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CSE-2321 Data Structures

[Solution]

1(a)	<p>(i)</p> <ul style="list-style-type: none">● Entity: Each book is an entity● Entity Set: Collection of books● Attributes: Name of Authors, Title of Book, Edition, Publisher's Name, Year, ISBN <p>(ii) ISBN can serve as the primary key.</p>
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1(b)

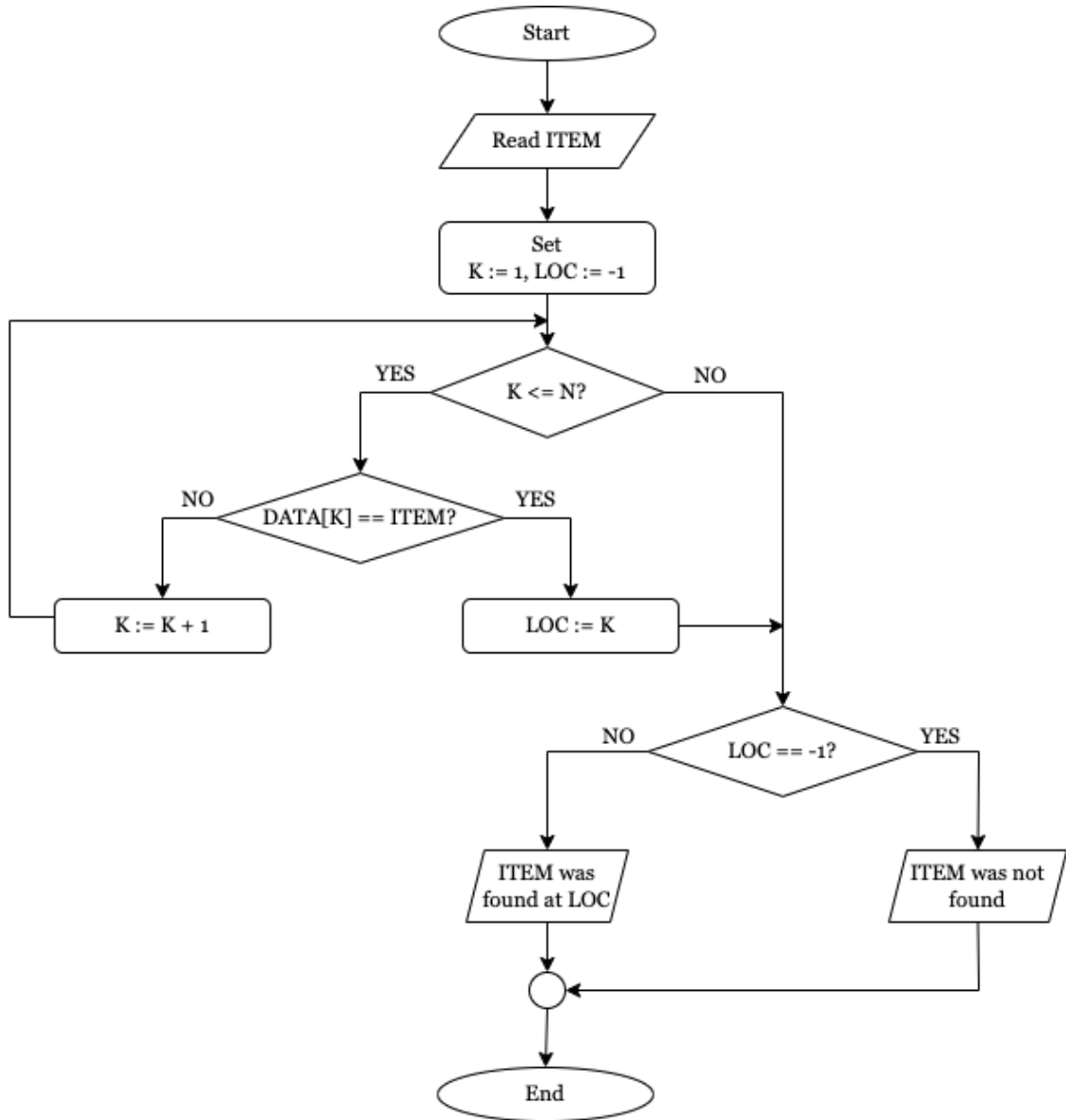


Figure: Flow chart of Linear Search Algorithm

1(b)
OR

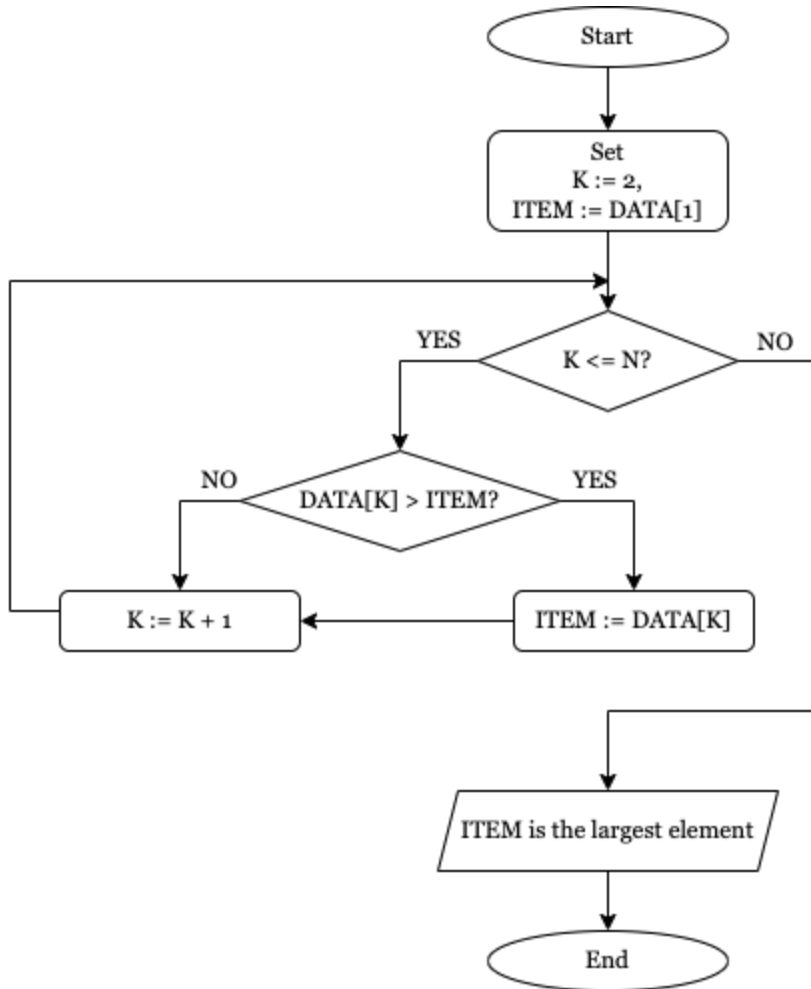


Figure: Flow chart of Finding the Largest Element in Array

- 1(c) (i) $O(1)$. Each statement will be executed once.
 (ii) $O(n)$. The loop will be executed $n/2$ times.
 (iii) $O(\log_2 n)$. The loop will be executed $\log_2 n$ times.
 (iv) $O(n^2)$. The program will be executed $n + (n - 1) + (n - 2) + \dots + 3 + 2 + 1$ times.

1(d) **This color** denotes a match, and **this color** denotes a mis-match.

	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	
T:	a	b	a	b	b	a	b	b	b	a	b	a	a	a	a	b	b	b	C
P1:	a	a	b																2
P2:		a	a	b															1

	P3:			a	a	b												2
	P4:				a	a	b											1
	P5:					a	a	b										1
	P6:						a	a	b									2
	P7:							a	a	b								1
	P8:								a	a	b							1
	P9:									a	a	b						1
	P10:										a	a	b					2
	P11:											a	a	b				1
	P12:											a	a	b				3
	P13:												a	a	b			3
	P14:													a	a	b		3
	Total comparisons, C = 24. INDEX (P, T) = 14.																	
2(a)	<p>(i)</p> <ul style="list-style-type: none"> Step 1: Start Step 2: Set K := 23001, N := 23099 Step 3: Repeat Step 4 to Step 5 while K <= N Step 4: If STUCGPA[K] > 3.90 Print K Step 5: Set K := K + 1 Step 6: End <p>(ii)</p> <ul style="list-style-type: none"> Step 1: Start Step 2: Set K := 23001, N := 23099, COUNT := 0 Step 3: Repeat Step 4 to Step 5 while K <= N Step 4: If STUCGPA[K] > 3.30 Set COUNT := COUNT + 1 Step 5: Set K := K + 1 Step 6: Print COUNT Step 7: End 																	
2(b)	<p>(i)</p> <p>Given, A(3:10, 1:10, -3:10).</p>																	

- Length of 1st dimension, $L_1 = 10 - 3 + 1 = 8$.
- Length of 2nd dimension, $L_2 = 10 - 1 + 1 = 10$.
- Length of 3rd dimension, $L_3 = 10 - (-3) + 1 = 14$.
- Total number of elements $= L_1 \times L_2 \times L_3 = 8 \times 10 \times 14 = 1120$.

(ii)
Given, $BASE(A) = 200$, $W = 4$. We've to find the effective indices and address of $A[8, 6, 4]$.

The effective indices of the subscripts are respectively,

- $E_1 = 8 - 3 = 5$
- $E_2 = 6 - 1 = 5$
- $E_3 = 4 - (-3) = 7$

Now,

- $E_1 L_2 = 5 \times 10 = 50$
- $E_1 L_2 + E_2 = 50 + 5 = 55$
- $(E_1 L_2 + E_2) L_3 = 55 \times 14 = 770$
- $(E_1 L_2 + E_2) L_3 + E_3 = 770 + 7 = 777$

So, $ADDRESS(A[8, 6, 4]) = BASE(A) + W((E_1 L_2 + E_2) L_3 + E_3)$
 $= 200 + 4(777)$
 $= 3308$.

2(c) Comparisons are shown using **this color**, and interchanges are shown using **this color**.

- Pass 1:**

C	H	I	T	T	A	G	O	N	G
C	H	I	T	T	A	G	O	N	G
C	H	I	T	T	A	G	O	N	G
C	H	I	T	T	A	G	O	N	G
C	H	I	T	T	A	G	O	N	G
C	H	I	T	A	T	G	O	N	G
C	H	I	T	A	G	T	O	N	G
C	H	I	T	A	G	O	T	N	G
C	H	I	T	A	G	O	N	T	G

At the end of Pass 1, we've got CHITAGONGT.

● **Pass 2:**

C	H	I	T	A	G	O	N	G	T
C	H	I	T	A	G	O	N	G	T
C	H	I	T	A	G	O	N	G	T
C	H	I	T	A	G	O	N	G	T
C	H	I	A	T	G	O	N	G	T
C	H	I	A	G	T	O	N	G	T
C	H	I	A	G	O	T	N	G	T
C	H	I	A	G	O	N	T	G	T

At the end of Pass 2, we've got CHIAGONGTT.

● **Pass 3:**

C	H	I	A	G	O	N	G	T	T
C	H	I	A	G	O	N	G	T	T
C	H	I	A	G	O	N	G	T	T
C	H	A	I	G	O	N	G	T	T
C	H	A	G	I	O	N	G	T	T
C	H	A	G	I	O	N	G	T	T
C	H	A	G	I	N	O	G	T	T

At the end of Pass 3, we've got CHAGINGOTT.

● **Pass 4:**

C	H	A	G	I	N	G	O	T	T
C	H	A	G	I	N	G	O	T	T
C	A	H	G	I	N	G	O	T	T
C	A	G	H	I	N	G	O	T	T

C	A	G	H	I	N	G	O	T	T
C	A	G	H	I	N	G	O	T	T

At the end of Pass 4, we've got CAGHIGNOTT.

• **Pass 5:**

C	A	G	H	I	G	N	O	T	T
A	C	G	H	I	G	N	O	T	T
A	C	G	H	I	G	N	O	T	T
A	C	G	H	I	G	N	O	T	T
A	C	G	H	I	G	N	O	T	T

At the end of Pass 5, we've got ACGHGINOTT.

• **Pass 6:**

A	C	G	H	G	I	N	O	T	T
A	C	G	H	G	I	N	O	T	T
A	C	G	H	G	I	N	O	T	T
A	C	G	H	G	I	N	O	T	T

At the end of Pass 6, we've got ACGGHINOTT.

• **Pass 7:**

A	C	G	G	H	I	N	O	T	T
A	C	G	G	H	I	N	O	T	T
A	C	G	G	H	I	N	O	T	T

At the end of Pass 7, we've got ACGGHINOTT.

• **Pass 8:**

A	C	G	G	H	I	N	O	T	T
A	C	G	G	H	I	N	O	T	T

	<p>At the end of Pass 8, we've got ACGGHINOTT.</p> <ul style="list-style-type: none">● Pass 9: <table border="1"><tr><td>A</td><td>C</td><td>G</td><td>G</td><td>H</td><td>I</td><td>N</td><td>O</td><td>T</td><td>T</td></tr></table> <p>At the end of Pass 9, we've got ACGGHINOTT.</p> <ul style="list-style-type: none">● Total number of Comparisons, $C = 9 + 8 + 7 + 6 + 5 + 4 + 3 + 2 + 1$ $= 45$● Total number of Interchanges, $D = 5 + 5 + 4 + 3 + 2 + 1 + 0 + 0 + 0$ $= 20$	A	C	G	G	H	I	N	O	T	T
A	C	G	G	H	I	N	O	T	T		
2(c) OR	<p>ModifiedBinarySearch (DATA, LB, UB, ITEM, LOC)</p> <ul style="list-style-type: none">● Step 0: Start● Step 1: Set $BEG := LB$, $END := UB$, $MID := INT ((BEG + END) / 2)$.● Step 2: Repeat Step 3 & 4 while $BEG \leq END$ and $DATA[MID] \neq ITEM$● Step 3: If $ITEM < DATA[MID]$, then: Set $END := MID - 1$ Else Set $BEG := MID + 1$● Step 4: Set $MID := INT ((BEG + END) / 2)$● Step 5: If $ITEM < DATA[MID]$, then: Set $LOC := MID$ Else Set $LOC := MID + 1$● Step 6: Insert ITEM into $DATA[LOC]$ using typical array insertion algorithm● Step 7: Exit										
2(d)	<p>(i) <u>Advantage of Binary Search over Linear Search:</u> The time complexity of BS is $O(\log_2 n)$, which is way better than LS of $O(n)$.</p> <p>(ii) <u>Disadvantage of Binary Search over Linear Search:</u> To perform BS in any data structure, it needs to be sorted, and must have direct access to any datapoint. But, to perform LS in any data structures, those aren't mandatory at all.</p>										
3(a)	<p>PUSH (STACK, TOP, MAX_SIZE, ITEM) [This procedure pushes an ITEM onto the STACK]</p> <ul style="list-style-type: none">● Step 1: If $TOP = MAX_SIZE$, then: Print Overflow, and Return● Step 2: Set $TOP := TOP + 1$● Step 3: Set $STACK[TOP] := ITEM$● Step 4: Return <p>POP (STACK, TOP, ITEM)</p>										

	<div>[This procedure deletes the TOP item from STACK, and assigns it to ITEM]</div> <div><ul style="list-style-type: none">● Step 1: If TOP = 0, then:<div>Print Underflow, and Return</div>● Step 2: Set ITEM := STACK[TOP]● Step 3: Set TOP := TOP - 1● Step 4: Return</div>																					
3(b)	<div>Given, N = 8, TOP = 4, STACK = 11, 22, 33, 44, <div></div>, <div></div>, <div></div>, <div></div></div> <div><div>(i) POP (STACK, ITEM)</div><div>ITEM = 44 STACK = 11, 22, 33, <div></div>, <div></div>, <div></div>, <div></div> TOP = 3</div></div> <div><div>(ii) PUSH (STACK, 55)</div><div>STACK = 11, 22, 33, 55, <div></div>, <div></div>, <div></div>, <div></div> TOP = 4</div></div> <div><div>(iii) PUSH (STACK, 66)</div><div>STACK = 11, 22, 33, 55, 66, <div></div>, <div></div>, <div></div> TOP = 5</div></div> <div><div>(iv) POP (STACK, ITEM)</div><div>ITEM = 66 STACK = 11, 22, 33, 55, <div></div>, <div></div>, <div></div>, <div></div> TOP = 4</div></div>																					
3(c)	<div>Given,</div> <div><div>P: 3, 1, -, 2, ^, N, 4, /, 2, *, +, 5, -,)</div></div> <table><tr><th>Symbols</th><th>Stack</th><th>Explanation</th></tr><tr><td>(1) 3</td><td>3</td><td></td></tr><tr><td>(2) 1</td><td>3, 1</td><td></td></tr><tr><td>(3) -</td><td>2</td><td>3 - 1 = 2</td></tr><tr><td>(4) 2</td><td>2, 2</td><td></td></tr><tr><td>(5) ^</td><td>4</td><td>2^2 = 4</td></tr><tr><td>(6) N</td><td>4, N</td><td></td></tr></table>	Symbols	Stack	Explanation	(1) 3	3		(2) 1	3, 1		(3) -	2	3 - 1 = 2	(4) 2	2, 2		(5) ^	4	2^2 = 4	(6) N	4, N	
Symbols	Stack	Explanation																				
(1) 3	3																					
(2) 1	3, 1																					
(3) -	2	3 - 1 = 2																				
(4) 2	2, 2																					
(5) ^	4	2^2 = 4																				
(6) N	4, N																					

	(7) 4	4, N, 4	
	(8) /	4, N/4	
	(9) 2	4, N/4, 2	
	(10) *	4, N/2	$(N/4) * 2 = N/2$
	(11) +	$4 + N/2$	
	(12) 5	$4 + N/2, 5$	
	(13) -	$N/2 - 1$	$4 + N/2 - 5 = N/2 - 1$
	(14))		End of evaluation
<p>If the last two digits of my id be XY, then</p> $N/2 - 1 = XY$ $\Rightarrow N/2 = XY + 1$ $\Rightarrow N = 2 * (XY + 1)$ <p>[For example, if XY be 26, $N = 2 * (26 + 1) = 54$.]</p>			
3(d)	<p>Given,</p> <p style="text-align: center;">Q: $(A * B ^ D) / (E - F) + G$</p>		
	Symbols	Stack	Postfix Exp. P
	(1) (((
	(2) A	((A
	(3) *	((*	A
	(4) B	((*	A B
	(5) ^	((* ^	A B
	(6) D	((* ^	A B D
	(7))	(A B D ^ *
	(8) /	(/	A B D ^ *
	(9) (((/	A B D ^ *
	(10) E	((/	A B D ^ * E

	(11) -	(((-	A B D ^ * E
	(12) F	(((-	A B D ^ * E F
	(13))	(/	A B D ^ * E F -
	(14) +	(+	A B D ^ * E F - /
	(15) G	(+	A B D ^ * E F - / G
	(16))		A B D ^ * E F - / G +
3(d) OR	<p>We need a STACK to implement this algorithm. Let SEQ be the bracket sequence of size N. The following algorithm determines whether SEQ is a valid bracket sequence or not.</p> <ul style="list-style-type: none"> • Step 0: Start • Step 1: Set $K := 1$, $VALID := TRUE$. STACK is empty. • Step 2: Repeat Step 3 to Step 7 while $K \leq N$ • Step 3: If $SEQ[K] = '('$ or $'\{'$, or $'['$, then: Push $SEQ[K]$ to STACK, and go to Step 7 Else If $SEQ[K] = ')'$, then: Go to Step 4 Else If $SEQ[K] = '\}'$, then: Go to Step 5 Else If $SEQ[K] = ']'$, then: Go to Step 6 • Step 4: If STACK is non-empty and $STACK[TOP] = '('$, then: Pop from STACK, and go to Step 7 Else Set $VALID := FALSE$, and go to Step 8 • Step 5: If STACK is non-empty and $STACK[TOP] = '\{'$, then: Pop from STACK, and go to Step 7 Else Set $VALID := FALSE$, and go to Step 8 • Step 6: If STACK is non-empty and $STACK[TOP] = '['$, then: Pop from STACK, and go to Step 7 Else Set $VALID := FALSE$, and go to Step 8 • Step 7: Set $K := K + 1$ • Step 8: If $VALID = TRUE$, then: Print "Sequence is valid." Else Print "Sequence is not valid." • Step 9: End 		