

Decoders

& Decoder takes

n ilps and

uses

those *ilps* to determine

which of

the

lines is

2

high

жед

ég

1 to 2

decoder

2:

: 4

decoder

3 : 8

decoder

A decoder provides 2^n minterms

#

of

n

input variables.

Ж би

n.

Ю

M

decoder (nim)

$m \leq 2$

1 - do -2

n

decoder
(1:2)

to Do Di

0

Do

1:2

0

decoder

Do

D

-ilps

A

Ao

=0

olps

2 : 4 decoder

öl

1,0

Do D, D2 D3

oo

oo

0

oo

J

1

O

2

10

D

O

1

3

O

0 0

o

1 =

Doz

D1=0,1

๑

A

الوا

do do

Do = d, do

DIEÁTAO

D

D2

D3

3:8 decoder

Az A, **Ao** Do D, D2 D3 **D4** D5 Do

Dz

oo

0

o

o

ا

o

o

0

1

9 9

0

0

0

0

00

0

0

0

1

0

0

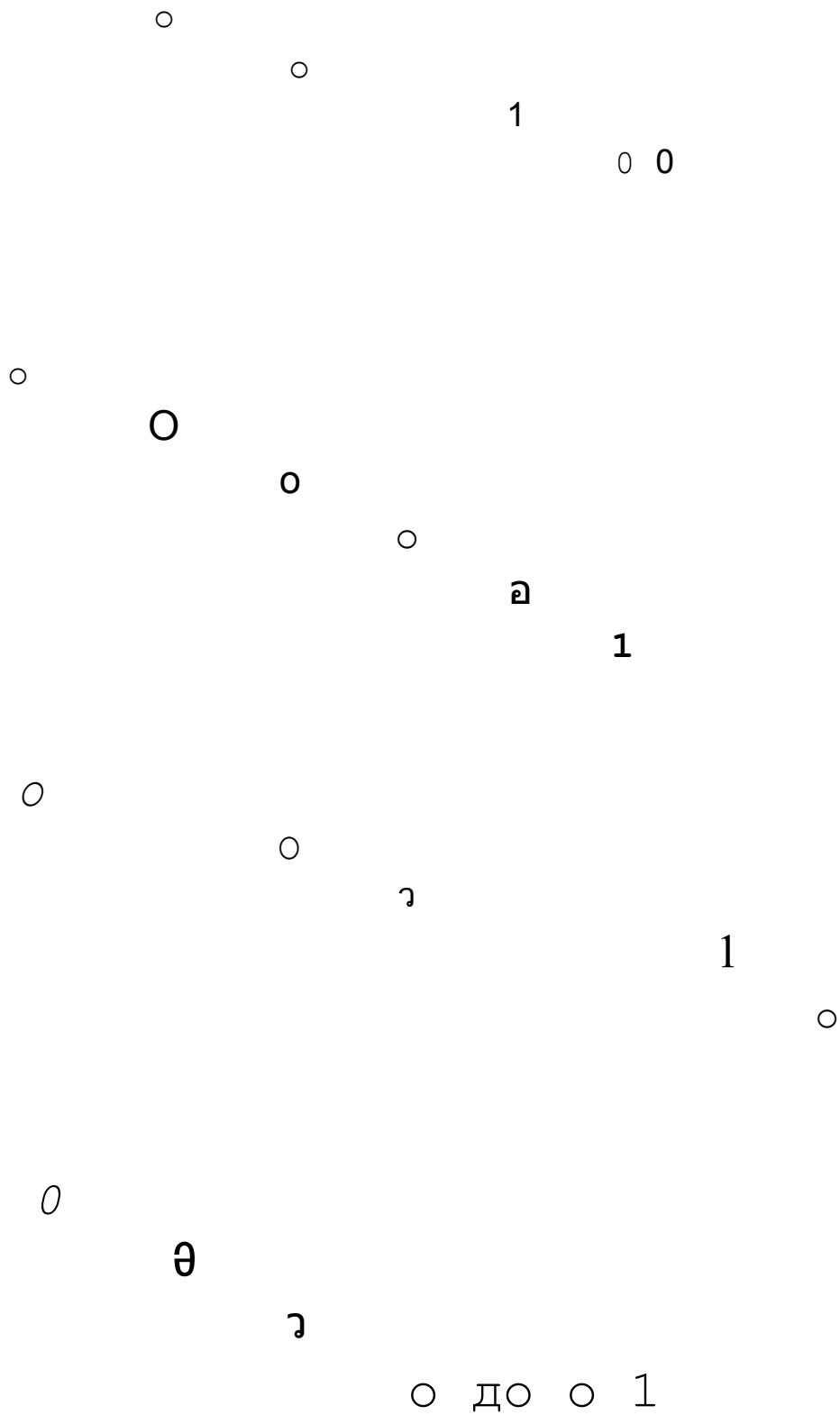
0

op

100

0

101



A2

الو

do

1

3:8

2

decoder

3

4-

5

6

D) Realize the following Boolean expressions using 3-b5-8 decoder and external gates.

$$F_1(A, B, C) = \{m(0, 4, 6)\}$$

$$F_2(A, B, C) = \{m(0, 5)\}$$

$$F_3(A, B, C) = \{M(1, 2, 3, 7)\}$$

so!"; $F_4(A, B, C) =$
 ABET ABéTABE

A-

B

C

3"

Y_O

y

1/2

y

_L

A B C

AB

ARC

F

チュ

F

3

14

2) Using

a decoder and

external galés, design the
combinational ckt. defined by

the following three
Boolean functions.

узины

$$F1 = x'y'z' + xz; \quad F2 = xyz + x'y; \quad F3 = xyz + x'y'$$

たが計れる

F2

$$F1 = xyz + xz(y+y') \\ = x'y'z' + xyz + xy$$

1

Z

$$F_3 = x \cdot y \cdot z + xy(3+z) = x^2 y z + xyz + xy?$$

1 0

001 17 1 110

$$= \{ (1, 7, 6) \}$$

Σ

1

$$x'y'z_1$$

Y

F

F2

W

y

3:8

1/2

}

нук

F3

3-8 line decoder IC 74138

do

1

-Vec

16

F1 =

$$\begin{aligned} &(0, 5) \\ &= \text{d}\epsilon_A/\text{Act} \\ &44/4 \end{aligned}$$

الله

(MSB)

A (nd)

GZA

(nd)GZ

B (Vac)

G1

Y7

gud.

15

14 by

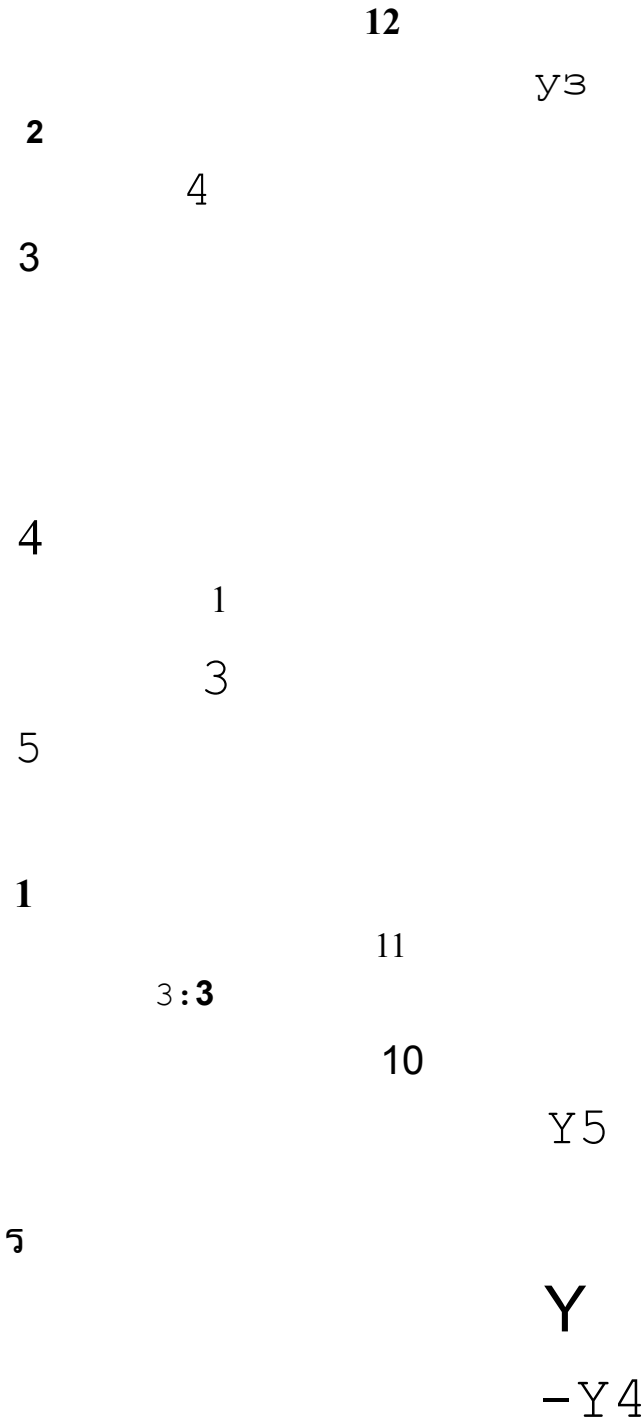
130Y2

opat

ساله

رة

F



(14, do)

A2A, **A**;
101

Az A, A_D

Az dido =

(AMA
(NO) int
(dzajao)

3:8

− {) + ()

* 74138, 2-8 decoder
 accepts 3 binary weighted
 i/ps (dz, d1, d0 and when
 enabled provides 8
 mutually exclusive active
low o/ps.

3) Design FA and FS using
 74138 IC

FA.

$$S = \{m(1, 2,$$

4, 7) Cout={m
(3, 5, 6, 7)

Az A, Ao
a b c in
cin

م

A

7

ب

Cin

A

Do

سائل

77

S

Cout

Design FS eving 3:8 decoder

(74138)

L Assignment

4) Construct 3 : 8 decoder
using 1 : 2 and
2 : 4 decoders.

Jo1"-

9

3:8

ilps

solps

2:42

Gopps

الات

YouX

1 : 2

12:4

ش ن

Do

DI

D3

A2

Y1

Dy

-D5

A2A, Ao Do D1
D2

. DF

22 : 4

D
-DY

660
100

001 010

01
-0

0 10
001

D

101
1
1
o

1 1 1
000-

5)
Construct

a 4 to 16 line decoder
with five 2-to-4 line decoders
with enable.

soln

حل
4:16

A₀

A

do

تما

Do-71

5

A

A₃

2:45

اللمس

2:4 decoders

2 : 4

opps 417
418

Do

20

2:4 decodey

D2
D3

24

2:4

f

²
E

D7

D8
1

2:4
E

}
D11

D12

D

2:4

2 E

D15

Az Az A, do

D

3

1

2

Do D, D2

1

0

1

00

Dig

o

O

1

o

0

3

0

1

3

1

1

D

1
 2
 3
 1
 1
 0
 1
 1
 0
 0

1

6) construct

with

with

○ op

5-20-32 line decoder

3-6-8 and 2 : 4 line decoders.

enable i_{tp} . Use block
digram for

componen
nts.

soln : –

به

روار

ilps

4;

to

5:32

ملور رلو

└ 32

$32 = 4 \rightarrow \rightarrow 3:8$

decoders

select one

among

among 4 ure

1, 3:4

decoder

Do

3 : 8

3 : 8

€

%

A3

X

2:4

-Dis

3:8

AH

E

-D23

Day

3:8

£

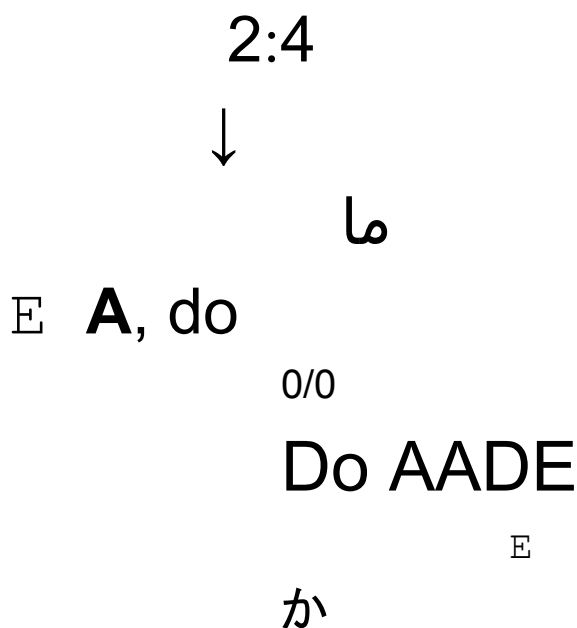
·D31

a 2:4

7) Draw the logic diagram of

line decoder using (a) NAND gate's *only* (6) NOR gates only. Include enable i/p.

soln



DI MADE E

A, ADE

Do

베스트 미 2:4E D2

8, AE

Dz

P3

0 D2 A, **46E**

a) NAND

only

Dz AIAGE

A, '

و رابو

E الملّو ao

do

6) NOR
only

$(A1'A$
 $'\epsilon)$

A

AAE

व्

切

A, 16€

OE اور او

z

$2 + E = A5E$

Ait A1+ do + E

= 1, * €

Do

soo $\frac{7}{11}$

$A, AGE \rightarrow d1 + A + E = DIA, ADE \rightarrow$
 $A, + \text{dot} \bar{E}$

$A, ADE \Rightarrow$

$A1 +$
 $A2 + E = D3$

FD

A

a

E

$D1 = \&, d$
 E

か

$$D2 = 1, *E$$

8)

Design

εοδoe

$$D2 = ADADE$$

D3

BCD to decimal decoder
using the unused
combinations
of BCD code as don't care

condo

tions.

0-9 -TO OT

sol" – The design can be
simplified

by considering 10 olp
with *o*

don't care conditions ie,

6

fm BCD {m (0, 1, 2, 3 -
-9) + dc (10, 11--15)

ملا



O

oo

0

1

2

21

1

3

A B C D

Decimal

CD

00

OO DO

21

AB

リト

4||

DI D3 RZ

o

100

9

0104 DS

57D6

0

101

0

10

11XX

IXVILX

o

1

ooo

8

1

oo

1010

1

3

1

oo

10

xxxxxx

008

$D_0 = A'B'C'D'$

$D_6 = BCD$

$A'B'C$

$'D$

$D_1 = \text{wet}' B'$

$C'D$

$D_7 = BCD$

$D_2 = B'CD! D_8$

$=AD'$

10 $D_8 D_9 XNX$

$$D3 = BCD$$

$$D9 = AD$$

$$D4 = BC$$

$$D2$$

c

A

B C D

$$D5 = BCD$$

Do

}

. D9

Magnitude Comparator

» It is a combinational ckt. That

ноб

compares two nos., A

YB,

and

determines their relative
magnitude

The outcome of comparison is specified by three binary

variables

that indicate whether $d=B$, $* < B$

or ASB .

1-bit

comparator

* Let the two 1-bit ilps be AXB .

The

Y if AB X Z if

$A7B$

y

$$x = AB!$$

o/ps

are x if f=B

,

A

B

X Y Z

G

oo

oo

1

10 1 9

म

2

10

$$A'B' + AB =$$

$$ARB$$

$$Y = x' B$$

لو 31

3

oo

A

B

D

2-bit
comparator

Ал

1

2

B. Bo / xy

1

x =

Á œ B

Y = A'B

= AB'

ç

Я

A

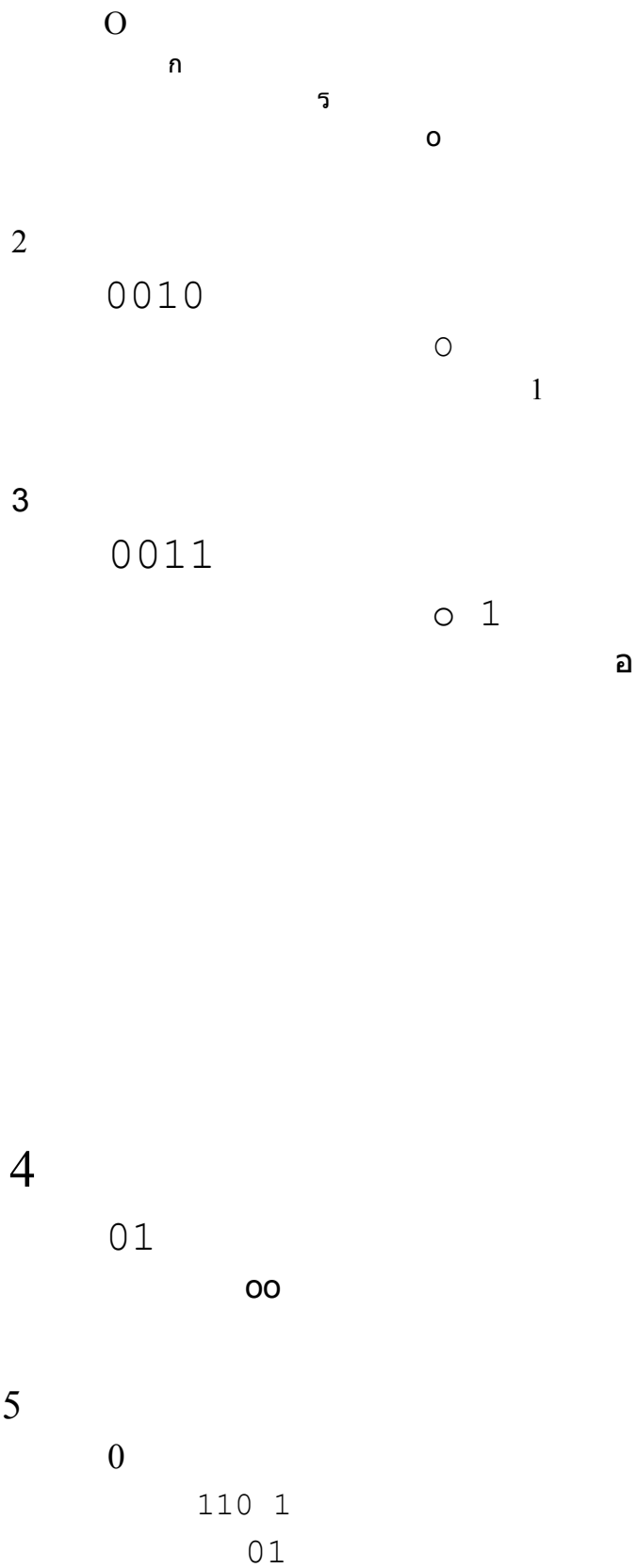
B

Z

Ao

B, Bo

oo



i/ps

x if 1, d=

B, Bu

1

∞

y if di dot

B, Bo

6

1

10

o

10

Z

o

1

o

1

o

if A,

No>B, Bo

8

1

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8

10

11

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1

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1

0

0

ep

1 0

$$x = \{m(0, 5, 10, 15)\}$$

$$Y = \{m(1, 2, 3, 6, 7, 11)\} \quad z = \{m(4, 8, 9, 12, 13, 14)\}$$

ДВО

B, B

00

21

ou

Do 1

01

1/ 10

2

\Rightarrow

B'ot

AÓB, Bót A,
A, B, Bot

11

12

13

14

10

8

·B

7

A, A, B, B²+

A, A, B, B¹

(doBot
Mobo)+

4, B1 (d, B2+
Ao`B'1)

=> 1, 'B, (No +
Bo) + 1, 8, (Not
Bo)

(*
%

=) (do + Bo) (A,
B,' + &, B1)

X =>

Not Bo)

(s

A, dB

x =

xox 1

Ho
D

X2 = Ao → B2,

X1 = A, @B

3-bit

comparator

X = X2 - x, · x2 => (4,000)

(1,8,) (101)

X

4-61t

D

B

X=

{ (1, 2, 3, 6, 7, "1)

AB.B

li7

ro

00

10

2

o|

4

5

12

13

15

14.

10

e

$Y = A, B, 1 + A,$

$A, B2 + A, B, B$

x

=

A

[OR]

)

0

B, + A, A, B, BO +

A, do B, BO

大

A, B, + A, B2

(A, B + A,

B1)

B

0

A, B, + AB2

(A,

Bol

└

B,1

)

(bit)

(2414) Y =

A,B,+ ABOX,

(:x,

=

13, 14)

B.Bo

Ado

00.01

11

10

e

00

0

3

2

01

7

11

13

15

14

10

4

10

Bi

+

== A, Bit AB, Bó +
A, A, B.

Z = A, B,

+

Z

[OR
]

| A & B, B'1+

A, A, B, B0

Bot

1

= A, B, + B6

(A, B, + *, B1)

い

=

11

t dobó

A, B, + A² B¹

(A, B¹)

A⁰ B⁰

A

A, B, + dobó x,

(2-bit)

2 = a² 8^{2+4,8} x² +

A²B⁰x²x, (3-bit)

z

2 =

2

A, B,

길

$A_s B_3 + A_2 B_2 X_3 + A, B,$
 $X_{322} + 4 B_{Oxxx} \quad (4-617)$