# 852. Peak Index in a Mountain Array

Let's call an array arr a mountain if the following properties hold:

```
• arr.length >= 3
```

• There exists some [i] with [0 < i < arr.length - 1] such that:

```
o [arr[0] < arr[1] < ... arr[i-1] < arr[i]
```

```
\circ [arr[i] > arr[i+1] > ... > arr[arr.length - 1]
```

Given an integer array arr that is **guaranteed** to be a mountain, return any i such that arr[0] < arr[1] < ... arr[i - 1] < arr[i] > arr[i + 1] > ... > arr[arr.length - 1].

# Example 1:

**Input:** arr = [0,1,0]

Output: 1

#### Example 2:

**Input:** arr = [0,2,1,0]

Output: 1

#### Example 3:

**Input:** arr = [0,10,5,2]

Output: 1

## Example 4:

**Input:** arr = [3,4,5,1]

Output: 2

## Example 5:

**Input:** arr = [24,69,100,99,79,78,67,36,26,19]

Output: 2

```
def peakIndexInMountainArray(self, arr: List[int]) -> int:
    return arr.index(max(arr))

#Second Approach(logN)
# lo = 0
```

```
# n = len(arr)
# hi = n-1
# while lo<=hi:
# mid = lo+(hi-lo)//2
# prev = (mid-1+n)%n
# nextt = (mid+1+n)%n
# if arr[mid] > arr[nextt] and arr[mid] > arr[prev]:
# return mid
# elif arr[mid] > arr[mid+1]:
# hi = mid-1
# elif arr[mid] < arr[mid+1]:
# lo = mid +1</pre>
```