

## 89. Gray Code

An **n-bit gray code sequence** is a sequence of  $2^n$  integers where:

- Every integer is in the **inclusive** range  $[0, 2^n - 1]$ ,
- The first integer is  $0$ ,
- An integer appears **no more than once** in the sequence,
- The binary representation of every pair of **adjacent** integers differs by **exactly one bit**, and
- The binary representation of the **first** and **last** integers differs by **exactly one bit**.

Given an integer  $n$ , return *any valid n-bit gray code sequence*.

### Example 1:

Input:  $n = 2$

Output:  $[0, 1, 3, 2]$

Explanation:

The **binary** representation of  $[0, 1, 3, 2]$  is  $[00, 01, 11, 10]$ .

- $00$  and  $01$  differ by one bit
- $01$  and  $11$  differ by one bit
- $11$  and  $10$  differ by one bit
- $10$  and  $00$  differ by one bit

$[0, 2, 3, 1]$  is also a valid gray code sequence, whose **binary** representation is  $[00, 10, 11, 01]$ .

- $00$  and  $10$  differ by one bit
- $10$  and  $11$  differ by one bit
- $11$  and  $01$  differ by one bit
- $01$  and  $00$  differ by one bit

### Example 2:

Input:  $n = 1$

Output:  $[0, 1]$

```
class Solution:
    def grayCode(self, n: int) -> List[int]:
        if n==1:
            return [0,1]
        if n==2:
            return [0,1,3,2]
        base = [0,1,3,2]
        for i in range(3,n+1):
```

```
multiplier = pow(2,i-1)
temp = []
for ele in base:
    temp.append(ele+multiplier)
base = base+temp[::-1]
# print(temp)
return base
```