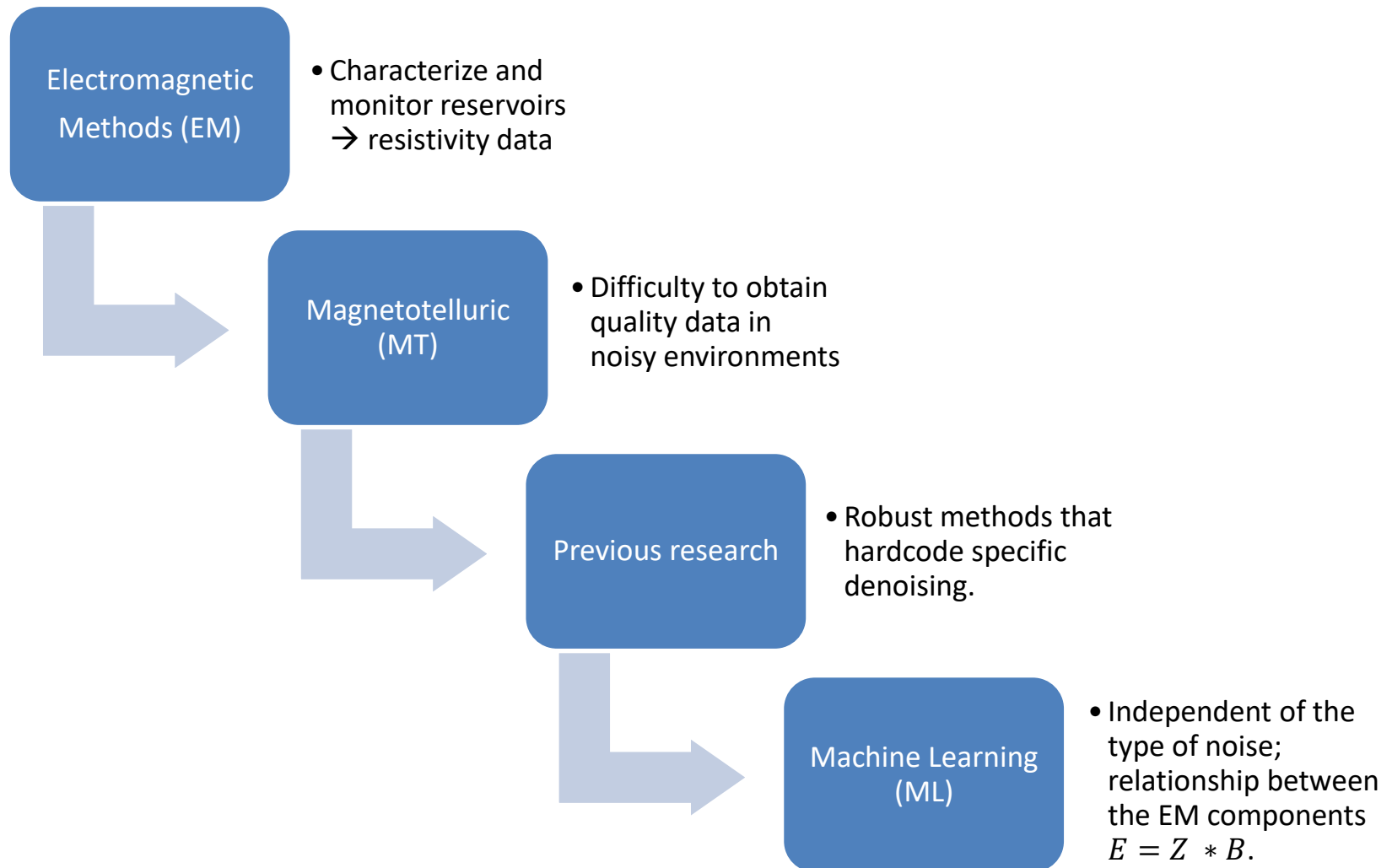


Experimental signal-noise ratio enhancing of magnetotelluric time series with machine learning

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Supervisor: Prof. PhD. Alex Marcuello.

Presentation Outline

Introduction	Methodology	Results	Discussion	Conclusions
<ul style="list-style-type: none">• The problem• the solution• hypothesis & Objectives• Fundamentals	<ul style="list-style-type: none">• Get the Data• Feature Engineering• Train the Model• Validate the Model• Make Predictions	<ul style="list-style-type: none">• First Simulation• Second simulation• Real data denoising	<p>What does these results mean and the implications on the subject.</p>	<p>What is the main contribution to the field.</p>



Hypotheses Machine Learning provides an ideal solution to find the electromagnetic fields relationship in noisy data.

The relationship between the electric and magnetic fields can be useful for ML, even more if working in the frequency domain.

Stockwell (S) transform can provide a good conversion from time to frequency representation to achieve better results.

Objectives

To establish and evaluate a workflow as a new methodology for treating Magnetotelluric noise with Machine Learning.

To use up-to-date open source Python libraries for the noise-to-signal ratio enhancing .

To implement the S-transform as the time-frequency representation (TFR) to achieve better results from the ML mode.

1. Assume noise type and hardcode the filters
2. Implement inversion method
3. Input EM components

$$\|E - Z \cdot B\| = \min$$

Classical Approach

Obtain Z to calculate resistivities

1. Architect the ML model
2. Adjust the Hyperparameters
3. Input EM components

$$mf: B \cdot W \rightarrow E$$

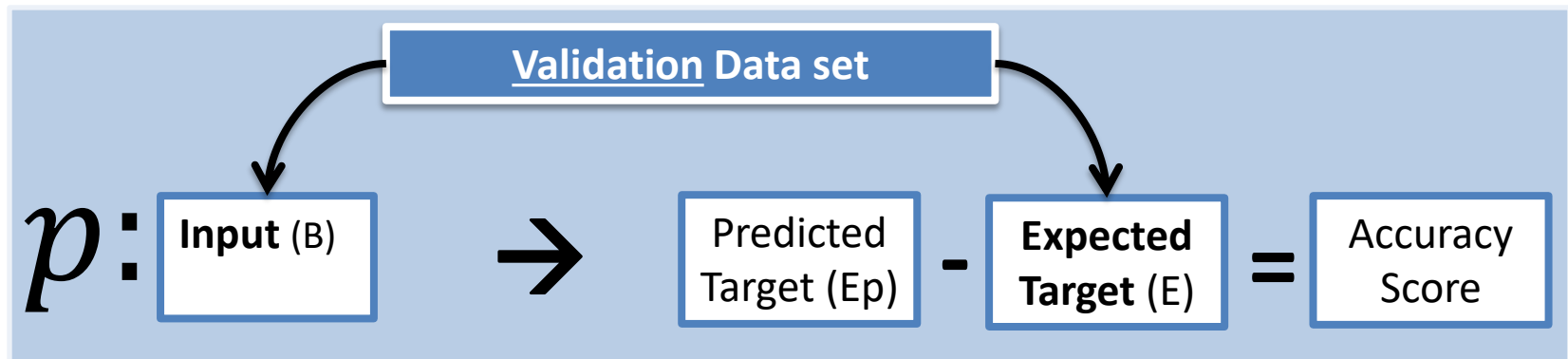
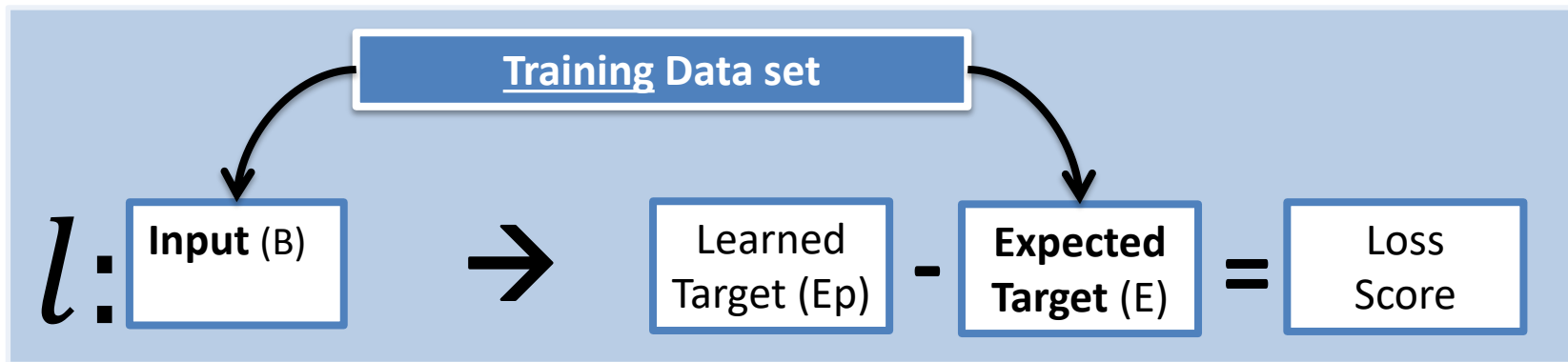
ML Vision

Use mf to deduce resistivities

For E & B complex electric and magnetic fields in the frequency Domain

Supervised Machine Learning Models

Machine Learning "Learn" With Data, Without Being Explicitly Programmed

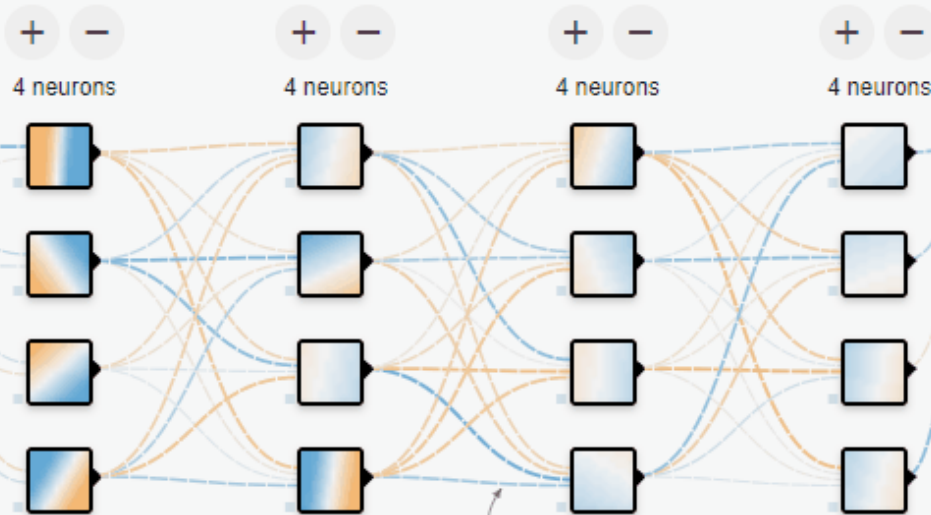


FEATURES

Which properties do you want to feed in?



4 HIDDEN LAYERS

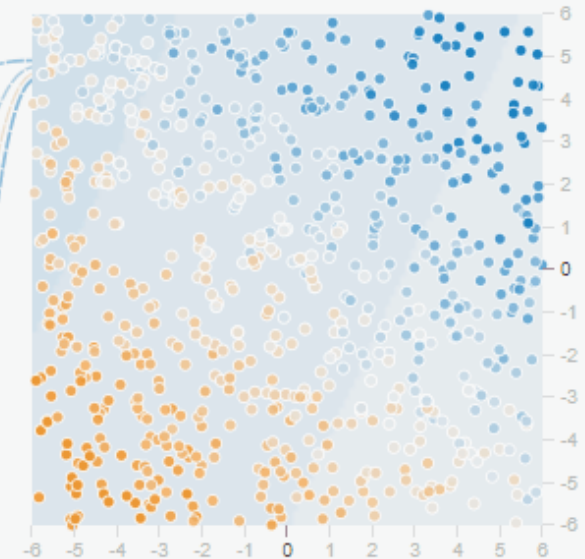


This is the output from one **neuron**. Hover to see it larger.

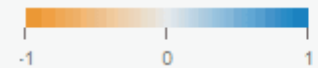
The outputs are mixed with varying **weights**, shown by the thickness of the lines.

OUTPUT

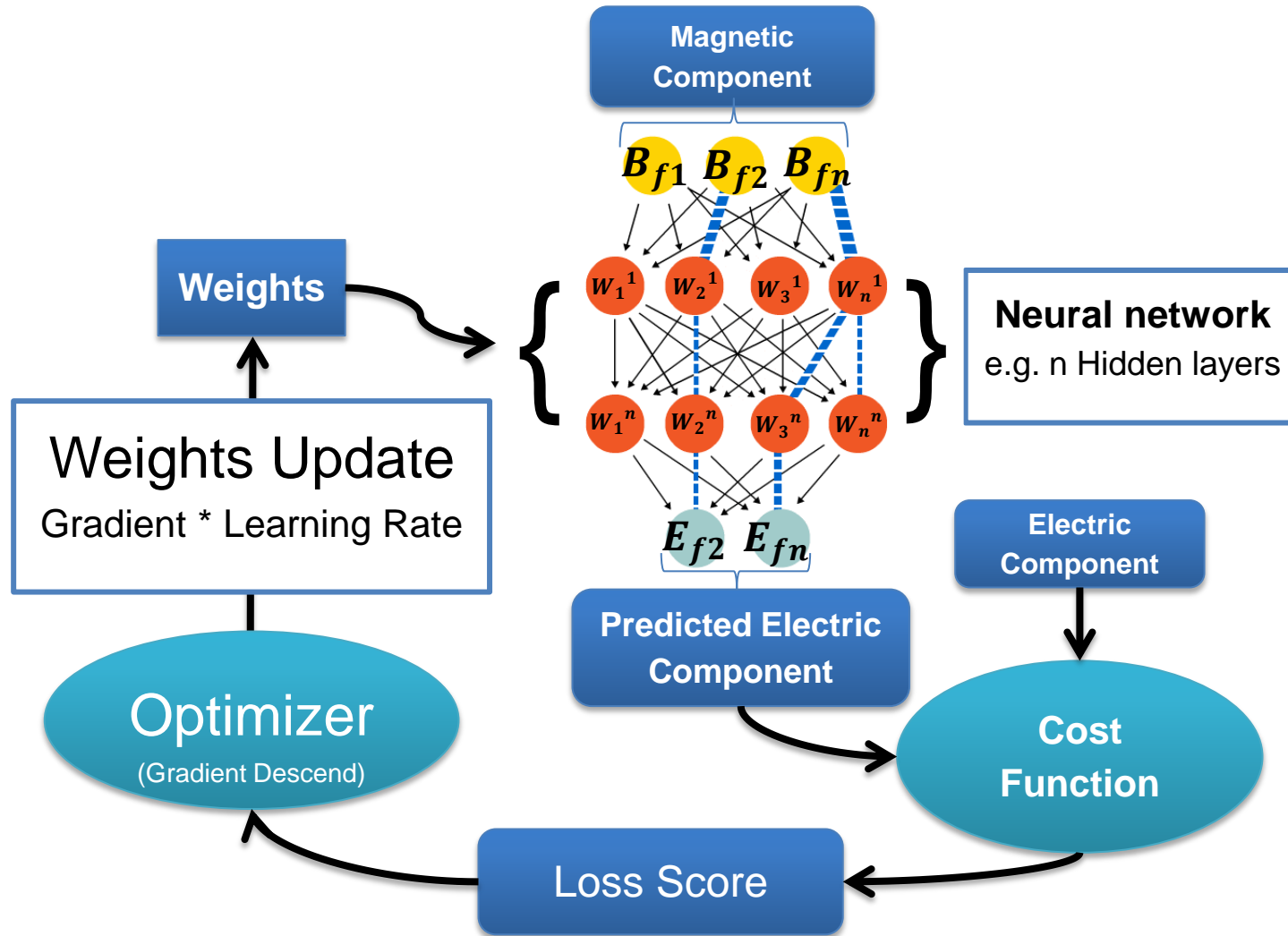
Test loss 0.123
Training loss 0.136



Colors shows data, neuron and weight values.



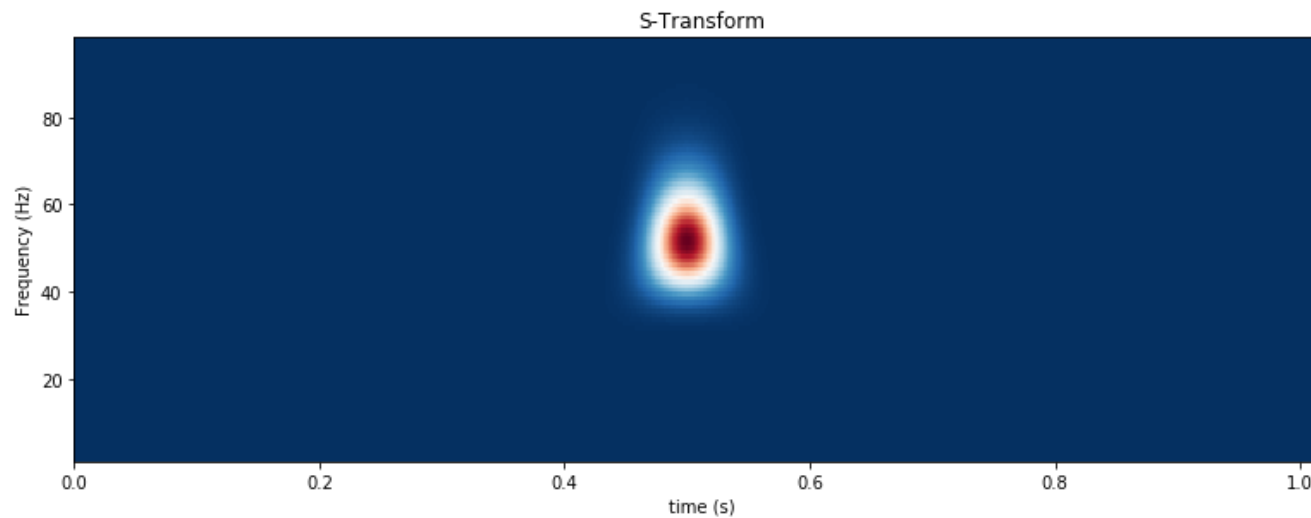
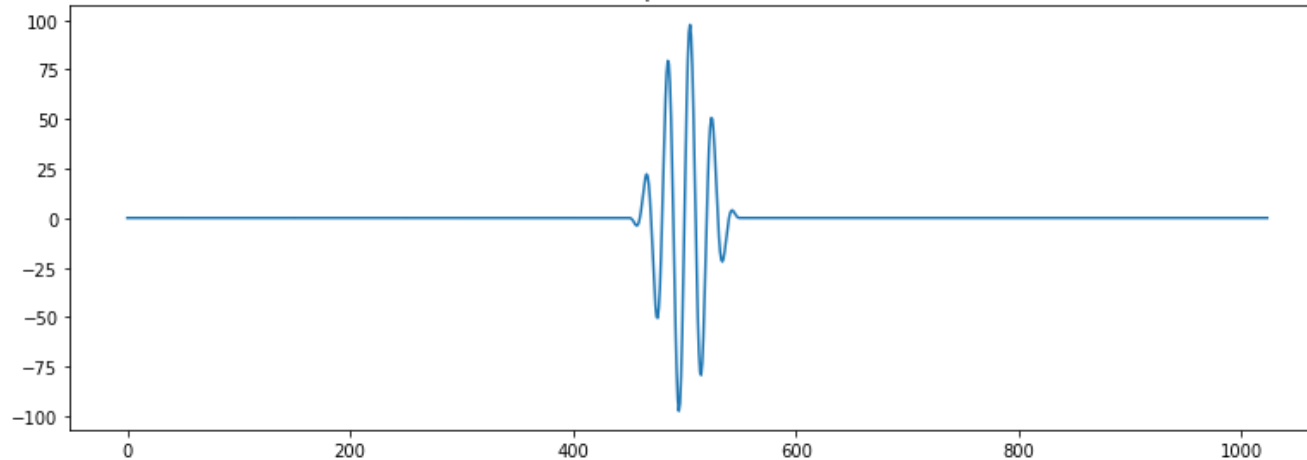
<http://playground.tensorflow.org>

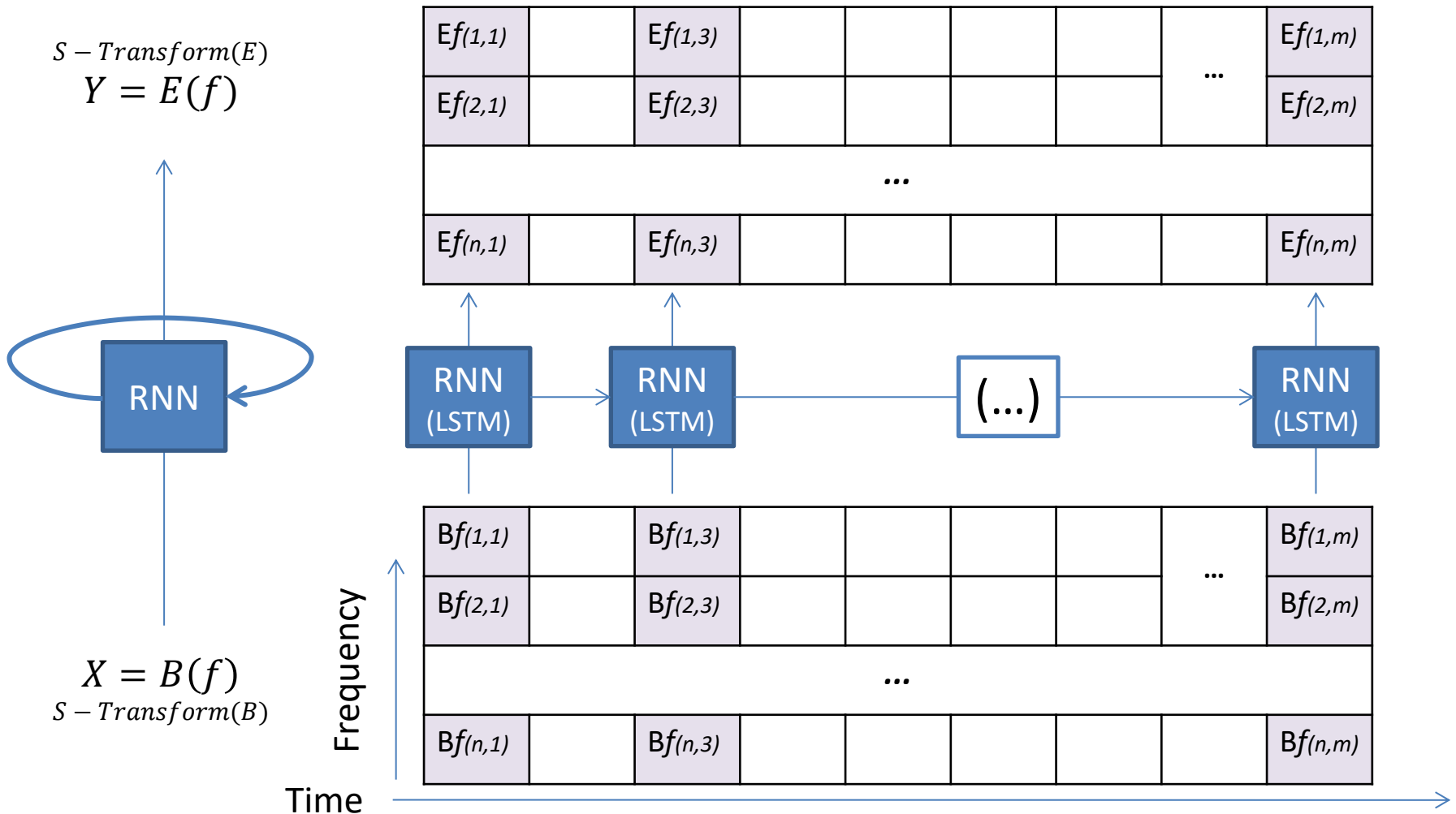


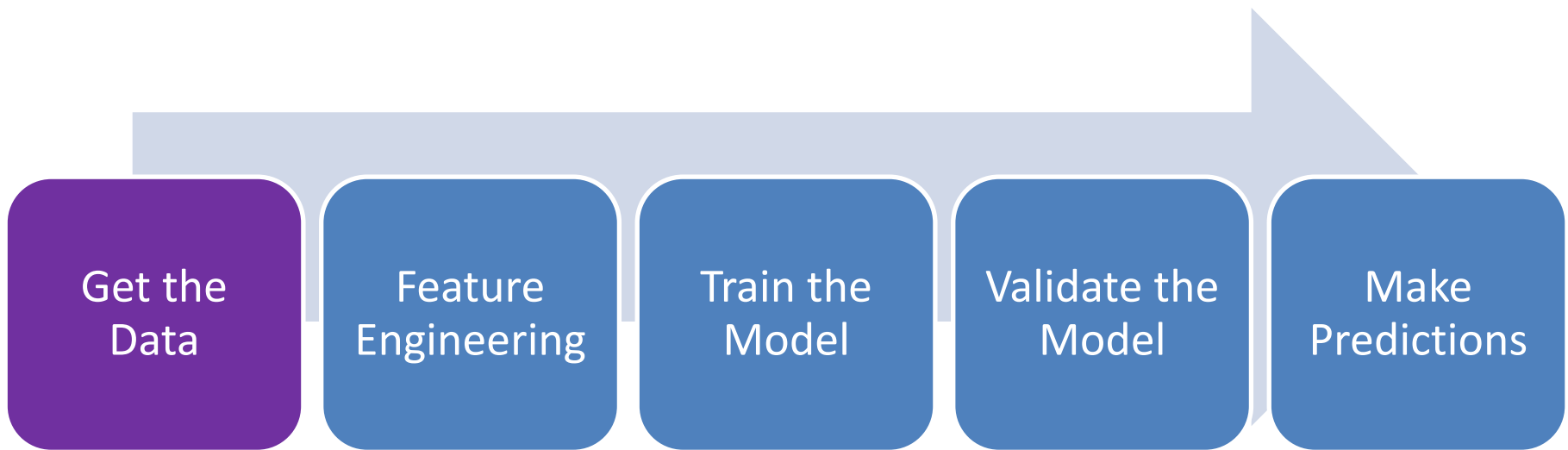
```
# Calculate the S-Transform / MNE array function
from mne.time_frequency import tfr_array_stockwell
st_power = tfr_array_stockwell(signal, sfreq, fmin, fmax)
```

Appretiation of the TFR

Impulse 50 Hz



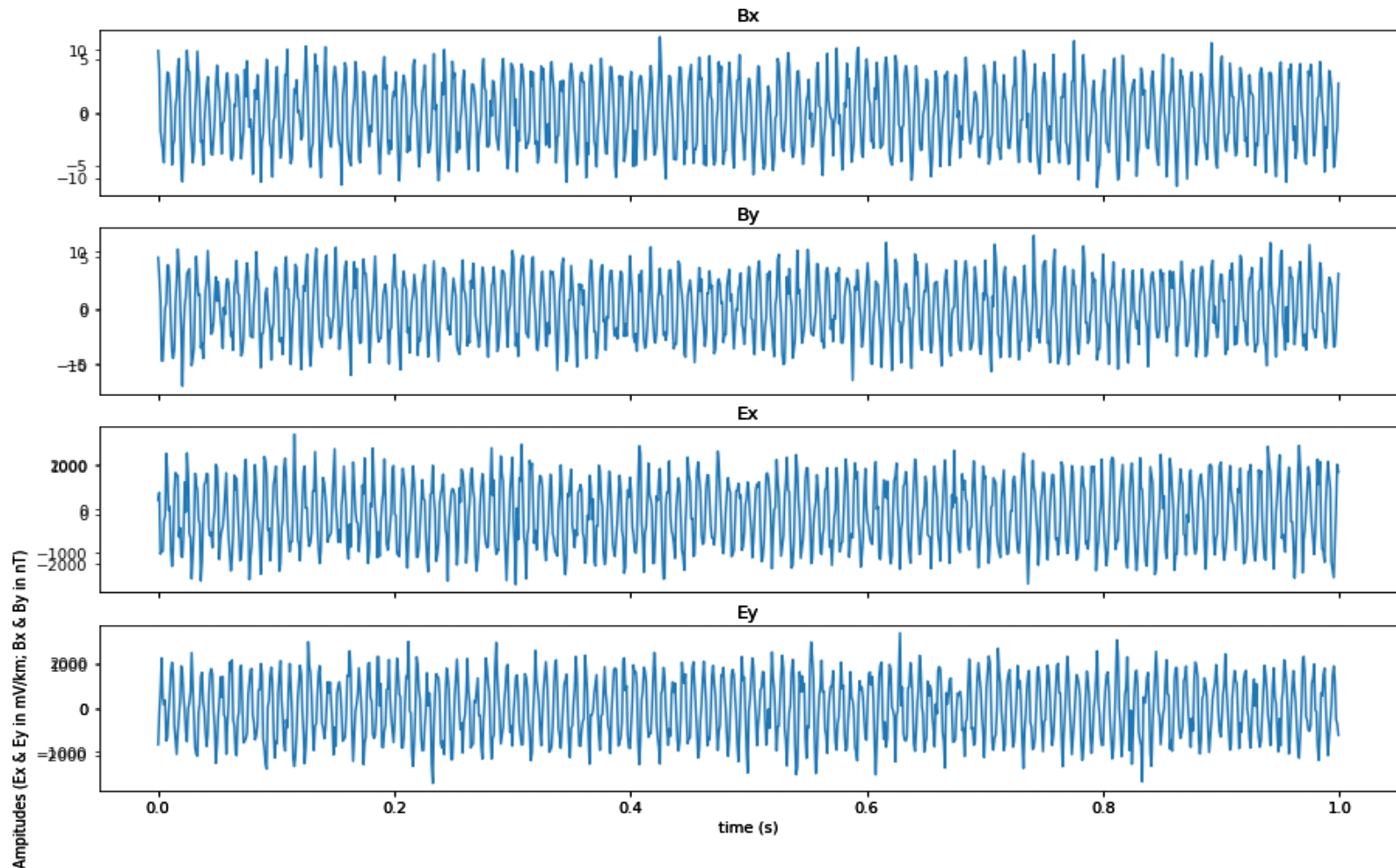


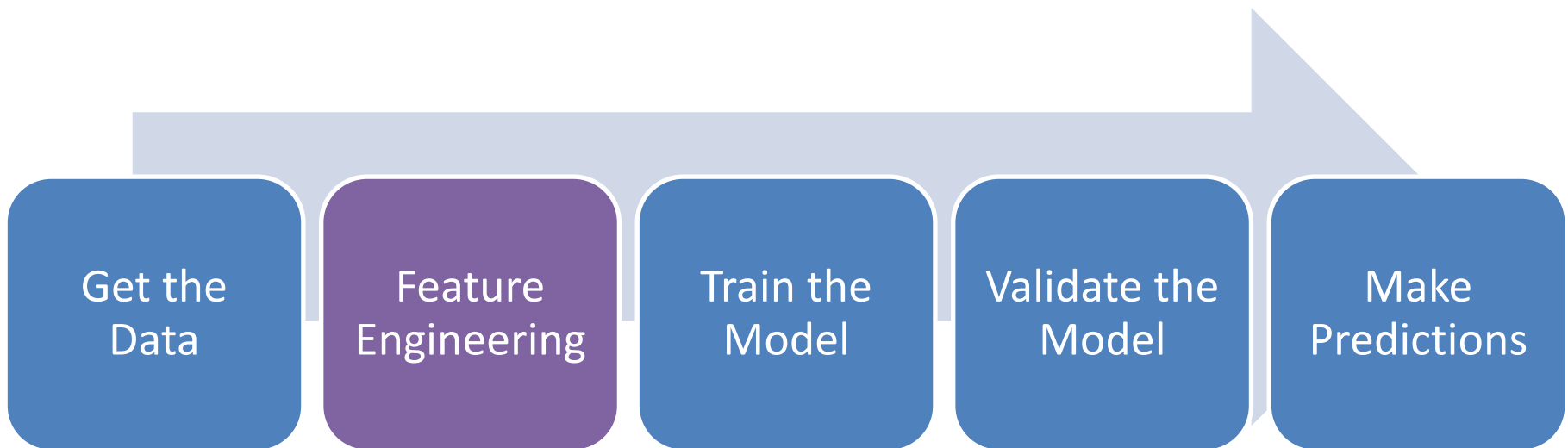


Assuming Parameters

- Generating the magnetic field
- Generating the impedance matrix
 - Generating the electric field
- Generating the random noise → Add the noise to the EM fields

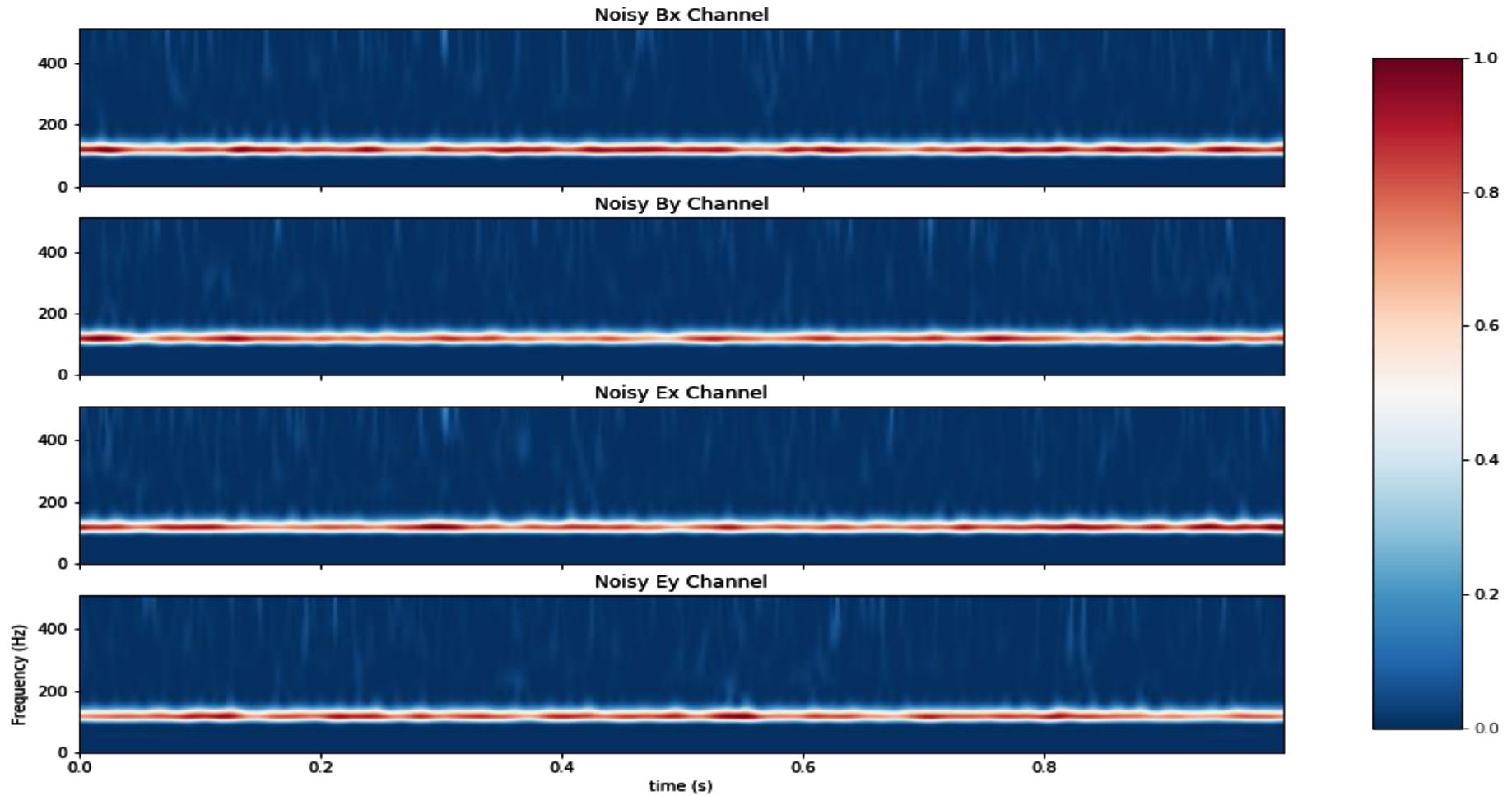
Electromagnetic Noise Horizontal synthetic field components (Time Series)

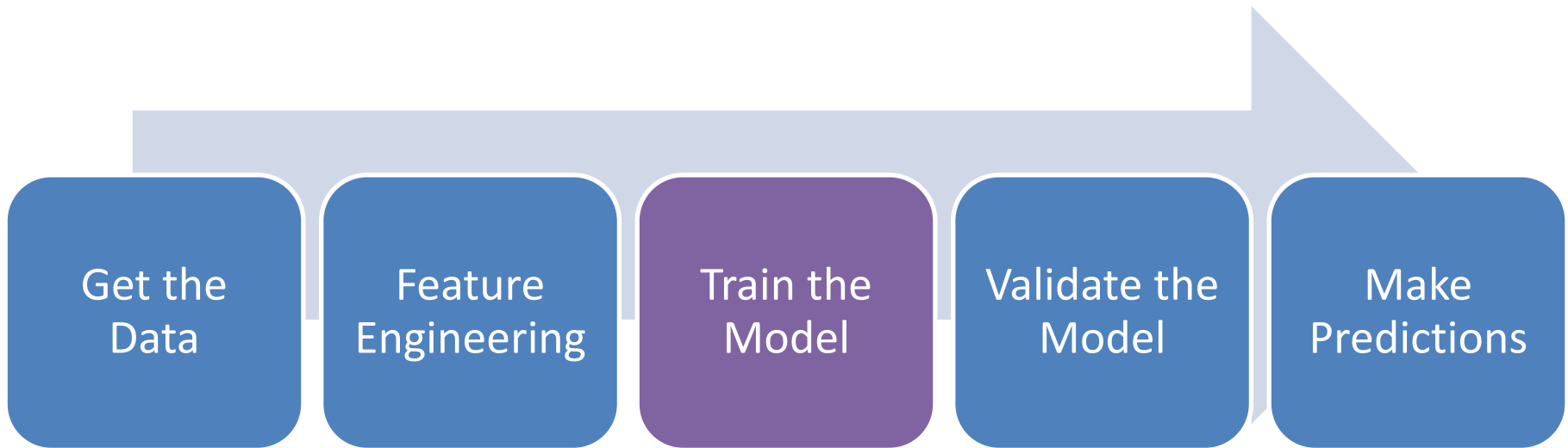




Add the noise to the EM fields
→ Apply the S-Transform to the signals (field components)
→ Obtain the power matrices

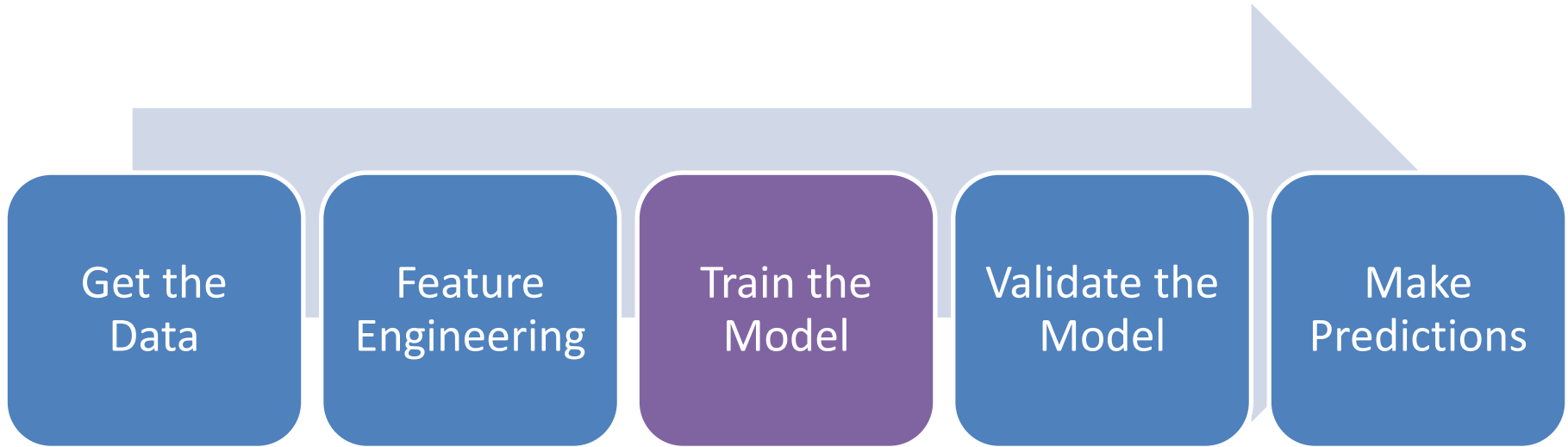
Power Normalized Stockwell transform





B_x	X_Train
E_y	Y_Train
B_y	X_Val
E_x	Y_Val

- Obtain the power matrices
- Set Training (B_x maps to E_y) and Validation (B_y to E_x) Data
 - Define the architecture of the model
 - Configure the loss function and the optimizer
 - Train (fit) the model



B_x	X_Train
B_x^s	Y_Train
B_x	X_Val
B_x^s	Y_Val

→ Split Training and Validation Data as subsets of the same component at different time segments

→ Time shift the same subset to use it as labels E.g.

$$T[1:10] \rightarrow X^{train} = B_x[1:5] \text{ \& } Y^{train} = B_x^{shift}[1:5]$$

$$\rightarrow X^{val} = B_x[5:10] \text{ \& } Y^{val} = B_x^{shift}[5:10]$$

Get the
Data

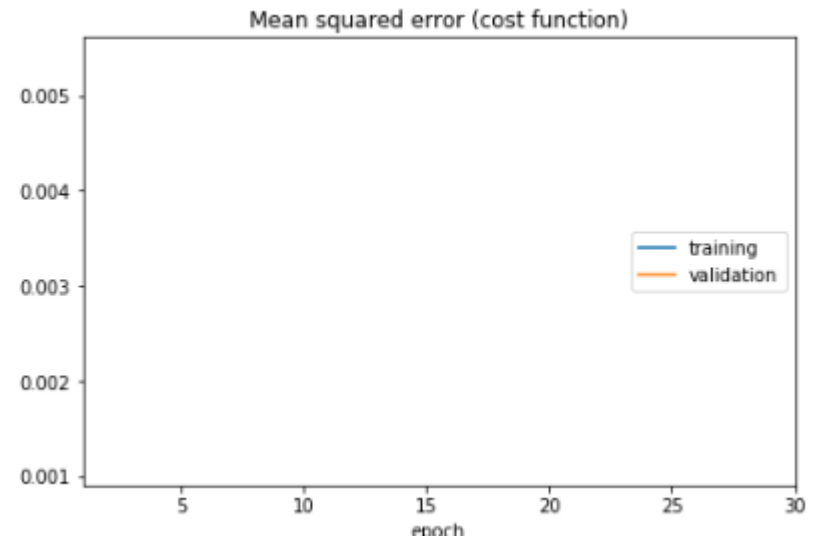
Feature
Engineering

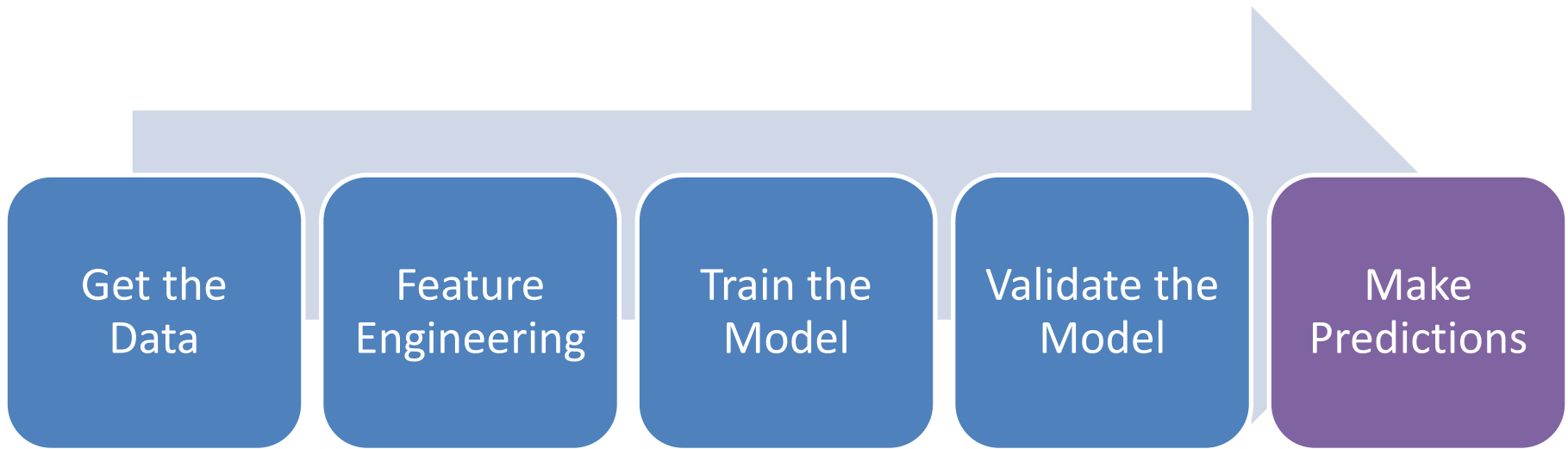
Train the
Model

Validate the
Model

Make
Predictions

```
layers = [LSTM(...),  
          LSTM(...),  
          LSTM(...),  
          Dense(...)]  
  
model = Sequential(layers)  
  
model.compile(loss='mean_squared_error',  
              optimizer='rmsprop',  
              metrics=['accuracy'])  
  
history = model.fit(x_train, y_train,  
                    epochs=30,  
                    validation_data=(x_val, y_val))
```

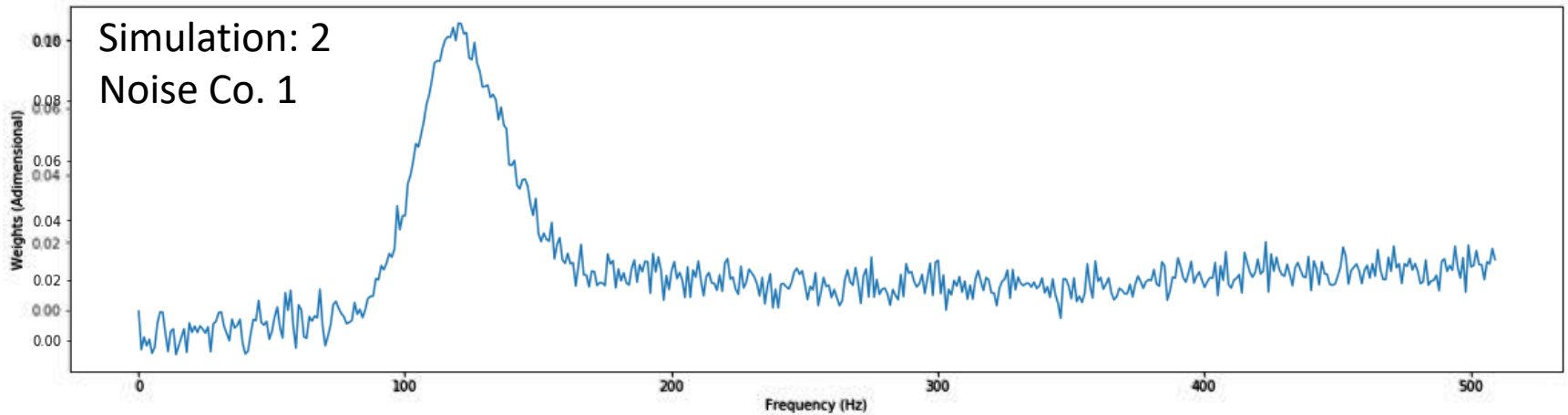




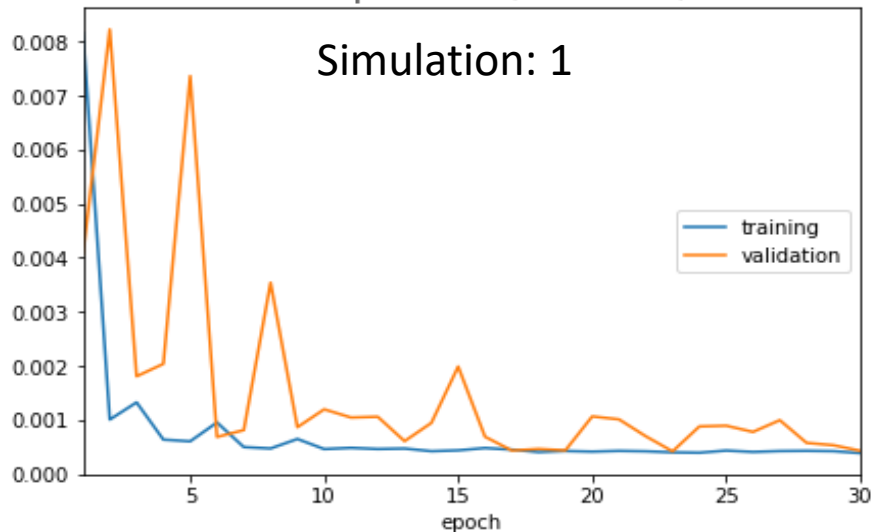
Train (fit) the model

- Obtain the Mapping Function (MP)
- Use the ML to predict denoised E components

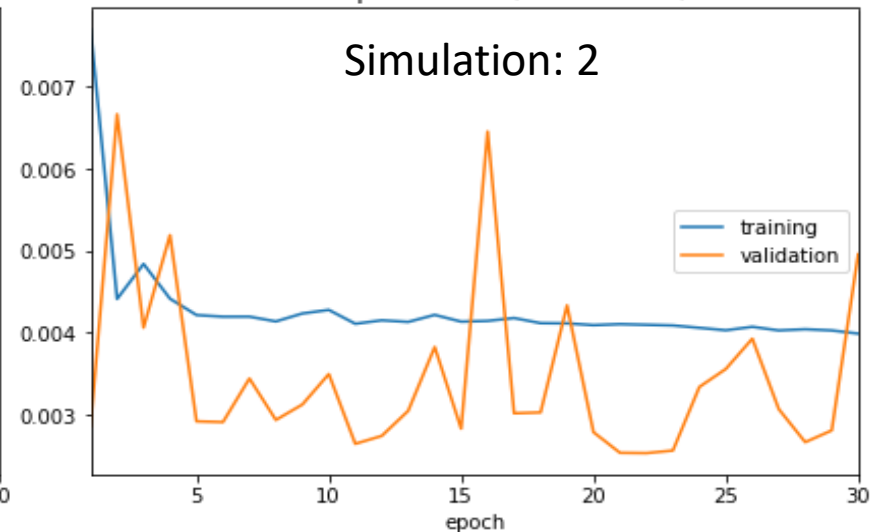
Learned Weights for a linear mapping function



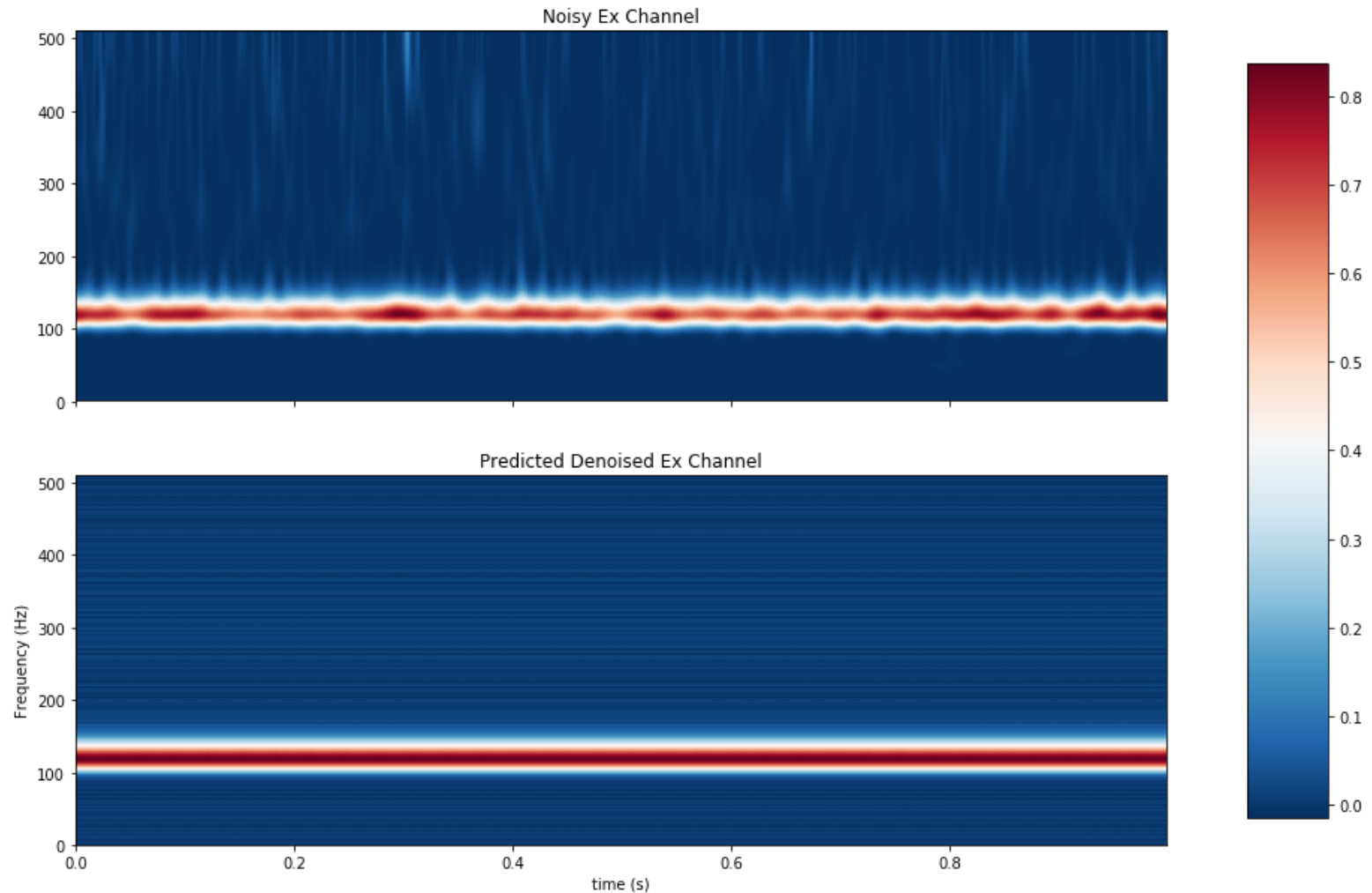
Mean squared error (cost function)



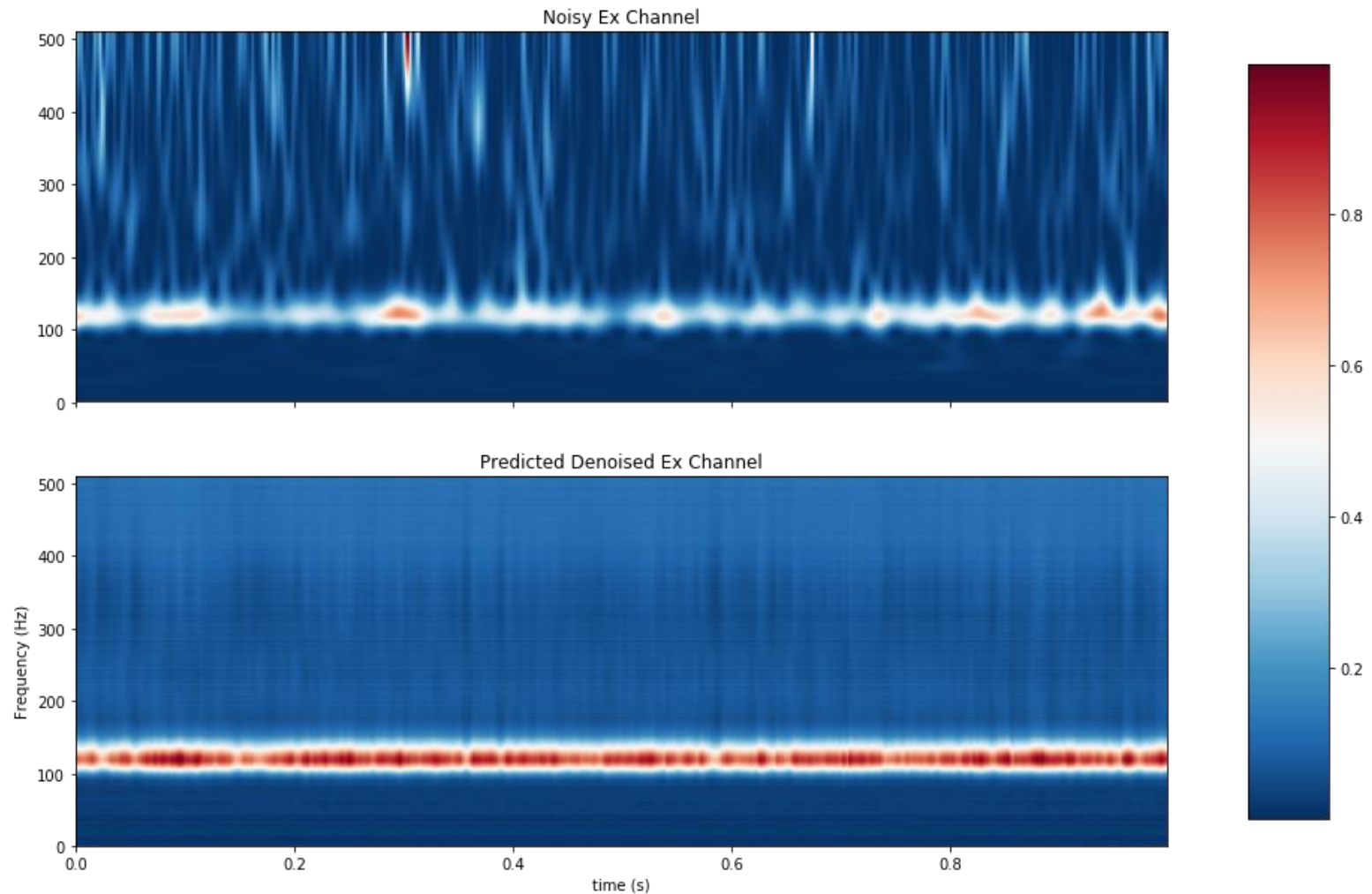
Mean squared error (cost function)



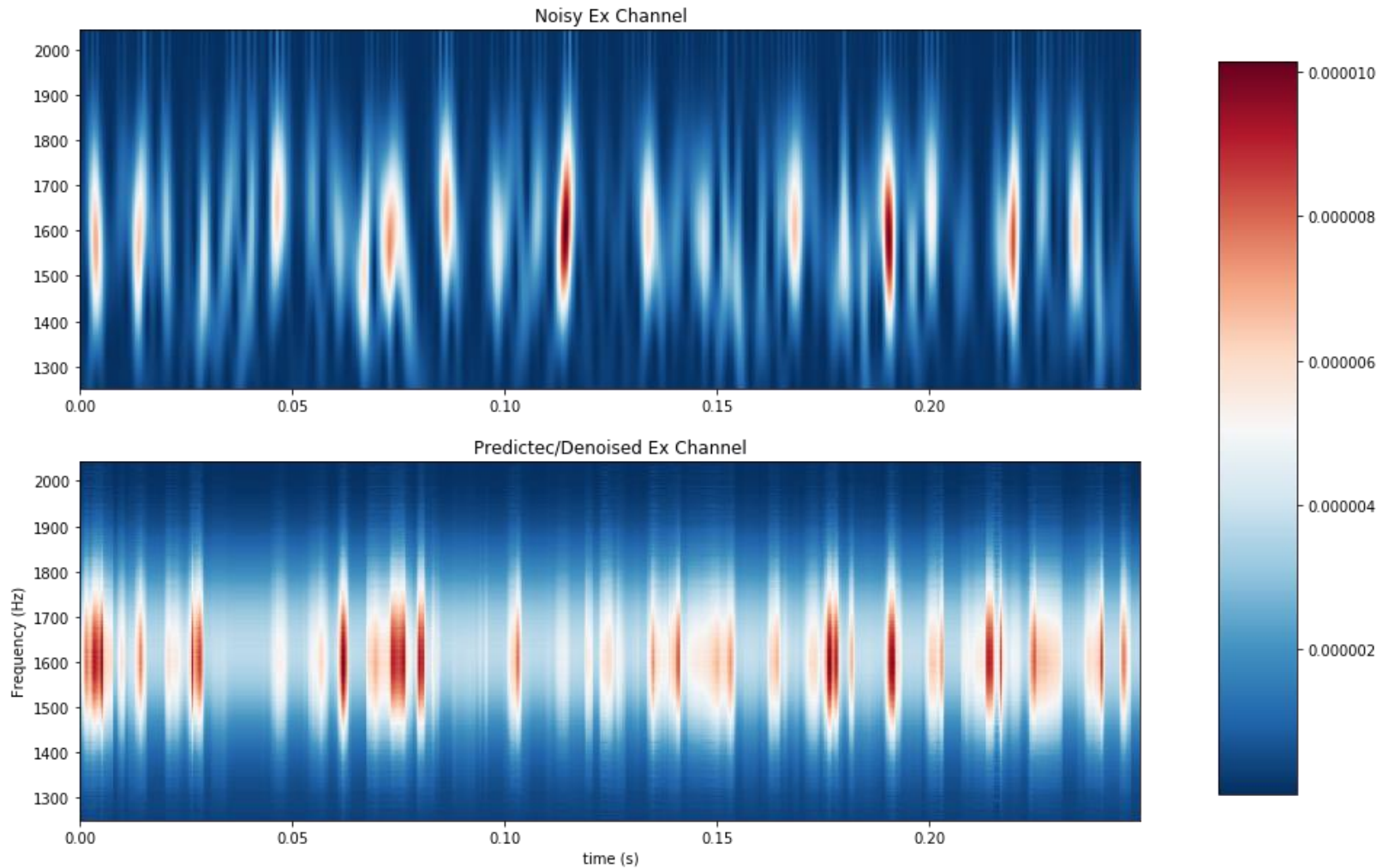
Comparison between noisy and predicted channel



Comparison between noisy and predicted channel



Comparison between noisy and predicted channel



How do these results
relate to the original
objectives?

- The ML approach to denoise is accurate and an effective workflow is presented.
- Python provides an excellent programming environment for the task.
- The S-transform provides an effective tool; it success in depicting the declared fundamental frequency.

Do the data support the
hypothesis?

Weaknesses of the method?

Is there another way to interpret
results?

What further research would be
necessary?

What is the contribution?

How do these results relate to the original objectives?

Do the results support the hypothesis?

- The relationship between EM components can be used to train effective ML models.
- Results suggest that TFR as input data provides an effective feature engineering.
- S-transform provides good resolution for the input data; similar resolution is obtain from the predictions.

Weaknesses of the method?

Is there another way to interpret results?

What further research would be necessary?

What is the contribution?

How do these results relate to the original objectives?

Do the data support the hypothesis?

Weaknesses of the method?

- The models works on the assumption $E=ZB$.
- As noise increases; readjusting the hyperparameters is needed to compensate.
- Processing power delimits the amount of data and the speed of the method $CPU < GPU < TPU$
- The presented case is valid for a 1D medium.

Is there another way to interpret results?

What further research would be necessary?

What is the contribution?

How do these results relate to the original objectives?

Do the data support the hypothesis?

Weaknesses of the method?

Is there another way to interpret results?

- The method can be regarded as a way to determine the impedance tensor Z (Mapping Function) and with it denoise the data.

What further research would be necessary?

What is the contribution?

How do these results relate to the original objectives?

Do the data support the hypothesis?

Weaknesses of the method?

Is there another way to interpret results?

What further research would be necessary?

- To implement the model on 2D medium, complex tensors should be input. In this way the MF could be used to deduce the apparent resistivities .
- Further assessment on real data to provide more validation.

What is the contribution?

How do these results relate to the original objectives?

Do the data support the hypothesis?

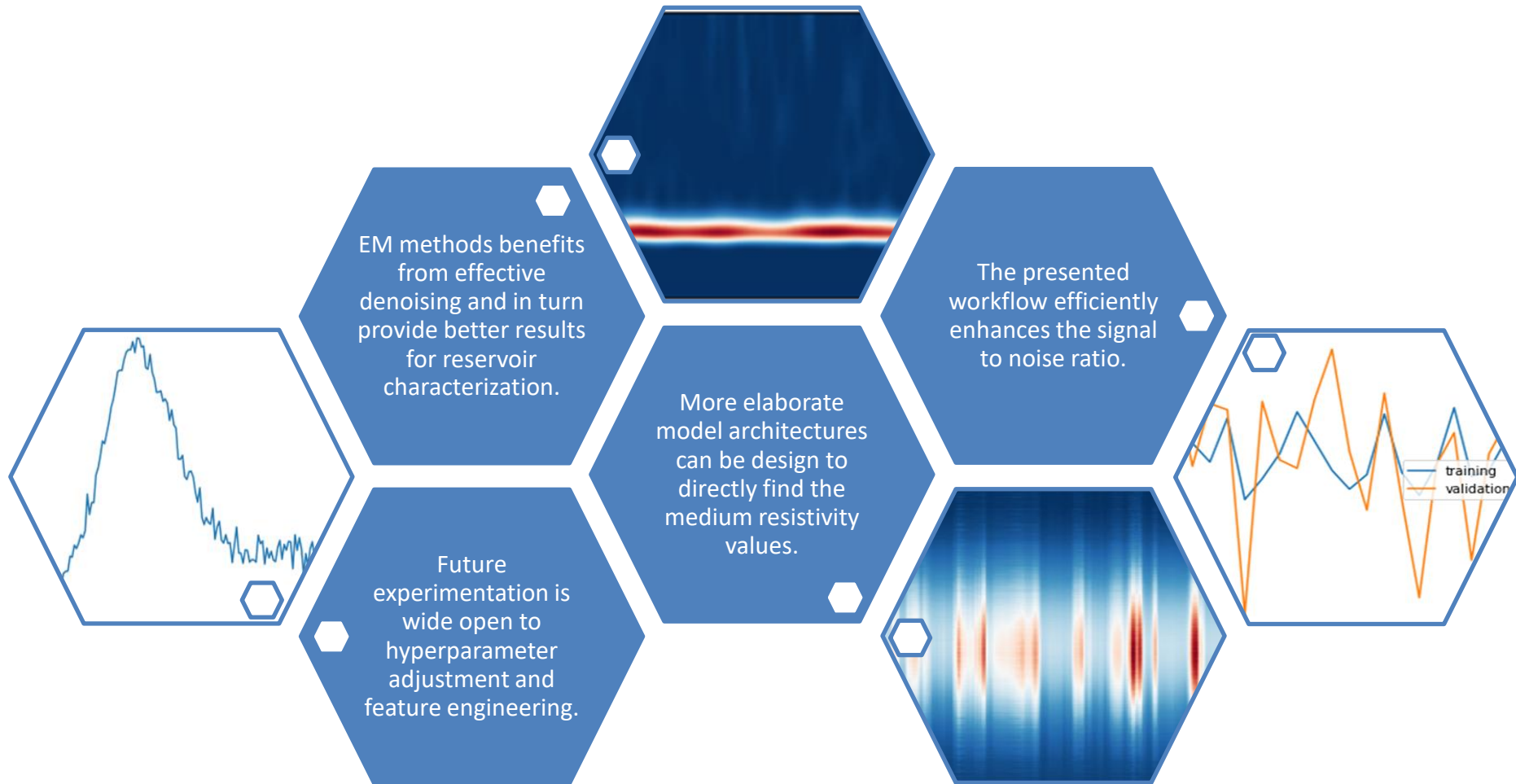
Weaknesses of the method?

Is there another way to interpret results?

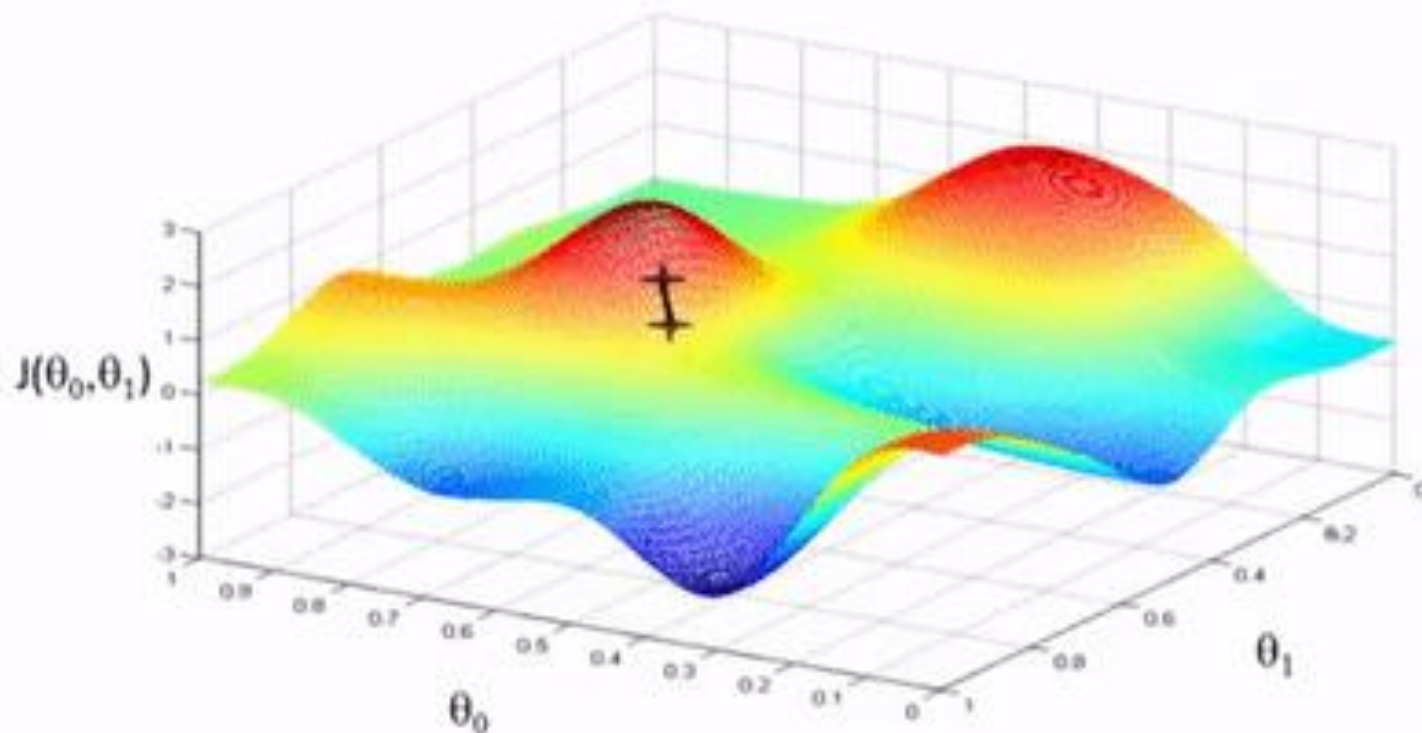
What further research would be necessary?

What is the contribution?

- The main contribution is the establishment of an open sourced code that can be used to denoise EM time series



Thanks for the attention



“Being able to go from idea to result with the least possible delay is key to doing good research.” Keras