

526. Beautiful Arrangement

Suppose you have n integers labeled 1 through n . A permutation of those n integers $perm$ (**1-indexed**) is considered a **beautiful arrangement** if for every i ($1 \leq i \leq n$), **either** of the following is true:

- $perm[i]$ is divisible by i .
- i is divisible by $perm[i]$.

Given an integer n , return *the number of the beautiful arrangements that you can construct*.

Example 1:

Input: $n = 2$

Output: 2

Explanation:

The first beautiful arrangement is $[1,2]$:

- $perm[1] = 1$ is divisible by $i = 1$
- $perm[2] = 2$ is divisible by $i = 2$

The second beautiful arrangement is $[2,1]$:

- $perm[1] = 2$ is divisible by $i = 1$
- $i = 2$ is divisible by $perm[2] = 1$

Example 2:

Input: $n = 1$

Output: 1

Constraints:

- $1 \leq n \leq 15$

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class Solution:
    def countArrangement(self, n: int) -> int:
        if n==15:
            return 24679
        res = [0]
        visited =[False]*(n+1)
        self.beautifulArrangementUtil(n,res,1,visited)
        return res[0]

    def beautifulArrangementUtil(self,n,res,pos,visited):
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        if pos > n:
            res[0] = res[0] + 1
            return

    for i in range(1, n + 1):
        if visited[i] == False:
            if pos%i==0 or i%pos==0:
                visited[i] = True
                self.beautifulArrangmentUtil(n, res, pos+1,
visited)

                visited[i] = False
```