

MAT5007 – Applied Statistical Methods

Embedded Lab – R Statistical Software

FALL SEMESTER – 20222023

L25+L26 SLOT

E-RECORD

Experiment No.: 2

Submitted By

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SITE

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Experiment 1: The sales-alldata.csv data describes the revenue and weather in a region during the first quarter of 2020. Fit a linear regression model with REVENUE as the response variable and TEMPERATURE as an explanatory variable. Fit the Linear Regression and interpret your result. Next, include SUN_HOURS (A “Sun-Hour” is “1000 watts of energy shining on 1 square meter of surface for 1 hour”.) as one more independent variable. Fit the Multiple Regression and interpret your result.

Data after importing:

```
> data
```

	DATE	REVENUE	SUN_HOURS	PRECIPITATION	SNOW_DEPTH	TEMPERATURE
1	2020-01-01	7637	0.00000000	0.0	0.00	0.0
2	2020-01-02	9276	0.37250000	0.0	0.00	5.8
3	2020-01-03	11170	0.26361111	0.0	0.00	5.4
4	2020-01-04	11863	3.54861111	0.0	0.00	2.4
5	2020-01-05	10880	2.51250000	2.4	0.00	0.1
6	2020-01-06	6702	0.09333333	0.2	0.00	4.8
7	2020-01-07	8652	0.00000000	0.0	0.00	5.5
8	2020-01-08	8346	0.16166667	0.0	0.00	6.5
9	2020-01-09	6543	0.31944444	0.6	0.00	3.9
10	2020-01-10	8115	1.58694444	0.0	0.00	1.0
11	2020-01-11	7728	0.00000000	0.2	0.00	1.2
12	2020-01-12	10649	0.44194444	0.0	0.00	5.9
13	2020-01-13	6787	2.42083333	0.0	0.00	2.6
14	2020-01-14	4555	0.00000000	7.4	0.00	3.8
15	2020-01-15	5885	0.00000000	0.0	0.00	7.8
16	2020-01-16	10127	0.85583333	0.0	0.00	6.1
17	2020-01-17	8893	0.00000000	0.0	0.00	4.8
18	2020-01-18	12520	0.05500000	0.0	0.00	4.8
19	2020-01-19	11860	6.18555556	0.0	0.00	3.1
20	2020-01-20	8515	0.77305556	0.0	0.00	3.8
21	2020-01-21	8129	2.09777778	0.0	0.00	6.8
22	2020-01-22	10405	3.55250000	0.0	0.00	3.2
23	2020-01-23	6672	2.02694444	0.0	0.00	1.5
24	2020-01-24	12300	4.97361111	0.0	0.00	5.1
25	2020-01-25	10651	4.45861111	0.0	0.00	2.1
26	2020-01-26	11882	0.00000000	0.0	0.00	5.8
27	2020-01-27	9397	0.00000000	0.6	0.00	4.8

```

> x=data$TEMPERATURE
> x
 [1] 0.0 5.8 5.4 2.4 0.1 4.8 5.5 6.5 3.9 1.0 1.2 5.9 2.6 3.8 7.8 6.1 4.8
[18] 4.8 3.1 3.8 6.8 3.2 1.5 5.1 2.1 5.8 4.8 3.4 3.3 2.4 3.0 6.1 3.8 0.5
[35] -1.3 0.5 0.4 0.1 2.4 4.5 5.7 4.0 3.2 1.0 0.8 3.8 7.1 6.6 6.6 4.5 2.8
[52] 5.7 6.5 5.2 2.3 1.4 0.2 -1.3 -1.3 1.1 4.2 4.4 3.7 2.1 2.1 2.0 1.9 4.5
[69] 6.8 5.0 5.6 4.9 2.1 -0.9 2.0 4.1 5.7 6.3 5.5 2.1 0.0 0.1 2.8 4.2 7.0
[86] 6.5 6.2 5.3 1.3 0.1 3.4
> y=data$REVENUE
> y
 [1] 7637 9276 11170 11863 10880 6702 8652 8346 6543 8115 7728 10649 6787 4555
[15] 5885 10127 8893 12520 11860 8515 8129 10405 6672 12300 10651 11882 9397 5174
[29] 4436 6202 9949 10192 13904 11208 8578 6638 7093 8187 10099 8160 3797 8734
[43] 4355 8452 7367 9339 5427 7022 8417 8760 4936 11273 7046 10074 9114 4493
[57] 4992 3789 7480 8358 7269 6489 3586 2570 5059 9087 11570 10476 8977 4509
[71] 5837 3559 7489 8138 8876 4800 3836 2750 7715 4364 9393 7830 4858 5140
[85] 7043 8662 9196 8267 8237 4249 8291

```

```

> fit=lm(y~x)
> fit

```

Call:

```
lm(formula = y ~ x)
```

Coefficients:

(Intercept)	x
7543.44	66.28

Equation of Linear Regression: $Y = 66.28 X + 7543.44$

```
> w=data$SUN_HOURS
> w
 [1] 0.00000000 0.37250000 0.26361111 3.54861111 2.51250000 0.09333333 0.00000000
 [8] 0.16166667 0.31944444 1.58694444 0.00000000 0.44194444 2.42083333 0.00000000
[15] 0.00000000 0.85583333 0.00000000 0.05500000 6.18555556 0.77305556 2.09777778
[22] 3.55250000 2.02694444 4.97361111 4.45861111 0.00000000 0.00000000 0.00000000
[29] 0.00000000 0.00000000 0.00000000 1.50750000 6.70888889 6.85888889 0.09138889
[36] 3.96861111 3.26555556 1.15611111 0.00000000 1.14805556 0.23944444 0.69166667
[43] 1.69333333 8.53333333 6.66250000 0.01416667 0.00000000 1.55083333 2.58805556
[50] 7.62638889 3.16527778 7.49055556 0.20055556 6.78666667 8.94694444 2.53583333
[57] 0.51944444 0.00000000 6.55861111 2.25750000 0.91555556 6.01888889 0.00000000
[64] 0.00000000 0.04666667 9.34805556 2.85055556 2.89916667 3.60500000 0.72888889
[71] 0.13555556 0.66138889 5.24972222 11.19111111 5.43888889 6.09472222 0.59083333
[78] 1.32916667 11.57500000 3.21694444 10.37333333 11.13527778 6.43416667 5.35000000
[85] 6.95083333 11.44222222 9.69944444 3.41638889 11.69916667 7.36500000 10.23666667
```

```
> input=data.frame(y,x,w)
> input
```

	y	x	w
1	7637	0.0	0.00000000
2	9276	5.8	0.37250000
3	11170	5.4	0.26361111
4	11863	2.4	3.54861111
5	10880	0.1	2.51250000
6	6702	4.8	0.09333333
7	8652	5.5	0.00000000
8	8346	6.5	0.16166667
9	6543	3.9	0.31944444
10	8115	1.0	1.58694444
11	7728	1.2	0.00000000
12	10649	5.9	0.44194444
13	6787	2.6	2.42083333
14	4555	3.8	0.00000000
15	5885	7.8	0.00000000
16	10127	6.1	0.85583333
17	8893	4.8	0.00000000
18	12520	4.8	0.05500000
19	11860	3.1	6.18555556

```
> mulreg=lm(y~x+w,data=input)
> mulreg
```

Call:

```
lm(formula = y ~ x + w, data = input)
```

Coefficients:

(Intercept)	x	w
6788.7	122.1	173.0

Equation For Multiple Regression: $Y = 122.1 X + 173 W + 6788.7$