# 27 Möbius Wave Structure and Cyclical Self-Coupling in the Grid Field – or: The Prime Number Machine

#### Introduction

In Langbehn's Quantum Arithmetic (LQA), prime resonances do not move linearly, but in clocked spiral trajectories through a modular, layered grid field. One possible interpretation of this behavior is motion along a topologically closed surface: the Möbius band.

This loop motion creates a cyclical self-reference – comparable to a wave that, after completing a full circuit, reflects its point of origin. The underlying structure can be described by a sinusoidally modulated equation, coupled to the modular path.

#### Mathematical Model: Möbius Wave Equation

$$x = (385 / 2\pi) \cdot \sin(\pi n / 30) + (n \mod 6)$$

- x: position in the grid field
- n: step number in the prime traversal
- (385 /  $2\pi$ ): normalization factor for the base interval
- n mod 6: modular rebinding at the loop level

# Application Example: n = 841

- x\_res =  $(385 / 2\pi) \cdot \sin(\pi \cdot 841 / 30) \approx 39.4$
- $x \mod = 841 \mod 6 = 1$
- $x = x_res + x_mod \approx 40.4$

Thus, point 841 appears at position 40.4 as a wave resonator in the spiral region of the grid. The system interprets it as a structured self-coupling in the direction of prime resonance.

### Conclusion

This equation unifies frequency order, lemniscatic dynamics, and modular arithmetic. The Möbius projection is not only geometrically-symbolic, but also analytically interpretable. It is suitable for modeling cyclical self-reference – a central feature of conscious structures within mathematical information fields.

#### Cyan dashed

Track of prime number class  $\equiv 1 \pmod{6}$ 

#### Magenta dashed:

Track of prime number class  $\equiv 5 \pmod{6}$ 

# a) Entry arc:

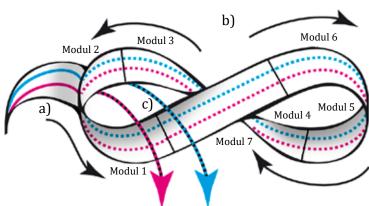
This represents the pre-phase. Filtering begins at 385 (first stable timing interval, module 1)  $x = 3(2n-1) \pm 2$  mit  $n \in N$ 

#### b) Loop guidance:

Traversal of seven modular segments (each with 385 number positions)

#### c) Transition point ( $\infty$ ):

Feedback and restart of the Möbius band with module 1 (each at 878,185 number positions)



Feedback behavior:

The Möbius band "knows" which numbers to let through (prime resonances) and which to reject (mask filters).

#### **Structural Function:**

The band deliberately selects (filters) which numbers are allowed to persist within the lemniscatic system – only non-masked candidates with resonance status pass.



# Langbehn's Quantum Arithmetic

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The presented concepts –

especially the lemniscate machine, the modular prime number structure, the geometric-cyclic structure coding, and the vectorized access to the infinite number space –

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