



Math LLM Evaluation Suite

Single Question Mode Dataset Evaluation Mode Visualize Auto-Loop Results

Dataset Evaluation — Visual Summary

Raw Results Table

ID	Raw LLM Answer	Python Output	Dataset Answer	Data
0 test/precalculus/807.json	I need to convert the rectangular coordinates (0, 3) to polar coordinates (r, θ). Given:	(3.0, 1.570796326794	\left(3, \frac{\pi}{6} \right)	Match
1 test/intermediate_algebra/1994.json	I need to find a way to express $\sum_{j=1}^{\infty} \sum_{k=1}^{\infty} \frac{1}{(j+k)^3}$.	-zeta(3) + pi**2/6	p - q	Mism
2 test/algebra/2584.json	I need to find the values of f(-2), f(-1), and f(0) for the function f(x) = (3x-2)/(x-2), then s	4.6666666666666667	\frac{14}{3}	Let m
3 test/number_theory/572.json	I need to find the number of positive whole-number divisors of 196. First, I'll find the	9	9	Match
4 test/algebra/1349.json	Looking at the graph, I need to find which student has the greatest average speed over	Evelyn	\text{Evelyn}	Match
5 test/prealgebra/1622.json	Let me work through this step-by-step. Given information: - A regular hexagon can be	42.0	42	Match
6 test/number_theory/515.json	I need to find the smallest positive perfect cube that can be written as the sum of thr	27	27	Match
7 test/precalculus/927.json	I need to find the angle between two lines defined by parametric equations. First, let	90.0	90^\circ	Match
8 test/algebra/2036.json	I need to find the distance between the points \$(2, -6)\$ and \$(-4, 3)\$ using the distanc	3\sqrt{13}	3\sqrt{13}	Match
9 test/prealgebra/1139.json	I need to find all possible values that can be obtained by inserting parentheses in the	4	4	Match

Summary Metrics

Total Questions

10

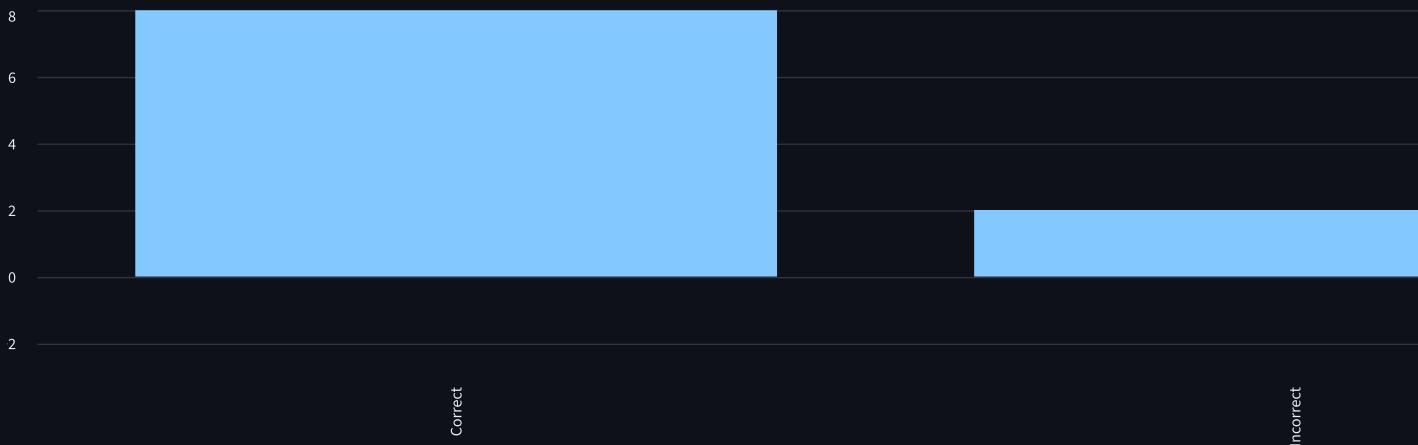
Correct Python Outputs

8

Python Accuracy (%)

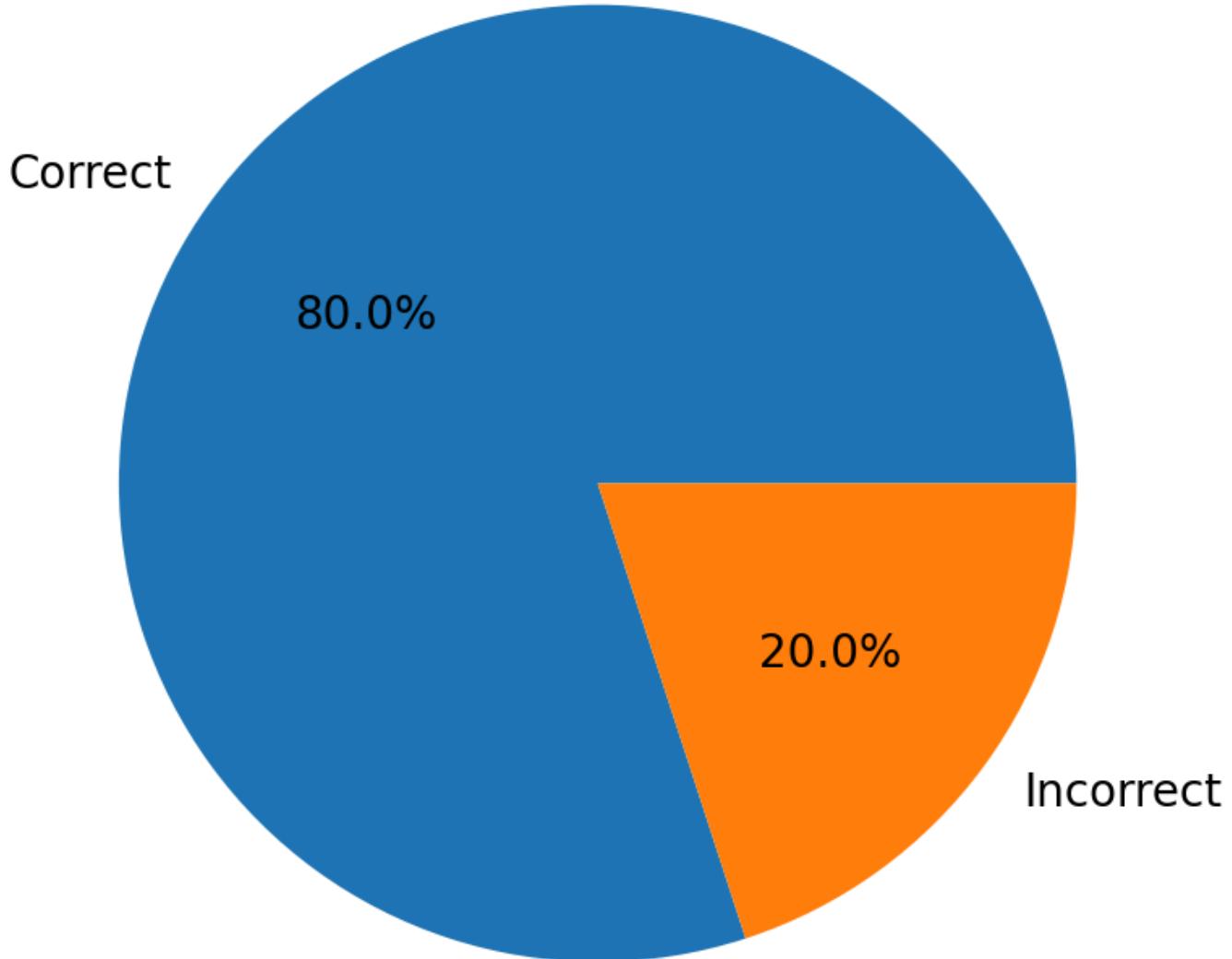
80.00%

Correct vs Incorrect Predictions



Distribution

Correctness Distribution



LLM vs Python Match Distribution

	LLM vs Python	count
0	Match The answer is correct. The point $(0, 3)$ in rectangular coordinates converts to $(3, \pi/2)$ in polar coordinates, where $r = 3 > 0$ and $\theta = \pi/2$ satisfies the condition $\theta \in [0, \pi]$.	1
1	Match The solution correctly derives that $\sum_{j=1}^{\infty} \sum_{k=1}^{\infty} \frac{1}{(j+k)^3} = p - q$, where $p = \sum_{k=1}^{\infty} \frac{1}{k^3}$ and $q = \sum_{j=1}^{\infty} \frac{1}{(j+1)^3}$.	1
2	Match All calculations are correct: $-f(-2) = 2 - f(-1) = 5/3$. $f(0) = 1$. $\text{Sum} = 2 + 5/3 + 1 = 3 + 5/3 = 9/3 + 5/3 = 14/3$. The decimal equivalent 4.666... etc.	1
3	Match The LLM answer is correct. The prime factorization of 196 is $2^2 \times 7^2$, and using the divisor formula $(2+1)(2+1) = 9$, which matches the manual calculation.	1
4	Match The solution correctly identifies that average speed is calculated as distance/time, reads the coordinates from the graph accurately, and uses the formula $\text{average speed} = \frac{\text{distance}}{\text{time}}$.	1
5	Match The solution is correct. The reasoning properly establishes that each equilateral triangle has sides of 7 inches ($21 \div 3$), and since the regular hexagon is composed of 6 such triangles, the total side length is $6 \times 7 = 42$ inches.	1
6	Match The solution is correct. The smallest positive perfect cube that can be written as the sum of three consecutive integers is indeed 27, corresponding to the integers 8, 9, and 10.	1
7	Match The solution correctly finds the direction vectors for both lines by setting the common ratios equal to a parameter t , then calculates the components of the direction vector.	1
8	Match The solution is correct. The distance calculation follows the distance formula properly: - Points $(2, -6)$ and $(-4, 3)$ - Distance = $\sqrt{(-4-2)^2 + (3-(-6))^2} = \sqrt{36 + 81} = \sqrt{117} = 3\sqrt{13}$.	1

Filter Incorrect Predictions

2 incorrect predictions found:

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2	test/algebra/2584.json I need to find the values of f(-2), f(-1), and f(0) for the function f(x) = (3x-2)/(x-2), then s 4.6666666666666667	4.6666666666666667	\frac{14}{3}	Let m