## **Permutations-II**

```
def permutation2(n, r):
    items = [0] * n
   permutationUtil(n, r, items, 0, '',0)
def permutationUtil(n, r, items, totalItems, ssf,cb):
   if cb == n:
        if totalItems==r:
           print(ssf)
        return
    for i in range (0, r):
        if items[i] == 0:
            items[i] = 1
            permutationUtil(n, r, items, totalItems + 1, ssf + str(i +
1), cb+1)
            items[i] = 0
   permutationUtil(n, r, items, totalItems, ssf + '-',cb+1)
permutation 2(4, 2)
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Now this is another way of solving the permutations.
In this we are allowing the box to choose.
So box will have 2 choices:
1. Choose any of the item from r item
2. Not choose the item at all (permutationUtil(n, r, items, totalItems,
ssf + '-', cb+1))
So, we will allow the boxes to choose from the items.
Now, bcause we have different r items, we can choose any of the r
items. If the items were identical, the box had to choose any item from r
identical items.
In short the Euler tree wouldn't have spread
far in case of identical item.
\tau = \tau - \tau
```

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