

Q. Facts, Fubby is a cat. Fubby has black spots.
 Figaro is a dog. Figaro has white spots.

Rules: Mary owns a pet if it is a cat and it has black spots.

If someone owns something, he loves it.

Implement the rule base in SWI Prolog

Algorithm /

Flow Chart :-

- (i) Identify Fubby as cat
- (ii) Identify Figaro as dog
- (iii) Then Fubby has black spots
- (iv) Figaro has white spots.
- (v) Identify Mary owns a cat or a dog
- (vi) Then check if it is a cat it has black spots
- (vii) If Mary owns that she loves that

Programme listing :-

cat (fubby),
 dog (figaro),
 spot (fubby, black),

spot (figure, white),

owns (mary, Y) :-

cat(Y), spot(Y, Z), Z = black.

loves (X, Y) :- owns (X, Y),

Output :-

cat(X) \rightarrow X = fluffy

spot(fluffy, X) \rightarrow X = black

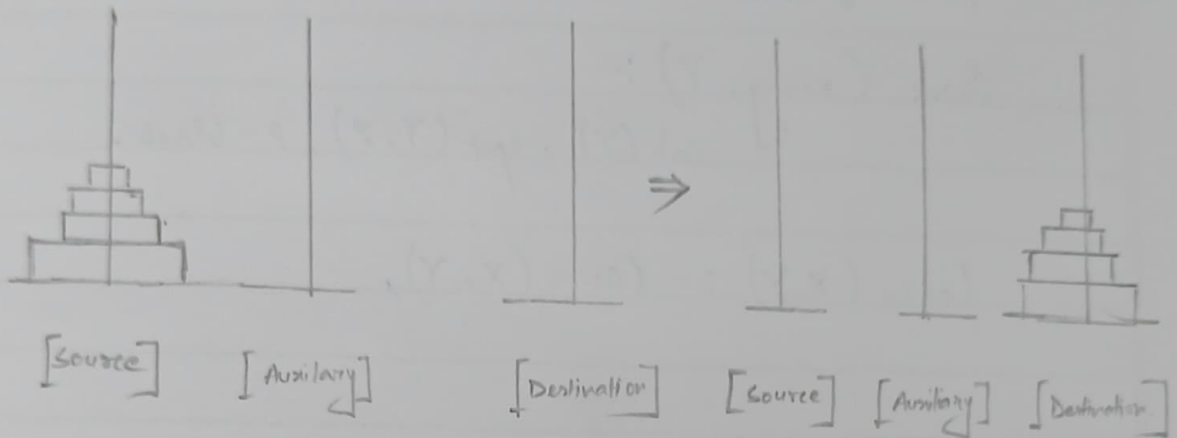
spot(figure, X) \rightarrow X = white.

owns(mary, fluffy) \Rightarrow True.

loves(mary, Y) \Rightarrow Y = fluffy

Tower of Hanoi

Source to Destination Conversion.



Output of Python Programme :-

for - $n = 3$

- Move disk 1 from pole A to pole C
- Move disk 2 from pole A to pole B
- Move disk 1 from pole C to pole B
- Move disk 3 from pole A to pole C
- Move disk 1 from pole B to pole A
- Move disk 2 from pole B to pole C
- Move disk 1 from pole A to pole C.

Expt No.

Q. Implement the Tower of Hanoi using SWI prolog & python?

→ Algorithm :-

- (i) Move $n-1$ disks from source to auxiliary
- (ii) Move the n^{th} disk from source to destination
- (iii) Move $n-1$ disks from auxiliary to destination.

START \Rightarrow Procedure TOH (disk, source, dest, aux)
 IF (disk == 1), Then, move disk from source to destination
 ELSE, TOH (disk-1, source, dest, aux, dest)
 move Disk (source to dest)
 TOH (disk-1, aux, dest, source)
 END IF, END Procedure
 \Downarrow
 Stop

Program Listing :-

[Tower of Hanoi implementation in Python]

```
1. def toh (n, source, dest, aux)
    if (n==1): print (" Move disk 1 from tower", source, " to tower", dest)
               return
    toh (n-1, source, aux, dest)
    print (" Move disk", n, " from", source, " to", dest)
    toh (n-1, aux, dest, source)
n = 6/2/2/3/...
toh (n, 'A', 'B', 'C')
```


[Tower of Hanoi implementation in Prolog]

move (1, X, Y, -) :-

write('Move top disk from'), write(X), write(' to '), write(Y), nl.

move (N, X, Y, Z)

N > 1

N is N-1

move (N, X, Z, Y)

move (1, X, Y, -)

move (N, Z, X, Y)

Output :-

[PROLOG]

1? → move (4, source, target, Aux) | Move disk from source to aux

move top disk from source to Aux | move disk from source to target

move disk from source to target - | move disk from aux to target

move disk from aux to target.

move disk from source to aux

move disk from target to source

move disk from target to aux.

move disk from source to aux

Move disk from source to target

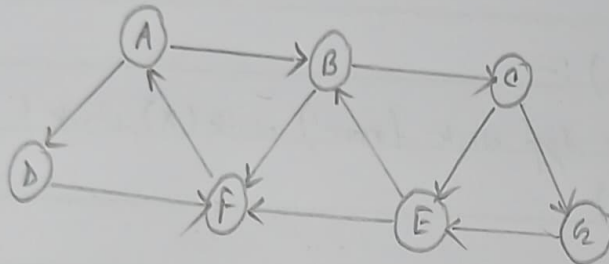
move disk from aux to target -

move disk from Aux to source

move disk from Aux target to source

Move disk from aux to target

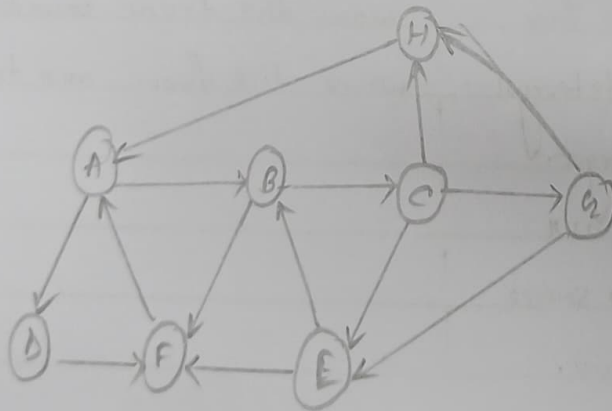
BFS (Breath First Search)



Adjacency Lists

A : B, D
 B : C, F
 C : E, G2
 D : F
 E : F
 F : A
 G2 : E

DFS (Depth First Search)



Adjacency Lists

A : B, D
 B : C, F
 C : E, G2, H
 D : F
 E : B, F
 F : A
 G2 : E, H
 H : A

8. Implement BFS & DFS using Python.

Algorithm \rightarrow
BFS \rightarrow

Step 1 \rightarrow Set status = 1 for each node in G.

Step 2 \rightarrow Enqueue the starting node A and set its status = 2 (Waiting state)

Step 3 \rightarrow Repeat steps 4 & 5 until Queue Empty

Step-4 \rightarrow Dequeue a node N, Process it and set its status = 3

Step-5 \rightarrow Enqueue all the neighbours of N that are in the ready state (whose status = 1) and set their status = 2
 [End of loop]

Step-6 \rightarrow Exit

[DFS] \rightarrow Step 1) Set status = 1 (ready state) for each node in G
 Step-2) Push the starting node A on the stack and set its status = 2 (Waiting state)

Step-3) Repeat steps 4 & 5 until Stack is empty.

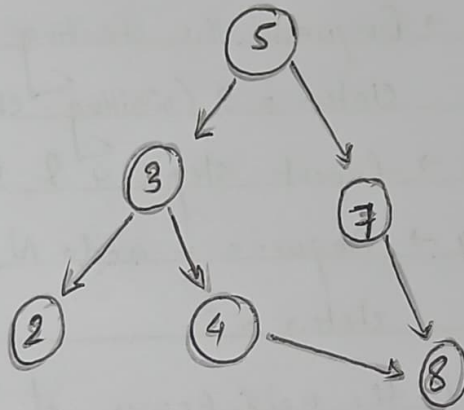
Step-4) Pop the top node N, process it and set its status = 3 (Processed step)

Step 5) Push on the stack all the neighbours of N that are in the ready state (whose status = 1) and set their status = 2

[End of loop]

Step-6 \rightarrow Exit.

[Given]



[Solve using BFS]

Programme Listing :-

```
[BFS] → graph = {
    '5' : ['3', '4'],
    '3' : ['2', '4'],
    '4' : ['8'],
    '2' : [],
    '4' : ['8'],
    '8' : [] }
```

```
visited = []
```

```
queue = []
```

```
def bfs ( visited, graph, node):
```

```
    visited.append (node)
```

```
    queue.append (node)
```

```
    while queue :
```

```
        n = queue.pop(0)
```

```
        print (n, end = " ")
```

```
        for neighbour in graph [n]:
```

```
            if neighbour not in visited :
```

```
                visited.append (neighbour)
```

```
                queue.append (neighbour)
```

```
print (print " Following is B.F.S")
```

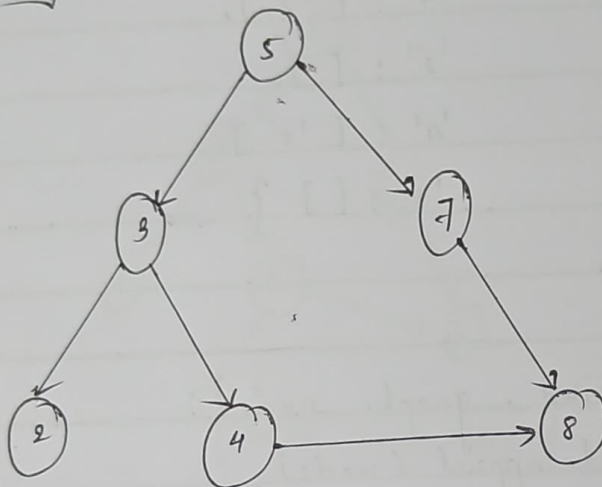
```
bfs (visited, graph, '5')
```

Output : Following is B.F.S

5 3 4 2 4 8

Teacher's Signature.....

[Coiner]



Solve this with DFS \Rightarrow

[DFS] \Rightarrow graph = {
 '5' : ['3', '7'],
 '3' : ['2', '4'],
 '7' : ['8'],
 '2' : [],
 '4' : ['8'],
 '8' : [] }

visited = set()

```
def dfs(visited, graph, node):  
    if node not in visited:
```

```
        print(node)
```

```
        visited.add(node)
```

```
        for neighbour in graph[node]:
```

```
            dfs(visited, graph, neighbour)
```

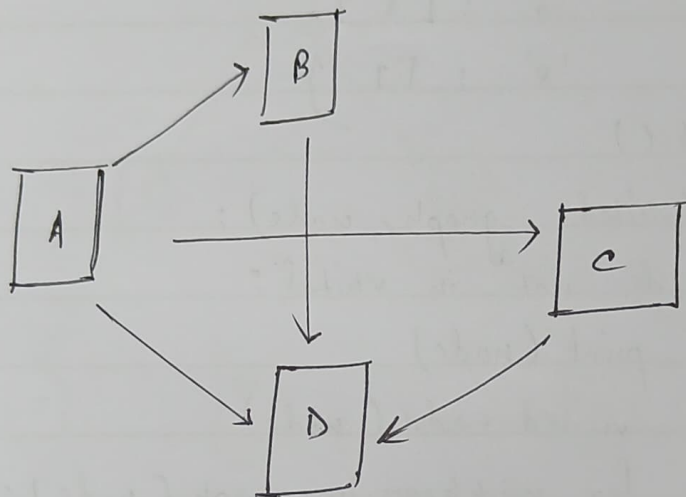
```
print("Following is DFS")
```

```
dfs(visited, graph, '5')
```

Output :- Following is DFS

5 3 2 4 8 7

[Circuit graph]



Solve using A* Algorithm.

Q. Implementation of A^* Algorithm.

→ [Algorithm] :-

- <Step-i> Place the starting node in the OPEN list.
- <Step-ii> Check if the open list is empty or not. If the list is empty then return failure and stop.
- <Step-iii> Select the node from the "open" list which has the smallest value of evaluation function ($g+h$), if node is goal node then return success and stop. Otherwise.
- <Step-iv> Expand Node n and generate all its successors, and put n into the closed list for each successor n' , check whether n' is already in the 'open' or 'closed', then if ^{not then} ~~it~~ should be attached to the back pointer which reflects the lowest evaluation function for n' and place into open list.
- <Step-v> Else if node n' is already in 'Open' and 'closed', then it should be attached to the back pointer which reflects the lowest $g(n')$ value.
- <Step-vi> : Return to Step-2

[Program Listing] →

from collections import deque

class Graph:

def __init__(self, adjac-list):

self.adjac-list = adjac-list

Expt No.

```
def get_neighbours (self, v):
    return self.adjac_list[v]
```

```
def h (self, n):
```

```
    H = {
        'A' : 1,
        'B' : 1,
        'C' : 1,
        'D' : 1
    }
```

```
    return H[n]
```

```
def a_star_algorithm (self, start, stop):
```

```
    open_list = set([start])
```

```
    closed_list = set([])
```

```
    pao = {}
```

```
    pao[start] = start
```

```
    while len(open_list) > 0:
```

```
        n = None
```

```
        for v in open_list:
```

```
            if n == None or pao[v] + self.h(v) < pao[n] + self.h(n):
```

```
                n = v
```

```
        if n == None:
```

```
            print('Path doesnot exist')
```

```
            return n
```

```
        if n == stop
```

```
            reconst_path = []
```

```
            while pao[n] != n:
```

Teacher's Signature.....

Output :-

Input \rightarrow
(Before the code)

adjac-list = {
 'n' : [('B', 1), ('c', 3), ('D', 7)],
 'B' : [('D', 5)],
 'a' : [('D', 12)] }

graph1 = Graph(adjac-list)

graph1.a-star-algorithm('A', 'D')

Output \rightarrow

path found : ['A', 'B', 'D']


```

reconst-path.append(n)
n = parent[n]
reconst-reconst = path.append(steval)
reconst-path.reverse()
print('path found: {}'.format(reconst-path))
return reconst-path

for (n, weight) in self.get_neighbours(n):
    if n not in open-list and n not in closed-list:
        open-list.add(n)
        parent[n] = n
        pcc[n] = pcc[n] + weight
    else:
        if pcc[n] > pcc[n] + weight:
            pcc[n] = pcc[n] + weight
            parent[n] = n
            if n in closed-list: remove(n)
            closed-list.remove(n)
            open-list.add(n)

open-list.remove(n)
closed-list.add(n)
Print('Path doesnot exist')
return None

```



```

reconst-path.append(n)
n = par[n]
reconst-reconst = path.append(steril)
reconst-path.reverse()
print('path found: {}'.format(reconst-path))
return reconst-path

for (n, weight) in self.get_neighbours(n):
    if n not in open-list and n not in closed-list:
        open-list.add(n)
        par[n] = n
        pos[n] = pos[n] + weight
    else:
        if pos[n] > pos[n] + weight:
            pos[n] = pos[n] + weight
            par[n] = n
            if n in closed-list: remove(n)
            closed-list.remove(n)
            open-list.add(n)

open-list.remove(n)
closed-list.add(n)
Print('Path does not exist')
return None

```

Implementation of Greedy Algorithm using Python.

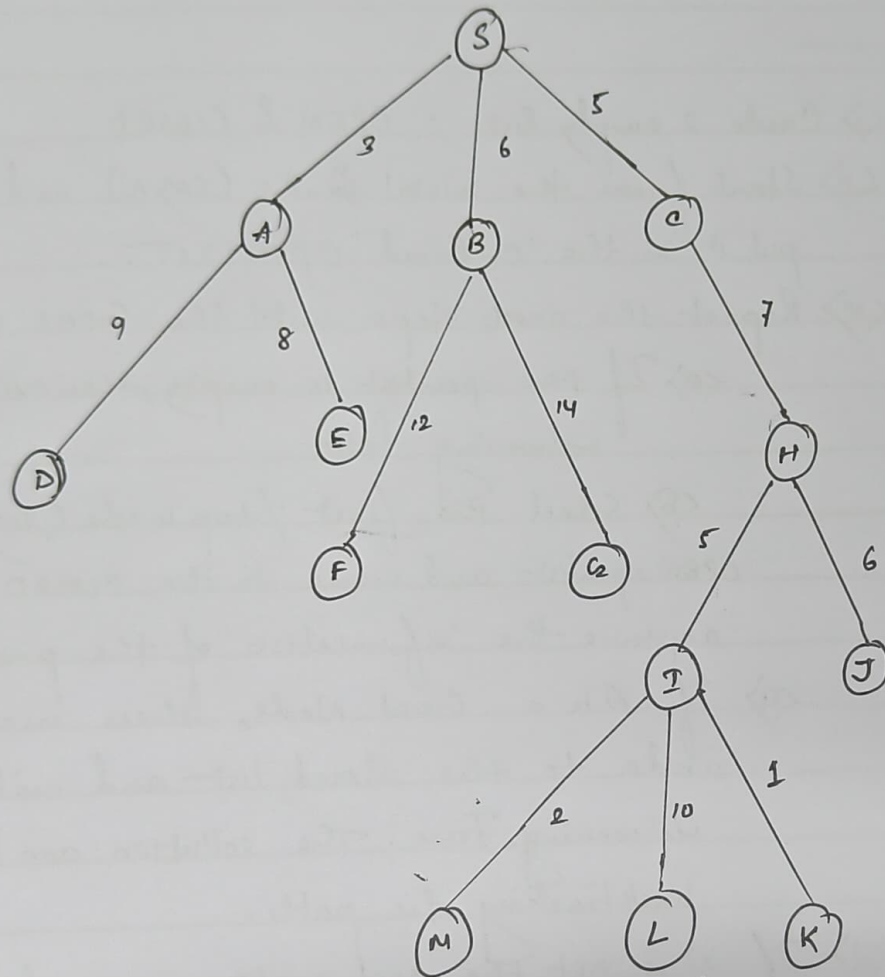
→ Best first Search. (Informed Search).

[Algorithm]:—

- (i) Create 2 empty lists: OPEN & CLOSED
- (ii) Start from the initial node (say N) and put it in the 'Ordered' OPEN LIST.
- (iii) Repeat the next steps until the GOAL node is reached
 - (a) If the openlist is empty, then exit the loop returning False.
 - (b) Select the first/top node (say N) in the OPEN openlist and move to the CLOSED list also capture the information of the parent node.
 - (c) If N is a Goal Node, then move the node to the closed list and exit the loop returning True. The solution can be found by backtracking the path.
 - (d) If N is not the goal node, expand node N to generate the *intermediate* "immediate" next node linked to the N and add all those to the OPEN list.
- (e) Reorders the nodes to OPEN list in ascending order according to an evaluation function.

The time complexity of this Algo is $\Rightarrow O(n^* \log n)$

Illustration ←



[Programme Listing]

from queue import PriorityQueue

V = 14

graph = [[] for i in range(V)]

def best_first_search(actual_sre, target, n):

visited = [False] * n

pq = PriorityQueue()

pq.put((0, actual_sre))

visited[actual_sre] = True

while pq.empty() == False:

u = pq.get()[1]

print(u, end = " ")

if u == target:

break

for v, e in graph[u]:

if visited[v] == False:

visited[v] = True

pq.put((e, v))

print()

def add_edge(x, y, cost):

graph[x].append((y, cost))

graph[y].append((x, cost))

add_edge(0, 1, 3)

addedge(0, 2, 6)

addedge(0, 3, 5)

addedge(1, 4, 9)

addedge(1, 5, 8)

addedge(2, 6, 12)

addedge(2, 7, 14)

addedge(3, 8, 7)

addedge(5, 5, 9)

addedge(8, 10, 6)

addedge(9, 11, 1)

addedge(9, 12, 10)

addedge(9, 13, 2)

source = 0

target = 9

best_first_search(source, target, v)

[Output] :-

dis \Rightarrow 0 1 3 2 8 9