

Handling Missing Data

act

- ① Remove all missing rows
  - ② (a) Replace with generic substitute values (mean/midway/S.T.C.)
  - ③ Imputation: Estimate a probability model for the missing variable & replace the missing value with one or more samples from probability model.
- or most frequent if value is categorical.

→ Types of Missing Data

Data may be missing for a variety of reasons.  
→ corrupt during its transfer or storage

## ① MCAR - Missing Completely At Random

- prob of an observation being missing does not depend on observed or unobserved measurements.

Ex: movie rating from users, since some movies are more popular than others, some movies may not have ratings = NOT MCAR

② MAR → given the observed data, the probability that data is missing does not depend on unobserved data

Ex:

Y	Gender	Race	Income
	M	Asian	888
	F	Indian	
	M	American	

if missing data depends on gender/race then it is MAR.  
if not its MCAR.

Missing Data & R

→ Dealing with Outliers → Identifying → more outliers

→ Winsorization - Shrink outliers

→ Robustness - Keep the outliers & analyze data using a robust procedure.

Detecting Outliers

→ ① values below the  $c$ th percentile (at 100 - 2 percentile)

→ ② values more than  $c$  times std. dev<sup>n</sup> from the mean.

→ follows 1st technique (when an normal data is gaussian)

→ Issue: outliers can affect mean and other calculations.

→ So to avoid this mean not Entire

(or) just use percentiles (more robust)

(Liam-8) or

→ Data Transformations : Skewness & Power Transformations

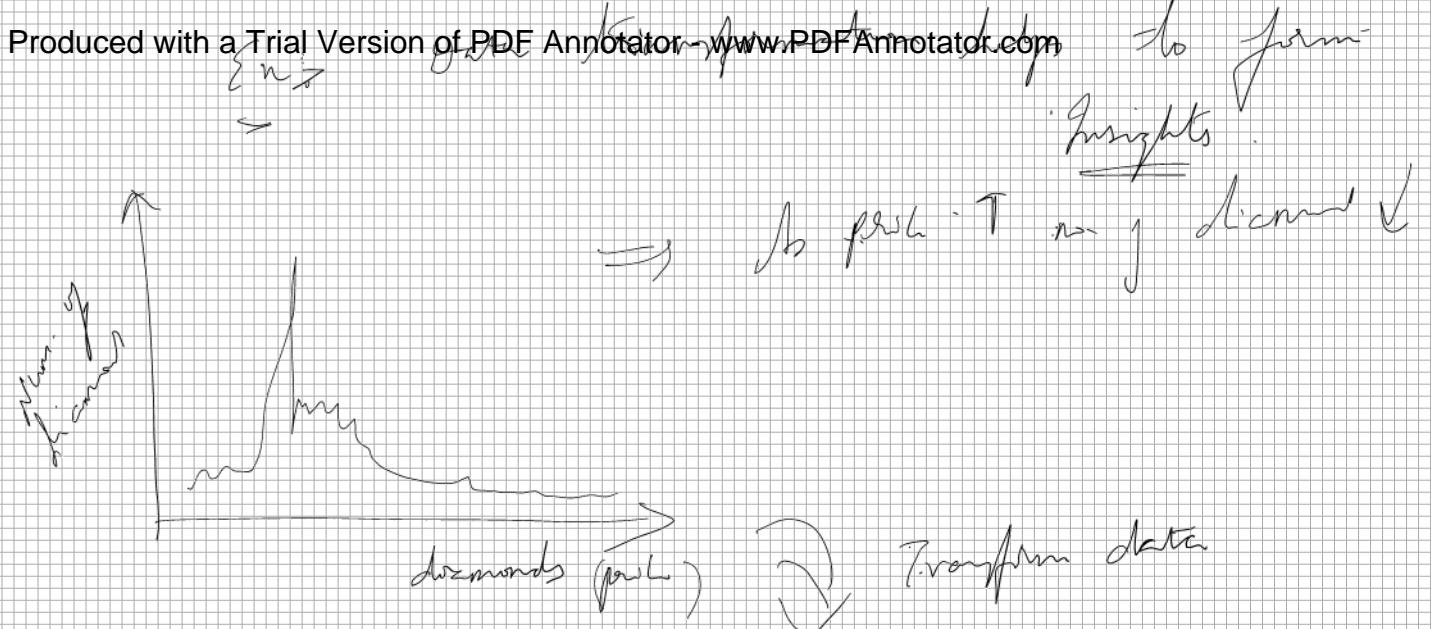
Data is generally drawn from a highly skewed distribution and that is not well described by a common distribution.

→ A single transformation may map the data to a form that is well described by common distributions.

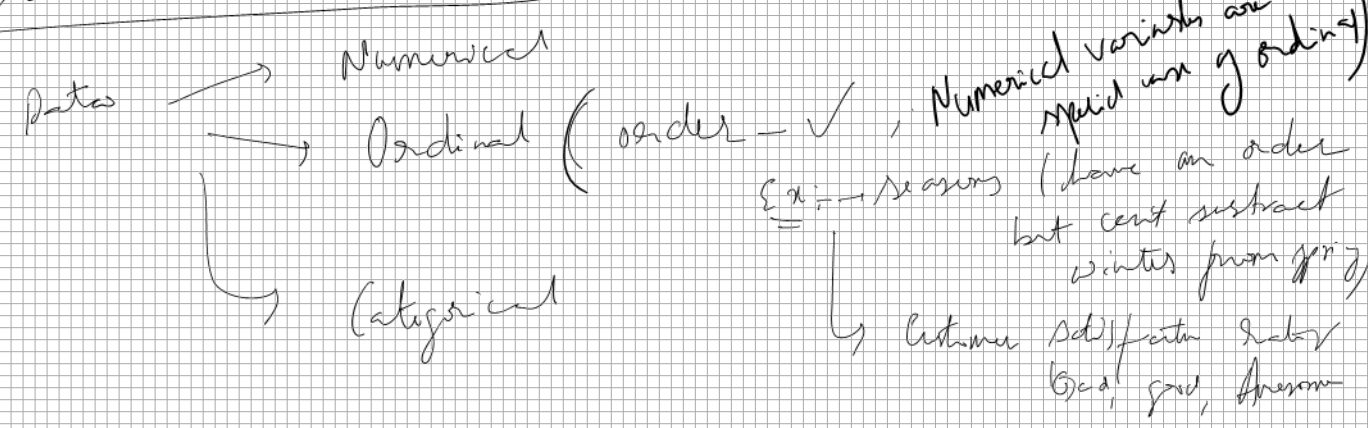
↳ Once transformed a suitable model can then be fitted to data.

→ Power Transformation family (Recall from <sup>video</sup> lecture)

$$f_{\lambda}(x) = \begin{cases} (x^{\lambda} - 1)/\lambda & \lambda > 0 \\ \log x & \lambda = 0 \\ -(x^{-\lambda} - 1)/\lambda & \lambda < 0 \end{cases} \quad x > 0$$



## → Data Transformation : Binning



## → Data Transformation → Indicator Variables

Indicator variables are used in conjunction with Binning.

Bin = 1-5 ⇒ 0; 5-16 ⇒ 1; 16- ⇒ 2

Ex:-

data	Bin	Indicators
1	0	000
4	0	000
15	1	010
20	2	100

# MAR & FIMAR

↳ Any of the 3 techniques used for handling missing data are reasonable, though some are better.

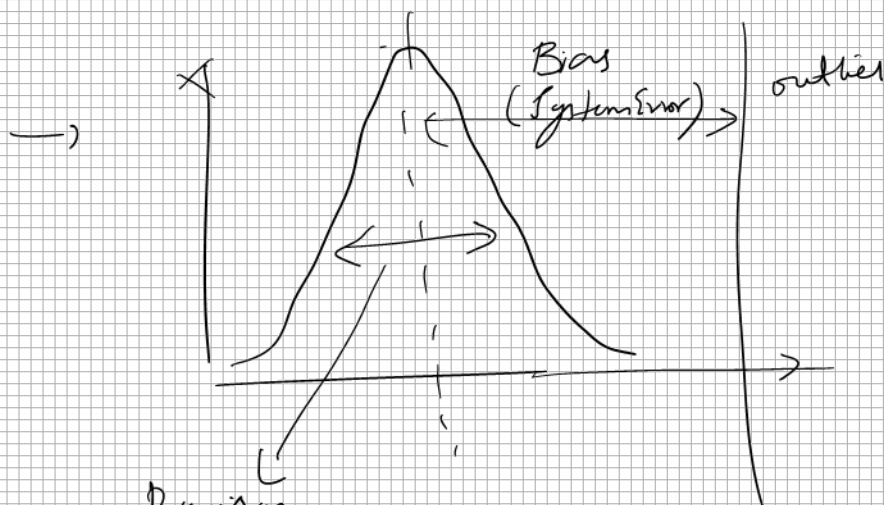
For MAR :- The 1st two techniques may introduce some bias, the 3rd technique is maybe reasonable depending on how well the probability model is built.

Outliers Types

- Corrupted values (human error)
- Unlikely values  
↳ are substantially unlikely values gives our modelling assumptions.

Robustness :- lack of sensitivity of data analysis procedures to outliers.

"mean" gets affected by outlier, median doesn't.



Precision (uncertainty) also referred to as random error.

→ Handling outliers → Truncating

→ Winsorization - replace it with acceptable extreme values

→ Robustness :- keep outlier in data, but using robust procedures

we may use median rather than mean.

i.e. median is more robust to outliers.

\* `winsorize(df$X, [1:100])`  
↳ library(robustHD)

Tall Data : one or more columns are keys  
At least one column is value

↳ is convenient for adding new records incrementally  
& for removing old records.  
i.e. simply adding additional rows.

→ `melt()` : converts wide data to tall data.

↳ Not Easy for summarizing.

Wide Data : Represents in multiple columns the information that tall data holds in multiple rows.

↳ simpler to analyze.  
- no need to pan over all data, going to specific location.

↳ to add/remove entries.

Ex:-

2015/01/01	apples	200	}	Date	apples	200	150
2015/01/01	oranges	150		2015/01/01	200	150	
2015/01/02	apples	220		2015/01/02	220	130	
2015/01/02	oranges	130					

Tall data Wide Data

→ melt - Wide → Tall (reshape package)

→ acast/dcast inverse of melt

↳ returns an array      ↳ returns a dataframe.

↳: tall data to wide data.