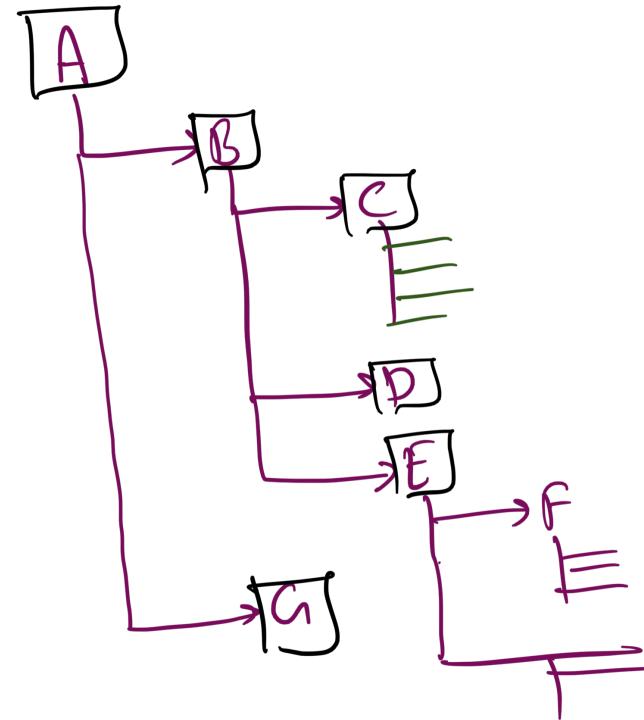
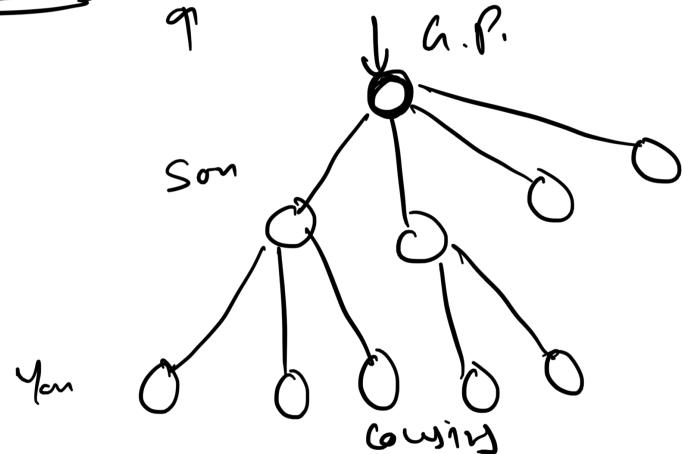


# Binary Tree Basics



## Binary Tree Data Structure



→ Root Node.

Parent ↔ child , Leaf Node

Binary Tree: Every Node has at most 2 child nodes

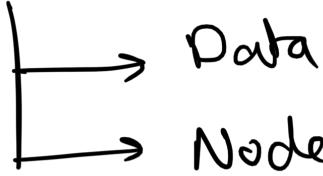
# No closed loop inside a Tree.

# Non-linear data structure.

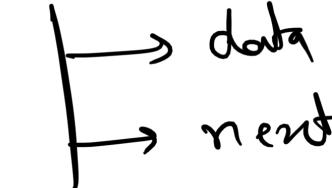


Leaf Nodes : Do Not have children

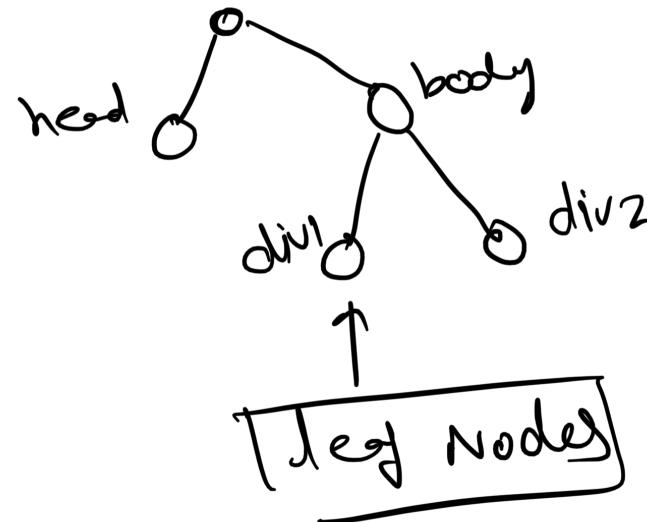
Node class

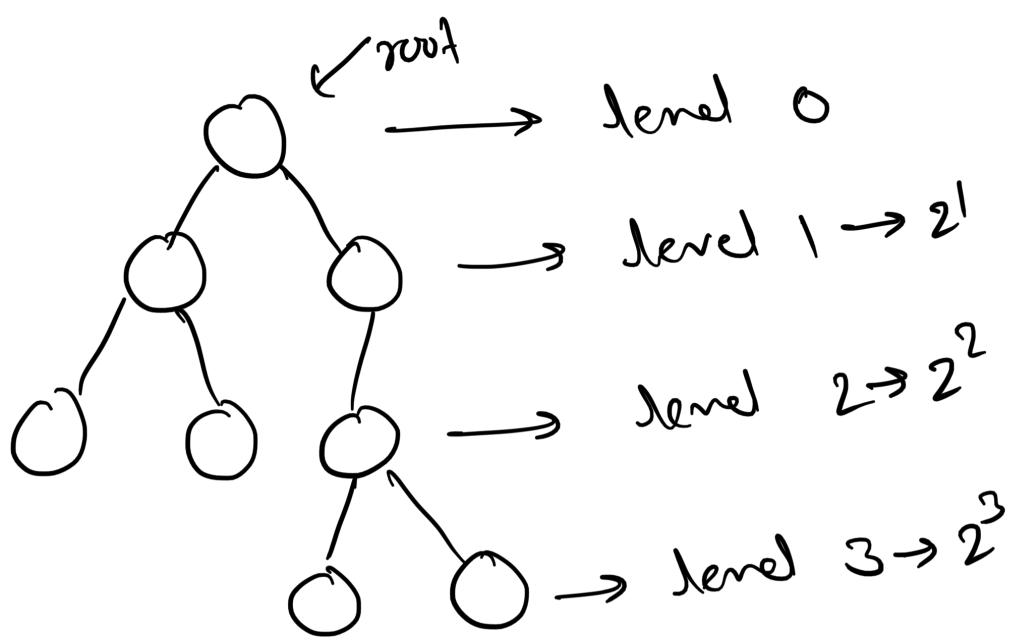


Node



```
<html>
<head>
</head>
<body>
<div>
<div>
</div>
</div>
</body>
</html>
```





Maximum number of nodes  
in a binary tree with  
height  $h$ .

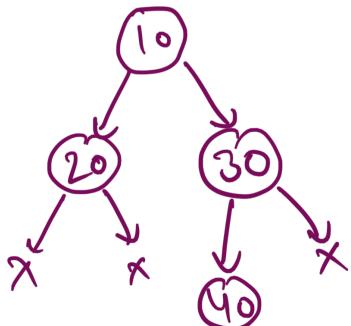
$$2^h - 1$$

$k$   
Maximum number  
of Nodes at any  
level ' $k$ '

$$\boxed{2^k}$$

$$2^0 + 2^1 + 2^2 + \dots + 2^k = 2^{k+1}$$

## Creation of a Binary Tree



Node

root = new Node(10);

n1 = 20

root.left = n1

n2 = 30

root.right = n2

n3 = 40

n2.left = n3

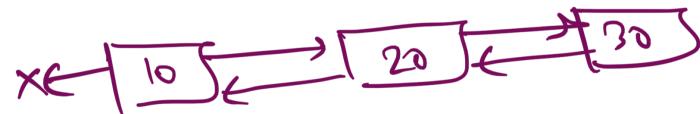
Class Node {

int data;

Node left, right;

}

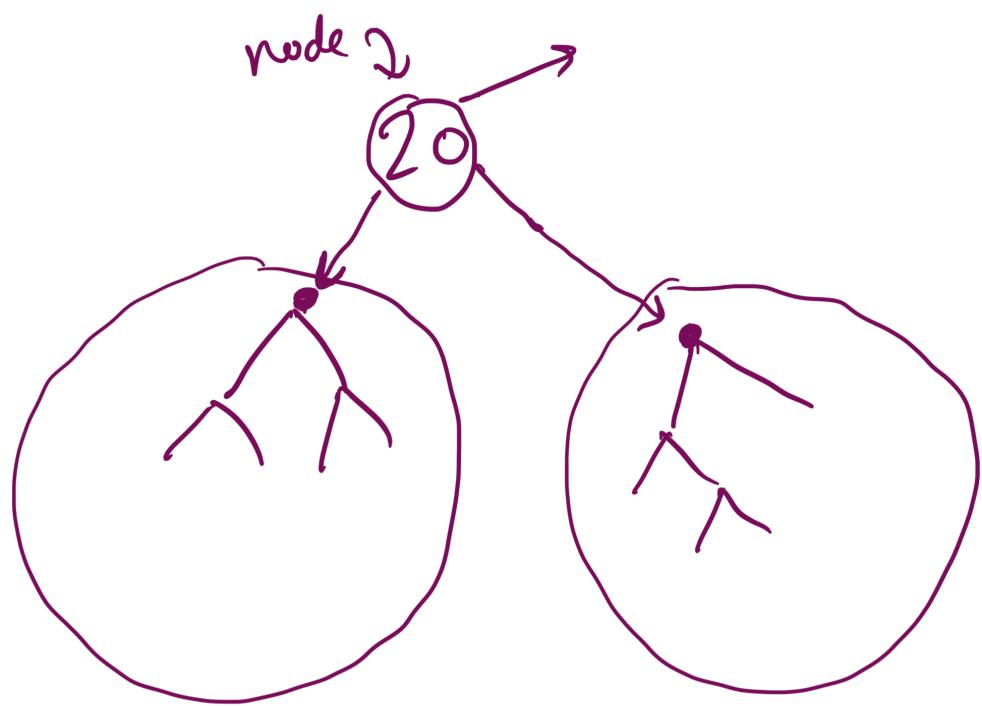
}

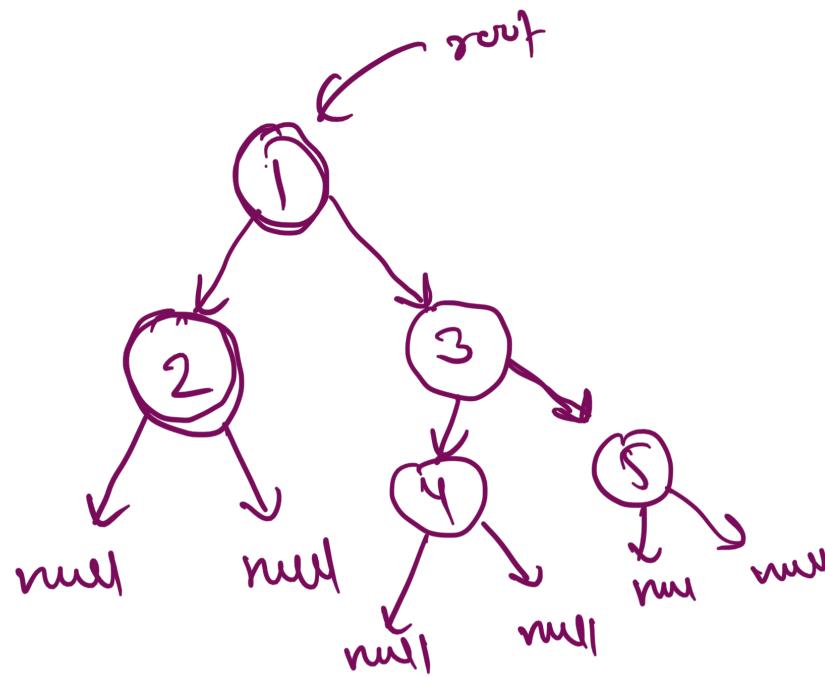


Convert a Binary  
Tree into a

DLL. /

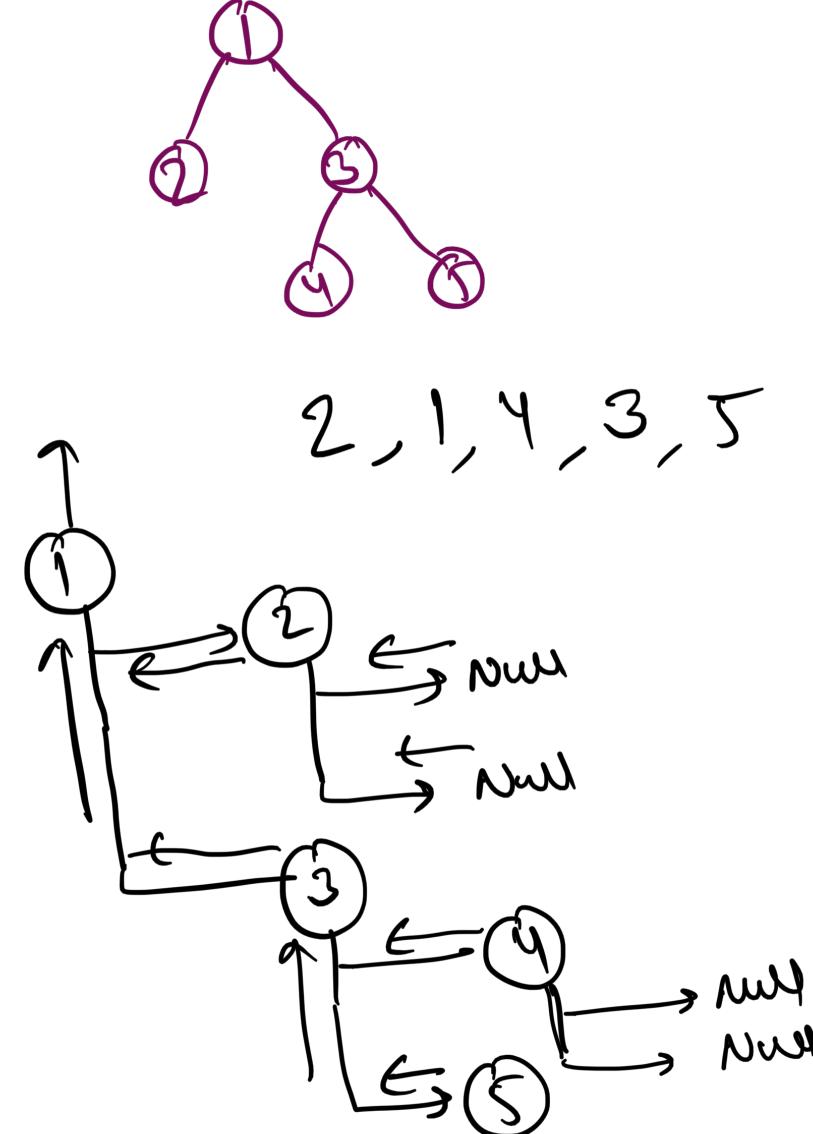
flatten a binary tree.



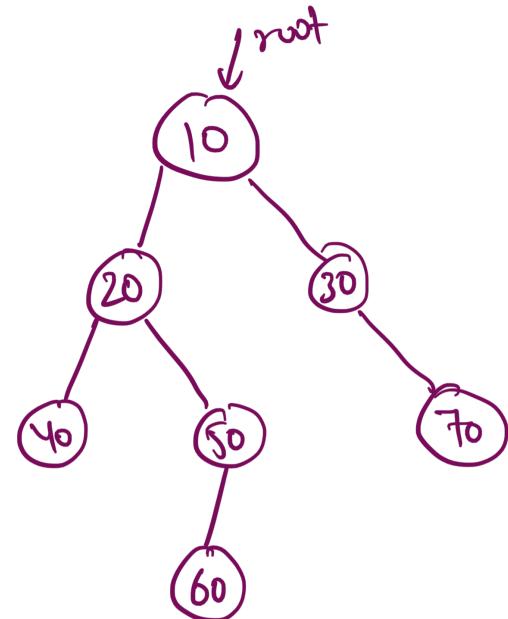
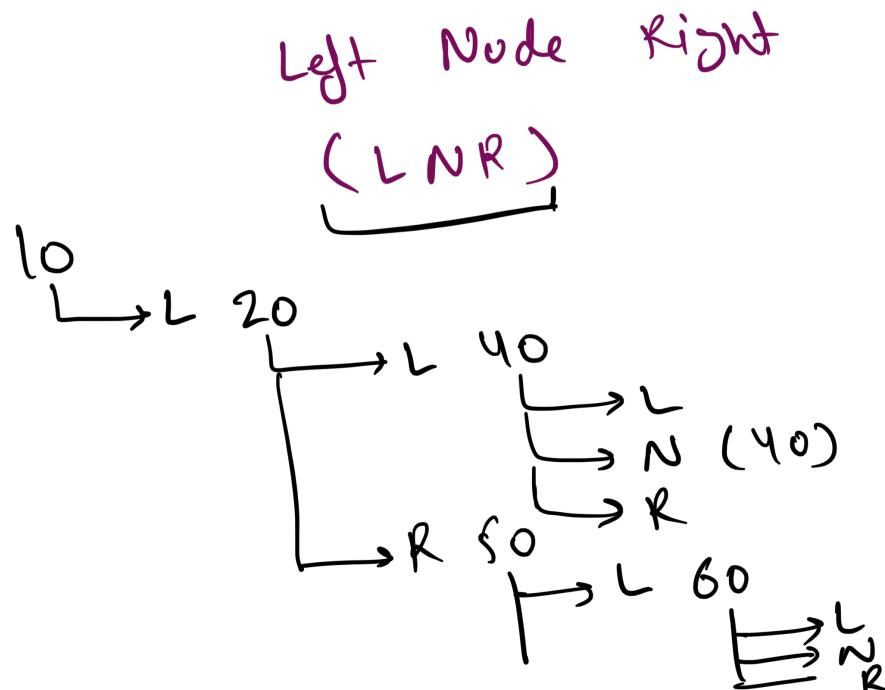


2, 1, 4, 3, 5

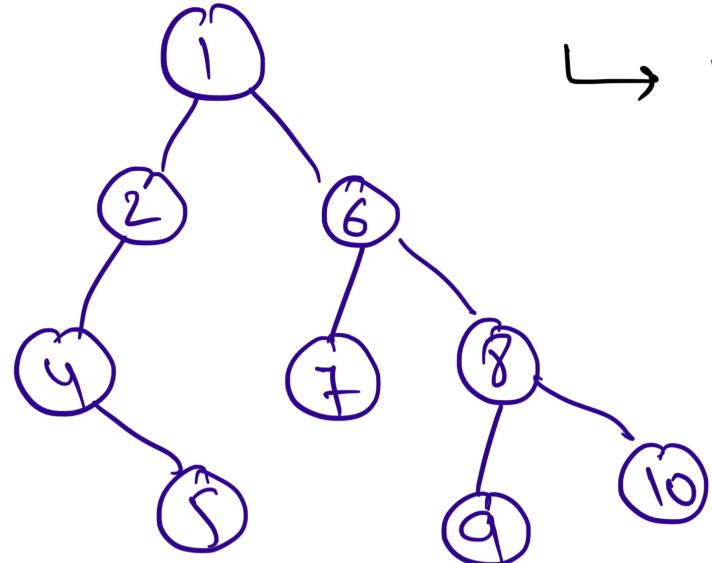
LNR



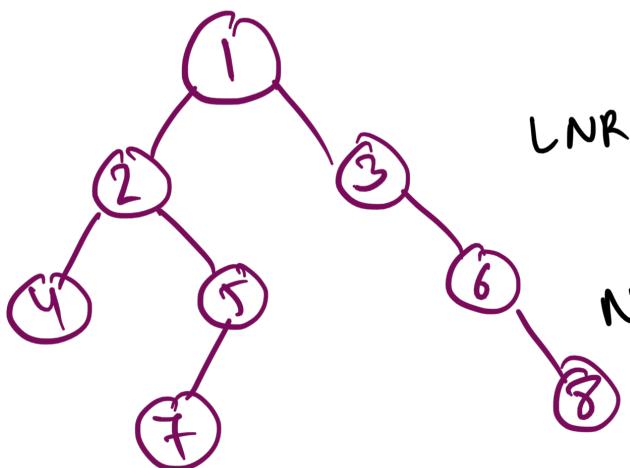
## Inorder Traversal in a Binary Tree



40, 20, 60, 50, 10, 30, 70



↳ 4, 5, 2, 1, 7, 6, 9, 8, 10



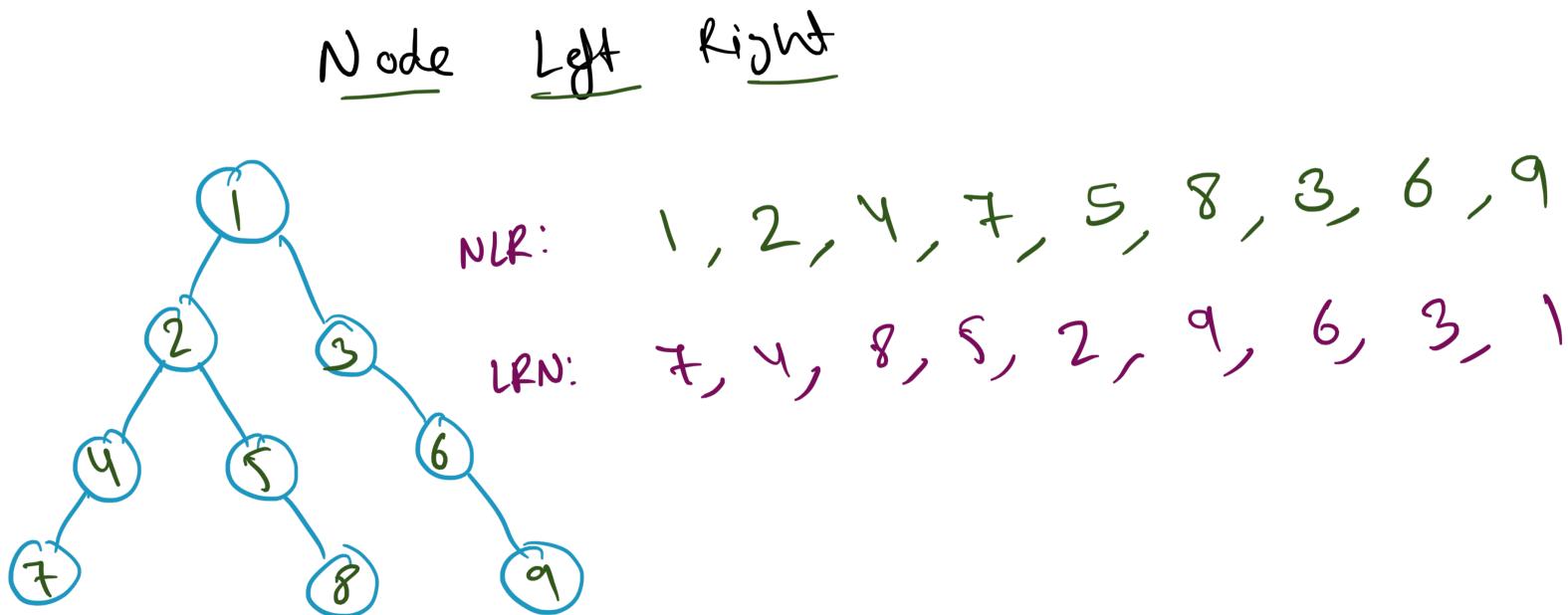
LNR:

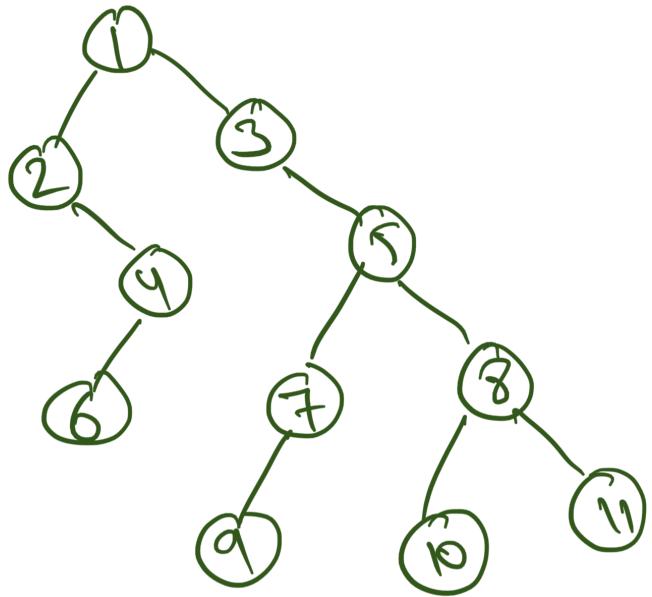
4, 2, 7, 5, 1, 3, 6, 8

NLR:

1, 2, 4, 5, 7, 3, 6, 8

## Preorder Traversal in a Binary Tree





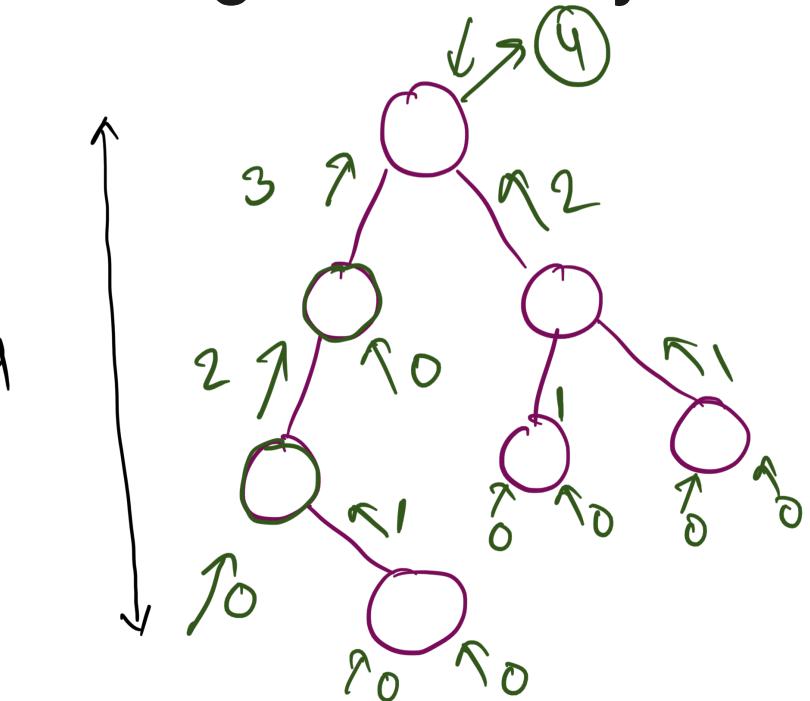
1, 2, 4, 6, 3, 5, 7, 9, 8, 10, 11

Node    left    right

# Postorder Traversal in a Binary Tree

Left, Right, Node

## Height of a Binary Tree



height (root) {

  lh = height (root.left);

  rh = height (root.right);

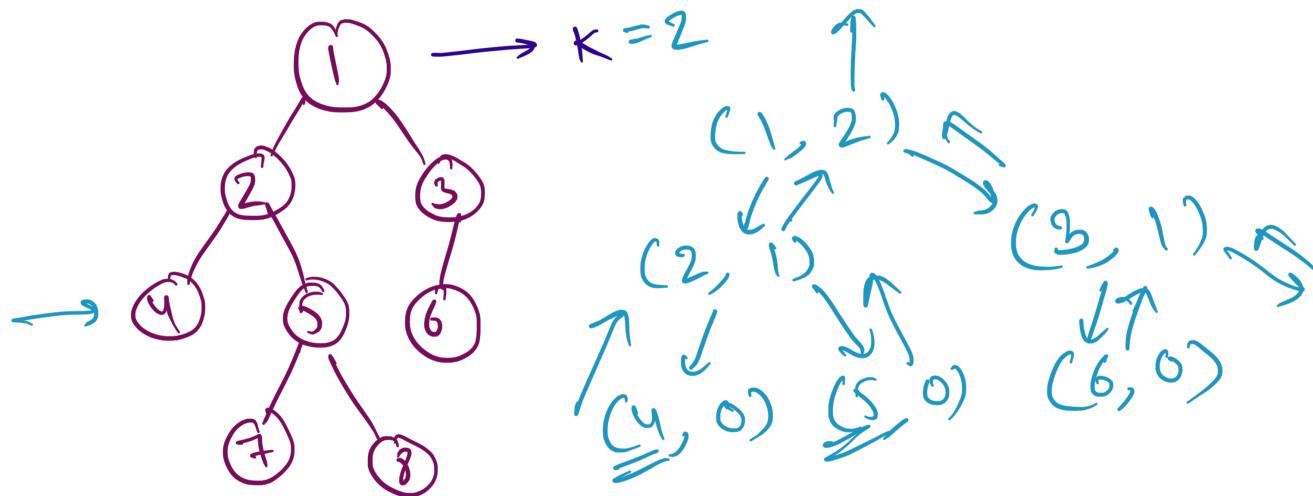
  return max(lh, rh) + 1;

T.C.  $\rightarrow O(n)$

S.C.  $\rightarrow O(\text{height of Tree})$



Print all the nodes present at a distance  $k$  from Root



|   |   |   |
|---|---|---|
| 4 | 5 | 6 |
|---|---|---|

`list.size()`

---

## Practice Problems

1. Postorder Binary Tree Traversal
2. Size of a Binary Tree  Number of nodes
3. Maximum / Minimum in a Binary Tree
4. Inorder/Preorder/Postorder without using Recursion 