

## 853. Car Fleet

There are `n` cars going to the same destination along a one-lane road. The destination is `target` miles away.

You are given two integer array `position` and `speed`, both of length `n`, where `position[i]` is the position of the  $i^{\text{th}}$  car and `speed[i]` is the speed of the  $i^{\text{th}}$  car (in miles per hour).

A car can never pass another car ahead of it, but it can catch up to it, and drive bumper to bumper **at the same speed**.

The distance between these two cars is ignored (i.e., they are assumed to have the same position).

A car fleet is some non-empty set of cars driving at the same position and same speed. Note that a single car is also a car fleet.

If a car catches up to a car fleet right at the destination point, it will still be considered as one car fleet.

Return *the number of car fleets that will arrive at the destination*.

### Example 1:

Input: `target = 12, position = [10,8,0,5,3], speed = [2,4,1,1,3]`

Output: 3

Explanation:

The cars starting at 10 and 8 become a fleet, meeting each other at 12.

The car starting at 0 doesn't catch up to any other car, so it is a fleet by itself.

The cars starting at 5 and 3 become a fleet, meeting each other at 6.

Note that no other cars meet these fleets before the destination, so the answer is 3.

### Example 2:

Input: `target = 10, position = [3], speed = [3]`

Output: 1

### Constraints:

- `n == position.length == speed.length`

- $1 \leq n \leq 10^5$
- $0 < \text{target} \leq 10^6$
- $0 \leq \text{position}[i] < \text{target}$
- All the values of `position` are unique.
- $0 < \text{speed}[i] \leq 10^6$

```
class Solution:
    def carFleet(self, target: int, position: List[int], speed: List[int]) -> int:
        ans = []
        for i in range(len(position)):
            ans.append((position[i], speed[i]))

        ans = sorted(ans, key=lambda x: (x[0], x[1]), reverse = True)
        stack = []

        for i in range(len(ans)):
            time = (target - ans[i][0]) / ans[i][1]

            if not stack:
                stack.append(time)
            elif time > stack[-1]:
                stack.append(time)
        return len(stack)
```

### The pattern:

- Many greedy problems require sorting and processing things in order while checking if the current item overlaps/dissolves into its predecessor (the previous item).
- This is usually needed to determine the most optimum (max/min) number of something (for example a resource, as in how many rooms needed given this timeline of meetings). Usually the problem gives us criteria upon which we can group some of these items. The grouping/clustering nature is what allows us to obtain the optimum result (for ex: the minimum number of rooms needed, or the the number of fleets)
- This problem fits the pattern of what I like to call **"allocating resources to overlapping events"**
- In this kind of problems, its usually the case that you have to sort the items with respect to some feature and process them one at a time while constantly checking the previous items by popping from a stack.
- Problems that follow a somewhat similar pattern:

56. Merge Intervals

57. Non-overlapping Intervals

58. Minimum Number of Arrows to Burst Balloons

59. Meeting Rooms

60. Meeting Rooms II

61. My Calendar I

62. My Calendar II

63. My Calendar III (Meeting rooms II)

64. Course Schedule III

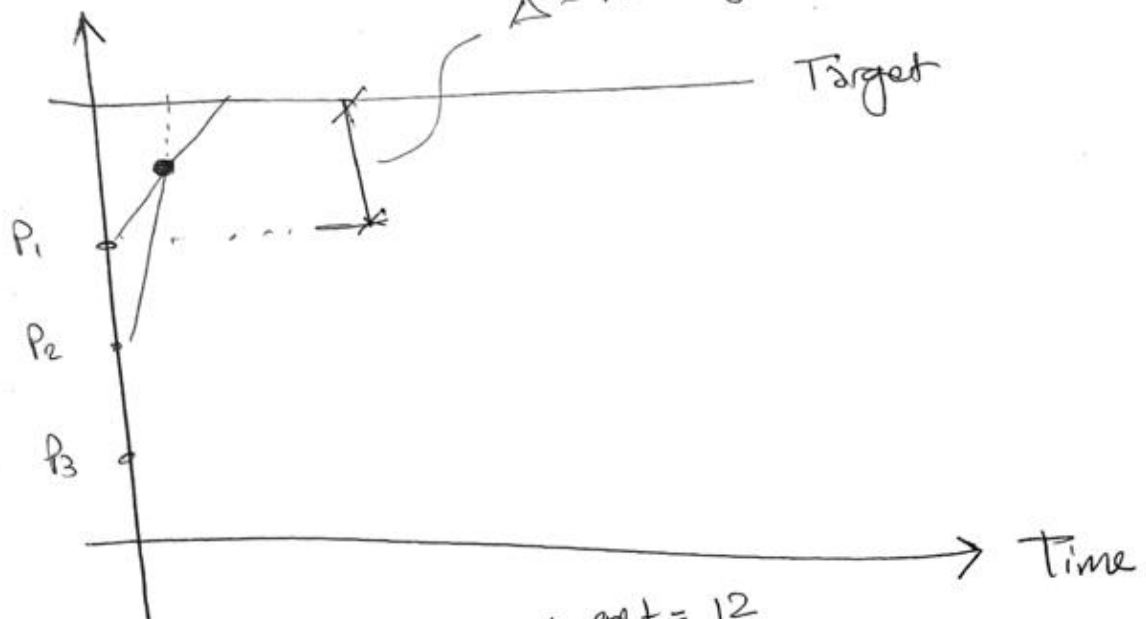
65. Car Pooling (Meeting Rooms II with a twist)

.

.

**Sketches:**

Position



$$X = [10, 8, 0, 5, 3]$$

$$Y = [2, 4, 1, 1, 3]$$

target = 12

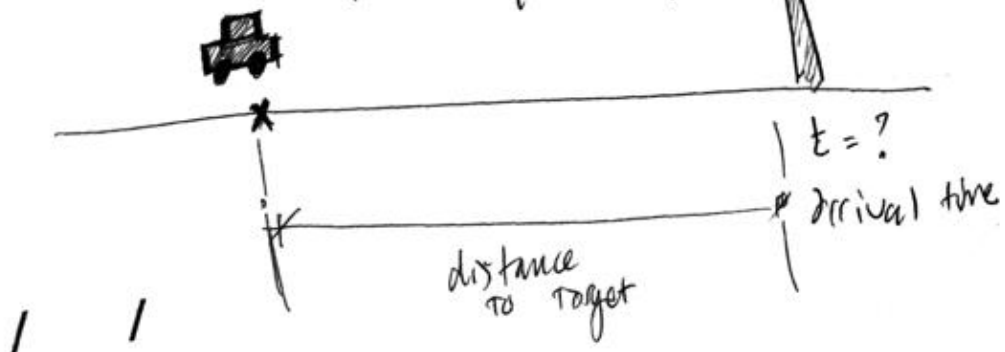
$$\text{sorted} = [(10, 2), (8, 4), (5, 1), (3, 3), (0, 1)]$$

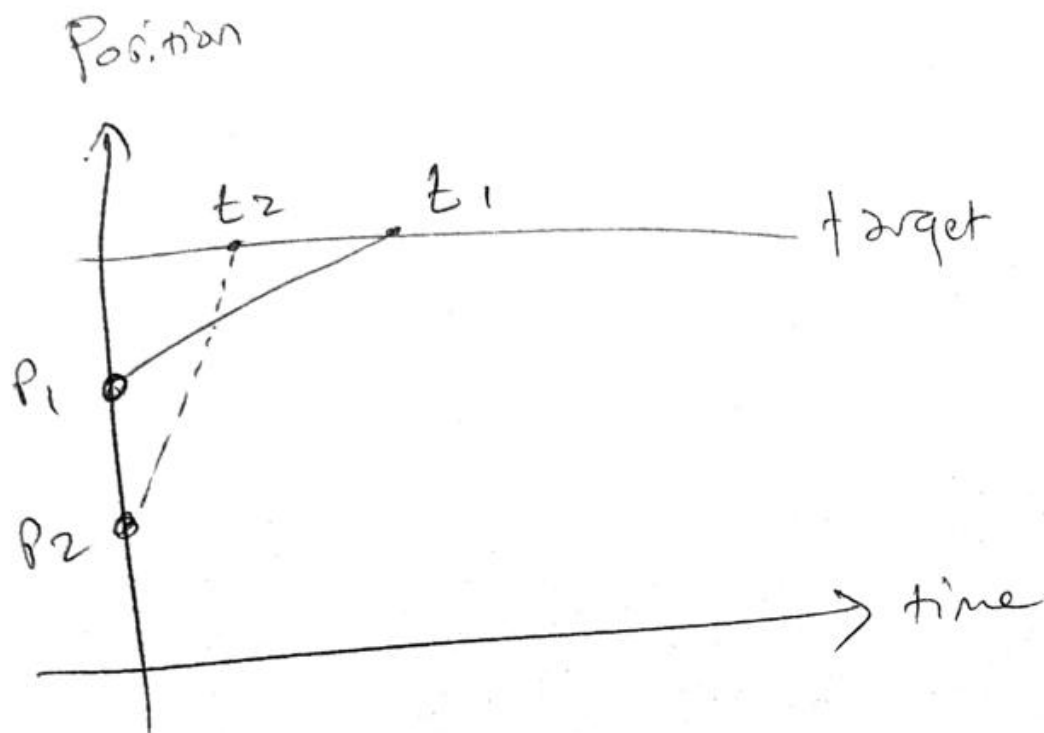
- sorted = 

$(10, 2)$	$(8, 4)$	$(5, 1)$	$(3, 3)$	$(0, 1)$
$\downarrow$	$\downarrow$			
$12 - 10$	$12 - 8$	$12 - 5$	$12 - 3$	$12 - 0$
$= 2$	$= 4$	$= 7$	$= 9$	$= 12$
	$\frac{4}{4} = 1$	$\frac{7}{7} = 1$	$\frac{9}{3} = 3$	$\frac{12}{1} = 12$
- distance to target = 

$12 - 10$	$12 - 8$	$12 - 5$	$12 - 3$	$12 - 0$
$= 2$	$= 4$	$= 7$	$= 9$	$= 12$
- arrival Time = 

$\frac{2}{2} = 1$	$\frac{4}{4} = 1$	$\frac{7}{7} = 1$	$\frac{9}{3} = 3$	$\frac{12}{1} = 12$
-------------------	-------------------	-------------------	-------------------	---------------------





$t_1$  : Arrival time of car 1  
 $t_2$  : Arrival time of car 2

if  $t_2 \leq t_1$   
 then car 2 joins the same fleet  
 as car 1

else :  
 car 2 forms its own fleet  
 (yes  $\Rightarrow$  fleet can be of size 1)