

Multivibrator

Types:-

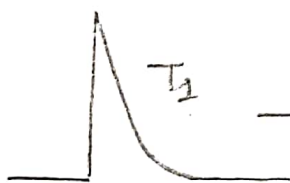
1. A-stable or Free running multivibrator
2. Mono-stable or one-shot multivibrator
3. Bi-stable or Flip-flop multivibrator

Input

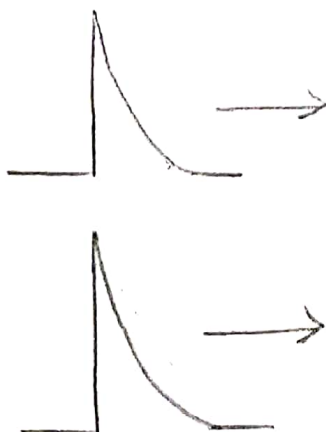
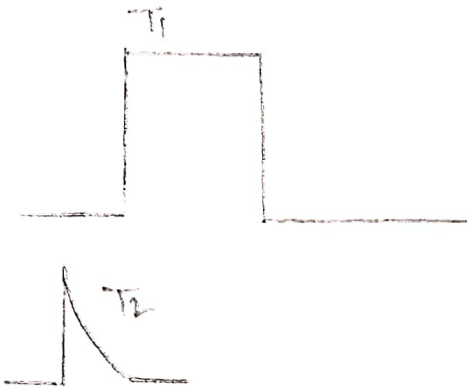
Output

None

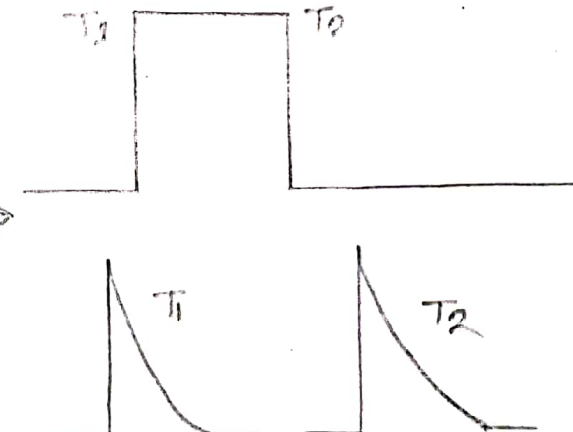
Astable
Multivibrator



Monostable
Multivibrator



Bistable
Multivibrator



Multivibrator \rightarrow Transistor Ingr Zof

$N_{GT} \rightarrow$ Negative Going Transistor (Trigger).

$P_{GT} \rightarrow$ Positive Going Transistor (Trigger).

Input

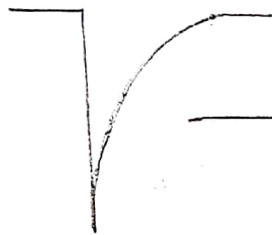
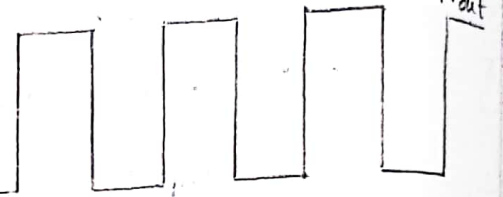
Output

(No input signal)

Astable
Multivibrator



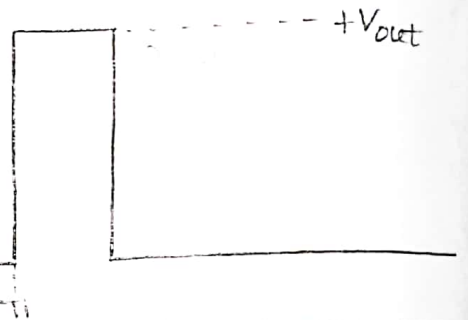
$-V_{out}$



Monostable
multivibrator

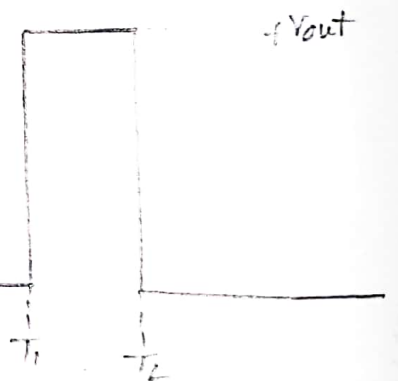


$-V_{out}$

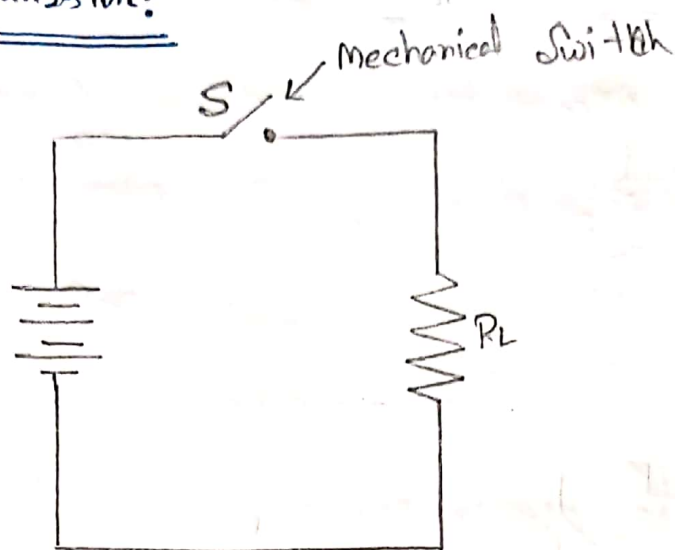


Bistable
multivibrator

$-V_{out}$

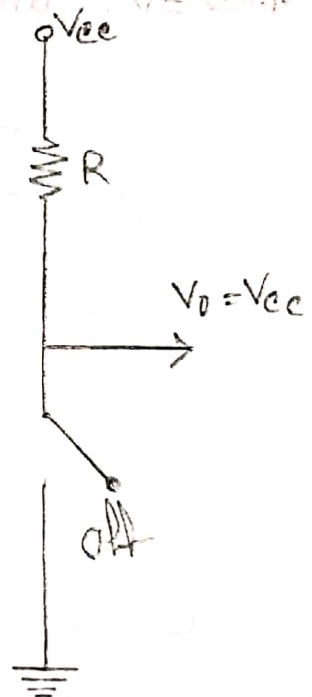
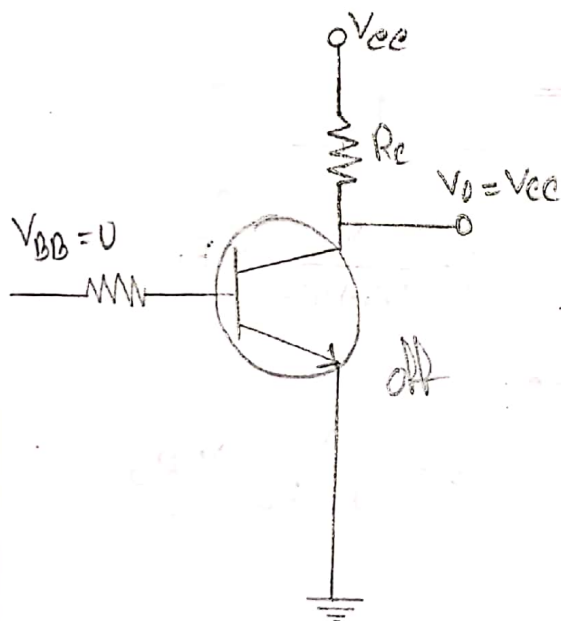


Switching of transistor:



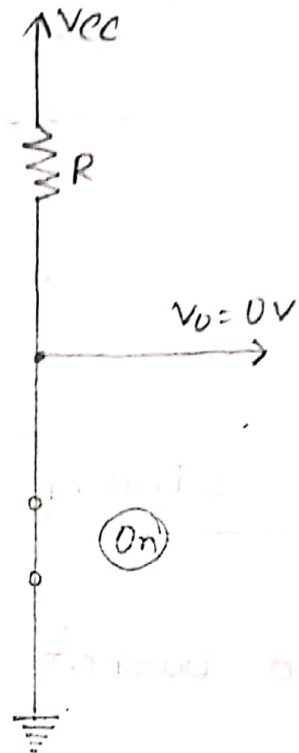
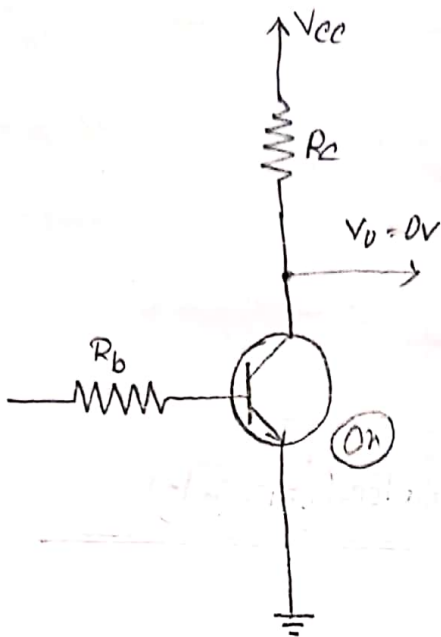
Switching action of Transistor (OFF State)

$V_{BE} = 0$ Current flow of V_{CC}



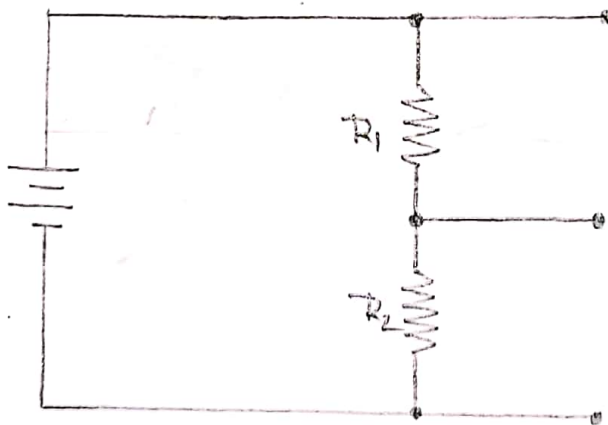
- Current যায় না, high resistance এর মতো কাজ করে। এখন voltage source voltage এর সমান হয়

On State



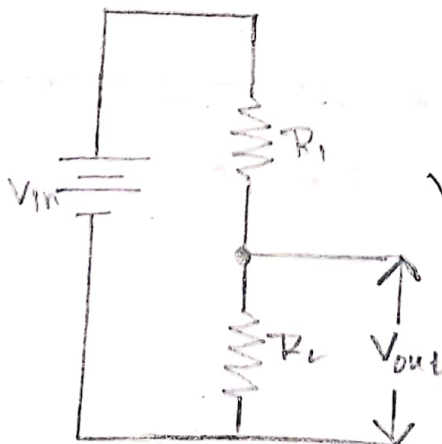
$V_{base} = V$, Current + Flow π

Voltage Divider

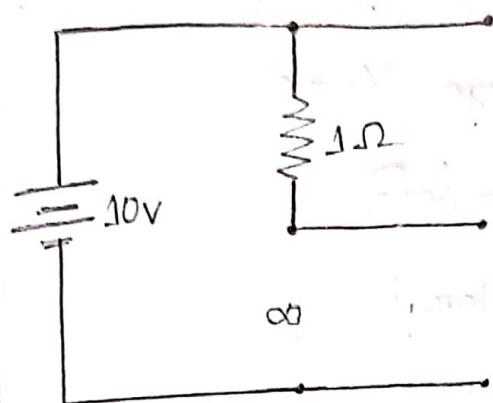


$$V_1 = \frac{V}{R_1 + R_2} \times R_1$$

$$V_2 = \frac{V}{R_1 + R_2} \times R_2$$



$$V_{out} = \frac{V}{R_1 + R_2} \times R_2$$



$$V_1 = \frac{V}{R_1 + R_2} \times R_1$$

$$= 0V$$

$$V_2 = \frac{V}{R_1 + R_2} \times R_2$$

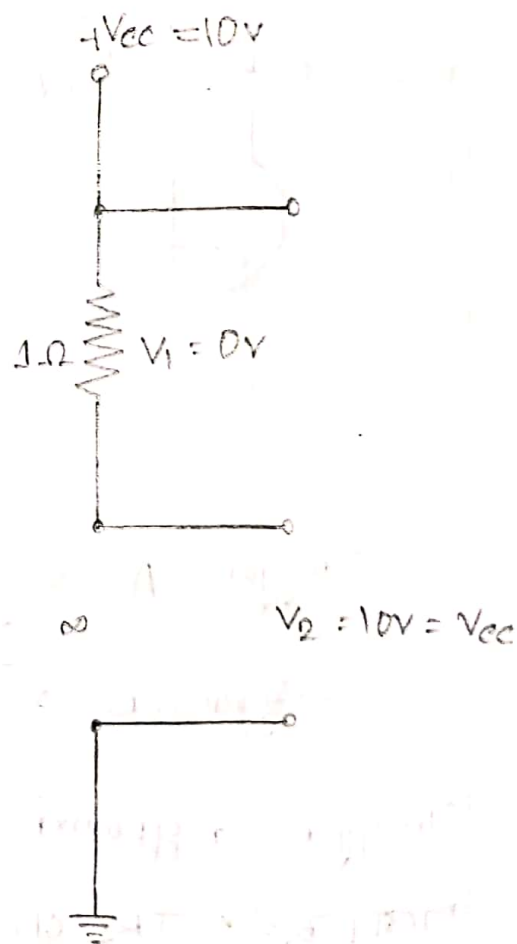
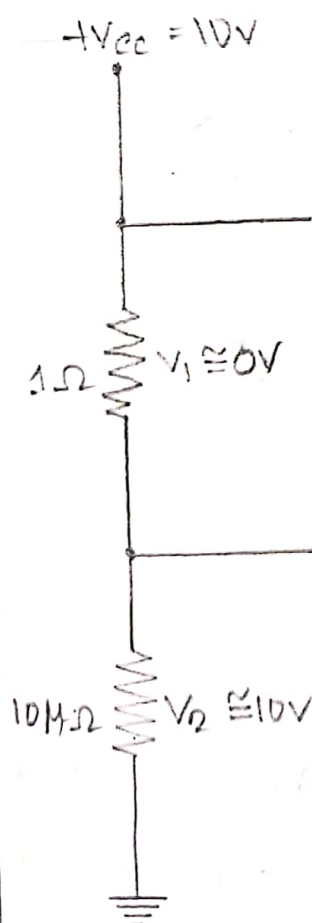
$$= 10V$$



Open circuit across voltage

Source voltage is ~~static~~

Short circuit = 0 volt.



• Transistor off \rightarrow output voltage $V_o = V_{cc}$

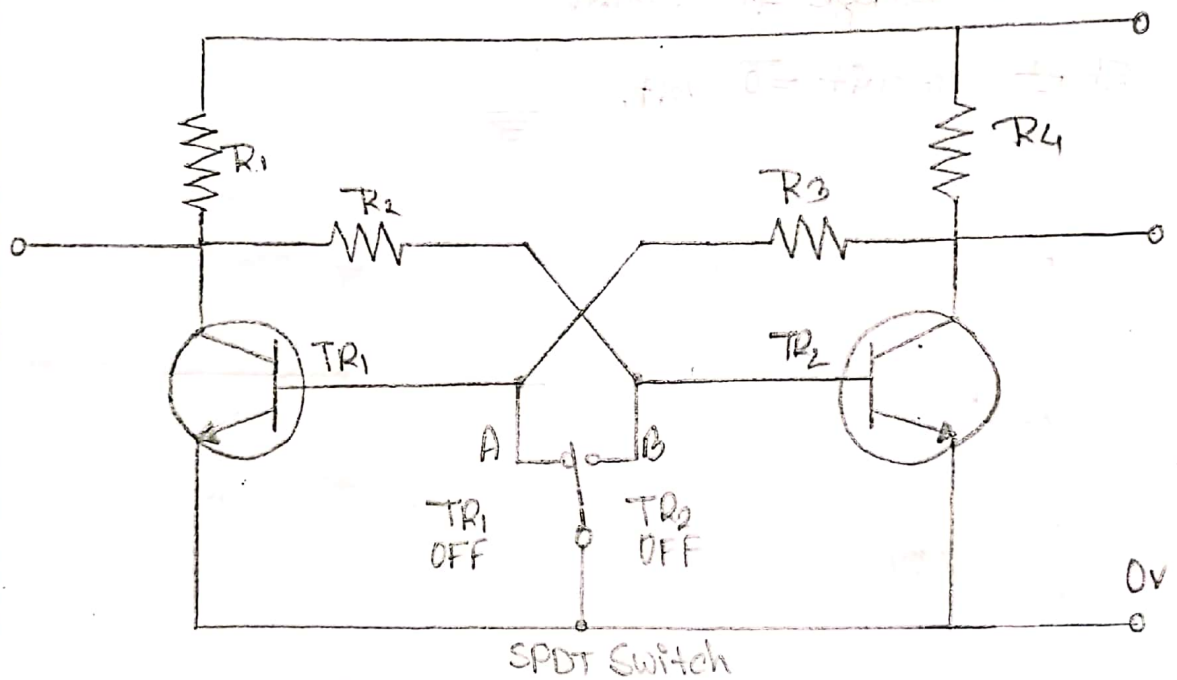
• Transistor on \rightarrow output voltage $V_o = 0$

• Multivibrator \rightarrow transistor নিচা ডিভি.

• NGIT \rightarrow Negative Going transistor.

• PGIT \rightarrow Positive Going transistor.

Bi-stable Multivibrator

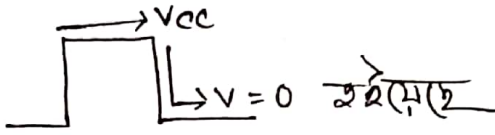


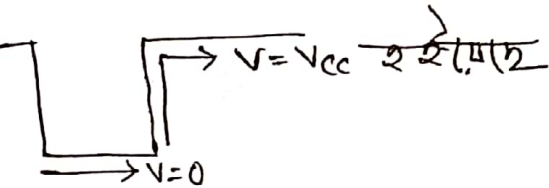
Trigger A \rightarrow

Trigger B \rightarrow

Trigger A ground ০ থাকলে TR2 এর base এ current পাবে, অর্থাৎ TR2 ON হবে, $V_o = 0$ হবে, এবং TR1 = OFF থাকবে অর্থাৎ $V_o = V_{cc}$ হবে

আবার, Trigger-এ ground-এ থাকলে TR_1 এর base-এ current পাওয়া, অর্থাৎ, TR_1 ON হবে এবং $V = 0$ হবে,
 $\therefore TR_2$ off থাকবে তাই $V = V_{CC}$.

$TR_1 =$  $V = 0$ হইবে।

$TR_2 =$  $V = V_{CC}$ হইবে।

Monostable or one-shot multivibrator

১) উদাহরণ জটিল (npn-transistor)

Capacitor এর কারণে main ঘটনা হচ্ছে,

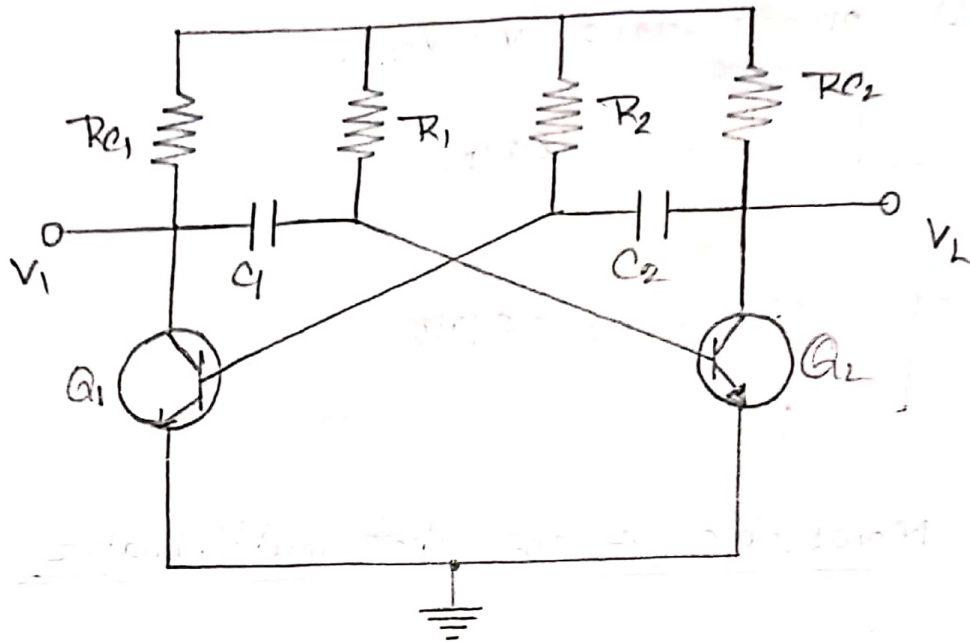
$C = 0.7$ হলে -

First-এ base current পাওয়া, তখন Q_2 on থাকবে,
 Q_1 off থাকবে,

- V_{BB} তে current flow হইবে।

- Trigger ফিলে Q_1 on থাকবে।

Circuit Diagram of a Astable Multivibrator



Pnp → danger ⊗ not recommended.

Astable Multivibrator: **অবস্থিত** Q_1 ও Q_2 on হবে, Q_2 ধন
দিয়ে ফেলে Q_1 চার্জিত হতে থাকবে।

অবস্থায় Q_2 খুলে চার্জ হয়, আর Q_2 off হয়ে যায়, Q_2 on
হয়, Q_2 on হলে C_1 দিয়ে current ফেলে যেতে C_1 খুলে
চার্জিত হয়, Q_1 off হতে Q_2 on হয়,

⇒ Astable frequency থাকে,

⇒ mono & bi " থাকেনা,

⇒ Same charge -এ voltage কম বেশি হয় থাকে, due to
the volume of capacitor.

Capacitor Voltage equation:-

$$V_c = V_{\max}(1 - e^{-t/\lambda})$$

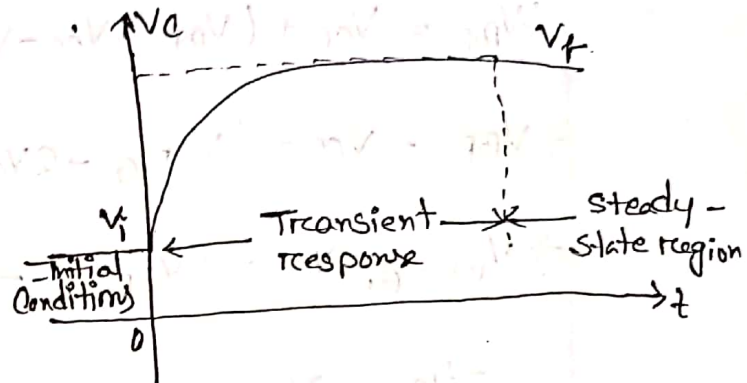
$$= (V_f - V_i)(1 - e^{-t/\lambda})$$

$$V_c = V_i + (V_f - V_i)(1 - e^{-t/\lambda})$$

↓
initial
voltage

$$= V_i + V_f - V_f e^{-t/\lambda} - V_i + V_i e^{-t/\lambda}$$

$$\boxed{= V_f + (V_i - V_f)e^{-t/\lambda}}$$



$$\tau = \lambda = RC$$

Voltage equation:

$$V_c = V(1 - e^{-t/\lambda})$$

↳ equation of RC
to circuit

$$V_c(t) = V_{BE} - Q_1$$

$$V_i = V_{BE} - Q_1 - V_{cc}$$

$V_f = V_{cc}$ [if Capacitor charged then, then
 $V_f = V_{cc}$ is same as before]

$$V_c = V_p + (V_i - V_p) e^{-t/RC}$$

$$\Rightarrow V_{BE} = V_{CC} + (V_{BE} - V_{CC} - V_{CC}) e^{-t/RC}$$

$$\Rightarrow V_{BE} = V_{CC} + (V_{BE_{Q1}} - 2V_{CC}) e^{-t/RC}$$

$$\Rightarrow V_{BE_{Q1}} - V_{CC} = (V_{BE_{Q1}} - 2V_{CC}) e^{-t/RC}$$

$$\Rightarrow e^{-t/RC} = \frac{V_{BE_{Q1}} - V_{CC}}{V_{BE_{Q1}} - 2V_{CC}}$$

$$\Rightarrow -\frac{t}{RC} = \ln \left(\frac{V_{BE_{Q1}} - V_{CC}}{V_{BE_{Q1}} - 2V_{CC}} \right)$$

$$\Rightarrow t = -RC \ln \left(\frac{V_{BE_{Q1}} - V_{CC}}{V_{BE_{Q1}} - 2V_{CC}} \right) \quad [V_{CC} \gg V_{BE_{Q1}}]$$

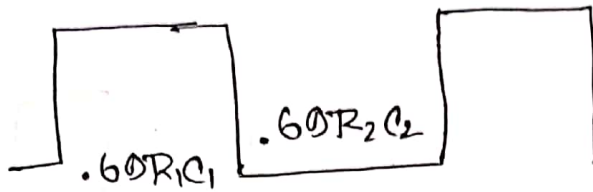
$$\Rightarrow t = -RC \ln \left(\frac{-V_{CC}}{-2V_{CC}} \right)$$

$$\Rightarrow t = -RC \ln \left(\frac{1}{2} \right)$$

$$\Rightarrow t = RC \ln 2$$

$$\therefore t = 0.69RC$$





$$T = t_1 + t_2$$

$$= .60R_1C_1 + .60R_2C_2$$

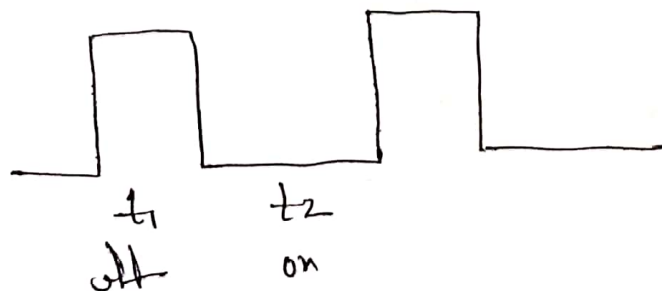
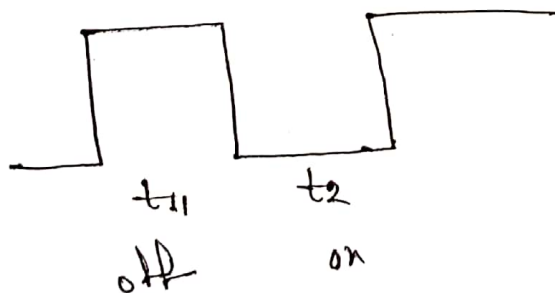
$$f = \frac{1}{T}$$

$$= \frac{.73}{RC} \left[\text{if } R_1 = R_2 = R \quad C_1 = C_2 = C \right]$$

Symmetric & Asymmetric Wave

$t_1 = t_2 \rightarrow$ Symmetric (off-time = on-time)

$t_1 \neq t_2 \rightarrow$ Asymmetric (off-time \neq on-time)



$$R_2 = R_3 = 47 \text{ k}\Omega$$

$$C_1 = C_2 = 0.01 \mu\text{F}$$

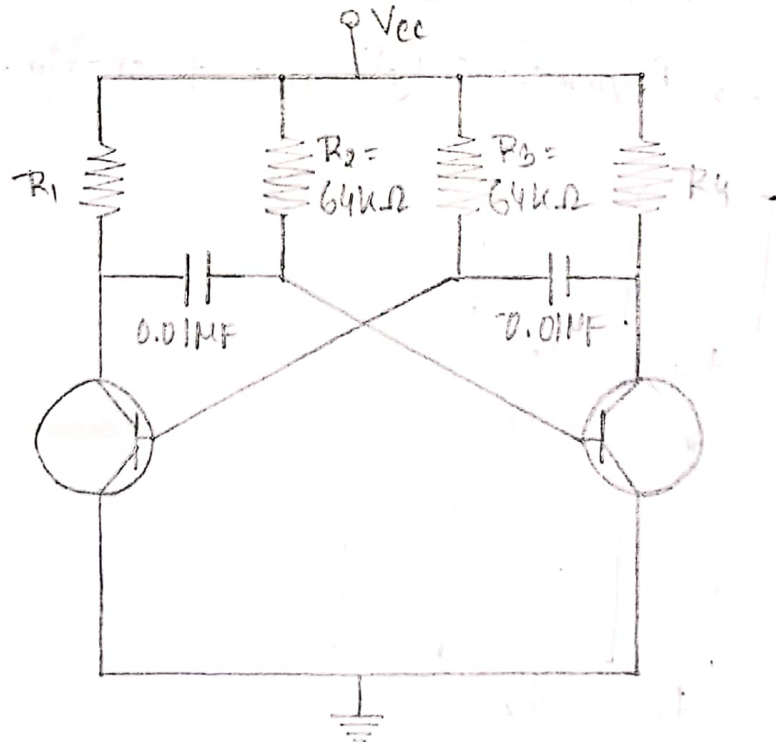


$$T_1 = 0.69 RC$$

$$= 0.69 \times 47 \times 10^3 \times 0.01 \times 10^{-6}$$

=

• In an Astable multivibrator $R_2 = R_3 = XX \text{ k}\Omega$ [last two digit of your ID] and $C_1 = C_2 = 0.01 \mu\text{F}$, Determine the time period and frequency of the square wave.



$$t = 0.69 \times 64 \times 10^3 \times 0.01 \times 10^{-6}$$

$$= 4.4 \times 10^{-4}$$

$$T = 0.693 R_2 C_1 + 0.693 R_3 C_2$$

$$\text{Frequency, } f = \frac{1}{T}$$

$$= \frac{1}{RC}$$

$$= \frac{0.73}{64 \times 10^3 \times 0.01 \times 10^{-6}}$$

$$= \frac{0.73}{0.4 \times 10^{-4}}$$

$$= 1140.625.$$

In the following multivibrator $R_1 = 2k\Omega$, $R_2 = 20k\Omega$, $C_1 = 0.01\mu F$ and $C_2 = 0.05\mu F$. Calculate its time period and frequency of oscillation.

$$T = t_1 + t_2$$

$$= 0.69 R_1 C_1 + 0.69 R_2 C_2$$

$$= 0.69 \times 2 \times 10^3 \times 0.01 \times (10^{-6}) + 0.69 \times 20 \times 10^3 \times 0.05 \times (10^{-6})$$

$$= 13.8 \times 10^{-6} + 690 \times 10^{-6}$$

$$= 703.8 \times 10^{-6} \text{ s}$$

$$f = \frac{1}{T} = \frac{1}{703.8 \times 10^{-6}} = 1420.85 \text{ Hz}$$