

1162. As Far from Land as Possible

Given an $n \times n$ grid containing only values 0 and 1, where 0 represents water and 1 represents land, find a water cell such that its distance to the nearest land cell is maximized, and return the distance. If no land or water exists in the grid, return -1.

The distance used in this problem is the Manhattan distance: the distance between two cells (x_0, y_0) and (x_1, y_1) is $|x_0 - x_1| + |y_0 - y_1|$.

Example 1:

1	0	1
0	0	0
1	0	1

Input: grid = [[1,0,1],[0,0,0],[1,0,1]]

Output: 2

Explanation: The cell (1, 1) is as far as possible from all the land with distance 2.

Example 2:

1	0	0
0	0	0
0	0	0

Input: grid = [[1,0,0],[0,0,0],[0,0,0]]

Output: 4

Explanation: The cell (2, 2) is as far as possible from all the land with distance 4.

python

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def maxDistance(self, mat: List[List[int]]) -> int:
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    queue = []
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    for i in range(len(mat)):
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        for j in range(len(mat[0])):
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            if mat[i][j]==1:
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                queue.append((i,j))
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```
    directions = [(-1,0),(0,1),(1,0),(0,-1)]
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```

if len(queue)==0 or len(queue)==len(mat)*len(mat[0]):
    return -1
dis = -1
while len(queue):
    length = len(queue)
    dis = dis+1
    while length>0:
        x,y = queue.pop(0)
        for dx,dy in directions:
            dxx = x+dx
            dyy = y+dy
            if dxx>=0 and dyy>=0 and dxx<len(mat) and
dyy<len(mat[0]) and mat[dxx][dyy]==0:
                queue.append((dxx,dyy))
                mat[dxx][dyy] = 1
        length = length-1
    return dis

```