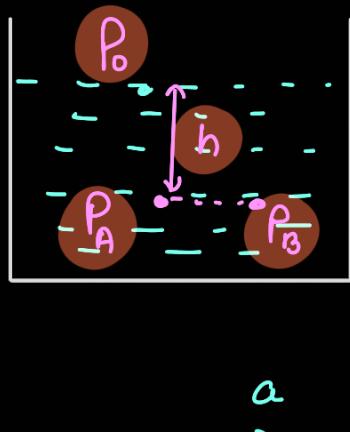


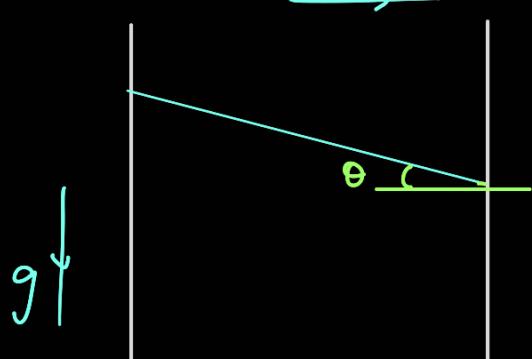
# Mechanical Properties Of Fluids

Pressure  $\rightarrow$  Lagta nhi hota hai iski wahan se force lagta hai



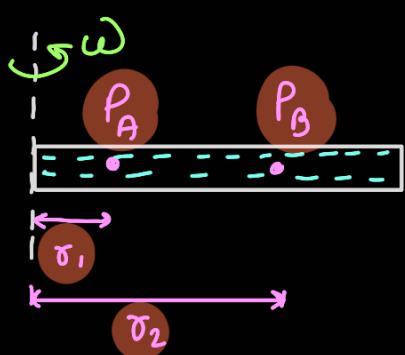
$$P_A = P_0 + h \gamma g = P_B$$

If container and liquid is at rest then same height par pressure same hogta



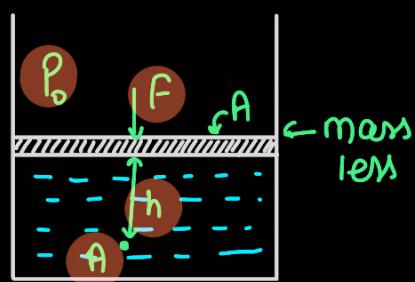
$$\tan \theta = \left( \frac{a}{g} \right)$$

Hz me pseudo force ki dirx me pressure badhega.

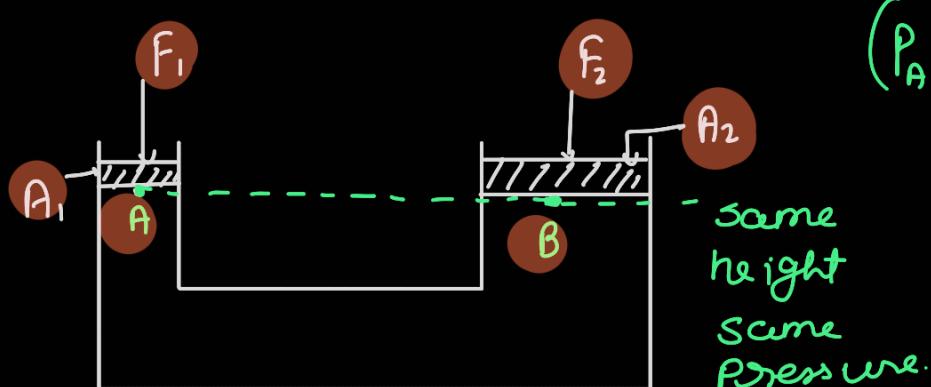


$$P_A - P_B = \frac{1}{2} \gamma \omega^2 (r_2^2 - r_1^2)$$

$\delta$  = distance of point from the rotating axis

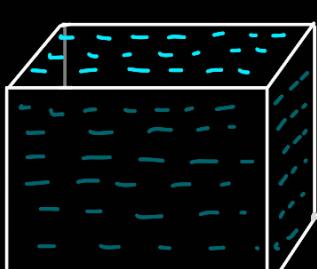


$$P_A = P_0 + \frac{F}{A} + \gamma g h$$



$$(P_A = P_B)$$

$$F_2 = F_1 \left( \frac{A_2}{A_1} \right)$$

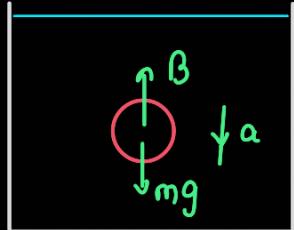


$$F_{\text{on side walls}} = \left( \frac{P_{\text{at centre of wall}}}{\text{of wall}} \right) (\text{Area of wall})$$

# Buoyancy

$$\text{Buoyancy} = \rho_L V_d g$$

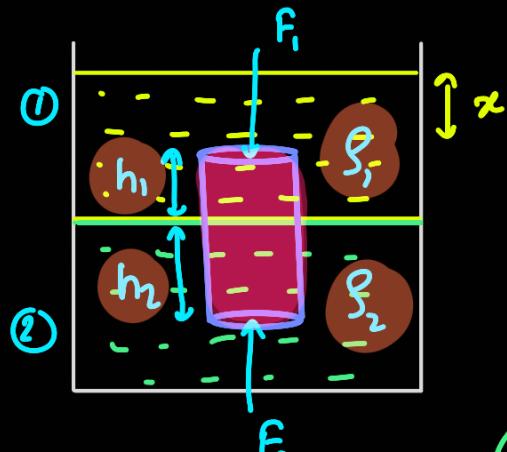
$\rho_L$  = density of liq.  
 $V_d$  = vol. of liq. displaced  
 or  
 vol. of obj. inside liq.



$$a = g \left( 1 - \frac{\rho_L}{\rho_s} \right)$$

$\rho_L$  = density of liq.

$\rho_s$  = density of obj.



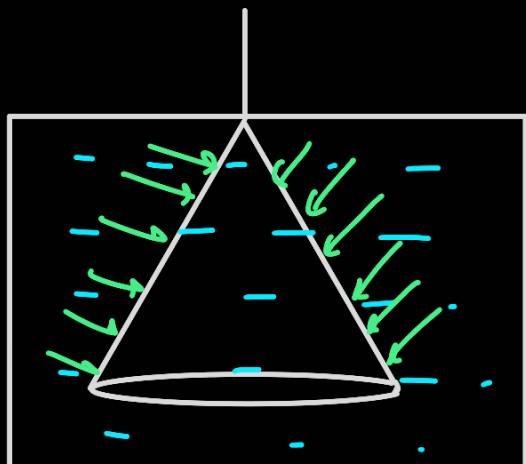
force by ① on cylinder

$$(P_0 + \rho_1 g x) A = F_1$$

force by ② on cylinder

$$F_2 = (P_0 + \rho_1 g x + \rho_1 g h_1 + \rho_2 g h_2) A$$

$$F_1 - F_2 = B$$



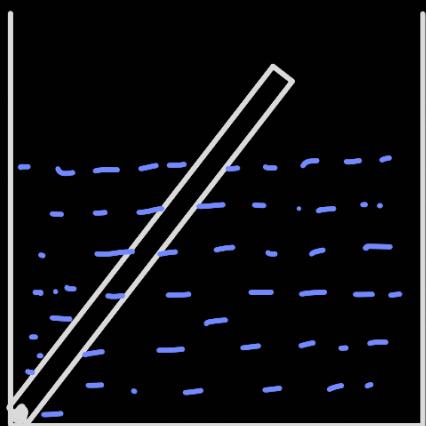
$$B = F_b - F_s$$

$F_{\text{on base}}$        $F_{\text{on side walls}}$

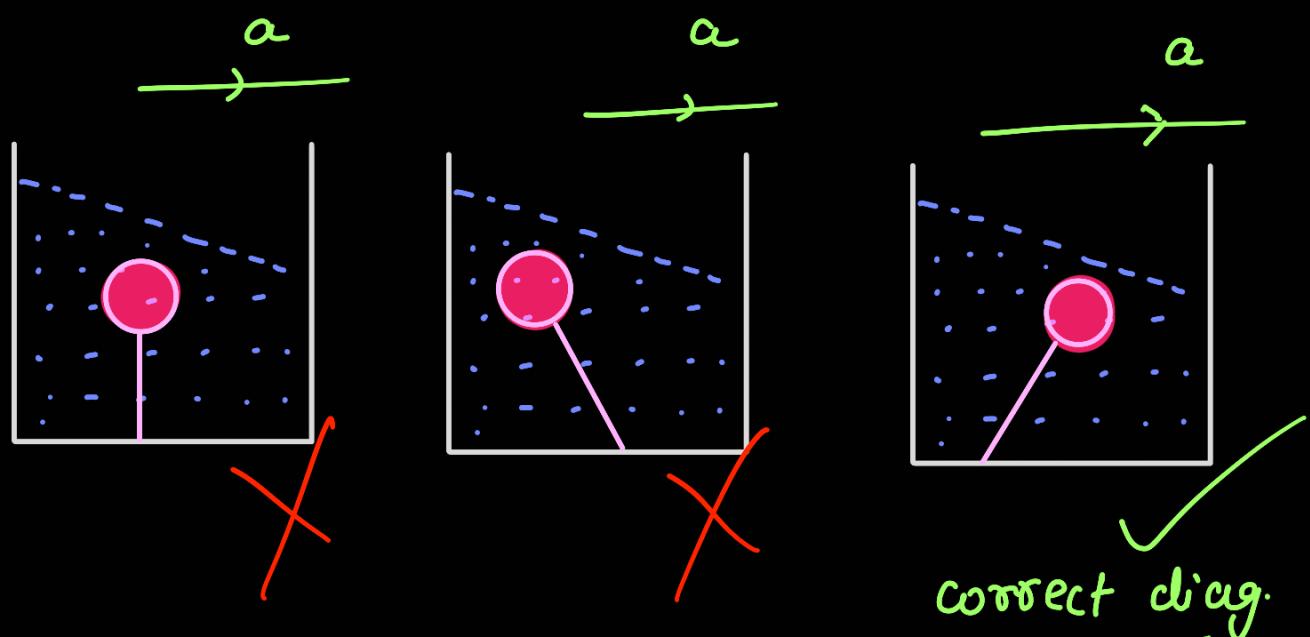
Substance

$$\text{Specific gravity / Relative 's' } = \frac{\rho_s}{\rho_w}$$

$\rho_s$  ← s of substance  
 $\rho_w$  ← s of water.



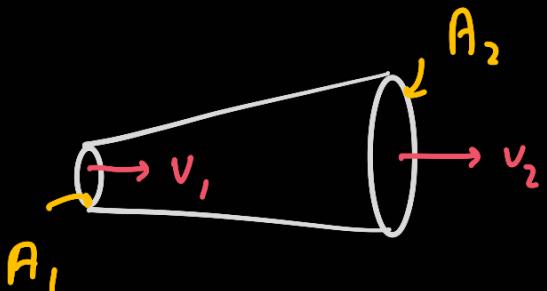
Is case me Buoyancy displaced liquid ke com par lagega yani jitna sod duba hue hai uske com par.



## FLUID DYNAMICS

Equation of Continuity →

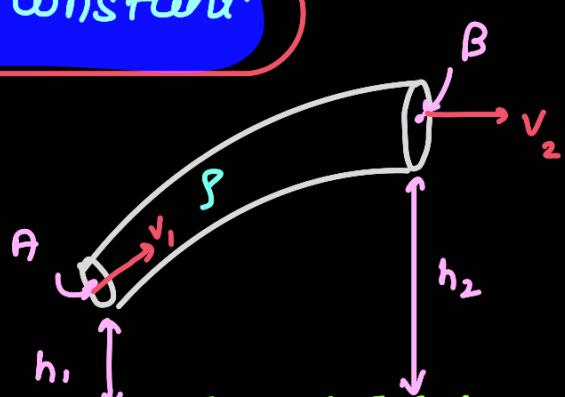
$$A_1 v_1 = A_2 v_2$$



Bernoulli Theorem

$$P_A + \rho g h + \frac{1}{2} \rho v^2 = \text{constant}$$

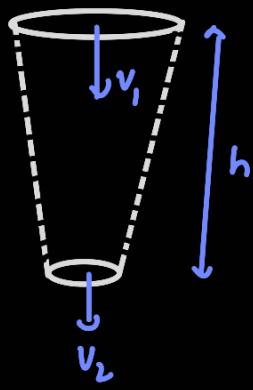
i.e.



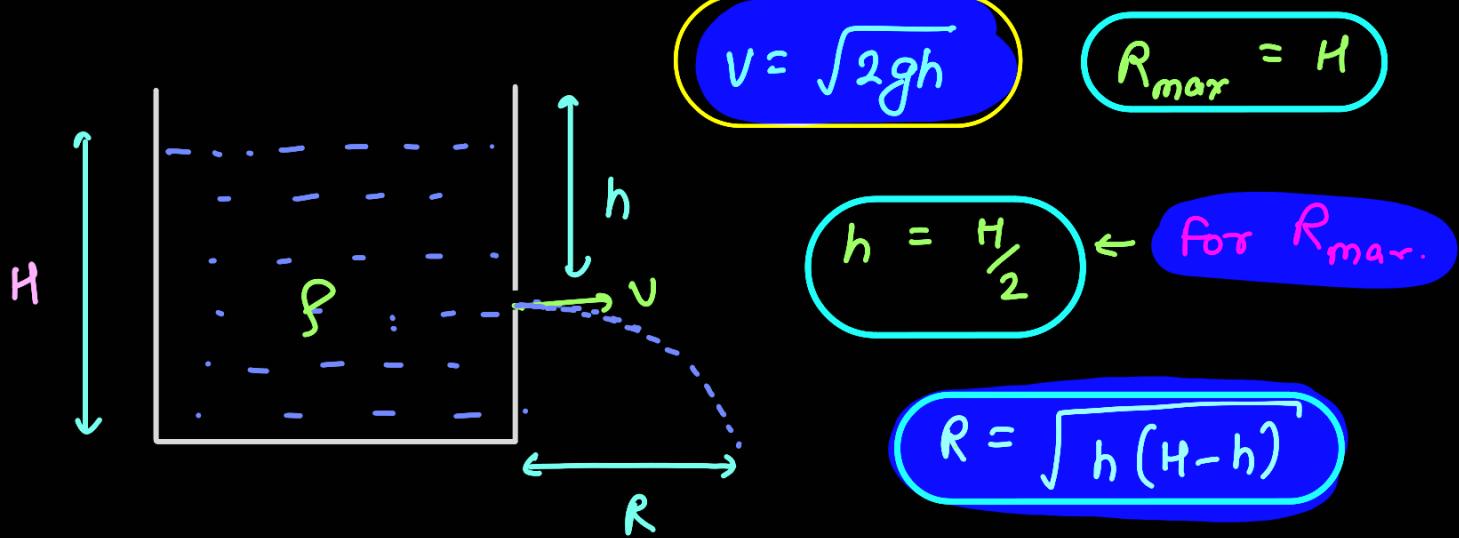
$$P_A + \rho g h_1 + \frac{1}{2} \rho v_1^2 = P_B + \rho g h_2 + \frac{1}{2} \rho v_2^2$$

## Tap water (Dhaar walla Sawal)

$$V_2^2 = V_1^2 + 2gh$$



Velocity of Efflux.



$$F_{\text{thrust}} = \rho A_{\text{hole}} 2gh$$

$$F_{\text{thrust}} = \frac{dm}{dt} \cdot V_{\text{rel}}$$

## STOKES LAW

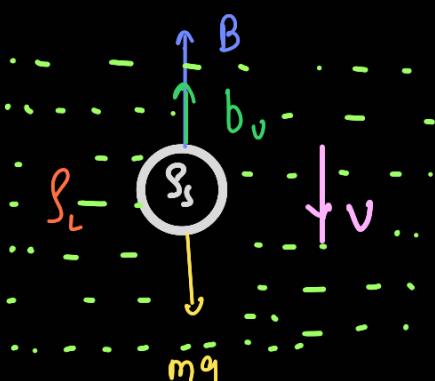
$$b_v = 6\pi\tau\eta v$$

for a spherical body.

$b_v$  = viscous force  
 $\eta$  = coefficient of viscosity.  
 $r$  = radius of sphere

$$V_T = \frac{2}{9} \frac{r^2 g (\rho_s - \rho_e)}{\eta}$$

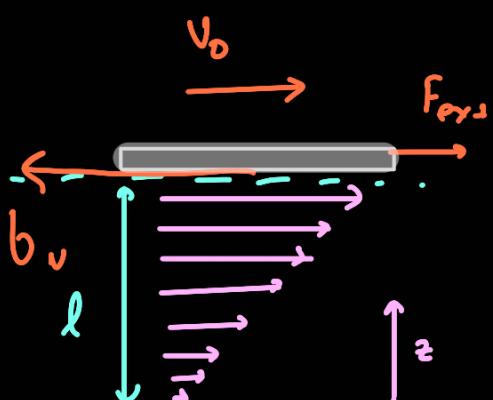
Terminal velocity.



## VISCOSEITY

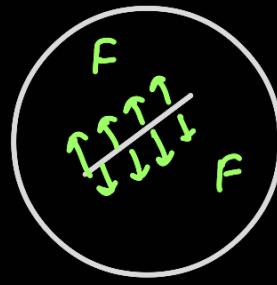
$$b_v = \left| \eta A \frac{dy}{dz} \right| = b_v = \left| \eta A \frac{v_o}{l} \right|$$

$A$  = area of contact



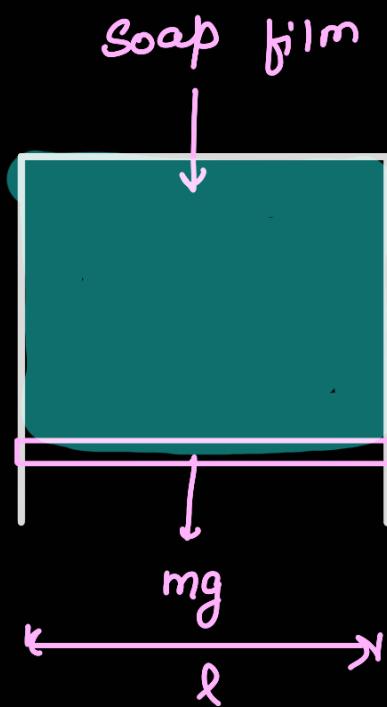
# SURFACE TENSION

$$F = S \ell$$



Soap film ke case  
me surface 2 nota  
hai dhyān rakhna !!

$$mg = 2S\ell$$



$$\text{Surface Energy} = S \cdot A$$

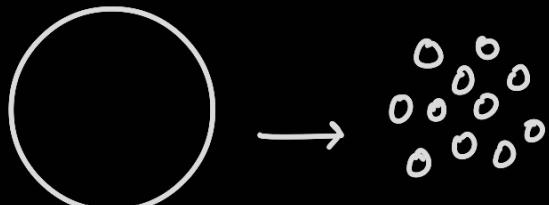
$S$  = Surface Tension.

$A$  = Free Surface area.

SI unit of viscosity  $\rightarrow 1 \text{ Pa sec} = \text{ Poiseuille}$ .

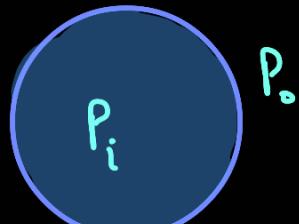
CGS unit of viscosity  $\rightarrow 1 \text{ Poise}$

$$10 \text{ Poise} = 1 \text{ Deca Poise} = 1 \text{ Poiseuille}$$



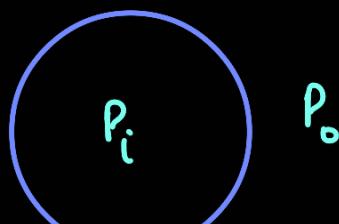
$$(\Delta SE) = mS \Delta T = \Delta \theta$$

Liquid Bubble



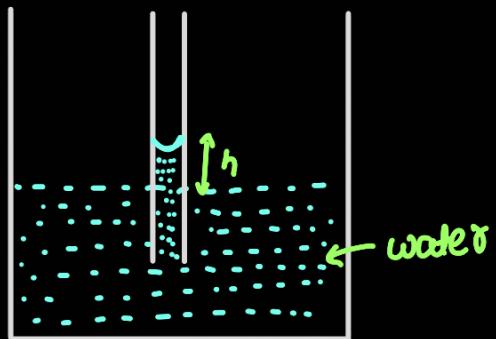
$$P_i - P_o = \frac{2S}{R}$$

Soap Bubble



$$P_i - P_o = \frac{4S}{R}$$

# Tube / Capillary Action



$$h = \frac{2S}{\gamma g} = \frac{2S \cos \theta}{\gamma g}$$