## **Segment-4**

## **Greedy Algorithms and String-Matching Algorithms**

- 1. What do you mean by optimizing problems? Example?
- 2. Write down the application of greedy method?
- 3. Difference Between dynamic programming and greedy algorithm?
- 4. Why do some problems which are solvable by dynamic programming are also solvable by greedy algorithm and why are some not?
- 5. Find an optimal solution to the knapsack instance n=4, m=16, (p1,p2,p3,p4) = (45, 10, 30, 45) and (w1,w2,w3,w4)=(3,5,9,5) [Hint: use greedy method for the fractional knapsack]
- 6. Find an optimal solution to the knapsack instance n=5, m=100, (p1,p2,p3,p4,p5) = (20, 30, 65, 48, 50) and (w1,w2,w3,w4, w5)=(10, 20, 30, 40, 50) [Hint: use greedy method for the fractional knapsack]
- 7. Show that you can make a greedy choice when solving fractional knapsack problem but cannot do that when solving 0/1 knapsack problem.
- 8. What is the running time of Huffman's Algorithm on a set of n characters?
- You have been asked to encode a paragraph with Huffman coding scheme. This paragraph contains the following symbols along with their associate frequency in the paragraph.

А	В	С	D	E	F	G	Н	I	J
3	3	26	5	3	8	13	2	16	9

Draw the corresponding Huffman tree and utilizing that tree tell the binary encoding for each 16 letter.

- 10. What is an optimal Huffman code for the following set of frequencies? a:5 b:8 c:45 d:25 e:17 f:30
- 11. Generate a Huffman tree and determine an optimal Huffman code for the following text: "to be or not to be it is true"

12. Find all possible optimal set for the following data set using activity selection problem

i	1	2	3	4	5	6	7
Si	1	3	5	7	6	13	18
Fi	4	5	6	11	12	18	22

[N.B. Si is start time and Fi is finish time, i is number of activity]

13. Find all possible optimal set for the following data set using activity selection problem

Si	1	2	3	4	5	6	7	8	9	10	11
i	1	3	0	5	3	5	6	8	8	2	12
Fi	4	5	6	7	8	9	10	11	12	13	14

[N.B. Si is start time and Fi is finish time, i is number of activities]

14. Prove that in activity selection problem, the activity that finishes first is always part of some optimal solution.