

Uncovering the Elasticity of Supply of Barley Production

A simple model estimation :

$$\text{LogProduction}_i = \beta_1 \text{Price}_i + \beta_0 + \varepsilon_i$$

Where β_i represents the intercepts of the model

LogProduction_i is the dependent variable where $i = 1..n$ (number of observations)

Price_i represents the independent variable

β_1 is the coefficient of estimate (elasticity of supply)

ε_i is the error term

Including state fixed and time fixed effects will provide a clearer representation of the elasticity of supply. In this case state fixed effects would explore the relationship between the predictor (Quantity produced) and outcome(price) variables within a state. We assume that there is correlation between the state's error term and quantity produced by that state, thus by removing these time invariant factors, we can assess the net effect of quantity produced on price.

The fixed effects model :

$$\text{LogProduction}_{it} = \beta_1 \text{Price}_{it} + \beta_i + \varepsilon_{it}$$

Where β_i represents the intercepts for each state ($i = 1, 2, \dots, 25$)

$\text{LogProduction}_{it}$ is the dependent variable where i = state id and t - time

Price_{it} represents the independent variable

β_1 is the coefficient of estimate (elasticity of supply)

ε_{it} is the error term

The regression output is as following :

Oneway (individual) effect Within Model

Call:

```
plm(formula = logproduction ~ Price, data = data.panel, model = "within",  
     index = c("Year"))
```

Unbalanced Panel: n = 25, T = 9-28, N = 527

Residuals:

Min.	1st Qu.	Median	3rd Qu.	Max.
-2.13162906	-0.27163752	0.00076478	0.28256470	1.53716638

Coefficients:

	Estimate	Std. Error	t-value	Pr(> t)
Price	-0.144337	0.020975	-6.8814	1.777e-11 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Total Sum of Squares: 127.96

Residual Sum of Squares: 116.91

R-Squared: 0.086355

Adj. R-Squared: 0.040764

F-statistic: 47.3531 on 1 and 501 DF, p-value: 1.7771e-11

The fixed effects constants for each state is :

1	2	3	4	5	6	7	8	9	10	11	12
13.69071	16.95011	12.62517	12.86302	13.79983	11.94238	14.61625	16.19575	11.41544	12.14609	11.72690	11.62168
13	14	15	16	17	18	19	20	21	22	23	24
12.34771	16.37500	10.79744	14.14167	13.55464	11.29349	13.53238	11.14862	14.16817	13.55120	15.33065	12.82943
25											
14.83861											

Here, the production variable was logged so that the distribution appears more symmetric. The coefficient of estimate is -0.144337 and the standard error is 0.020975. This shows that production (dependent variable) decreases by 14% overtime on average per state when price (independent variable) increases by 1 dollar. This is not what I expected. According to the law of supply an increase in quantity supplied would lead to an increase in price (graph of quantity supplied is upward sloping). However the data states the opposite, as the quantity produced of barley is highly responsive to changes in price. The data indicates that the barley has a price elastic supply. I thought that barley would be a pretty inelastic good because it is a necessity (food product). The price variable is significant at all levels (this is what was expected).

In conclusion, hard to determine the price elasticity of supply because there are factors which affect the price of barley which we could not control for in our model. These factors include the ease of storage, factor mobility, substitutability of barley with crops. Even though we controlled for state fixed and time fixed effects, the other factors could be production (independent) variable, which clouds the results.

