

Algorithmic Graph Theory (Practical)

Semester VII (B.Tech. in Computer Science and Engineering)

- 1a) Implementation of undirected unweighted graph using Adjacency Matrix.
- 1b) Implementation of undirected weighted graph using Adjacency Matrix.
- 1c) Implementation of directed unweighted graph using Adjacency Matrix.
- 1d) Implementation of directed weighted graph using Adjacency Matrix.

- 2a) Implementation of undirected unweighted graph using Incidence Matrix.
- 2b) Implementation of undirected weighted graph using Incidence Matrix.
- 2c) Implementation of directed unweighted graph using Incidence Matrix.
- 2d) Implementation of directed weighted graph using Incidence Matrix.

- 3a) Implementation of undirected unweighted graph using Adjacency List.
- 3b) Implementation of undirected weighted graph using Adjacency List.
- 3c) Implementation of directed unweighted graph using Adjacency List.
- 3d) Implementation of directed weighted graph using Adjacency List.

- 4a) Consider an undirected graph, do DFS on it, and compute the DFS tree.
- 4b) Consider a directed graph, do DFS on it, and compute the DFS tree.
- 4c) Compute the number of components of a given undirected graph using DFS.
- 4d) Consider an undirected graph. Do DFS on it and differentiate its edges based on your sequence of visiting the vertices.
- 4e) Consider a directed graph. Do DFS on it and differentiate its edges based on your sequence of visiting the vertices.

- 5a) Consider an undirected graph, do BFS on it, and compute the BFS tree.
- 5b) Consider a directed graph, do BFS on it, and compute the BFS tree.
- 5c) Do BFS for computing the shortest distance and the path between a pair of vertices of an undirected graph, if one exists.
- 5d) Do BFS for computing the shortest distance and the path between a pair of vertices of a directed graph, if one exists.

- 6) Devise a scheme to represent a sparse matrix A and transpose this representation of A in lexicographic order.

- 7) Perform topological sort on a directed graph and report if there are any cycles. If it is a DAG, report a deterministic ordering of vertices of the given graph.

- 8) Expand the set of edges of a directed graph to obtain its transitive closure.

- 9) Report the set of strongly connected components (SCCs) in a given directed graph.

- 10) Report the set of bi-connected components (BCCs) in a given undirected graph.

- 11) Compute a minimum spanning tree (MST) of a suitable graph instance.

- 12) Devise an algorithm to compute a matching set of edges of a suitable graph instance.

- 13) Recognize triangulated graphs.

14) Recognize split graphs.