

1) Realize the following  
functions  
using

NAND gates  
only.

•)

$FEAT + CD$

$\Rightarrow$

$AB + CD \quad (T=x)$

$\Rightarrow$

$ABT \cdot CD$

का

=>

A-Ba

C-D

ठ

لم

B

c

D

-Da

च

الله

b) xyz +

$$x' y' z'$$

$\Rightarrow$

$$\Rightarrow xyz + x'y'z$$

$$xyz (xyz),$$

$$xyz$$

how

F

WAND

many

gates ?

$x \ yz$

$(yz)$

F

$\overline{K}$

$(2yz)$

Do

2) using OR and NOT  
gates only

$$F = xy + x\overline{y} + \overline{x}y$$

$yz$

OR

NOT-

$$= xy + x + y^2$$

jz

→ Appy

ny

=) (x+4);

(x+y); (y+3)

xy3

Apply  
De Morgan's

$$(x + y) + (x + y) + (y + z)$$

to  
simplify

to

3) Determine the Boolean function and the truth table for the output  $F$  of the logic

circuit.

a

Ъ

c

(**ä**+5+(  
)

**a**

(**a**+5)

*F*= ?

ト

5

✓ =

$$(a+b+c) + (a+b) + 5$$

c

аТЬ

$$= (a+b+c) + (a$$

$$+5)+5 + (a+b) + b$$

$$\Rightarrow (a + 5 + ()) + (a + 5) + b$$

$$x+y=x+y$$

قالک



7

ab<sup>c</sup> tabt b

→ abc + **ab** +

5 (ata)

abc tabt

abtāb

7=(1 4 5) to

(6+6=)

тасът

$\Rightarrow a + a$

$((646) (6 + c))$

$- a + a(5 + \check{c})$   
a

$\Rightarrow \underset{a}{a} \text{ tab } \text{ta}\check{c}$

$\Rightarrow (ata) (a + b)$

$\text{ta}\check{c}$

Сать =

$a + b + a\acute{c}$

$$= \overset{1}{\text{attach}} \\ (a \vee b) \wedge (a + c) \\ + 5$$

$$= \\ f(a, b, c) = \\ a + 5 + \bar{a}$$

3 variables -

$$2^3 = 8$$

decimal

range=0-7

4

2

a b c

a b c F= a+b+c

ら

a

o

o

o o

い

1

v

11 0

2

0

10

101

3

0

1

oo

لا

100

o

o

10

61

001

ooo

o

b)

$y$

Di

$$\underline{E} = x + y$$
$$\}$$

ätzt

$$(\check{z}y) + (x + 8)$$

$$\Rightarrow (2y) + (x + 3) -$$

$$x+y+x-8$$

7

$$\Rightarrow x$$

x y z

ooo

0 0

[

...

]

$$>> x+y$$

=x+y

1

2

10

3

4~1

9

J

لم

0

IN

1

61 1

✓

午

1

9

0

1



?

3) using (AND)  
gates only

$$F(A,B,C) = (a+b+c)(a'+B'+c)$$

い

"

い

$$(A+B+c)(x+(A+B+C)). (A+$$

$B + C$ )

$(NBC) +$   
 $(ABE)$

$A.B.\bar{C}.A.BC$

$z - y = x + y$

य

x0

$x + y = x - y$

$(JBC \ J.$   
 $(1 . B . C)$

BC

NAND NAND  
NAND

118

↓  
NOT

=x

A B C

A

$\bar{A}$   $B\bar{E}$

$F$

**ABE**

Using theorems and  
laws

J

Boolean

Algebra simplify the following 1 )

$$(a+b+c+d).(a+b+c+\bar{a}).(a+b+c+d) (a+b+c+d);$$

$$(a+b+c+d),$$

$$(a+b+c+d)$$

$$(a$$

$$+6+C$$

$$\text{汁}$$

今

$$(a + 5 +$$

ét,

(ätötét

а это

=7 н+уэ

(a+b+c) (a + b +  
c )) (a+b+c)

(y + x) ( }

= (a+b+c)

(b+c+ α

brüt dã

= (a+b+c)

(ō+č)

at

$$\Rightarrow ab + ac + 16 + 65 + 56 + \emptyset 1272x$$

$\bar{e}$

b b

$$\Rightarrow ab + a + b\bar{e}t\bar{b}\bar{e}t\bar{e} \rightarrow$$

$$ab + c(a + 67671)$$

$\Rightarrow$

$$ab + c$$

1:

$$x = x = 0$$

$$2 + 1 = 1$$

$|2+1$

$=$

$+ ) \quad (ab+c+d) \quad (\underline{(+1)})$

$(c+d+e) / 2:2=0 \rightarrow$

$(ab+c+d) \quad (c+d+ee)$

$(F+d+e)$

Cét

f

e

$\rightarrow (ab+c+d)$

$(c+d+ex.e) \rightarrow$

$(ab+c+d) (c+d)$

$=)$

٣

$abc + abd + ectcd + cd$

$+ da \Rightarrow abc + abd + d$

$cete) +d \Rightarrow ab'c + abd +dfd$

t

ءا



Te

te

=)   abe + d

(ab++++) JY RHIFI

今か

Ž abč td

x

⇒所(豆)+2(豆)+(夜)

xy

x

→ a\ddot{y} + xy + 43

7

=

ク

(n+x)

Ty3

y  
ž

= |

=> 5+43 (=x+43 =

(x+y) (x+3))

y3

\$ (+4)

(9+8)

=5+3

مرا

## Truth Table

1) Let  $a$  represent front door and  $b$  represent back door of

house,  $y_1, y_2, y_3$

be

3 lamps. Let  $y_1$  turn on when both

turn on when

only front

doors open, y2 turn  
on

$yz$

door is open and Ys

turn on when

only back door is open.

Represent this

in  $T.T.$

ने

ilpx  $\rightarrow$

a1

,

a2 322==4 (0-3

a

olps → Y1, Y2 Y3

az 14h Y2 Y

3

ar

0 j

a

o

o

0

j

a

o

1

1

o

o

1

0

2

3

Д

**a**

Q2 2

F

o

Д

О

у3

(O

R]

|

y

2) Write  $T.T$  for a 4 bit ilp  
system indicating when  
majority of its inputs are  
true.

ay 2=0-15



sole : – 4 *ilps* →  
4 *ilps* → a b c daž  
12/P> logic  
1(ON)

(  
обл  
л  
|  
いい  
ce oe  
a

ь с  
cd