931. Minimum Falling Path Sum

Given an $n \times n$ array of integers matrix, return the minimum sum of any falling path through matrix.

A falling path starts at any element in the first row and chooses the element in the next row that is either directly below or diagonally left/right. Specifically, the next element from position (row, col) will

```
be (row + 1, col - 1), (row + 1, col), or (row + 1, col + 1).
```

Example 1:

Example 2:

```
Input: matrix = [[-19,57],[-40,-5]]
Output: -59
Explanation: The falling path with a minimum sum is underlined below:
[[-19,57],
       [-40,-5]]
```

Example 3:

```
Input: matrix = [[-48]]
Output: -48
```

Constraints:

- n == matrix.length
- [n == matrix[i].length]
- 1 <= n <= 100
- -100 <= matrix[i][j] <= 100

```
def minFallingPathSum(self, matrix: List[List[int]]) -> int:
          n = len(matrix)
          dp = [[0]*n for i in range(n)]
          for i in range(n):
              for j in range(n):
                  if i==0:
                      dp[i][j]=matrix[i][j]
                  elif j==0 and i>0:
                      target1 = dp[i-1][j]
                      target2 = dp[i-1][j+1]
                      dp[i][j] = min(target1, target2) + matrix[i][j]
                  elif j==n-1 and i>0:
                      target1 = dp[i-1][j]
                      target2 = dp[i-1][j-1]
                      dp[i][j] = min(target1, target2) + matrix[i][j]
                  else:
                      target1 = dp[i-1][j-1]
                      target2 = dp[i-1][j]
                      target3 = dp[i-1][j+1]
                      dp[i][j] = min(target1, target2, target3) + matrix[i]
[j]
          return \min(dp[n-1])
```