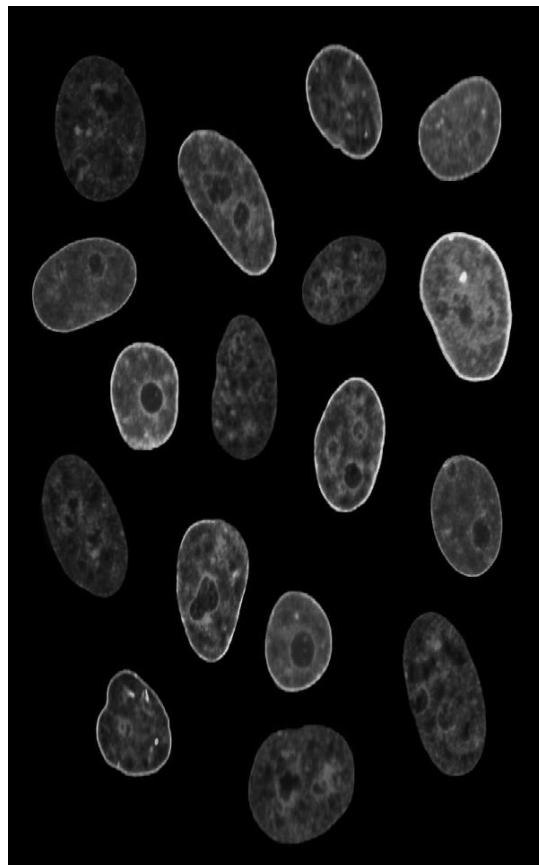


# COSC 6380 Digital Image Processing

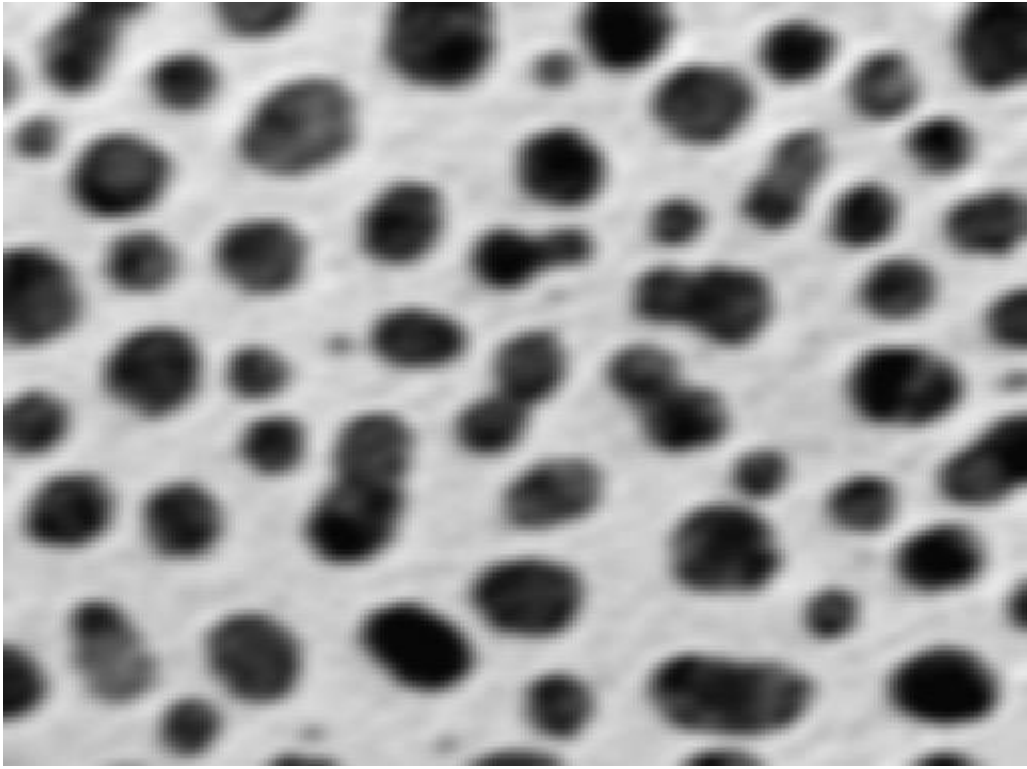
## Resampling

### 1. Interpolation using nearest neighbour

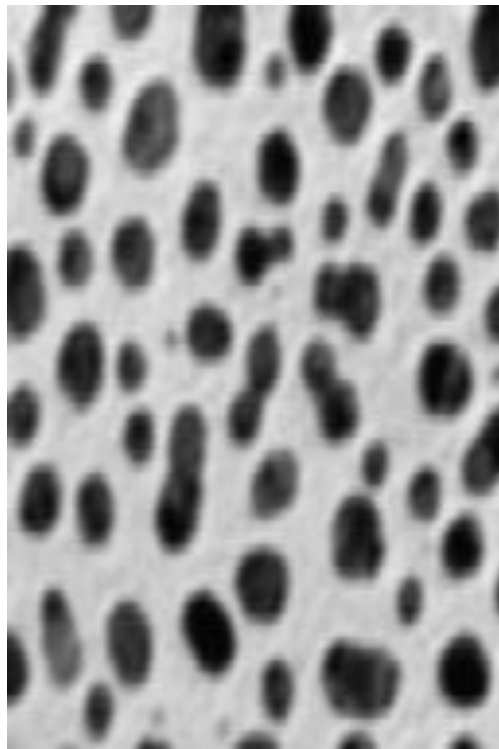
- In this assignment, I used two methods to resample the given images.
- I used PyCharm software to implement and debug the algorithm.
- According to the definition, I took 2 scaling values as an input along x-direction ( $f_x$ ) and y-direction ( $f_y$ ) and any given image to resample using scaling factors.
- Walking through the algorithm,
  - i. First, I created an empty image having shape of ( $w*f_y$ ,  $h*f_x$ ), where,  $w$  and  $h$  is the shape of original image and  $f_x$  and  $f_y$  are scaling factors.
  - ii. Iterating through rows and columns of newly formed empty image, I found new indices using  $(i/f_y)$  and  $(j/f_x)$  and using calculated indices, assigned the pixel value of corresponding original image to newly formed image.
  - iii. Returned the newly formed image after going through all the rows and columns.
- Algorithm was written in `nearest_neighbor()` function of `resample()` class.
- Problem faced,
  - i. Initializing an empty image with proper shape.
  - j. Finding indices which will be used for assigning to the new image. This problem was solved using `int(np.floor())` instruction.
- Algorithm worked perfectly for both the given images with any scaling factor. Here are the outputs,



$f_x = 0.5$ ,  $f_y = 0.75$



$f_x = 2, f_y = 1.5$

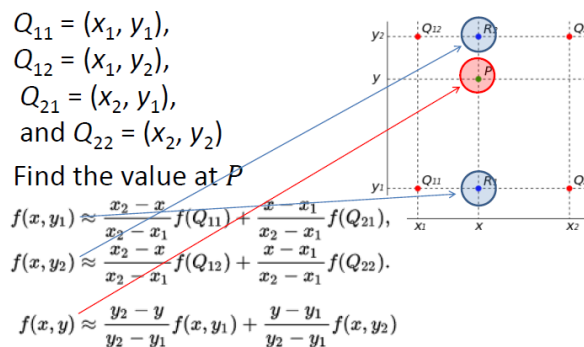


$f_x = 0.5, f_y = 0.75$

## 2. Interpolation using bilinear

- Second part of the assignment was resampling using bilinear method.
- Algorithm was written in `bilinear_interpolation()` function of `resample()` class.
- For generalizing the code, we had given `interpolation()` class file with `linear_interpolation()` and `bilinear_interpolation()` functions.
- `linear_interpolation()` was having 2 known points along with intensity values and one unknown point to calculate intensity level.
- Whereas, `bilinear_interpolation()` was having 4 known inputs along with intensity levels and one unknown point where we had to calculate intensity value.
- I used `linear_interpolation()` function to implement the algorithm and called thrice in `bilinear_interpolation()` to get intensity level at unknown point.

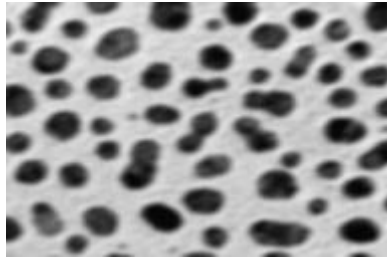
### Bi-Linear Interpolation(2D)



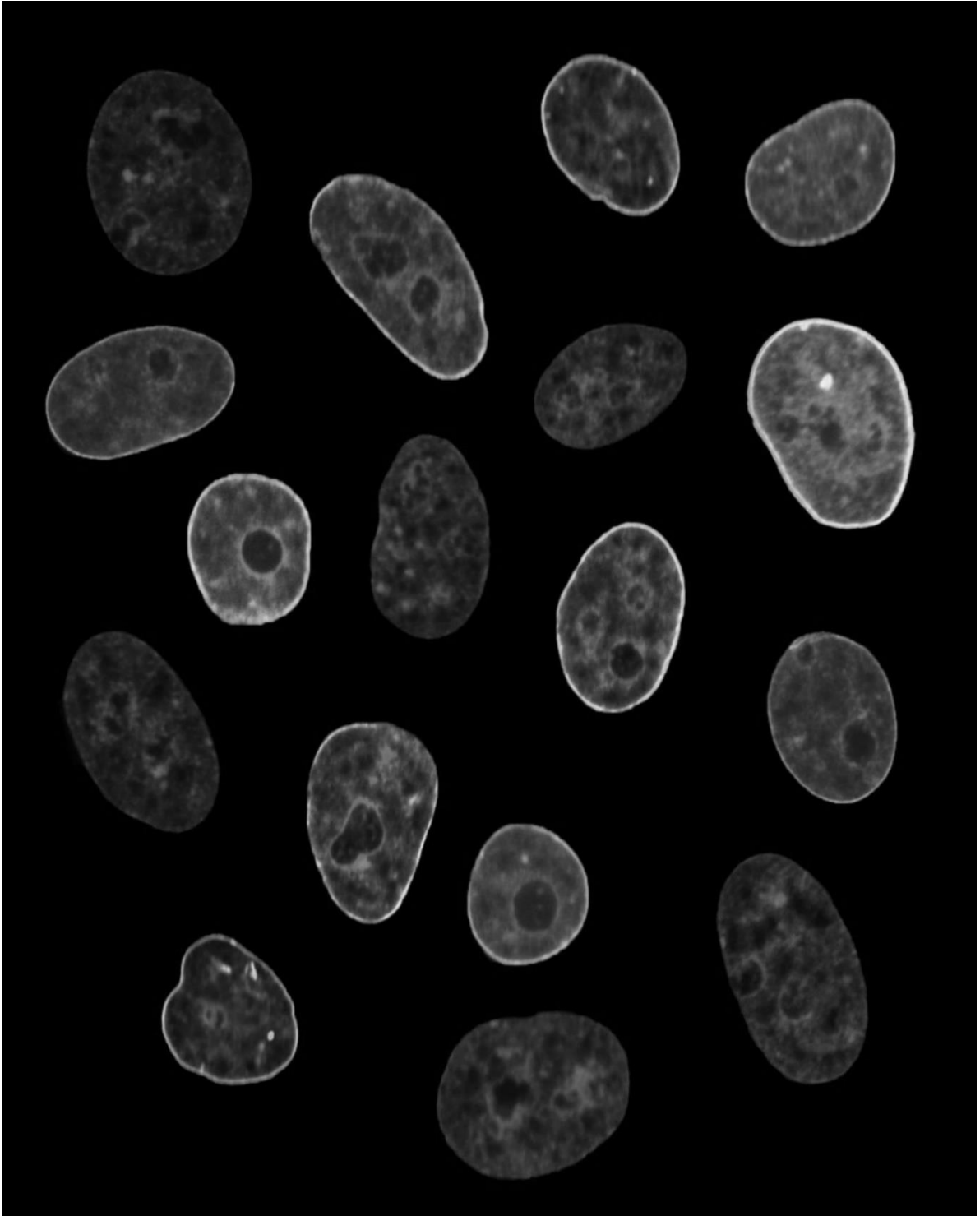
- Walking through the algorithm,
  - (a) First, I created an empty image having shape of  $(w*fy, h*fx)$ , where,  $w$  and  $h$  is the shape of original image and  $fx$  and  $fy$  are scaling factors.
  - (b) Iterating through rows and columns of newly formed empty image, I found new indices  $(nx, ny)$  using  $(i/fy)$  and  $(j/fx)$  and using calculated indices, I found 4 new points  $(x1,y1)$ ,  $(x1,y2)$ ,  $(x2,y1)$  and  $(x2,y2)$  using `np.floor()` and `np.ceil()`. Along with that, I stored intensity values of all 4 calculated points in 4 different variables.
  - (c) Now, to find the intensity value at  $(nx, ny)$ , I called `bilinear_interpolation()` function from `interpolation()` class.
  - (d) In `bilinear_interpolation()` function, I called `linear_interpolation()` function in which algorithm was written.
  - (e) In `linear_interpolation()`, 2 known points  $(x1,y1)$  and  $(x2,y2)$  along with intensity at those points and one unknown point  $(x,y)$  were the inputs and intensity at unknown point ( $i$ ) was the output. Intensity level was calculated using linear interpolation formula.

$$I = \frac{I_1(x_2 - x)}{(x_2 - x_1)} + \frac{I_2(x - x_1)}{(x_2 - x_1)}$$

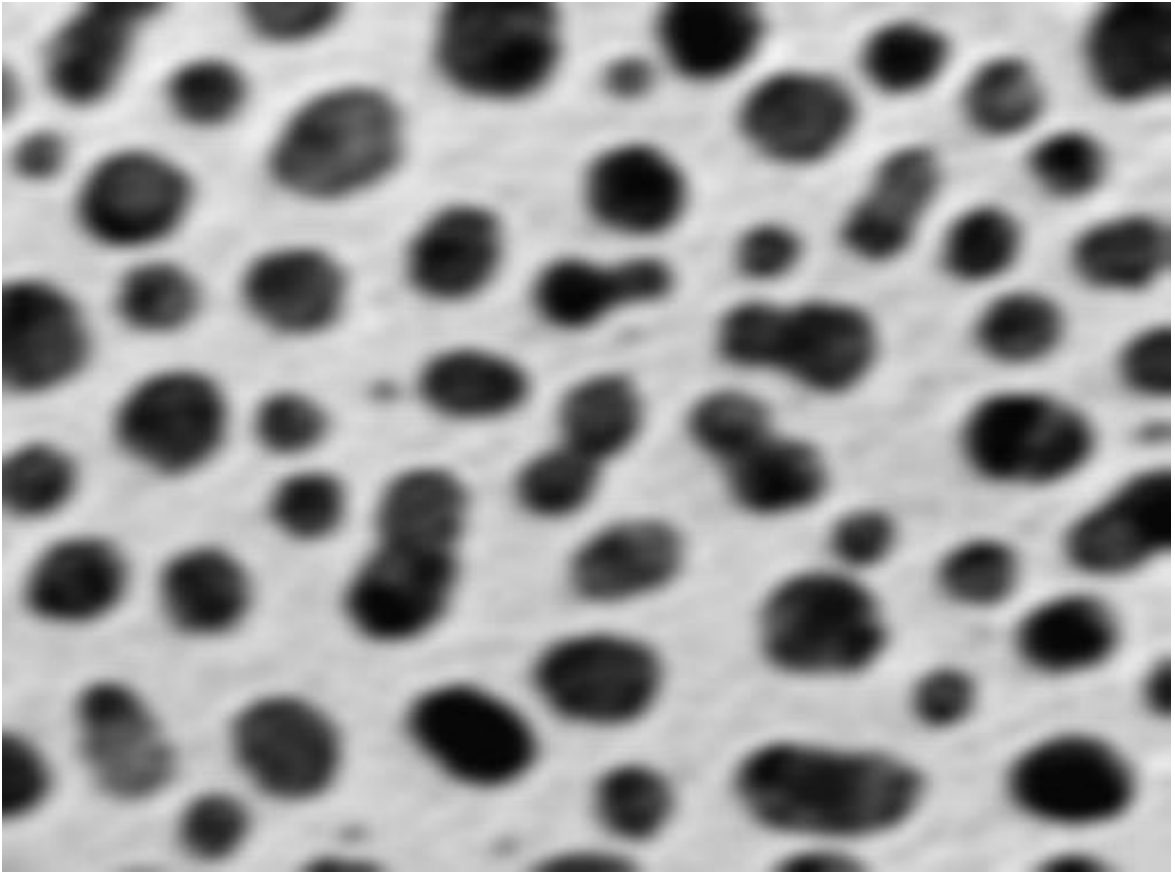
- (f) Returned the newly formed image after going through all the rows and columns.
- Problem faced,
  - Finding the 4 new points  $(x1,y1)$ ,  $(x1,y2)$ ,  $(x2,y1)$  and  $(x2,y2)$ . Solved using `np.floor()` and `np.ceil()`
  - Keeping the  $x1, x2, y1, y2$  in the range.
- Algorithm worked perfectly for both the given images with any scaling factor. Here are the outputs,



$f_x = 0.75, f_y = 0.5$



$f_x = 1.5, f_y = 1.75$



$f_x = 2, f_y = 1.5$