

$$\frac{dy}{dn}, \frac{d^2y}{dn^2} (+ve, -ve)$$

- Gradient

② PCA vs SVD

③ SVD, in LR

Using the SVD we can rewrite the variance,

$$\text{Var}[w_{LS}] = \sigma^2 (X^T X)^{-1} = \sigma^2 V S^{-2} V^T.$$

This inverse becomes huge when S_{ii} is very small for some values of i .

(Aside: This happens when columns of X are highly correlated.)

The least squares prediction for new data is

$$y_{\text{new}} = x_{\text{new}}^T w_{LS} = x_{\text{new}}^T (X^T X)^{-1} X^T y = x_{\text{new}}^T V S^{-1} U^T y.$$

When S^{-1} has very large values, this can lead to unstable predictions.

[NMC p1f]
- Variance Inflation Factor

(Read notes...
next page)

causal
→ not too
maybe
aligned?

[Read in NMC, effect of
correlated predictors
(VIF)]