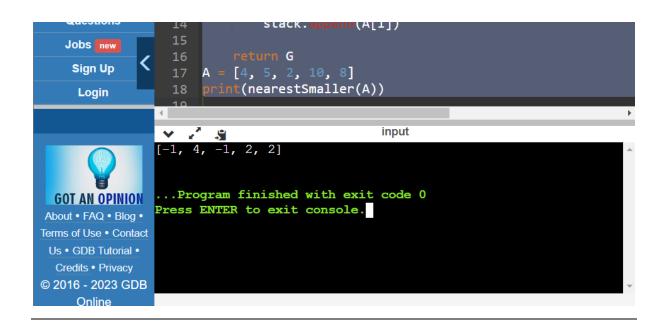
Day-14: Stack & Queue - 2

Problem statement: Next Smaller Element

```
def nearestSmaller(A):
  stack = []
  G = []
  for i in range(len(A)):
    while stack and stack[-1] >= A[i]:
      stack.pop()
    if not stack:
      G.append(-1)
    else:
      G.append(stack[-1])
    stack.append(A[i])
  return G
A = [4, 5, 2, 10, 8]
print(nearestSmaller(A))
```



Problem Statement: Design a data structure that follows the constraints of **Least Recently Used (LRU) cache**

class LRUCache:

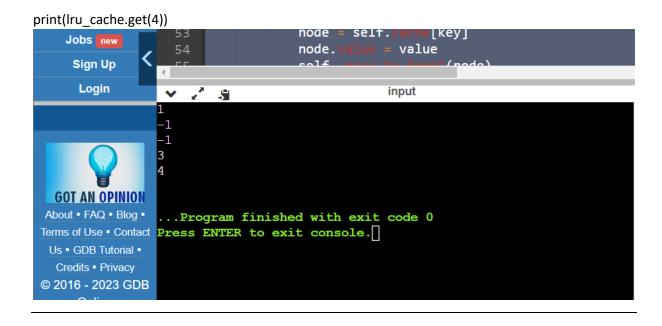
```
class Node:
    def __init__(self, key=None, value=None):
        self.key = key
        self.value = value
        self.prev = None
        self.next = None

def __init__(self, capacity):
        self.capacity = capacity
        self.cache = {}
        self.head = self.Node()
        self.tail = self.Node()
        self.head.next = self.tail
        self.tail.prev = self.head

def _add_node(self, node):
```

```
# Add a node to the front of the linked list
  node.prev = self.head
  node.next = self.head.next
  self.head.next.prev = node
  self.head.next = node
def _remove_node(self, node):
  # Remove a node from the linked list
  prev = node.prev
  next = node.next
  prev.next = next
  next.prev = prev
def _move_to_front(self, node):
  # Move a node to the front of the linked list
  self._remove_node(node)
  self._add_node(node)
def _pop_tail(self):
  # Remove and return the tail node from the linked list
  tail_node = self.tail.prev
  self._remove_node(tail_node)
  return tail_node
def get(self, key):
  if key in self.cache:
    node = self.cache[key]
    self._move_to_front(node)
    return node.value
  else:
    return -1
```

```
def put(self, key, value):
    if key in self.cache:
      node = self.cache[key]
      node.value = value
      self._move_to_front(node)
    else:
      new_node = self.Node(key, value)
      self.cache[key] = new_node
      self._add_node(new_node)
      if len(self.cache) > self.capacity:
        tail_node = self._pop_tail()
        del self.cache[tail_node.key]
lru_cache = LRUCache(2)
lru_cache.put(1, 1)
lru_cache.put(2, 2)
print(lru_cache.get(1))
lru_cache.put(3, 3)
print(lru_cache.get(2))
lru_cache.put(4, 4)
print(lru_cache.get(1))
print(lru_cache.get(3))
```



Problem Statement: Given an array of integers heights representing the histogram's bar height where the width of each bar is 1 return the area of the largest rectangle in histogram.

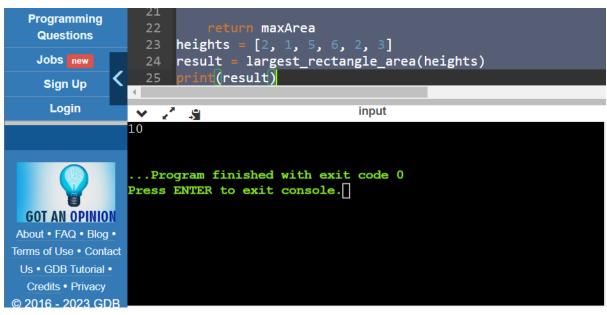
```
def largest_rectangle_area(heights):
    stack = []

maxArea = 0
    i = 0

while i < len(heights):
    if not stack or heights[i] >= heights[stack[-1]]:
        stack.append(i)
        i += 1
    else:
        top = stack.pop()
        width = i if not stack else i - stack[-1] - 1
        area = heights[top] * width
        maxArea = max(maxArea, area)
```

```
top = stack.pop()
width = i if not stack else len(heights) - stack[-1] - 1
area = heights[top] * width
maxArea = max(maxArea, area)

return maxArea
heights = [2, 1, 5, 6, 2, 3]
result = largest_rectangle_area(heights)
print(result)
```



Problem Statement: Given an array of integers arr, there is a sliding window of size k which is moving from the very left of the array to the very right. You can only see the k numbers in the window. Each time the sliding window moves right by one position. Return *the* **max sliding window**

from collections import deque

```
def max_sliding_window(arr, k):
    result = []
```

```
window = deque()
  for i in range(len(arr)):
    if window and window[0] \leftarrow i - k:
      window.popleft()
    while window and arr[window[-1]] <= arr[i]:
      window.pop()
    window.append(i)
    if i >= k - 1:
      result.append(arr[window[0]])
  return result
arr = [4, 0, -1, 3, 5, 3, 6, 8]
k = 3
print(max_sliding_window(arr, k))
```



Problem Statement: Implement Min Stack | O(2N) and O(N) Space Complexity. Design a stack that supports push, pop, top, and retrieving the minimum element in constant time.

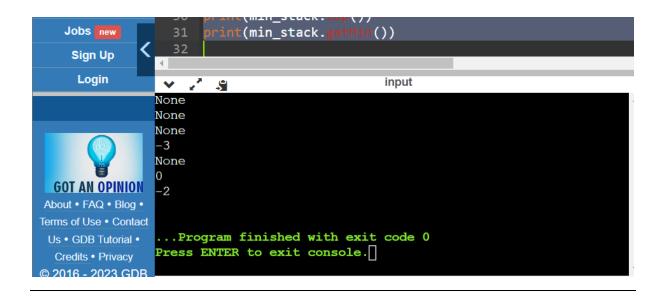
class MinStack:

```
def __init__(self):
    self.stack = []
    self.min_stack = []

def push(self, val):
    self.stack.append(val)
    if not self.min_stack or val <= self.min_stack[-1]:
        self.min_stack.append(val)

def pop(self):</pre>
```

```
if self.stack:
      val = self.stack.pop()
      if val == self.min_stack[-1]:
        self.min_stack.pop()
  def top(self):
    if self.stack:
      return self.stack[-1]
  def getMin(self):
    if self.min_stack:
      return self.min_stack[-1]
min_stack = MinStack()
print(min_stack.push(-2))
print(min_stack.push(0))
print(min_stack.push(-3))
print(min_stack.getMin())
print(min_stack.pop())
print(min_stack.top())
print(min_stack.getMin())
```



Problem Statement: You will be given an **m x n** grid, where each cell has the following values :

- 1. 2 represents a rotten orange
- 2. 1 represents a Fresh orange
- 3. 0 represents an Empty Cell

Every minute, if a Fresh Orange is adjacent to a Rotten Orange in 4-direction (upward, downwards, right, and left) it becomes Rotten.

Return the minimum number of minutes required such that none of the cells has a Fresh Orange. If it's not possible, return **-1**.

from collections import deque

def orangesRotting(grid):

```
directions = [(0, 1), (0, -1), (1, 0), (-1, 0)]
queue = deque()
fresh_oranges = 0
minutes = 0
```

```
for i in range(len(grid)):
  for j in range(len(grid[0])):
    if grid[i][j] == 2:
      queue.append((i, j))
    elif grid[i][j] == 1:
      fresh_oranges += 1
while queue:
  size = len(queue)
  rotten_found = False
  for _ in range(size):
    x, y = queue.popleft()
    for dx, dy in directions:
      nx, ny = x + dx, y + dy
      if 0 \le nx \le len(grid) and 0 \le ny \le len(grid[0]) and grid[nx][ny] == 1:
        grid[nx][ny] = 2
        fresh_oranges -= 1
        queue.append((nx, ny))
        rotten_found = True
```

if rotten_found:

minutes += 1

if fresh_oranges > 0:

return -1

else:

return minutes

print(orangesRotting(grid))

