

Sl No	Name	Roll No	Assignment	Marks	Remarks
1	Manish Kumar	EEB17036	Fig. 1 b) from "New family of 4-D hyperchaotic and chaotic systems with quadric surfaces of equilibria"	20	1. Overall good. ( <i>note: it is not a PMSG model which you mentioned in your code!</i> ) 2. Explain the following lines of your code (why negative only for Xn): X_total=[Xn -Xn]; Y_total=[Yn Yn]; Z_total=[Zn Zn]; 3. Can you explain how the equilibrium points you have calculated are in the form of the general equation/expression of a spheroid?
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### 1. Explain the following lines of your code (why negative only for Xn):

X\_total= [Xn -Xn];  
Y\_total= [Yn Yn];  
Z\_total= [Zn Zn];

Ans: Because if we don't take negative of Xn we would have half spheroid.

As we have seen equilibrium point has been acquired from approximated solution

```
E=[x1val(3,:);x2val(3,:);x3val(3,:);x4val(3,:)];
```

Where X1val having multiple equation, here 3<sup>rd</sup> and 8<sup>th</sup> equation (the red one) in box below both equations have the same magnitude with opposite sign so we have taken 3<sup>rd</sup> equation in equilibrium point. After calculating the points from E we have added another calculated point with negative sign.

e.g. X\_total= [Xn -Xn] (here there is negative sign because 3<sup>rd</sup> and 8<sup>th</sup> equation in box below have opposite sign with same magnitude)

```
>> x1val
```

```
x1val =
```

```
-1.0*(1.0 - 2.0*z^2)^(1/2)
```

```
(-1.0*(z - 1.0)*(z + 1.0))^(1/2)
```

```
(- 2.0*z^2 - 1.0*z1^2 + 1.0)^(1/2)
```

```
-0.47140452079103168293389624140323*(- 9.0*z^2 - 8.0)^(1/2)
```

```
0.47140452079103168293389624140323*(- 9.0*z^2 - 8.0)^(1/2)
```

```
-1.0*(-1.0*(z - 1.0)*(z + 1.0))^(1/2)
```

```
(1.0 - 2.0*z^2)^(1/2)
```

```
-1.0*(- 2.0*z^2 - 1.0*z1^2 + 1.0)^(1/2)
```

Just like previous, here also 3<sup>rd</sup> and 8<sup>th</sup> equation in box below have same magnitude with same sign, we have only considered one of the them, after calculating the points from E we added second z1.

e.g.  $Y_{total} = [Y_n \ Y_n]$  (here there is no negative sign because in x2val value both equation 3<sup>rd</sup> and 8<sup>th</sup> are same )

```
>> x2val
x2val =
0
z
z1
-1.66666666666666666666666666666667
-1.66666666666666666666666666666667
z
0
z1
```

Similarly, for  $Z_{total} = [Z_n \ Z_n]$ ;

## 2. Can you explain how the equilibrium points you have calculated are in the form of the general equation/expression of a spheroid?

Ans: This is our equilibrium point

```
E =
(- 2.0*z^2 - 1.0*z1^2 + 1.0) ^ (1/2)
z1
0
z
```

let,

$$x1 = (- 2.0*z^2 - 1.0*z1^2 + 1.0) ^ (1/2) \quad -(1)$$

$$x2 = z1 \quad -(2)$$

$$x3 = 0 \quad -(3)$$

$$x4 = z \quad -(4)$$

Squaring both side in equation 1,2 & 3.

$$x_1^2 = (-2.0 * z^2 - 1.0 * z_1^2 + 1.0) \quad -(5)$$

$$x_2^2 = z_1^2 \quad -(6)$$

$$x_4^2 = z^2 \quad -(7)$$

Now, substituting the value of  $z_1^2$  and  $z^2$  from equation 6 & 7 into the equation 5.

We have,

$$x_1^2 + x_2^2 + \frac{x_4^2}{1/2} = 1, \quad x_3 = 0$$

This is the expression of a spheroid and is similar to the spheroid equation given in the research paper.

QS2  $\dot{x}_1 = x_3 \quad \dot{x}_2 = -x_3(hx_2 + dx_2^2 + x_1x_3) \quad \dot{x}_3 = \left( \frac{x_1^2}{a^2} + \frac{x_2^2}{a^2} + \frac{x_3^2}{b^2} = 1, x_3 = 0 \right) \quad \text{Spheroid}$   
 $\frac{x_1^2}{a^2} + \frac{x_2^2}{a^2} + \frac{x_3^2}{b^2} - 1 \quad \dot{x}_4 = -gx_3x_4 \quad h = 5, \quad d = 3, \quad g = 1, \quad a = 1, \quad 1/b^2 = 2$

**Thank you**