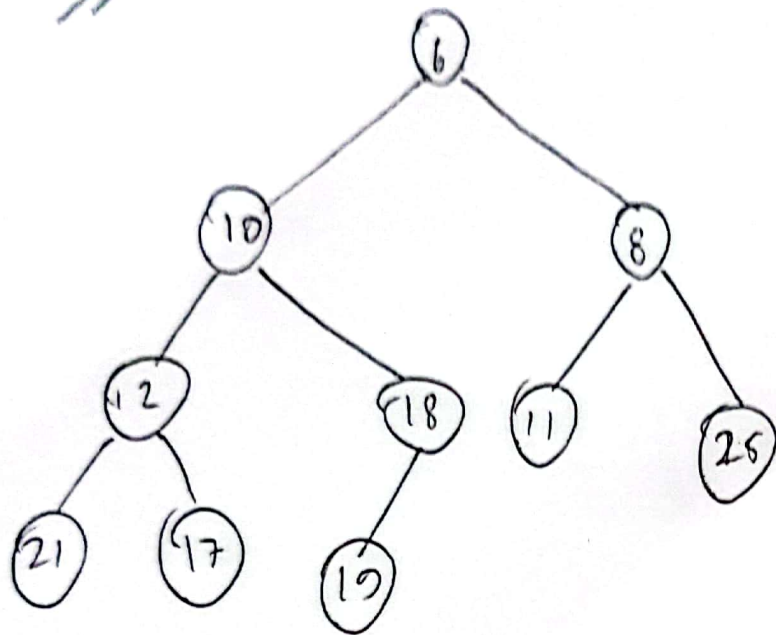
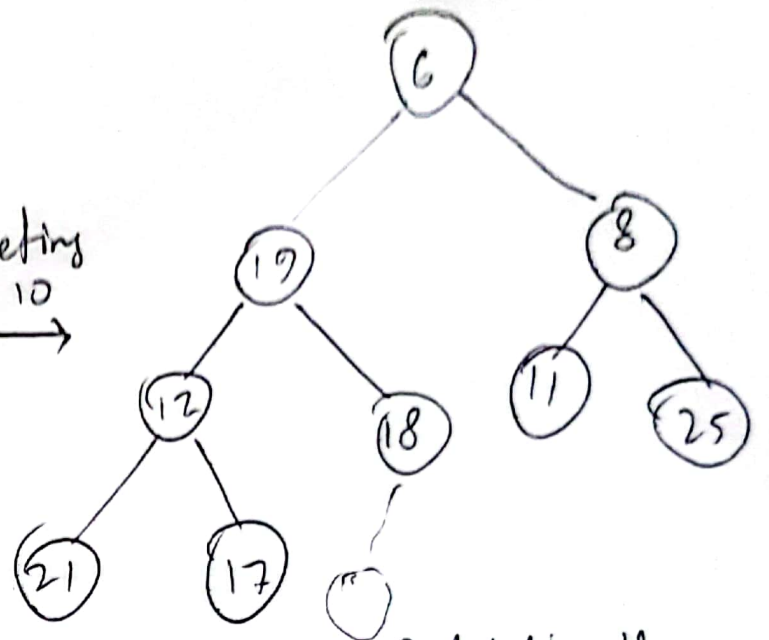


2a)

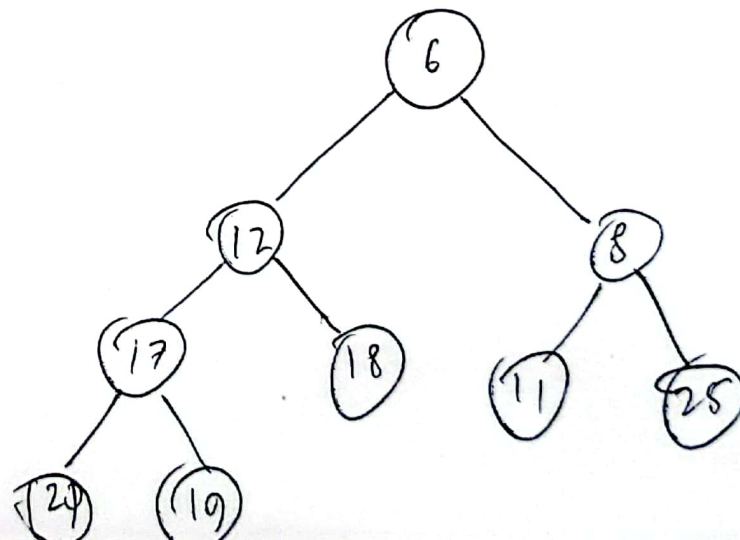


deleting
10
→



↖ deleting this
node as well

min heapify ↓



3(b)

Make Interval Set (S)

for

Let S be the set which contains the number.

R be the set of intervals.

while S is not empty:

Get the first element of S, let it be n_i

Push $[n_i, n_i+1]$ into R

keep popping the element of S until all the elements
into the interval has been popped out.

return R

}

This is not the formal proof.

The main idea of correctness is that we are choosing the

left most interval greedily at any time which is not in an

interval. Thus, our algorithm is ensured to cover all the

points and no waste space would be wasted even if there

is some large gap between interval.

The runtime is $O(n)$

lcs()

	"	"	A	L	G	O	R	I	T	H	M
"	0	0	0	0	0	0	0	0	0	0	0
L	0	0	1	1	1	1	1	1	1	1	1
I	0	0	1	1	1	1	2	2	2	2	2
T	0	0	1	1	1	1	2	3	3	3	3
H	0	0	1	1	1	1	2	3	4	4	4
I	0	0	1	1	1	1	2	3	4	4	4
U	0	0	1	1	1	1	2	3	4	4	4
M	0	0	1	1	1	1	2	3	4	5	5

L I T H M

initial call $LCS("Algorithm", "Lithm")$

~~Let's~~

~~Declare~~ Declare an array $[s1.size() + 1][s2.size() + 1]$

$LCS(s1, s2) \{$

if $(s1.length() == 0 \parallel s2.length() == 0)$

return 0;

if $(array[s1.size()][s2.size()] != -1)$ ~~return array~~

return $array[s1.size()][s2.size()];$

o'if

compare the last characters.

if they are equal

~~return array[s1.size()]~~

dist = $LCS(s1 - \text{last character}, s2 - \text{last character}) + 1$

else

dist = $\max(LCS(s1 - \text{last character}, s2), LCS(s1, s2 - \text{last character}))$

return $array[s1.size()][s2.size()] = \max(dist1, dist2)$