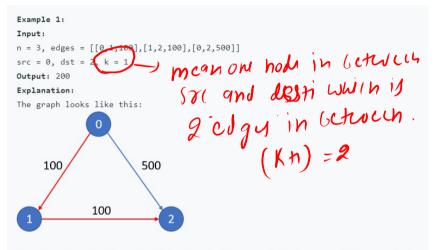
## 787. Cheapest Flights Within K Stops

Medium ௴ 1384 ♀ 51 ♡ Add to List ௴ Share

There are  $\,_{\rm N}\,$  cities connected by  $\,_{\rm m}\,$  flights. Each flight starts from city  $\,_{\rm U}\,$  and arrives at  $\,_{\rm V}\,$  with a price  $\,_{\rm W}\,$ .

Now given all the cities and flights, together with starting city src and the destination dst, your task is to find the cheapest price from src to dst with up to k stops. If there is no such route, output -1.

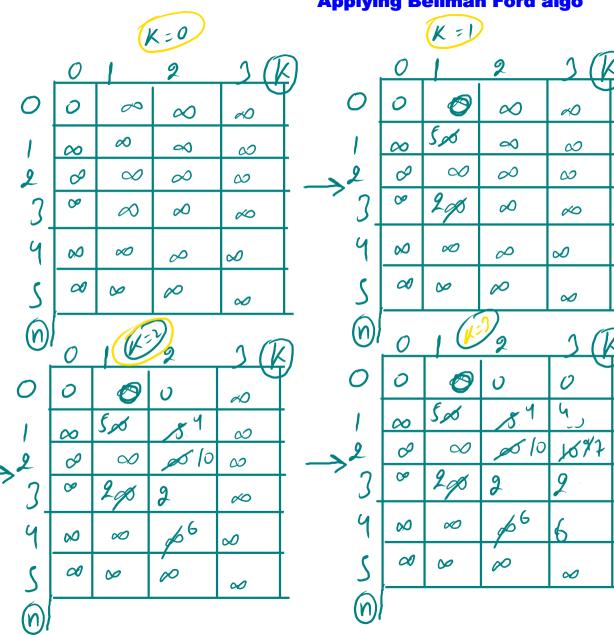


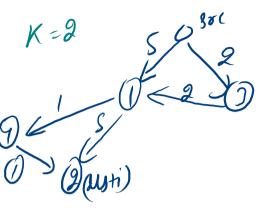
The cheapest price from city 0 to city 2 with at most 1 stop costs 200, as marked red in the picture.

The cheapest price from city 0 to city 2 with at most 0 stop costs 500, as marked blue in the picture.

```
int findCheapestPrice(int n, vector<vector<int>> &flights, int src, int dst, int K)
  vector<vector<pi>>> graph(n);
  for (auto &ar : flights)
      graph[ar[0]].push_back({ar[1], ar[2]});
  auto rvtx = pq.top();
                              idhar vis ke check isliye nahi Igaya because
      pq.pop();
                              cost and length dono sath hai. optimal cost pe
                              length correct ayye zaruri nahi hai. ek path
      if (rvtx[1] == dst)
                              abhi costly hai aage jake kam cost pe
         return rvtx[0];
                              destination reach krva skta hai.
      if (rvtx[2] == 0)
          continue;
      for (auto &e : graph[rvtx[1]])
         pq.push({rvtx[0] + e.second, e.first, rvtx[2] - 1});
  return -1;
```

## **Applying Bellman Ford algo**





```
5
[[0,1,5],[1,2,5],[0,3,2],[3,1,2],[1,4,1],[4,2,1]]
0
```