[l](S)} - G_{kk'}^{[l](G)})^2 \end{aligned}$$

# Style cost function

$$\|G^{[l](S)} - G^{[l](G)}\|_F^2$$

$$J_{style}^{[l]}(S, G) = \frac{1}{\left(2n_H^{[l]}n_W^{[l]}n_C^{[l]}\right)^2} \sum_k \sum_{k'} (G_{kk'}^{[l](S)} - G_{kk'}^{[l](G)})^2$$

$$J_{style}(S, G) = \sum_l \lambda_l J_{style}^{[l]}(S, G)$$

$$\min_G J(G) = \alpha J_{content}(G) + \beta J_{style}(S, G)$$



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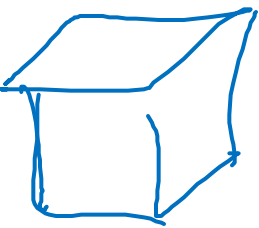
# Convolutional Networks in 1D or 3D

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1D and 3D  
generalizations of  
models



# Convolutions in 2D and 1D



$$14 \times 14 \times \underline{3} * 5 \times 5 \times \underline{3}$$

$$\rightarrow \underline{10 \times 10 \times 16}$$

$$\underline{10 \times 10 \times 16} * \underline{5 \times 5 \times 16}$$

$$\rightarrow \underline{6 \times 6 \times 32}$$

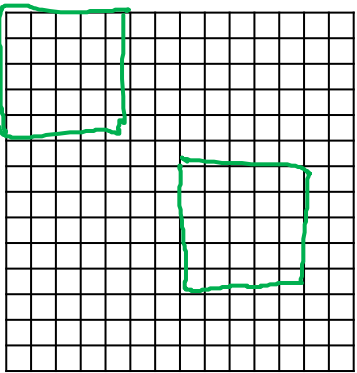
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$$14 \times \underline{1} * 5 \times \underline{1}$$

$$\rightarrow \underline{10 \times 16}$$

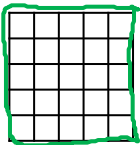
$$\underline{10 \times 16} * \underline{5 \times 16}$$

$$\rightarrow \underline{6 \times 32}$$

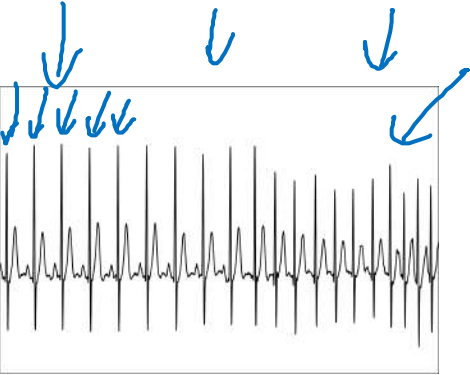


2D input image  
14x14

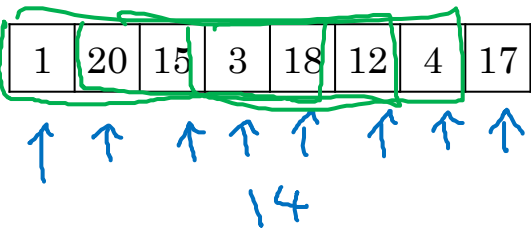
\*



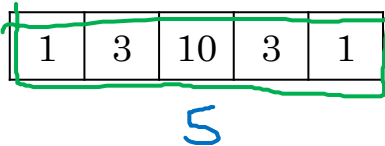
2D filter  
5x5



\*

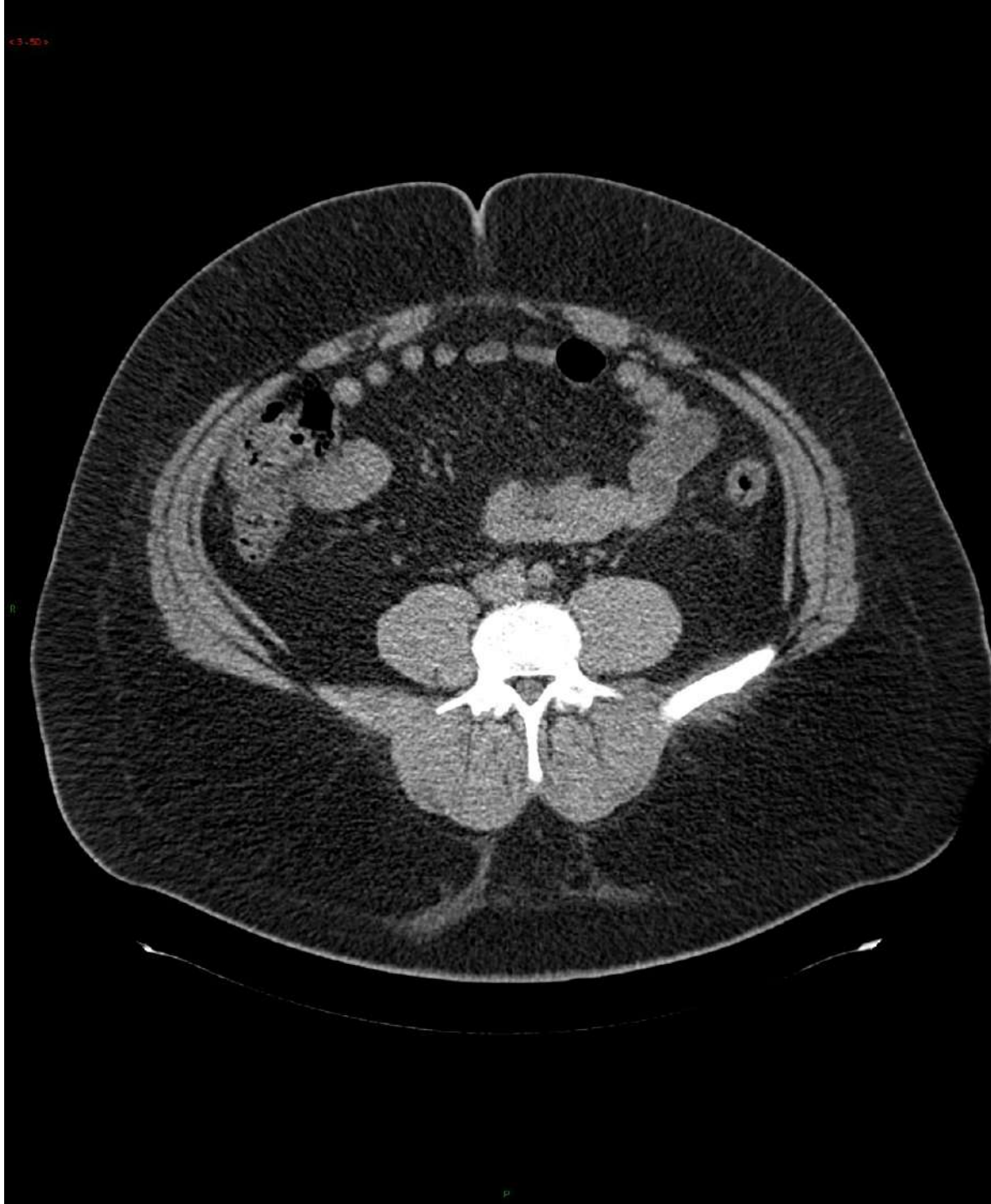


←



←

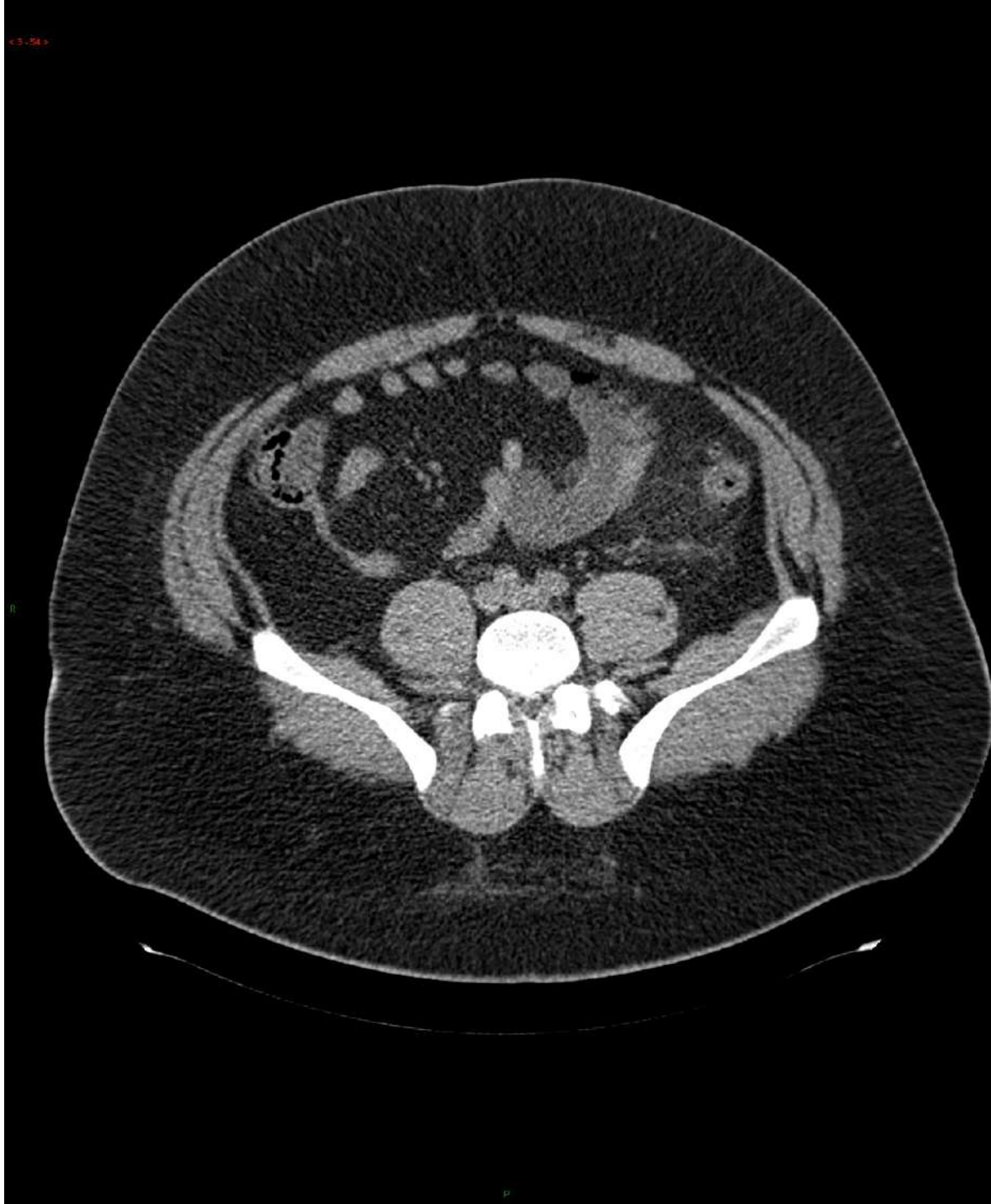
3D data



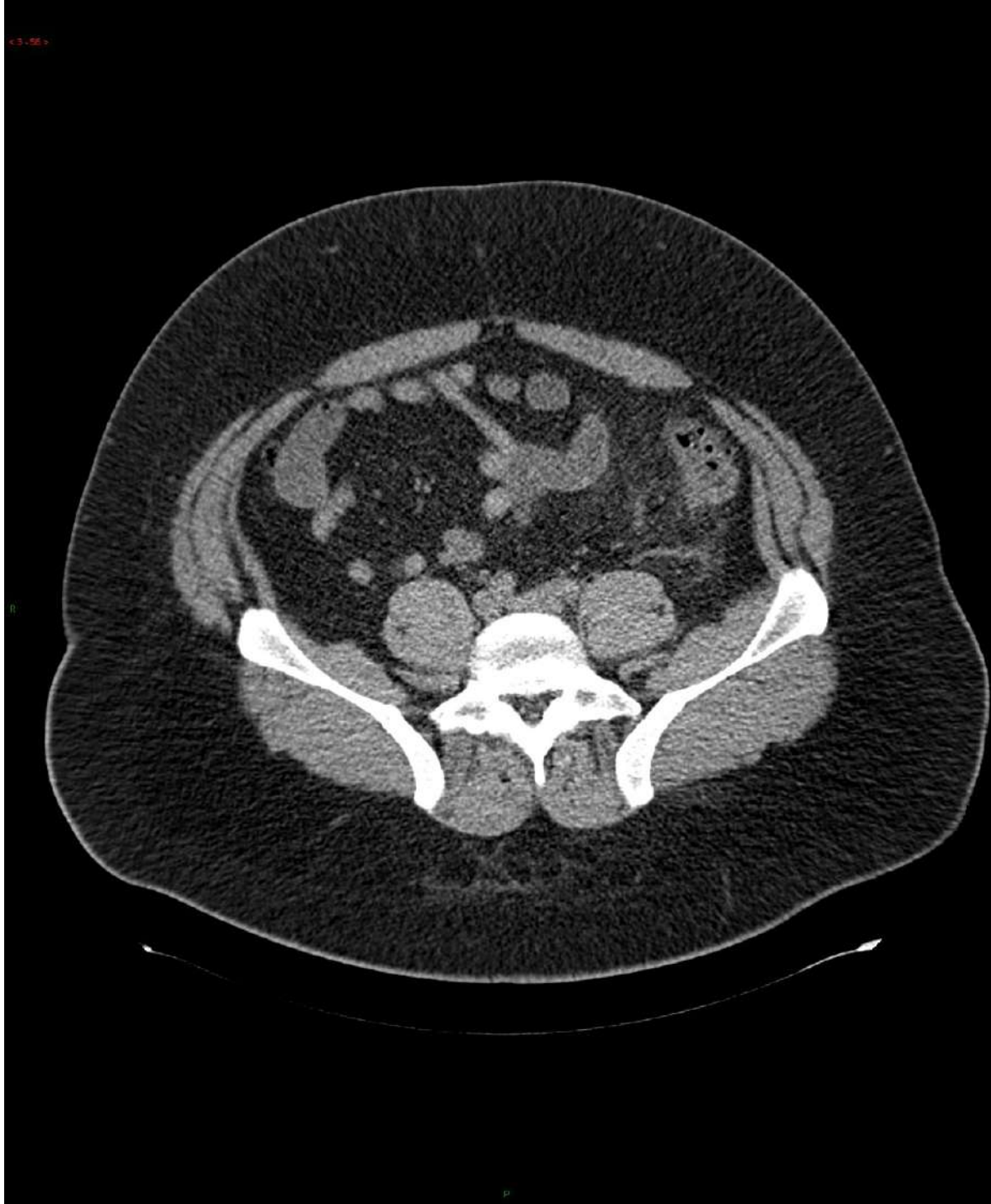
3D data



3D data

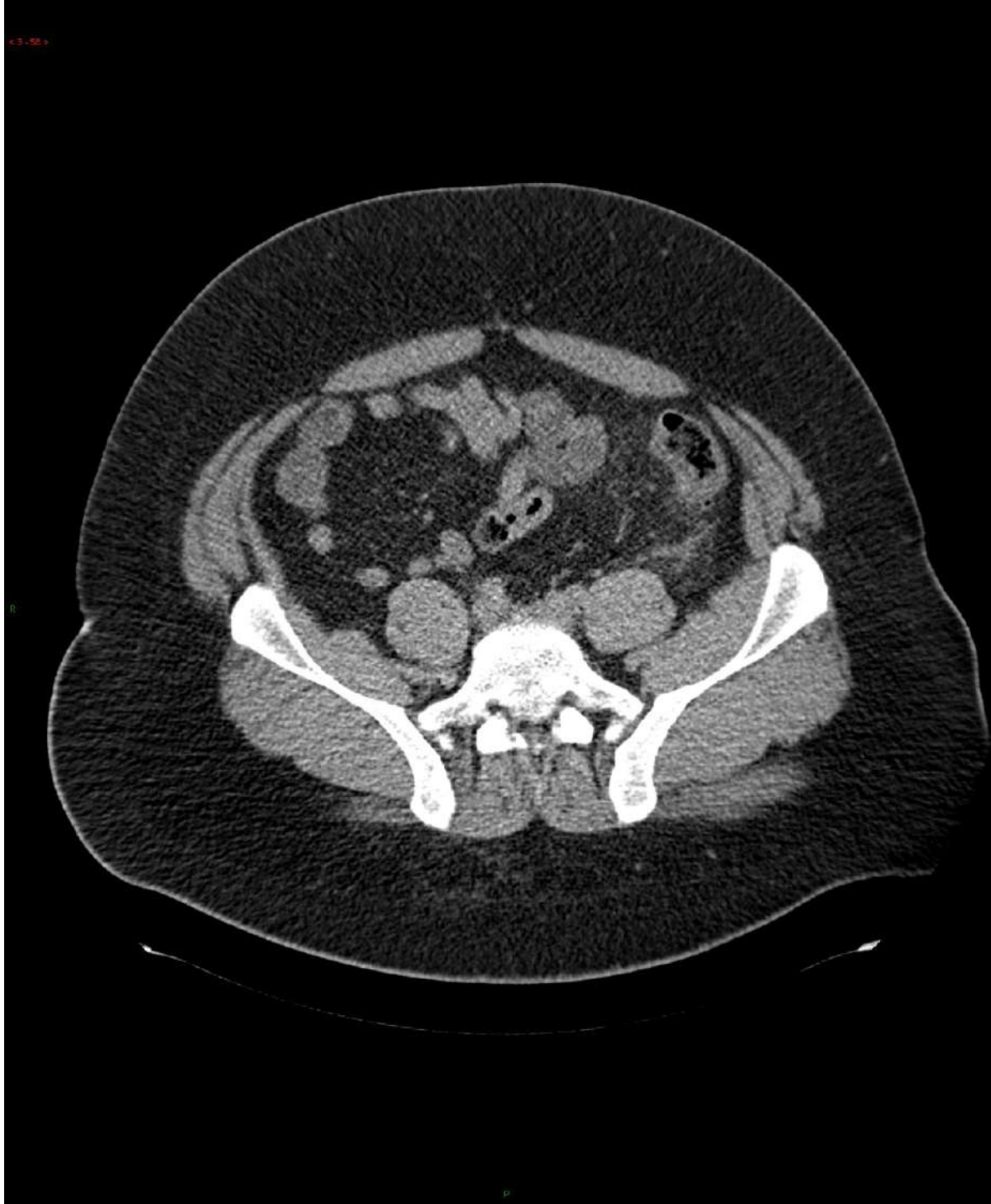


3D data

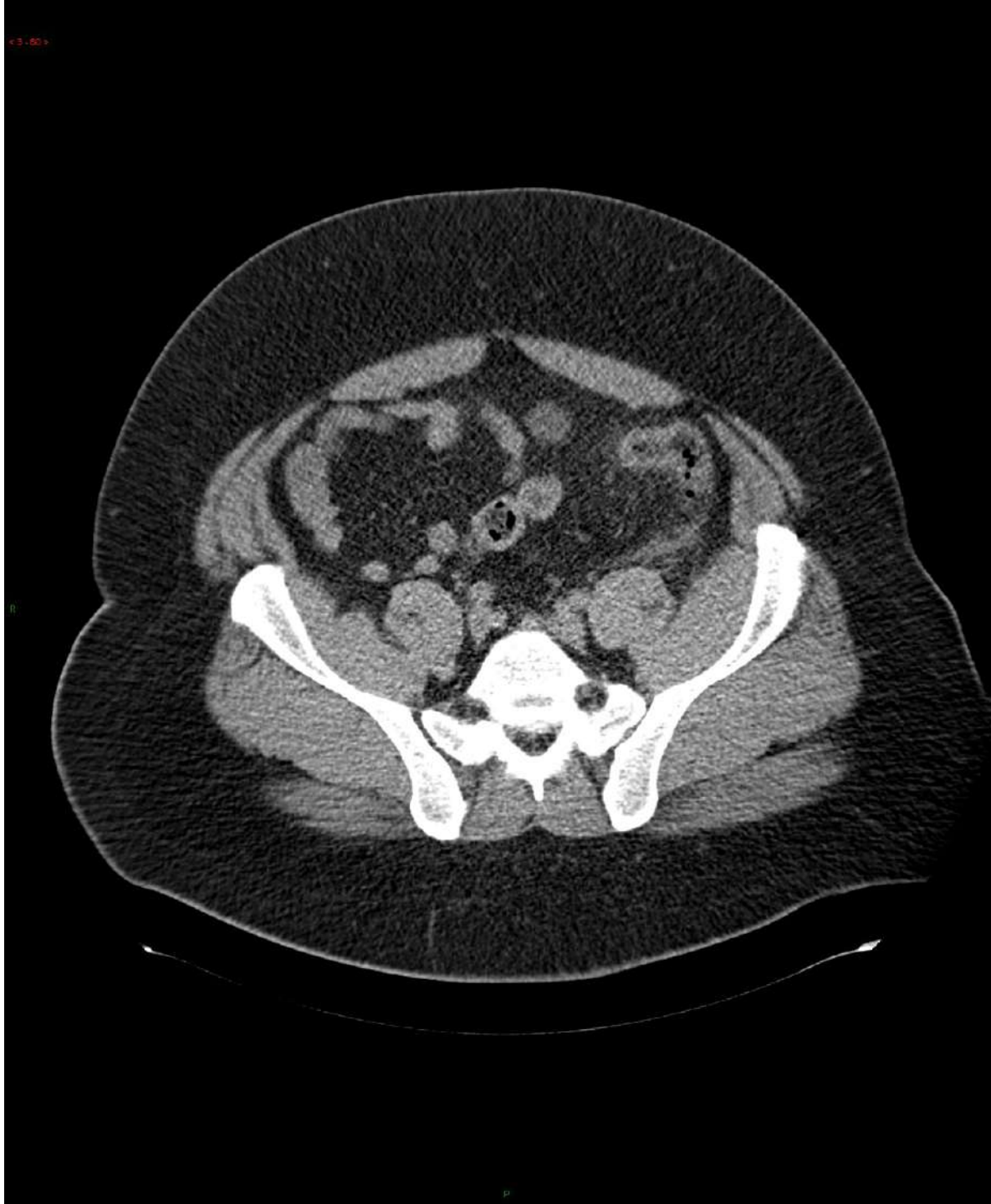




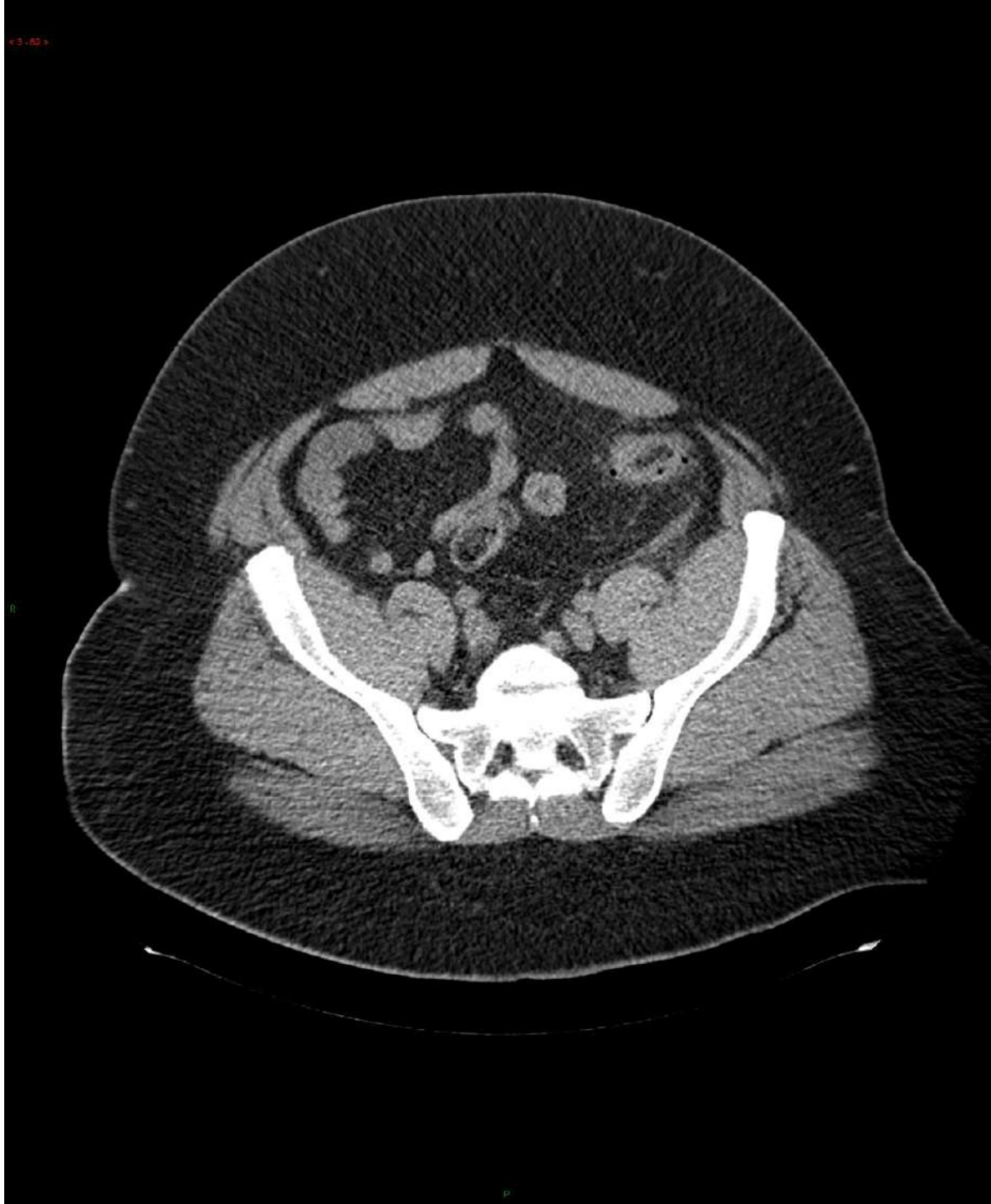
3D data



# 3D data



# 3D data





# 3D data



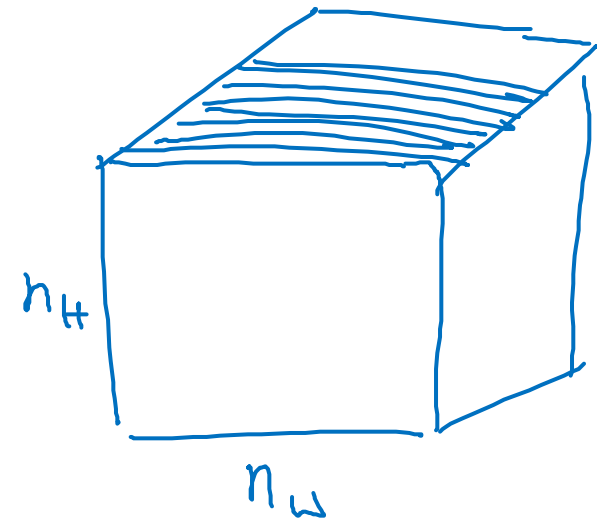
3D data



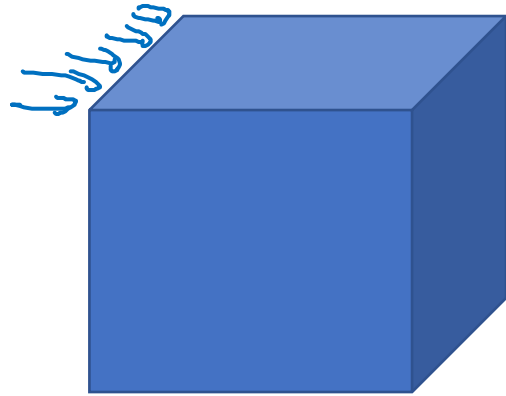
3D data



# 3D data



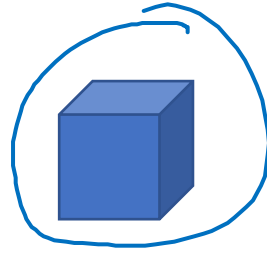
# 3D convolution



3D volume



\*



3D filter

$$\begin{aligned}
 & \begin{array}{cccc} \downarrow & \downarrow & \downarrow & \downarrow^{n_c} \\ \underline{14 \times 14 \times 14} & \times & \underline{1} & \end{array} \\
 & \quad \times \quad \underline{5 \times 5 \times 5 \times 1} \quad 16 \text{ filters} \\
 & \rightarrow 10 \times 10 \times 10 \times \underline{16} \\
 & \quad \times \quad \underline{5 \times 5 \times 5 \times 16} \quad 32 \text{ filters} \\
 & \rightarrow 6 \times 6 \times 6 \times 32
 \end{aligned}$$