## 1049. Last Stone Weight II

You are given an array of integers stones where stones[i] is the weight of the i<sup>th</sup>stone.

We are playing a game with the stones. On each turn, we choose any two stones and smash them together. Suppose the stones have weights x and y with x <= y. The result of this smash is:

- If x == y, both stones are destroyed, and
- If x = y, the stone of weight x is destroyed, and the stone of weight y has new weight y x.

At the end of the game, there is **at most one** stone left.

Return *the smallest possible weight of the left stone*. If there are no stones left, return 0.

## Example 1:

```
Input: stones = [2,7,4,1,8,1]
Output: 1
Explanation:
We can combine 2 and 4 to get 2, so the array converts to [2,7,1,8,1]
then,
we can combine 7 and 8 to get 1, so the array converts to [2,1,1,1] then,
we can combine 2 and 1 to get 1, so the array converts to [1,1,1] then,
we can combine 1 and 1 to get 0, so the array converts to [1], then that's
the optimal value.
```

## Example 2:

```
Input: stones = [31,26,33,21,40]
Output: 5
```

## Example 3:

```
Input: stones = [1,2]
Output: 1
```

```
import sys
class Solution:
   def lastStoneWeightII(self, stones: List[int]) -> int:
        m = sum(stones)
```

```
n = len(stones)
dp = [[False]*(m+1) for i in range(n+1)]
for i in range(n+1):
    for j in range(m+1):
        if i==0 and j==0:
            dp[i][j] = True
        elif i==0 and j!=0:
            dp[i][j]=False
        elif j==0:
            dp[i][j]=True
        else:
            tar = stones[i-1]
            if j-tar>=0:
                dp[i][j] = dp[i-1][j] \text{ or } dp[i-1][j-tar]
            else:
                dp[i][j] = dp[i-1][j]
stone = sys.maxsize
for j in range ((m)/(2+1):
    if dp[-1][j]==True:
       stone = min(stone, m-2*j)
return stone
# print(dp)
```