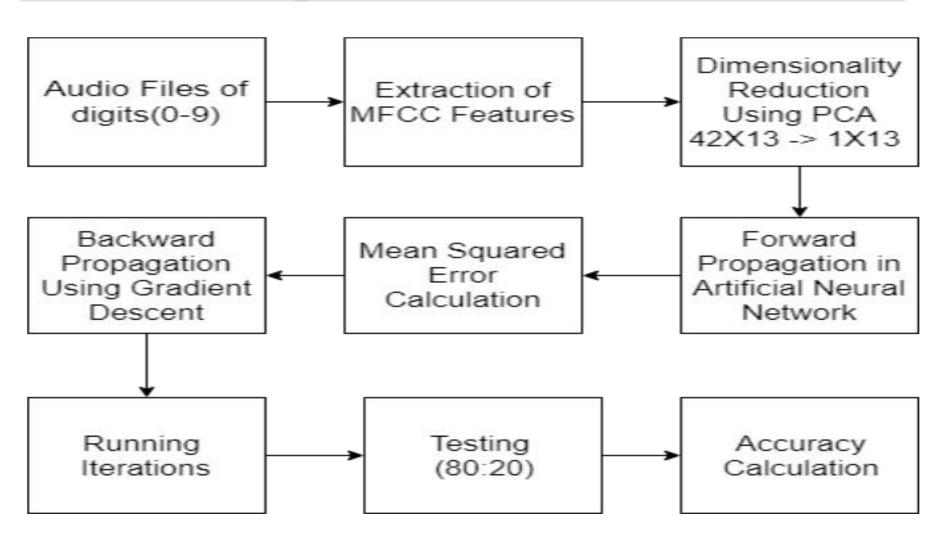
## <u>FLOW</u>

- 1. Block Diagram of Model- (ANN)
- 2. Dataset
- 3. MFCC Features Extraction
- 4. PCA
- 5. Forward Propagation
- 6. Backward Propogation using Gradient Descent
- 7. Results
- 8. Challenges
- 9. Timeline (workplan) of work for stage-3

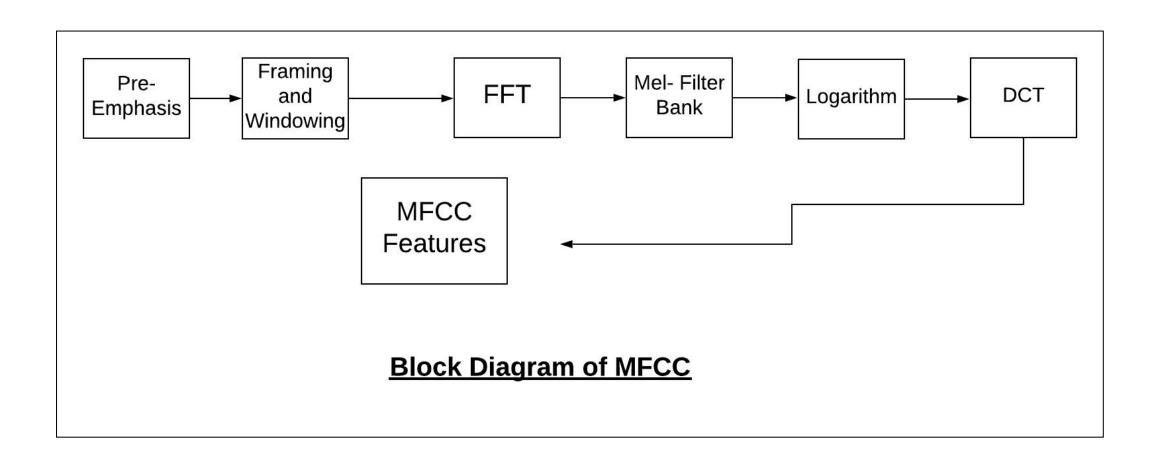
#### Block Diagram of Model (ANN)



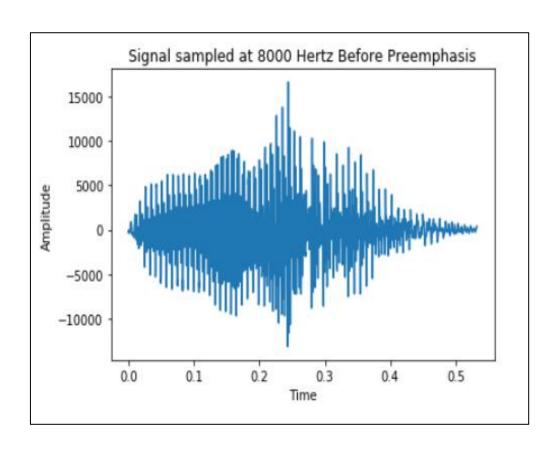
#### <u>Dataset</u>

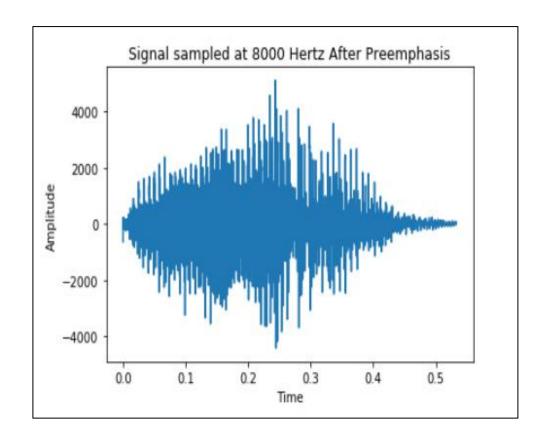
- 1. A simple audio/speech dataset consisting of recordings of spoken digits in wav files at 8kHz. The recordings are trimmed so that they have near minimal silence at the beginnings and ends.[1]
- 2. 4 speakers ['jackson', 'theo', 'nicolas', 'yweweler']
- 3. 2,000 recordings (50 of each digit per speaker)
- 4. English pronunciations

#### MFCC Feature Extraction

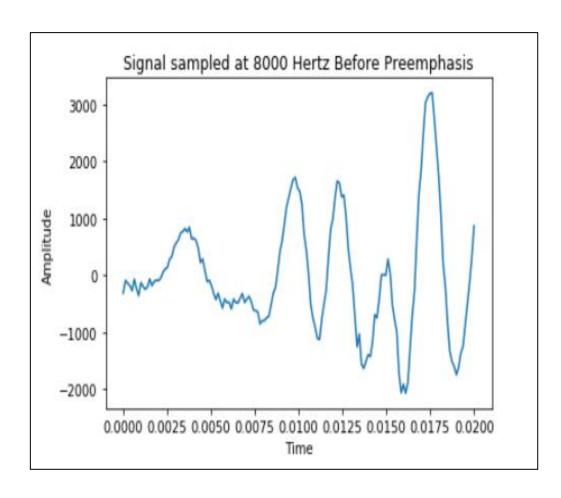


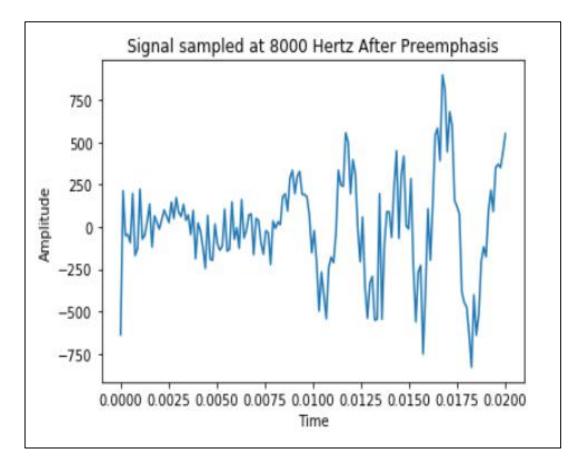
## Before preemphasis vs After (x(t)-0.97\*x(t-1))





#### Taking a small frame:





#### PCA (Principal Component Analysis) [3]

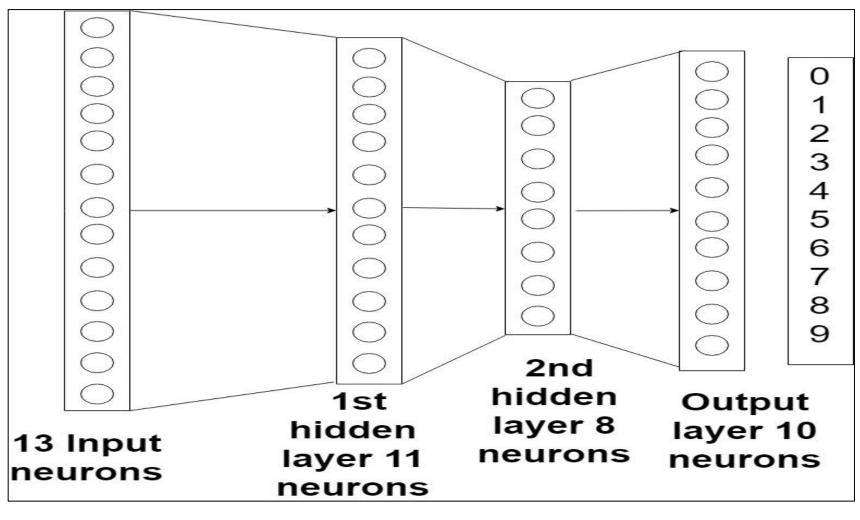
#### 42X13 Feature Vector to 13X1 Feature Vector

- A=U.E.V'
- E=Variance Covariance Matrix (Diagonal Matrix)
- U,V= Orthogonal Matrix (U'.U=U.U'=I)
- E is given by (A'.A)/13

#### **Now Using SVD:**

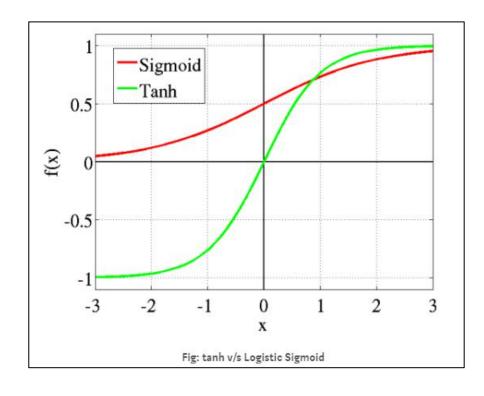
- A'.A=V.E.'E.V' and A.A'=U.E.E'.U'
- Thus finding out Eigen values and eigen vectors of A'.A, we get U(42X42)
  matrix
- So final Feature Vector after PCA is : A.U[:,1] -> (13X42)dot(42X1) -> 13X1 vector

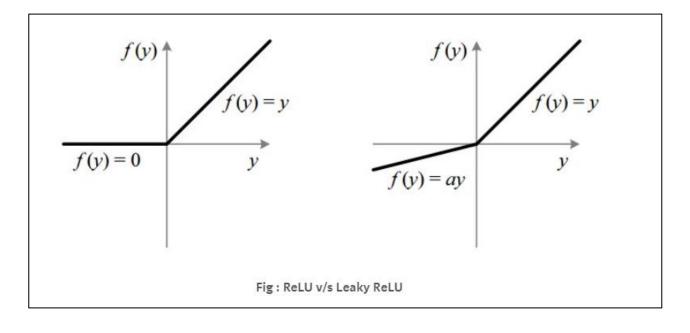
#### Model Architecture



W1 W2 W3

## Sigmoid VS tanh [2]





$$\cosh(x) = rac{1}{2}(e^x + e^{-x}); \; \sinh(x) = rac{1}{2}(e^x - e^{-x}); \; \tanh(x) = rac{\sinh(x)}{\cosh(x)}$$

$$S(x) = rac{1}{1 + e^{-x}} = rac{e^x}{e^x + 1}.$$

#### **Forward Propagation**

W1,W2,W3 are weight matrices from Input Layer to Output Layer

They are randomly initialized

Let X=Input : 13X1 feature vector

H1= First Hidden Layer

H2= Second Hidden Layer

Out= Result at output Layer

#### For ith Example:

**H1=simgoid(X(i).T \* W1+b1)** 

**H2=sigmoid(H1.T\*W2+b2)** 

Out=sigmoid(H2.T\*W3+b3)

#### **Backward Propagation**

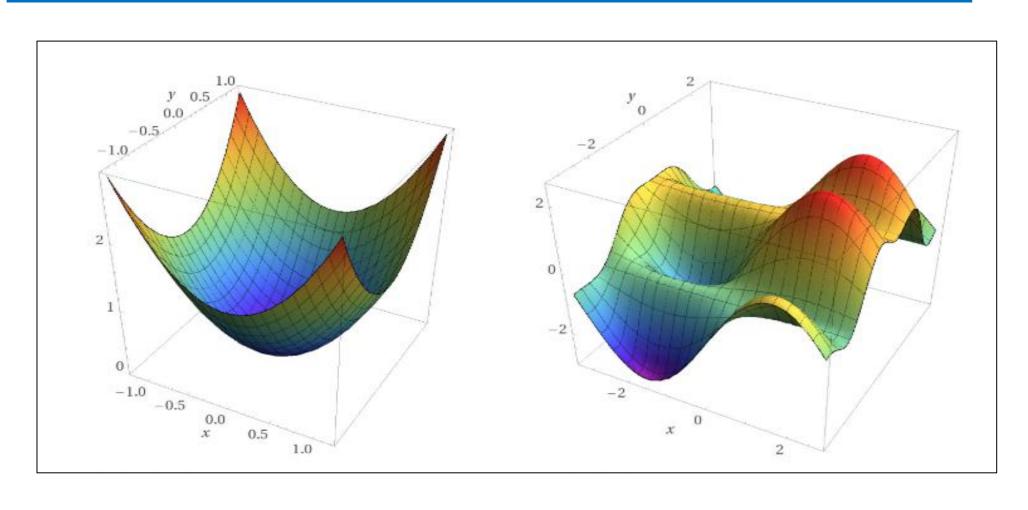
1. Error at Output Layer is Calculated as Mean Squared Error (MSE):

J= Cost Function =
$$(1/2)*(1/10)*(Out-Expected)^2$$

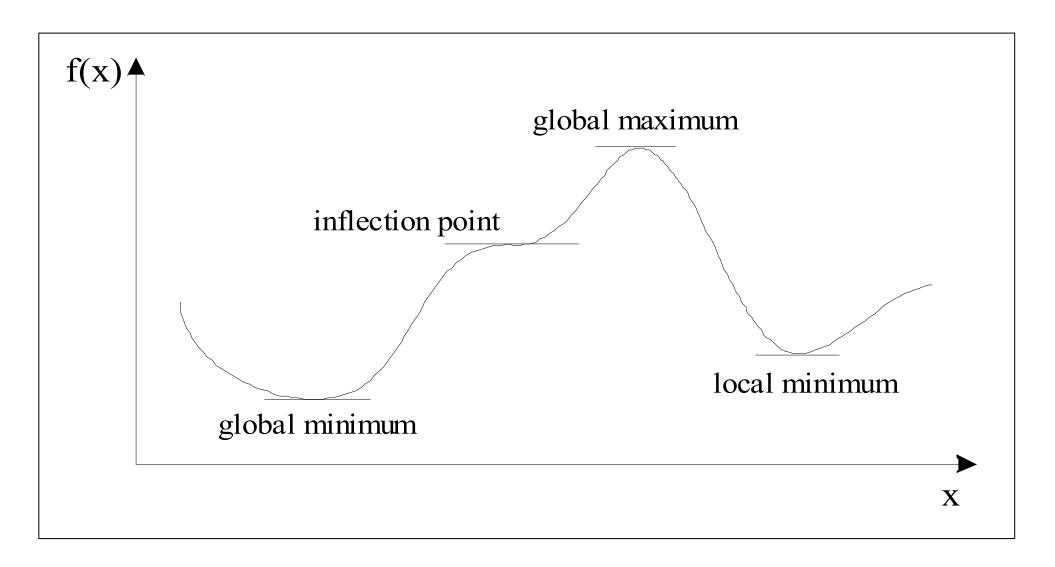
2. Gradient Descent Algorithm (Calculate gradients using Chain Rule)

```
Repeat until convergence { \theta_j \leftarrow \theta_j - \alpha \frac{\partial}{\partial \theta_j} J(\theta) }
```

#### Convex vs Non- Convex Functions



#### **Challenges for Gradient Descent**



#### Parameters Selection:

- 1. What should be the learning rate?
- 2. How many iterations?
- 3. How to initialize weights? All zeroes or taking from a probability distribution.
- 4. Using which activation function- Sigmoid, tanh or RelU, leaky RelU etc.
- 5. Stochastic Gradient Descent or Mini Batch Gradient Descent?

## Results

Iterations	Learning Rate	Accuracy
1000	0.1	88.83
1000	0.05	92.33
5000	0.1	92.08
5000	0.05	88.75
1000	0.01	80.5

## <u>Timeline</u>

Implementing LSTM for speech recognition for larger dataset until next presentation

#### References

- Zohar Jackson, César Souza, Jason Flaks, Yuxin Pan, Hereman Nicolas, & Adhish Thite. (2018, August 9). Jakobovski/free-spokendigit-dataset: v1.0.8 (Version v1.0.8). Zenodo. http://doi.org/10.5281/zenodo.1342401
- 2. https://towardsdatascience.com/activation-functions-neural-networks-1cbd9f8d91d6
- 3. https://www.youtube.com/watch?v=mBcLRGuAFUk&t=612s
- 4. https://haythamfayek.com/2016/04/21/speech-processing-for-machine-learning.html

# Thanks