

NIT ACTUAL 2014

SECTION - 1 (MATHS)

- A student takes a quiz consisting of 5 multiple choice questions. Each question has 4 possible answers. If a student is guessing the answers at random and answers to different questions are independent, the probability of at least one correct answer is :
(a) 0.237 (b) 0.000976
(c) 0.7623 (d) 1
- The condition that the line $lx+my+n=0$ becomes a tangent to the ellipse $\frac{x^2}{a^2} + \frac{y^2}{b^2} = 1$ is :
(a) $a^2l + b^2m + n = 0$ (b) $al^2 + bm^2 = n^2$
(c) $al + bm = n$ (d) $a^2l^2 + b^2m^2 = n^2$
- The value of $\sin 20^\circ \sin 40^\circ \sin 80^\circ$ is :
(a) $\frac{1}{2}$ (b) $\frac{\sqrt{3}}{2}$ (c) $\frac{\sqrt{3}}{8}$ (d) $\frac{1}{8}$
- Two non negative numbers whose sum is 9 and the product of one number and square of the other number is maximum, are :
(a) 5 and 4 (b) 3 and 6
(c) 1 and 8 (d) 7 and 2
- The median AD of a triangle ABC is bisected at E and BE is produced to meet the side AC at F. Then AF : FC is:
(a) 2 : 1 (b) 1 : 2 (c) 3 : 1 (d) 1 : 3
- The sum of two vectors \vec{a} and \vec{b} is a vector \vec{c} such that $|\vec{a}| = |\vec{b}| = |\vec{c}| = 2$. Then the magnitude of $\vec{a} - \vec{b}$ is equal to :
(a) $2\sqrt{3}$ (b) 2 (c) $\sqrt{3}$ (d) 0
- If x and y are positive real numbers satisfying the system of equations $x^2 + y\sqrt{xy} = 336$, $y^2 + x\sqrt{xy} = 112$ then x + y is :
(a) $\sqrt{448}$ (b) $\sqrt{224}$ (c) 20 (d) 40
- From three collinear points A,B,C on a level ground which are on the same side of a tower, the angles of elevation of the top of the tower are $30^\circ, 45^\circ, 60^\circ$ respectively. If BC = 60 meters, then AB is :
(a) $15\sqrt{3}$ meters (b) $30\sqrt{3}$ meters
(c) $45\sqrt{3}$ meters (d) $60\sqrt{3}$ meters

- If $x = 1$ is the directrix of the parabola $y^2 = kx - 8$ then k is:
(a) 1/8 (b) 8 (c) 4 (d) 1/4
- If $\sin x + a \cos x = b$, then $|a \sin x - \cos x|$ is :
(a) $\sqrt{a^2 + b^2 + 1}$ (b) $\sqrt{a^2 - b^2 + 1}$
(c) $\sqrt{a^2 + b^2 - 1}$ (d) None of the above
- A password consists of two alphabets from English followed by three digits chosen from 0 to 3. Repetitions are allowed. The number of different passwords is :
(a) ${}^{26}P_1 \cdot {}^{25}P_2 \cdot {}^4P_1 \cdot {}^3P_1 \cdot {}^2P_1$ (b) $({}^{26}P_1)^2 ({}^4P_1)^3$
(c) ${}^{26}P_1 \cdot {}^{26}P_2 \cdot {}^4P_1 \cdot {}^4P_2 \cdot {}^4P_3$ (d) $({}^{26}P_1 \cdot {}^4P_1)^2$
- An equilateral triangle is inscribed in the parabola $y^2 = 4ax$ such that one of the vertices of the triangle coincides with the vertex of the parabola. The length of the side of the triangle is :
(a) $a\sqrt{3}$ (b) $2a\sqrt{3}$ (c) $4a\sqrt{3}$ (d) $8a\sqrt{3}$
- A chain of video stores sells three different brands of DVD players. Of its DVD player sales 50% are brand 1, 30% are brand 2 and 20% are based 3. Each manufacturer offers one year warranty on parts and labor. It is known that 25% of brand 1 DVD players require warranty repair work, where as the corresponding percentages for brands 2 and 3 are 20% and 10% respectively. The probability that a randomly selected purchaser has a DVD player that will need repair while under warranty is :
(a) 0.795 (b) 0.205
(c) 0.1250 (d) 0.060
- The locus of intersection of two lines $\sqrt{3}x - y = 4k\sqrt{3}$ and $k(\sqrt{3}x + y) = 4\sqrt{3}$ for different values of k is a hyperbola. The eccentricity of the hyperbola is :
(a) 1.5 (b) $\sqrt{3}$ (c) 2 (d) $\frac{\sqrt{3}}{2}$
- Constant forces $\vec{P} = 2\hat{i} - 5\hat{j} + 6\hat{k}$ and $\vec{Q} = -\hat{i} + 2\hat{j} - \hat{k}$ act on a particle. The work done when the particle is displaced from A whose position vector is $4\hat{i} - 3\hat{j} - 2\hat{k}$ to B whose position vector is $6\hat{i} + \hat{j} - 3\hat{k}$, is :
(a) 10 units (b) -15 units
(c) -50 units (d) 25 units

16. If PQ is a double ordinate of the hyperbola $\frac{x^2}{a^2} - \frac{y^2}{b^2} = 1$ such that OPQ is an equilateral triangle, where O is the center of the hyperbola, then which of the following is true ?

(a) $b^2 > \frac{-a^2}{\sqrt{3}}$ (b) $b^2 > \frac{-a^2}{3}$
(c) $b^2 < \frac{a^2}{3}$ (d) $b^2 < \frac{-a^2}{\sqrt{3}}$

17. In a triangle ABC, if $a = 2$, $b = 4$ and $\angle C = 60^\circ$, then $\angle A$ and $\angle B$ are respectively equal to :
- (a) $90^\circ, 30^\circ$ (b) $45^\circ, 75^\circ$ (c) $60^\circ, 60^\circ$ (d) $30^\circ, 90^\circ$

18. If $\int \frac{xe^x}{\sqrt{1+e^x}} dx = f(x) \sqrt{1+e^x} - 2 \log \frac{\sqrt{1+e^x}-1}{\sqrt{1+e^x}+1} + C$, then $f(x)$ is :
- (a) $2x-4$ (b) $2x+4$ (c) $x+4$ (d) $x-4$

19. The average marks of boys in a class is 52 and that of girls is 42. The average marks of boys and girls combined is 50. The percentage of boys in the class is:
- (a) 80% (b) 60% (c) 40% (d) 20%

20. How many even integers between 4000 and 7000 have four different digits ?
- (a) 672 (b) 840 (c) 504 (d) 728

21. A box contains 3 coins : one coin is fair; one coin is two-headed and one coin is weighted so that the probability of heads appearing is $1/3$. A coin is selected at random and tossed, then the probability that head appears is :
- (a) $11/18$ (b) $7/18$ (c) $1/8$ (d) $1/4$

22. If a vector \vec{a} makes an angle with the co-ordinate axes and has magnitude 3, then the angle between \vec{a} and each of the three co-ordinate axes is :

(a) $\cos^{-1}\left(\frac{1}{\sqrt{3}}\right)$ (b) $\sin^{-1}\left(\frac{1}{\sqrt{3}}\right)$
(c) $\frac{f}{6}$ (d) $\frac{f}{3}$

23. $f(x) = \begin{cases} \frac{\sin[x]}{[x]}, & [x] \neq 0 \\ 0, & [x] = 0 \end{cases}$ where $[x]$ is the largest integer not larger than x then $\lim_{x \rightarrow 0} f(x)$ is

- (a) -1 (b) 0
(c) 1 (d) does not exist

24. If $\tan A - \tan B = x$ and $\cot B - \cot A = y$, then $\cot(A - B) =$

(a) $\frac{1}{x} + \frac{1}{y}$ (b) $\frac{1}{x} - \frac{1}{y}$ (c) $-\frac{1}{x} + \frac{1}{y}$ (d) $-\frac{1}{x} - \frac{1}{y}$

25. If $a = \log_{12} 18$, $b = \log_{24} 54$ then $ab + 5(a - b)$ is :

- (a) 1 (b) 0 (c) 2 (d) $3/2$

26. In a group of 200 students the mean and standard deviation of scores were found to be 40 and 15 respectively. Later on it was found that scores 43 and 35 were misread as 34 and 53 respectively. The corrected mean of scores is :

- (a) 40.95 (b) 39.0 (c) 39.95 (d) 43

27. If the matrix $\begin{bmatrix} -1 & 3 & 2 \\ 1 & k & -3 \\ 1 & 4 & 5 \end{bmatrix}$ has an inverse matrix, then

the value of k is :

- (a) k is any real number (b) $k \neq -4$
(c) $k = -4$ (d) $k \neq 4$

28. The mean deviation from the mean of the A.P. : $a, a+d, \dots, a+2nd$ is :

(a) $\frac{n}{n+1}d$ (b) $\frac{n(n+1)}{2n+1}d$
(c) $\frac{n+1}{2n+1}d$ (d) $\frac{n(n-1)}{2n+1}d$

29. Let (x_0, y_0) be the solution of the following equations :

$(2x)^{\ln 2} = (3y)^{\ln 3}$

$3^{\ln x} = 2^{\ln y}$ Then x_0 is

- (a) $1/6$ (b) $1/3$ (c) $1/2$ (d) 6

30. The value of $\tan 1^\circ \cdot \tan 2^\circ \cdot \tan 3^\circ \dots \tan 89^\circ$ is :

(a) 0 (b) $\frac{1}{\sqrt{2}}$ (c) 1 (d) 2

31. A condition that $x^3 + ax^2 + bx + c$ may have no extremum is :

(a) $a^2 \geq 3b$ (b) $b^2 < 3a$
(c) $a^2 < 3b$ (d) $b^2 \geq 3a$

32. If n and r are integers such that $1 \leq r \leq n$ then the value of $n^{(n-1)}C_{r-1}$ is :

(a) nC_r (b) $r({}^nC_r)$
(c) $n({}^nC_r)$ (d) $(n-1)({}^nC_r)$

33. If the foci of the ellipse $b^2x^2 + 16y^2 = 16b$ and the hyperbola $81x^2 - 144y^2 = \frac{81 \times 144}{25}$ coincide, then the value of b is :

(a) 1 (b) $\sqrt{5}$ (c) $\sqrt{7}$ (d) 3

34. There are 8 students appearing in an examination of which 3 have to appear in Mathematics paper and the remaining 5 in different subjects. Then the number of ways they can be made to sit in a row if the candidates in Mathematics cannot sit next to each other is :
- (a) 2400 (b) 16200 (c) 4200 (d) 14400

35. If x is so small that x^2 and higher powers of x can be neglected, then $\frac{(9+2x)^{1/2}(3+4x)}{(1-x)^{1/5}}$ is approximately equal to :

(a) $9 + \frac{74}{15}x$ (b) $9 + \frac{74}{5}x$ (c) $3 + \frac{74}{15}x$ (d) $3 + \frac{74}{5}x$

36. If r and s are the roots of the equation $2x^2 + 2px + p^2 = 0$, where p is a non-zero real number, and r^4 and s^4 are the roots of $x^2 - rx + s = 0$, then the roots of $2x^2 - 4p^2x + p^4 - 2r = 0$ are:

(a) real and unequal (b) equal and zero
(c) imaginary (d) equal and non-zero

37. The number of ways to arrange the letters of the English alphabet so that there are exactly 5 letters between the letters 'a' and 'b' is :

(a) ${}^{24}P_5$ (b) ${}^{24}P_5 \cdot 20!$
(c) ${}^{24}P_5 \cdot 20! \cdot 2$ (d) ${}^{24}P_5 \cdot 24! \cdot 2$

38. Suppose the system of linear equations :

$$-2x + y + z = 1$$

$$x - 2y + z = m$$

$$x + y - 2z = n$$

is such that $l + m + n = 0$. Then the system has

(a) a non-zero unique solution
(b) trivial solution
(c) infinitely many solutions
(d) no solution

39. If $\vec{A} = 4\hat{i} + 3\hat{j} + \hat{k}$, $\vec{B} = 2\hat{i} - \hat{j} + 2\hat{k}$ then the unit vector \hat{N} perpendicular to vectors \vec{A} and \vec{B} such that $\vec{A}, \vec{B}, \hat{N}$ form a right handed system is :

(a) $\frac{1}{\sqrt{185}}[7\hat{i} + 6\hat{j} - 10\hat{k}]$ (b) $\frac{1}{7}[6\hat{i} + 2\hat{j} + 3\hat{k}]$

(c) $\frac{1}{\sqrt{21}}[2\hat{i} + 4\hat{j} - \hat{k}]$ (d) $\frac{1}{\sqrt{21}}[-2\hat{i} - 4\hat{j} + \hat{k}]$

40. $\int \frac{(x+1)}{x(xe^x+1)} dx$ is equal to :

(a) $\log \frac{1+xe^x}{xe^x} + c$ (b) $\log [xe^x(1+xe^x)] + c$

(c) $\log \left[\frac{1}{1+xe^x} \right] + c$ (d) $\log \left[\frac{xe^x}{1+xe^x} \right] + c$

41. If the sets A and B are defined as

$$A = \{(x, y) | y = \frac{1}{x}, 0 \neq x \in R\},$$

$$B = \{(x, y) | y = -x, x \in R\} \text{ then :}$$

(a) $A \cap B = \emptyset$ (b) $A \cap B = B$
(c) $A \cap B = A$ (d) None of the above

42. Let A, B, C be three angles of a triangle T whose area is Δ . Let a, b and c be the sides opposite to the angles A, B, C respectively. If $s = \frac{a+b+c}{2} = 6$, then the product

$$\frac{1}{3}s^2(s-a)(s-b)(s-c) \text{ is equal to :}$$

(a) 2Δ (b) $2\Delta^2$ (c) $\sqrt{2}\Delta$ (d) $\sqrt{2}\Delta^2$

43. A normal to the curve $x^2 = 4y$ passes through the point (1, 2). The distance of the origin from the normal is :

(a) $\sqrt{2}$ (b) $2\sqrt{2}$ (c) $\frac{1}{\sqrt{2}}$ (d) $\frac{3}{\sqrt{2}}$

44. Suppose r integers, $0 < r < 10$, are chosen from $\{0, 1, 2, \dots, 9\}$ at random and with replacement. The probability that no two are equal is :

(a) $\frac{10!}{10! r!}$ (b) $\frac{10!}{10! (10-r)!}$

(c) $\frac{10!}{r! (10-r)!}$ (d) $\frac{10!}{10 (10-r)!}$

45. If $x^2 + 2ax + 10 - 3a > 0$ for all $x \in R$, then :

(a) $-5 < a < 2$ (b) $a < -5$ (c) $a > 5$ (d) $2 < a < 5$

(a) $2\sqrt{x} - e^{\sqrt{x}} - 4\sqrt{xe^{\sqrt{x}}} + C$

(b) $(2x - 4\sqrt{x} + 4)e^{\sqrt{x}} + C$

(c) $(2x + 4\sqrt{x} + 4)e^{\sqrt{x}} + C$

(d) $(1 - 4\sqrt{x})e^{\sqrt{x}} + C$

47. For the vectors $\vec{a} = -4\hat{i} + 2\hat{j}$, $\vec{b} = 2\hat{i} + \hat{j}$ and $\vec{c} = 2\hat{i} + 3\hat{j}$,

if $\vec{c} = m\vec{a} + n\vec{b}$, then the value of $m+n$ is :

- (a) 1/2 (b) 3/2 (c) 5/2 (d) 7/2

48. The value of $\int_0^{f/4} \log(1 + \tan x) dx$ is :

- (a) $\frac{f}{4} \log 2$ (b) $\frac{f}{6} \log 2$ (c) $\frac{f}{8} \log 2$ (d) $\frac{f}{2} \log 2$

49. The number of ways in which 5 days can be chosen from each of the 12 months of a non-leap year is :

- (a) $({}^{30}C_5)^4 ({}^{31}C_5)^7 ({}^{28}C_5)$ (b) $({}^{30}C_5)^6 ({}^{31}C_5)^6$
(c) $({}^{30}C_5)^7 ({}^{31}C_5)^4 ({}^{28}C_5)$ (d) $({}^{30}C_5)^5 ({}^{31}C_5)^6 ({}^{28}C_5)$

50. If $[x]$ represents the greatest integer not exceeding x ,

then $\int_1^9 |x| dx$ is :

- (a) 32 (b) 36 (c) 40 (d) 28

SECTION - 2 (ANALYTICAL REASONING)

Questions 51 to 54 are based on the following :

Five boys A,B,C,D,E and five girls P,Q,R,S,T are standing in two rows facing each other not necessarily in the order. E is not at any ends. C is to the immediate right of B and D is to the immediate left of A, who is facing P. There are as many girls between P and Q as between R and S. A is second to the left of B. S and R are not facing either B or D.

51. Which pair of boys are standing at the ends of the row?
(a) C and D (b) C and B
(c) D and B (d) None of these
52. Which of the following is definitely true?
(a) C is third to the right of D (b) D is facing P
(c) C is facing S (d) None of these
53. Who is standing to the immediate right of A?
(a) E (b) C (c) D (d) B
54. Who is facing B?
(a) R (b) S (c) Q (d) T

Questions 55 and 56 are based on the following :

Six friends A,B,C,D,E and F are sitting round a hexagonal table. F, who is sitting exactly opposite A, is to be immediate right of B, D is between A and B and is exactly opposite to C.

55. Who are sitting next to A ?
(a) D and E (b) D and F (c) C and E (d) B and D
56. Who is sitting opposite to B ?
(a) A (b) C (c) E (d) F

Questions 57 and 61 are based on the following :

All the roads of a city are either perpendicular or parallel to one another. The roads are all straight. Roads A,B,C,D and E are parallel to one another. Roads F,G,H,I,J,K,L and M are parallel to one another.

- Road A is 1 km east of road B.
- Road B is 1/2 km west of road C.
- Road D is 1 km west of road E.
- Road G is 1/2 km south of road H.
- Road I is 1 km north of road J.
- Road K is 1/2 km north of road L.
- Road K is 1 km south of road M.

57. Which of the following is necessarily true?
(a) E and B intersect
(b) D is 2 km west of B
(c) D is at least 2 km west of A
(d) M is 1.5 km north of L
58. If E is between B and C, which of the following is false?
(a) D is 2 km west of A
(b) C is less than 1.5 km from D
(c) Distance from E to B added to distance of E to C is 1/2 km
(d) E is less than 1 km from A
59. If road E is between B and C, then the distance between A and D is :
(a) Less than 1 km
(b) Between 1 km and $1\frac{1}{2}$ km
(c) Between $1\frac{1}{2}$ km and 2 km
(d) More than 2 km
60. Which of the following possibilities would make some two roads coincide?
(a) L is 1/2 km north of I (b) C is 1 km west of D
(c) I is 1/2 km north of K (d) E and B are 1/2 km apart
61. If K is parallel to I and if K is 1/2 km south of J and 1 km north of G, which of the following two roads would be 1/2 km apart ?
(a) I and K (b) J and G (c) I and G (d) J and K

62. The arithmetic mean of 2^{10} and 2^{20} is :

- (a) 2^{15} (b) $2^5 + 2^{10}$
(c) $2^9 + 2^{20}$ (d) $2^9 + 2^{19}$

63. There are five different boxes of different unknown weights but each less than 100 kgs. These boxes were weighed in pairs and the weights obtained are 110, 112, 113, 114, 115, 116, 117, 118, 120 and 121 kgs. What is the weight in kg of the heaviest box ?

- (a) 60 (b) 62 (c) 64 (d) 61

Questions 64 and 67 are based on the following :

Six friends P,Q,R,S,T and U are standing in two rows facing one another : P is in the middle of one row. U is to the left of S and facing R,Q and T are not in the same row. Only one person is in between R and T.

64. Which of the following are in the same row ?

- (a) U, S and T (b) R, P and T
(c) U, Q and P (d) U,R and Q

65. Who is to the left of S ?

- (a) P (b) U (c) S (d) Q

66. Who faces P?

- (a) Q (b) T (c) S (d) U

67. Which of the following pairs are facing each other?

- (a) RS (b) TU (c) PU (d) TQ

68. The students in three classes are in the ratio 2:3:5. If 20 students are increased in each class, the ratio changes to 4:5:7. The total number of students before the increase were :

- (a) 10 (b) 90 (c) 100 (d) None

69. Ajith is three times older than Babita, Chetu is half the age of Das. Babita is older than Chetu. Which of the following additional information is needed to estimate the age of Ajith?

- (I) Chetu is 10 years old
(II) Both Babita and Das are older than Chetu by the same number of years.

- (a) I only (b) II only (c) I and II (d) None

Questions 70 and 74 are based on the following :

Six members of a family A,B,C,D,E and F are Psychologist, Manager, Advocate, Jeweller, Doctor and Engineer but not necessarily in the same order.

Doctor is the grandfather of F, who is a psychologist

Manager D is married to A

C, who is a Jeweller, is married to Advocate

B is the mother of F and E

There are two married couples in the family

70. What is the profession of A?

- (a) Manager (b) Engineer
(c) Cannot be determined (d) None of these

71. What is the profession of E?

- (a) Manager (b) Engineer
(c) Doctor (d) None of these

72. How is A related to E?

- (a) Grandmother (b) Wife
(c) Grandfather (d) None of these

73. How many male members are there in the family?

- (a) Two (b) Three
(c) Four (d) Cannot be determined

74. Who are the two couples in the family?

- (a) AD and CB (b) AB and CD
(c) AC and BD (d) None of these

75. Find the number that comes next in the series.

120,99,80,63,48,_____.

- (a) 35 (b) 38 (c) 39 (d) 40

76. In a certain school, the number of students in each section was 24. After admitting some students, three new sections have been started and now there are 16 sections with 21 students in each. What is the number of newly admitted students?

- (a) 14 (b) 24 (c) 16 (d) 26

77. The nine alphabets L,M,N,O,P,Q,R,S and T are assigned to nine integers 1 to 9 not necessarily in the same order. 4 is assigned to P. The difference between P and T is 5. The difference between N and T is 3. What is the integer assigned to N?

- (a) 7 (b) 6 (c) 5 (d) 4

Questions 78 and 80 are based on the following :

At a small company, parking spaces are reserved for the top executives : CEO, President, Vice President, Secretary and treasurer with the spaces lined up in that order. The parking lot guard can tell at a glance if the cars are parked correctly by looking at the color of the cars. The cars are yellow, green, purple, red and blue and the executives names are Alice, Bert, Cheryl, David and Enid.

The cars in the first space is red.

A blue car is parked between the red car and the green car.

The car in the last space in purple.

The secretary drives a yellow car.

Alice's car is parked next to David's.

Enid drives a green car.

Bert's car is parked between Cheryl's and Enid's.

David's car is parked in the last space.

78. Who is the secretary?

- (a) Enid (b) David (c) Cheryl (d) Alice

79. Who is the CEO?

- (a) Alice (b) Bert (c) Cheryl (d) David

80. What color is the vice president's car?
(a) Green (b) Yellow (c) Blue (d) Purple

Questions 81 and 83 are based on the following :

Cricket clubs in five towns A,B,C,D and E have one team each named P,Q,R,S, and T not necessarily in the same order.

The team in A has beaten R,P and S. Q has beaten the teams in E,C and A. Team R is in B and the team in C is not S.

81. Where is the team Q?
(a) A (b) B (c) C (d) D
82. What is the team P?
(a) A (b) B (c) C (d) D
83. Which team is in A?
(a) P (b) Q (c) S (d) T
84. A road network has parallel roads, which are equidistant from each other and running north-south or east-west only. The road junctions A, B, C, H, and X are such that A is east of B and west of C. H is south-west of C and south-east of B. B is south-east of X. Which of the junctions are the farthest south and the farthest east?
(a) H,B (b) H,C (c) C,H (d) B,H
85. Four players A,B,C and D have to form into two pairs, however, no pair can play together more than seven times in a row. A and B have played seven games in a row. C and D have three in a row. C does not want to work with A. Who should partner with B?
(a) A (b) D
(c) C (d) cannot be determined
86. If ROSE is coded as 6821, CHAIR is coded as 73456 and PREACH is coded as 961473, then the code for SEARCH is :
(a) 216473 (b) 214673 (c) 214763 (d) 246173
87. The sum of ages of a daughter and mother is 63 years. Four years back mother's age was 4 times that of daughter's age at that time. What is the present age of the mother?
(a) 46 years (b) 48 years (c) 50 years (d) 59 years
88. A watch which gains 10 seconds in 5 minutes was set correct at 9.00 AM. When the watch indicated 20 minutes past 7.00 PM in the same evening, the correct time is :
(a) 7.00 PM (b) 7.40 PM (c) 7.10 PM (d) 8.00 PM
89. Father is aged three times more than the age of his son Ronit. After 8 years, he would be two and a half times of Ronit's age. After further 8 years, how many times would he be of Ronit's age?
(a) 2 times (b) 3 times (c) 2.5 times (d) 3.5 times
90. What is the number that comes next in the series?
1,2,3,6,11,20,37,68,____
(a) 105 (b) 124 (c) 125 (d) 126

SECTION - 3 (GENERAL ENGLISH)

91. Fill in the blank with appropriate question tag.
She lives in Chennai now, _____.
(a) lives she? (b) doesn't she?
(c) does she? (d) she does?
92. Pick out the correct word that best expresses the meaning of 'prudent'.
(a) Skillful (b) Efficient
(c) Wise (d) Profitable
93. Choose the correct article for the sentence below.
"Many _____ flower is born to blush unseen"
(a) an (b) the (c) a (d) No article
94. Fill in the blank with a correct word :
The kitten was soaked to the skin from the _____.
(a) craven (b) storm (c) abyss (d) wind
95. Fill in the blank with the correct word :
The ship was attacked by _____ near a deserted Island.
(a) burglars (b) gangsters (c) pirates (d) thieves
96. From the given alternatives, choose the one which best expresses the given sentence in indirect/direct Speech.
The boy said, "who dare call you a thief?"
(a) The boy enquired who dared call him a thief.
(b) The boy asked who called him a thief.
(c) The boy told that who dared call him a thief.
(d) The boy wondered who dared call a thief.
97. Choose the most suitable antonym for the word "Rude"
(a) Sweet (b) Polite (c) Decent (d) Gentle
98. Choose the word that matches suitably with the word underlined in the given sentence. "Developing indigenous technology is important to lead the nation to self-sufficiency."
(a) Intelligent (b) Native
(c) Capitalistic (d) Wise
99. Choose the correct form of verb for the sentence below.
I propose that the meeting _____ put off till Sunday next.
(a) will be (b) is to be (c) should be (d) be
100. Fill in the blank with correct preposition.
The policeman told me to keep _____ the left.
(a) for (b) of (c) to (d) by
101. Choose the most suitable synonym for the word "Amicable".
(a) Just (b) Pleasant
(c) Peaceful (d) Complete
102. Choose the one which can be substituted for the sentence "The study of ancient societies"
(a) Anthropology (b) Archeology
(c) History (d) Ethnology

Questions 103 and 104 are based on the following passage:

Population explosion, malnutrition and ill health are the problems that modern scientists examine for **solutions**.

The agriculture scientists are required to concentrate not only on large production but also more on improved varieties and protein-rich foods to ward off the ills of malnutrition. The medical scientists responsibilities is not limited to the manufacture of drugs to cure diseases, they must invent medicines to protect humanity from epidemics. No less important is the area of war and weapons. The large scale devastation in Japan by the atom bomb is a stigma on the fair name of scientist. The modern scientist must make a point not to help in the proliferation of atomic weapons. They should rather devote their energies to the peaceful uses of atomic energy for the emancipation of humanity from hunger and diseases. They must realise that the benefit of their researches and inventions should reach the hands of all, the rich and poor alike.

103. Modern scientists must make a point not to help :
- In the peaceful use of atomic energy
 - In the prevention of malnutrition
 - In the proliferation of atomic weapons
 - In the removal of ill health
104. What does the expression 'malnutrition' used in the passage mean?
- Excessive nourishment
 - Prevention of epidemics
 - Proliferation of diseases
 - Lack of proteins
105. The synonym of 'stupendous' is :
- Astounding
 - Horrible
 - Appealing
 - Comforting
106. Select the pair with same relationship AFTER : BEFORE
- FIRST : SECOND
 - CONTEMPORARY : HISTORIC
 - PRESENT : PAST
 - SUCCESSOR : PREDECESSOR
107. Choose the one which can be substituted for the phrase "A person who insists on something".
- Disciplinarian
 - Stickler
 - Instantaneous
 - Boaster
108. Change the voice :
- 'Why did your brother write such a letter?'
- Why was such a letter written by your brother?
 - Why did your brother write such a letter?
 - Why was such a letter wrote by your brother?
 - Why does your brother write such letter?
109. The first and the last parts of a sentence are numbered as 1 and 6. The rest of the sentence is split into four parts named P,Q,R,S. These four parts are not given in their proper order. Read the sentence and find out which of the four combinations in correct :
- Let's never
 - that food
 - virtually impossible

- (R) forget
(S) is seductive and resist
(a) SRPQ (b) PSRQ (c) QSRP (d) RPSQ

110. Arrange the given words to form a meaningful sentence
a) dejected b) students c) lot d) the
e) a d) were
(a) dbfeac (b) abfecd (c) eacbfd (d) afebcd

SECTION - 4 (COMPUTER AWARENESS)

111. How many bytes are there in a nibble?
(a) one-fourth (b) half (c) 2 (d) 4
112. The number of bit strings of length 8, that start with the bit 0 or end with the bits 11 is :
(a) 132 (b) 180 (c) 256 (d) 160
113. Consider the values $A = 2.0 \times 10^{30}$, $B = -2.0 \times 10^{30}$, $C = 1.0$. Assume that the floating point numbers are represented with 32 bits. What are the values of X and Y when the following sequence of operations are executed on a computer?
 $X = A + B$
 $Y = A + B$
 $X = X - C$
 $Y = Y + B$
(a) $X = 1.0$, $Y = 1.0$ (b) $X = 1.0$, $Y = 0.0$
(c) $X = 0.0$, $Y = 1.0$ (d) $X = 0.0$, $Y = 0.0$
114. The boolean expression $X.(X+Y)$ is same as :
(a) $X.(1+Y)$ (b) X (c) X.1 (d) All of the above
115. The decimal equivalent of the hexadecimal operation $A10+B21$ is :
(a) 5425 (b) 5246 (c) 2849 (d) 5344
116. What is the 2's complement of 0011 0101 1001 1100?
(a) 1100 1010 1100 1011
(b) 1100 1010 0110 0011
(c) 1100 1010 0110 0100
(d) 1100 1010 1111 1111
117. The result of multiplication of the numbers $(10101)_2$ and $(11101)_2$ in hexadecimal form is :
(a) 609 (b) 216 (c) 261 (d) 906
118. The binary equivalent of $(531.53125)_{10}$ is :
(a) $(1001010011.100001)_2$ (b) $(1000010011.10011)_2$
(c) $(1010010011.11001)_2$ (d) $(1000010011.10001)_2$
119. Multiplication of 111_2 and 101_2 is :
(a) 110011_2 (b) 100011_2 (c) 111100_2 (d) 000101_2
120. What is the 8 bit 2's complement representation of the negative integer -93?
(a) 10100011 (b) 10100010
(c) 0XA2 (d) None of these