Assignment-1

Computational Neuroscience

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a)
$$\frac{d^2y}{dt^2} = \mu(1-y^2)\frac{dy}{dt} + y$$
 Taking
$$\frac{dy}{dt} = x\mu \qquad(1)$$
 The initial equation becomes,
$$\frac{dx}{dt} = (1-y^2)\mu x - \frac{y}{\mu} \qquad(2)$$

These equations are the reduced forms of vdp equation.

- b) Files are attached
 - 2 files are attached, a function along with a script. Open these two in the same directory. To run the file, type vdp in the command window keeping the derive_vdp in the same directory. >> vdp;
- c) ode45 takes more time as compared to ode15s.

function [variables] = deriv vdp(t,vars,mu)

d) We see from the plots that as the value of μ increases, the time taken for the system to reach stability decreases. The figures have the value of μ written on the top. The phase plot becomes sharper as the value of μ increases.

To solve the ode:

```
variables=[vars(2)*mu; (1-vars(1)^2)*vars(2)*mu-(vars(1)/mu)];
Simulation:
mu = [0.1 \ 1 \ 100];
tic
for i=1:length(mu)
    [t,vars]=ode45(@(t,vars) deriv vdp(t,vars,mu(i)),[0 500],[1,0]);
    plot(vars(:,1), vars(:,2));
    title(mu(i));
end
toc
tic
for i=1:length(mu)
    [t,vars]=ode15s(@(t,vars) deriv vdp(t,vars,mu(i)),[0 500],[1,0]);
    plot(vars(:,1), vars(:,2));
    title(mu(i));
end
toc
```