## Text embeddings similarity

We perform below steps to find similarity between two embeddings:

- Vector Representation: Text is first converted into vectors using methods like Word2Vec, GloVe, or transformer models (e.g., BERT). Each vector represents the semantic meaning of the text.
- Dot Product: The cosine similarity between two vectors is calculated using the dot product. For two vectors AAA and BBB:
   Dot Product=A · B=∑i=1nAi×Bi\text{Dot Product} = A \cdot B = \sum\_{i=1}^{n} A\_i
- \times B\_iDot Product=A · B=i=1∑nAi×Bi
   Magnitude: Each vector's magnitude (or length) is computed:
   Magnitude of A=∑i=1nAi2\text{Magnitude of A} = \sqrt{\sum\_{i=1}^n}^{n}
   A iA2\text{Magnitude of A=i=1∑nAi2 Magnitude of B=∑i=1nBi2\text{Magnitude of B}
   = \sqrt{\sum\_{i=1}^n}^{n} \text{Magnitude of B}
   = \sqrt{\sqrt{\sum\_{i=1}^n}^{n}}^{n} \text{Magnitude of B}
   = \sqrt{\s
  - Magnitude of  $A=\sum_{i=1}^{n}1$  A\_i^2\text{Magnitude of A} = \sqrt{\sum\_{i=1}^{n}} A\_i^2\text{Magnitude of B} = \sqrt{\sum\_{i=1}^{n} B\_i^2\text{Magnitude of B} = \sqrt{\sqrt{\sum\_{i=1}^{n} B\_i^2\text{Magnitude of B} = \sqrt{\sqrt{\sqrt{\sqrt{\sum\_{i=1}^{n} B\_i^2\text{Magnitude of B} = \sqrt{\
- 4. Cosine Similarity Formula: The cosine similarity is then calculated as:

  Cosine Similarity=A · B // A // × // B // \text{Cosine Similarity} = \frac{A \cdot B}{\|A\| \times \|B\|}Cosine Similarity= // A // × // B // A · B

  where // A // \|A\| // A // and // B // \|B\| // B // are the magnitudes of vectors AAA and BBB, respectively.

## Interpretation:

- The value of cosine similarity ranges from -1 to 1.
  - 1: Indicates that the vectors are identical in direction (high similarity).
  - o **0**: Indicates orthogonality (no similarity).
  - -1: Indicates opposite directions (completely dissimilar).