University of California, Berkeley

Data 102: Data, Inference, and Decisions

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Statistical Models for a Cleaner Grid: Parametric, Non-Parametric, and Causal Insights into Carbon Reduction

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1 Data Overview

This project uses data from the U.S. Environmental Protection Agency's **eGRID2023** (Emissions & Generation Resource Integrated Database). The dataset provides environmental characteristics of electric power generation in the U.S., including *emission rates*, resource mix, and grid loss values.

The original dataset was quite large and available only in .xlsx format, containing multiple sheets with distinct information. Downloading this dataset into a Jupyter Notebook posed technical challenges. Each relevant sheet had to be manually extracted, saved as its own workbook, and then exported as a .csv. Although tedious, this process had advantages: specifically, it allowed for clean formatting of numeric values directly in Excel, which simplified the preprocessing of dozens of columns and avoided the need for custom Python parsing functions.

One important decision was our choice of granularity. The EPA dataset contains both state-level data and **eGRID** subregion-level data. While there are over 50 states, there are only 26 eGRID subregions across the country. Modeling at the eGRID level was a deliberate choice to reduce noise: state-level data introduces variability due to differences in geography, population, and policy enforcement. In contrast, eGRID subregions span multiple states and reflect grid-level organization, offering more generalizable patterns and reducing the impact of outliers.

We did not drop any features, even those with many zeros, because the models we developed, particularly non-parametric ones—are inherently designed to determine which features are important. Features with little or no signal are assigned low or zero importance, allowing the model to decide what matters. Furthermore, one of our relations contained 169 features, and we chose to retain them to create the highest-dimensional model possible, incorporating as many energy and emission parameters as available.

However, during the cleaning phase, we also noticed the dataset recorded emissions for multiple greenhouse gases (e.g., SO_2 , NO_x , CH_4 , Hg). To streamline our model and focus on policy-relevant outcomes, we isolated CO_2 , which accounts for approximately 80% of all greenhouse gas emissions. The rationale was simple: if policy is to be effective, it must target the most harmful and abundant pollutant. After filtering, we retained 70 features, still a high-dimensional set that reflects the full complexity of regional energy production.

There were no missing values in our working dataset, which allowed for seamless integration into modeling workflows. No imputation or deletion was necessary during preprocessing.

Limitations. The data are cross-sectional for 2023 and do not include longitudinal trends. Additionally, some contextual variables that might influence emissions (e.g., policy stringency, weather, or regional economic indicators) are not included.

To conduct the causal portion of our analysis, we used annual state-level emissions data

from the U.S. Energy Information Administration's (EIA) Form 923 dataset, which provides detailed estimates of electric power sector CO₂ emissions from 1990 to 2023. The raw Excel dataset contained over 49,000 rows and included the following key variables: Year, State, Producer_Type, Energy_Source, and emissions for several pollutants, including our variable of interest, CO2_Metric_Tons.

We grouped the data by year and state and aggregated total CO₂ emissions using a pivot table to construct a clean panel dataset spanning 50 U.S. states and Washington, D.C. over time. Puerto Rico was excluded due to persistent missing values. To validate the accuracy of our aggregation, we compared our 2022 estimate for Massachusetts against the official value reported by the U.S. Energy Information Administration (EIA). Specifically, the EIA's Massachusetts Electricity Profile 2022 reports 9.098 million metric tons of CO₂ emissions from the electric power sector—a value that exactly matches our result, confirming that our generation-based data and preprocessing pipeline produced accurate and credible estimates¹.

Limitations. The dataset originates from the EIA-923 emissions survey, which reflects plant-level self-reported data collected by the U.S. Energy Information Administration (eia.gov/electricity/data.php). While more detailed than administrative aggregates, survey data may still be subject to reporting inconsistencies across states and years. Our analysis does not control for variation in state-level reporting practices, nor does it capture sub-annual dynamics. Furthermore, the dataset does not include data on emissions controls, technological upgrades, or fuel prices—factors that may confound causal attribution. CO₂ estimates are also sensitive to classification errors in Energy_Source.

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 $^{^1\}mathrm{https://www.eia.gov/electricity/state/archive/2022/massachusetts/}$

2 Research Questions

Research Question 1: What features of electricity production and resource usage are the most predictive of CO₂ emissions at the eGRID subregion level?

This question is motivated by the need to prioritize which aspects of energy infrastructure should be targeted by climate policy. By identifying which features of electricity generation (e.g., coal use, total heat input, nuclear generation) most strongly predict CO_2 emissions, decision-makers can craft more effective regulations aimed at curbing emissions in the most impactful ways.

To answer this question, we apply both parametric and non-parametric modeling approaches, including a Generalized Linear Model (GLM) and Random Forest Regression. These models are well-suited because they not only produce accurate predictions, but also provide estimates of feature importance, directly addressing the research goal.

Limitations. GLMs assume a linear relationship between predictors and the outcome, which may not hold for complex energy systems. Non-parametric models, while flexible, can be prone to overfitting and may obscure interpretability if too many features are irrelevant or collinear. Additionally, the models are limited by the absence of time-series data and contextual covariates (e.g., policy enforcement intensity, weather, or socioeconomic indicators), which may confound the true drivers of emissions.

Research Question 2: What was the causal impact of Massachusetts' 2003 Renewable Portfolio Standard (RPS) climate policy on electricity-sector CO₂ emissions?

This question is motivated by the broader goal of evaluating whether climate legislation leads to measurable emission reductions. By estimating the counterfactual trajectory of emissions in the absence of the policy, we can quantify its effectiveness and inform future state-level regulatory strategies aimed at decarbonizing the electricity sector.

To address this question, we applied the synthetic control method, comparing Massachusetts' post-treatment emissions to a weighted combination of similar states that did not implement comparable policies in 2003. This approach works well for comparative case studies with limited treated units. We assess model fit using pre-treatment RMSE, evaluate robustness via placebo tests and RMSPE-ratio distributions, and estimate the magnitude of the treatment effect by comparing observed and synthetic emissions in 2022.

Limitations. Due to the small donor pool, the statistical power of the placebo tests is limited. Additionally, our analysis relies on strong assumptions—including no unobserved time-varying confounders and accurate matching of pre-treatment trends—which may not always hold in practice.

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3 Prior Work

A study titled "Regression analysis and driving force model building of CO₂ emissions in China" by Zhou et al. (2021) provides a comprehensive look at the factors influencing carbon emissions in China using a multivariate linear regression approach. This study identifies three major sources of emissions—energy production, fuel combustion in other industries, and industrial processes—and constructs predictive models for each using panel data spanning from 1990 to 2017. The authors forecast CO₂ emission trends and evaluate the impact of various policy and economic indicators over time.

This article is particularly relevant to our project because it also applies parametric modeling—specifically, multiple linear regression—to understand how specific features drive carbon emissions. Like the authors, we used multivariate linear models to identify key drivers of CO₂ emissions. However, our study differs in scope and structure. While Zhou et al. leveraged panel data and forecasted emissions over time, our dataset is cross-sectional, capturing emissions data for the year 2023 only. This limits our ability to make temporal forecasts but allows for higher granularity in spatial comparisons within the U.S.

Another point of departure lies in the dataset dimensionality. Our EPA eGRID dataset included over 70 features, enabling the construction of a high-dimensional model that emphasized feature selection and interpretability. Zhou et al., in contrast, focused on selecting specific economic and policy indicators with theoretical significance and applied normalization to compare relative impacts.

Finally, although our dataset does not include policy enforcement metrics or temporal variance, the two projects share a common motivation: to uncover the structural factors most responsible for CO₂ emissions and to inform data-driven policy decisions. Our work complements Zhou et al.'s study by offering a U.S.-focused, high-dimensional, and cross-sectional counterpart to their longitudinal, China-based model.

Another key influence on our work is the study by Abadie and Gardeazabal (2003), which introduced the synthetic control method to estimate the economic costs of terrorism in the Basque Country. Their approach constructs a weighted average of untreated units to serve as a counterfactual, minimizing the distance between the treated unit and its synthetic counterpart in the pre-intervention period. We adopted this framework to estimate the impact of Massachusetts' 2003 electricity policy on CO_2 emissions, using the simplified version of the method that relies solely on outcome variables (emissions data) and omits additional covariates. This aligns with the original formulation in their paper, where weights \mathbf{W}^* are chosen to minimize the squared distance $||Z_1 - Z_0 \mathbf{W}||^2$ between treated and control units prior to the intervention.

We also implement placebo tests by iteratively reassigning the treatment to control

states and recalculating synthetic gaps. This allows us to benchmark Massachusetts' post-treatment deviation against those of unaffected units and assess whether the observed effect is unusually large. While their study focused on GDP trends, we apply the same logic to CO₂ emissions, using post/pre-treatment RMSPE ratios to quantify effect significance and compute a test statistic.

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4 Exploratory Data Analysis

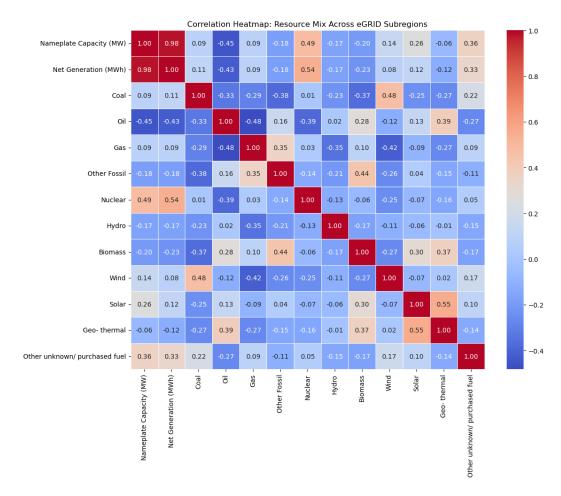


Figure 1: Correlation matrix showing pairwise relationships between variables.

This correlation matrix reveals several relationships between fuel types and generation-related variables across eGRID subregions. Notably, nameplate capacity and net generation are almost perfectly correlated, which is expected given that capacity sets an upper bound on potential output. Among fuel types, natural gas shows a moderate positive correlation with net generation, suggesting it may play a substantial role in driving output across regions. In contrast, coal and hydro show more negative or near-zero correlations, possibly indicating more limited or regionally constrained use. These patterns may be helpful in motivating our modeling choices, for example, we might explore whether fuels like gas that correlate positively with total output also correspond to higher CO₂ emissions. While this plot does not directly address causality or emissions, it helps identify potentially influential predictors that merit closer attention in our regression analysis.

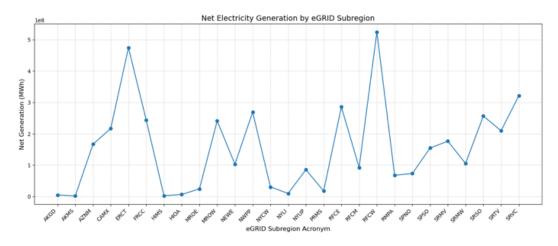


Figure 2: Net electricity generation (in MWh) across eGRID subregions

This plot visualizes how total electricity output varies by eGRID subregion, highlighting regional disparities in generation capacity. The plot shows large spikes in areas such as ERCOT (Texas) and RFC West, suggesting those areas contribute disproportionately to national totals. These differences are important because they may influence CO₂ emission levels and model outcomes, especially when fitting regression models to predict emissions or energy mix.

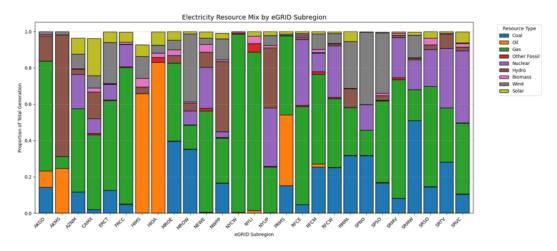


Figure 3: Stacked bar chart showing the electricity resource mix across eGRID subregions.

This plot visualizes the electricity generation resource mix across eGRID subregions. Each bar represents a subregion, with segments indicating the proportion of electricity produced by various fuel types. Several regions, such as ERCT, FRCC, and SRVC, appear to rely heavily on natural gas, while others like NWPP and CAMX show more balanced contributions from renewables such as hydro, wind, and solar. These differences may be relevant to our central research question concerning the drivers of CO₂ emissions. For example, if

subregions with higher natural gas usage tend to have higher emissions, that could suggest gas as a key factor to investigate further. Conversely, regions with a more renewable-heavy mix might exhibit lower emissions. While this plot does not establish any causal relationships, it helps motivate which features—like fuel composition—may be important to include in our regression model when exploring predictors of CO₂ output.

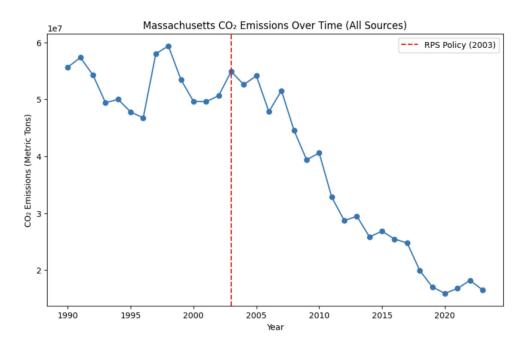


Figure 4: CO₂ emissions from electricity generation in Massachusetts (1990–2022)

Before 2003, CO₂ emissions in Massachusetts were relatively stable, fluctuating between 40 to 60 million metric tons annually. Following the 2003 introduction of the Renewable Portfolio Standard (RPS), there is a clear and sustained downward trend, with emissions falling below 20 million metric tons by 2020. The pattern suggests that the policy may have played a significant role in reducing emissions.

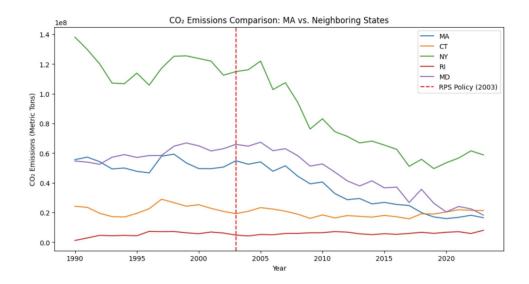


Figure 5: CO₂ emissions comparison between Massachusetts and neighboring states

This plot shows that while most states experienced gradual declines in emissions, Massachusetts's drop after 2003 appears sharper and earlier than some neighboring states. Establishing whether this trend is statistically distinguishable from neighboring states is needed for making our valid causal claim about the RPS policy.

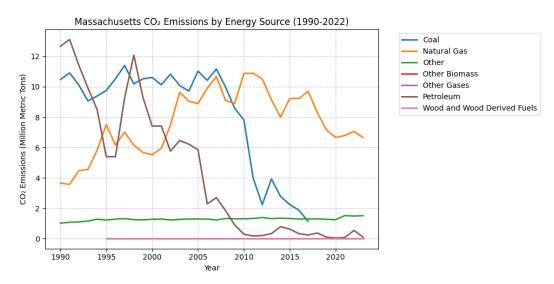


Figure 6: Massachusetts CO₂ emissions by primary energy source from 1990 to 2022.

This plot reveals that Massachusetts's emissions decline after 2003 was driven primarily by sharp drops in coal and petroleum use—two of the most carbon-intensive fuels. Their replacement by cleaner-burning natural gas aligns with the timing of the 2003 RPS policy, strengthening the case for a causal link. It also helps rule out alternative explanations, suggesting the decline reflects real structural changes in the state's energy mix.

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5 Research Question 1: GLM & Nonparametric Models

5.1 Methods

For our nonparametric model, we implemented a random forest regressor to predict eGRID subregion annual CO₂ emissions (tons). Rather than selecting a small subset of predictors a priori, we intentionally included all available numeric features, 70 in total—spanning various measures of electricity generation, fuel types, and heat input. While many modeling projects involve identifying the "most relevant" features in advance, our approach was guided by the belief that restricting the feature set risks excluding meaningful variation. We aimed to let the model discover which variables matter most, rather than imposing assumptions that could limit generalizability or obscure key drivers of emissions.

Before modeling, we performed additional data transformations to ensure all features were numeric, converting columns stored as objects to floats and dropping non-numeric identifiers such as subregion names. This preprocessing enabled the random forest to operate effectively on the full dataset, leveraging its ability to handle high dimensionality, nonlinear relationships, feature interactions, and implicit feature selection—without requiring additional standardization or distributional assumptions.

Random forests were also chosen for their robustness to overfitting when properly tuned and for their internal handling of feature scaling. We evaluated model performance using a train-test split (80/20), reporting both Mean Squared Error (MSE) and Mean Absolute Error (MAE) on each partition. To further assess generalization, we included the Out-of-Bag (OOB) R^2 score, which serves as an internal validation metric independent of the test set. Residual plots were used to assess whether the model systematically deviated from actual values, helping us evaluate whether the structure of the data was captured without obvious bias or model misspecification.

We emphasized rigorous performance evaluation in part because the random forest's primary weakness is its lack of interpretability. To further reduce potential bias and enhance the model's reliability, we limited each decision tree in the forest to a maximum of 23 features—approximately one-third of the total feature set. This constraint promotes diversity among the trees and helps ensure that the final model's predictions reflect patterns across the full feature space, rather than being dominated by the top-ranked variables.

For our parametric model, we implemented Principal Component Regression (PCR) to predict eGRID subregion annual CO₂ emissions. Early in our analysis, we encountered the curse of dimensionality, with so many features, traditional linear models became unstable and highly sensitive to multicollinearity. We initially attempted to use regularization techniques

such as ridge and lasso regression, combining them with cross-validation to improve performance. However, these models either produced high-bias predictions or failed to eliminate multicollinearity, ultimately making it difficult to interpret or trust the resulting models.

At this point, PCR became a natural choice. It reduces dimensionality by transforming the original feature set into orthogonal principal components (PCs) while preserving the majority of variance in the data. This transformation eliminates multicollinearity and enables a more stable and interpretable linear model. Unlike methods that rely on penalization, PCR allowed us to fit a multivariate Ordinary Least Squares (OLS) model on a reduced, decorrelated set of predictors—resulting in a parametric model that is both tractable and expressive.

To build our PCR model, we first standardized all features and applied PCA. We selected the top components that together explained nearly all the variance in the data and then used those components as inputs to our OLS regression. While the model is fit in PC space, we back-projected the resulting coefficients to the original feature space to understand which variables contributed most to CO_2 emissions.

Similar to the nonparametric model, we also plotted the residuals of our PCR model to assess model assumptions. Finally, we plotted actual versus predicted values for both the training and test sets, using a single reference line spanning the minimum and maximum of both sets. This visualization helped verify that the model was reasonably well calibrated and did not exhibit systematic over- or under-prediction.

6 Results

6.1 Non-Parametric Model: Random Forest

OOB Score (R² estimate): 0.7103 Training MSE: 143,856,593,445,521 Test MSE: 79,971,402,901,299

Training MAE: 6,420,664 Test MAE: 6,312,150 R² score: 0.9547

Figure 7: Regression validation.

Despite the Random Forest model's tendency to overfit training data, our implementation appears to generalize well. We used an 80/20 train-test split to assess performance on unseen data. The Mean Squared Error (MSE) on the test set (≈ 79.97 billion) is actually lower than on the training set (≈ 143.86 billion), which is somewhat unexpected and suggests the model may have benefitted from noise reduction or regularization effects due to the ensemble structure. Additionally, the Mean Absolute Error (MAE) is slightly lower in the test set (6.31 million) compared to the training set (6.42 million), further supporting strong generalization.

To validate that these results are not an artifact of a favorable split, we also examined the Out-of-Bag (OOB) R^2 score, which was 0.7103, compared to a full test R^2 of 0.9547. While the OOB estimate shows a drop in performance on unseen data, the relative decline in explained variance is approximately 25.6%, which is not unexpected for Random Forests. This gap quantifies the model's loss in predictive power when moving from known to new data, but the OOB score still supports that the model retains substantial explanatory strength.

Overall, this behavior—lower test errors, modest OOB drop, and strong \mathbb{R}^2 is typical of a well-tuned Random Forest and reflects the model's ability to capture complex patterns while maintaining generalizability.

The residual analysis provides insight into the quality and limitations of the Random Forest model's predictions. A well-behaved residual plot should show points randomly dispersed around a horizontal line at zero, with no visible structure or trend. This pattern suggests that the model is not systematically over or under-predicting and that its assumptions hold across the range of predicted values. In this case, the scatter plot does exhibit this ideal behavior, indicating that the model generally fits the data well.

However, the residual density plot reveals a slight right skew, caused by a single outlier in the predictions. This suggests that while the model performs well overall, it has limited capacity to handle extreme cases, subregions where CO₂ emissions deviate significantly from the general trend. The presence of this outlier highlights a common limitation of ensemble

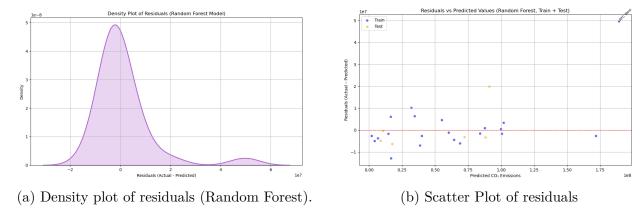


Figure 8: Comparison of residual distribution and model fit for the Random Forest model.

methods like Random Forests: their performance can degrade when exposed to inputs that fall outside the dominant patterns learned during training.

In sum, the residual patterns affirm the model's reliability on most observations but also point to a need for caution when interpreting results for extreme or atypical subregions.

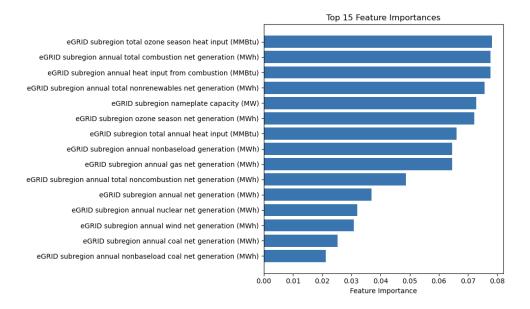


Figure 9: Top 15 features contributing to CO₂ emissions, ranked by importance in the Random Forest model.

The feature importance plot reveals which variables contributed most to the Random Forest model's ability to predict CO₂ emissions across eGRID subregions. Notably, the most influential features are related to heat input (e.g., total ozone season heat input, total combustion heat input, and heat input from combustion), along with nonrenewable generation sources, such as coal and gas generation in megawatt-hours (MWh). These features directly reflect the intensity and type of energy used, aligning with expectations that CO₂ emissions

are driven by both the quantity of electricity produced and the carbon content of the fuel sources.

Also prominent are variables like total nonrenewables net generation and nameplate capacity, which further reinforce that emission levels are strongly tied to overall generation scale and infrastructure size. Interestingly, renewable sources such as wind and solar appear much lower in importance, which is consistent with their minimal or zero direct emissions.

This distribution of feature importance confirms that the model is learning a pattern consistent with domain knowledge: emissions are largely driven by the volume of fossil fuel-based generation and associated heat input. It also suggests that limiting these variables or replacing them with low-carbon alternatives would have the most significant impact on reducing emissions.

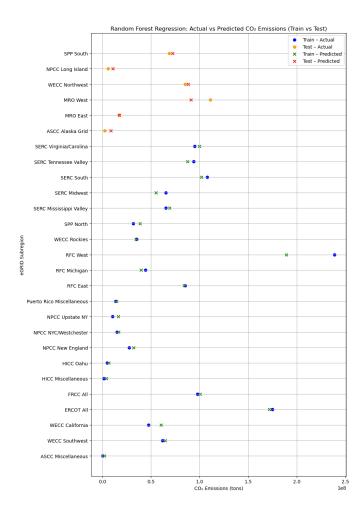


Figure 10: Actual vs. Predicted CO_2 emissions across eGRID subregions for both training and test sets. The close alignment with the diagonal line indicates strong predictive performance.

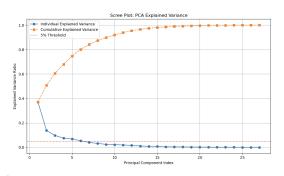
This plot compares the actual and predicted CO_2 emissions for each eGRID subregion, separated by training and test sets. Each subregion is represented by a pair of markers: one for the true CO_2 emissions and one for the model's prediction. Ideally, a good model will produce predicted values that align closely with the actual values, forming near-vertical groupings and clustering around a consistent diagonal alignment across subregions.

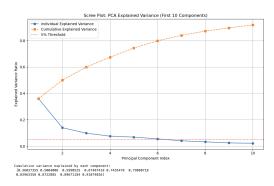
In this case, the predictions show strong alignment with the actual values, indicating the model captures the underlying variation in emissions well. For most subregions, especially those with moderate emission levels, the predicted values closely match the true observations, demonstrating that the model generalizes well across the range of inputs.

However, in a few cases—particularly subregions with extremely high or low emissions,

the predictions slightly diverge from the actual values. These deviations highlight regions where the model may be more sensitive to noise or where subregion-specific factors (not captured in the data) may contribute to CO₂ output.

6.2 Parametric Model (GLM): PCR





- (a) Scree plot showing explained variance across all PCs.
- (b) Scree plot showing Around 92% of total variance is explained within top 10 PCs.

Figure 11: These plots were used to determine how many components to retain for the regression.

Dep. Vari	able: eG	RID subregion	annual CC)2 emissions	(tons)	R-squared:	
Model:					0LS	Adj. R-squared:	
Method:					Squares		
Date:				Sun, 11 M			
Time:				1	.6:55:33		-3
No. Obser Df Residu					21 10		
Df Model:					10		
Covarianc				no	nrobust		
	coef	std err	t	P> t	[0]	.025 0.975]	
const	5.774e+07		16.672	0.000	5	e+07 6.55e+07	
x1	1.163e+07	7.07e+05	16.446	0.000	1.01		
x2	1.65e+06	1.39e+06	1.187	0.263	-1.45		
x3	6.378e+06	1.27e+06	5.024	0.001	3.55		
x4	-6.903e+04		-0.048	0.963	-3.29		
x5 x6	5.969e+06	1.54e+06	3.880	0.003 0.401	2.54		
x6 x7	-1.665e+06 2.492e+05	1.9e+06 2.01e+06	-0.878 0.124	0.401	-5.89 -4.23		
x8	-1.542e+04		-0.006	0.996			
x9	-1.417e+06	3.3e+06	-0.429	0.677	-8.78		
×10	-3.193e+06	3.25e+06	-0.983	0.349	-1.04		
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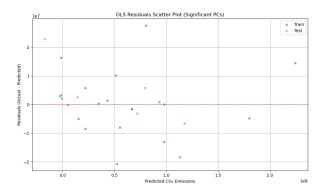
(b) OLS Results Using Significant PCs

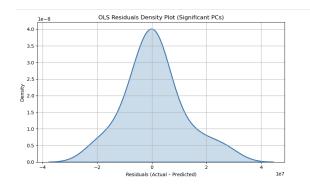
Figure 12: Comparison of full vs. significant-only principal component models in the PCR estimator.

This table summarizes the Ordinary Least Squares (OLS) regression results from our Principal Component Regression (PCR) model. Initially, we selected the top 10 principal components to explain approximately 92% of the total variance—slightly below our original 95% target—to avoid overfitting. The resulting model achieved a high R^2 of 0.973, closely matching the performance of the Random Forest model. However, upon inspecting the coefficient estimates, we observed that several components had 95% confidence intervals that included zero and exhibited negative signs. This indicates that those components may contribute to reductions in predicted CO_2 emissions and are statistically insignificant.

To address this, we refit the OLS model using only the three principal components—PC1, PC3, and PC5—that were both statistically significant and positively associated with the target. This simplified model retained strong predictive performance with an R^2 of 0.965, while improving model parsimony and interpretability. The minimal drop in R^2 confirms that most of the predictive power is concentrated in these components, validating their use

for subsequent feature interpretation and dimensionality reduction.





- (a) Scatter plot of residuals using significant PCs.
- (b) Density plot of residuals using significant PCs.

Figure 13: Residual analysis of PCR model using only statistically significant PCs. The residuals remain randomly scattered and approximately symmetric, indicating that the simplified model still satisfies the assumptions of linear regression.

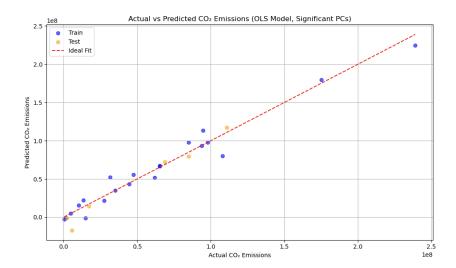


Figure 14: Actual vs. Predicted CO₂ emissions using the OLS model

The close alignment with the ideal fit line suggests that the reduced model retains strong predictive capability while improving interpretability and avoiding overfitting.

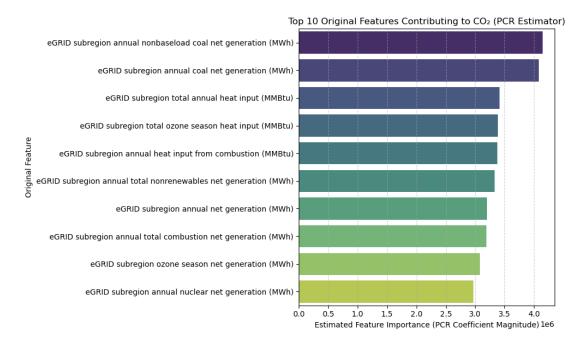


Figure 15: Top 10 original features contributing to CO₂ emissions

These estimates are generated from the back-projected coefficients of the statistically significant principal components (PC1, PC3, PC5). The most influential features are primarily tied to coal-based electricity generation and heat input, indicating that fossil fuel-related variables are dominant contributors to regional CO₂ output. These estimates are derived from a Principal Component Regression (PCR) model restricted to significant components, enhancing interpretability while preserving model performance.

7 Discussion

This project compared two modeling approaches for predicting regional CO₂ emissions: a non-parametric Random Forest model and a parametric Principal Component Regression (PCR) model using a reduced set of significant principal components (PC1, PC3, PC5). Each model brought distinct advantages and limitations in terms of fit, interpretability, and generalization.

The Random Forest model achieved an R^2 of 0.9547 on the test set, reflecting high predictive performance. The PCR model using only significant PCs achieved a comparable R^2 of 0.965, with both models producing visually similar actual vs. predicted plots and residual patterns. Importantly, the Random Forest model slightly outperformed in mean squared error (MSE), but the PCR model offered better transparency in terms of feature contribution. Overall, both models generalize well on unseen data, but Random Forest showed stronger robustness due to its ability to capture non-linear interactions.

The PCR model was implemented as a linear regression on selected principal components to avoid multicollinearity and reduce dimensionality. Originally, 10 PCs were retained to capture ≥95% variance, but this introduced overfitting. Reducing the number to 3 statistically significant PCs (PC1, PC3, PC5) produced a better tradeoff between interpretability and predictive performance. The AIC and BIC scores for this reduced model (AIC: 748.3, BIC: 752.5) were slightly lower than the full-PC version, indicating a more parsimonious model.

Both models fit the data well. The Random Forest model is non-parametric and robust to overfitting due to internal ensembling (e.g., bootstrap aggregation). In contrast, the initial PCR model showed signs of overfitting when using too many PCs. By restricting the model to statistically significant components, we maintained a high R^2 while controlling complexity. Residual plots from both models exhibited random scatter around zero with no clear structure, supporting the assumption of valid fits.

The PCR model enabled explicit interpretation of feature importance through the back-projection of statistically significant principal components (PC1, PC3, and PC5). The most influential features were consistently tied to coal-based electricity generation and thermal energy input, such as nonbaseload coal net generation, total annual heat input, and coal net generation. These variables are not only highly interpretable in the context of emissions but also reflect known mechanisms of CO₂ production, strengthening the validity of our PCR-derived insights.

In contrast, the Random Forest model computed feature importance through impuritybased measures, which, while effective for predictive performance, are heuristic and lack a direct statistical interpretation. Nevertheless, its top-ranked features also included heat input, combustion net generation, and nonrenewable generation, aligning closely with those surfaced by the PCR model.

Interestingly, the PCR model emphasized more specific and narrowly defined features (e.g., coal-specific generation types), whereas Random Forest distributed importance across broader energy categories (e.g., total combustion or nonrenewables). This suggests that while both models identify the same general emission drivers, PCR provides more granularity and precision in determining which aspects of the energy system contribute most to emissions.

The statistical grounding of the PCR model—especially the ability to tie feature importance to significant PCs—enables clearer and more defensible interpretations of model behavior. This is particularly useful in policy-facing applications, where explainability is crucial for targeting emissions reduction strategies.

The Random Forest model is a black box, while performant, it lacks interpretability and can be sensitive to noise. The PCR model is interpretable but assumes linear relationships and may underperform if the true data-generating process is non-linear. Both models depend on the quality and representativeness of the training data.

More granular and updated data on regional energy production (e.g., monthly observations, fuel-type breakdowns, emissions policies) would likely enhance predictive power. Including weather data or socioeconomic factors could provide further insight into regional variation in emissions.

Both models produced residuals that were roughly symmetrically distributed and centered near zero, indicating overall low bias. However, the PCR model using significant PCs demonstrated a subtle but important improvement in handling outliers. While the Random Forest model slightly underpredicted the highest CO₂ emission region, the PCR model came closer to the actual value, suggesting it generalized better to this extreme case. This supports the robustness of the PCR model despite its simpler structure and linear assumptions. The moderate uncertainty in both models can be attributed to the small sample size and the potential presence of latent factors not captured in the current dataset.

The results from our Principal Component Regression (PCR) model show partial alignment with prior work examining CO₂ emissions in China. The previous study emphasized macroeconomic and policy-oriented driving forces such as energy intensity, industrial structure reforms, nonmetallic mineral production, and industrial technology innovation. While our model did not directly include such high-level variables, many of our most important features, such as total annual heat input, nonbaseload coal net generation, and total nonrenewables net generation, reflect the operational outcomes of those broader forces.

For example, the PCR model identified coal-based generation and nonrenewable energy sources as top contributors to CO₂ emissions, echoing the prior study's emphasis on reducing energy intensity and reforming industrial energy structures. Similarly, our finding that nuclear and renewable generation played a minor or negative role in emissions supports the

earlier work's call for an energy transition away from fossil fuels.

However, our model departs from the prior study in its data granularity and framing. Rather than focusing on national-level policy indicators or predictions to 2030, our analysis concentrated on subregional electricity generation characteristics and their direct quantitative relationship to emissions. This makes our model more tailored for policy translation within the U.S. electricity sector, but also less generalizable to broader economic sectors or international contexts.

While both models performed well, we favor the PCR model using statistically significant PCs. It offered strong predictive accuracy ($R^2 = 0.965$), competitive with the Random Forest model, but with significantly greater interpretability and parsimony. Most importantly, it generalized slightly better to an extreme outlier in the dataset, a strong indicator of robustness in a small-sample context. These strengths, along with its ability to isolate specific feature contributions via back-projection, make it a more reliable and informative model for guiding future emissions policy and research.

8 Causal Inference

8.1 Methods

8.1.1 Data and Variables

• Treatment: Binary indicator for Massachusetts post-2003

$$D_t = \begin{cases} 1 & \text{if } t \ge 2003 \text{ and state} = MA\\ 0 & \text{otherwise} \end{cases}$$

• Outcome: Y_{jt} = total mass of CO₂ emitted by electricity generators within state j during year t (million metric tons, MMT).

$$Y_{jt} = \sum_{m} \mathrm{CO}_{2, \; \mathrm{Metric \; Tons}_{j,m,t}}$$

where the sum is taken over all primary fuel categories m after we restrict the raw EIA table to rows satisfying

Producer_Type = "Total Electric Power Industry" and Energy_Source = "All Sources".

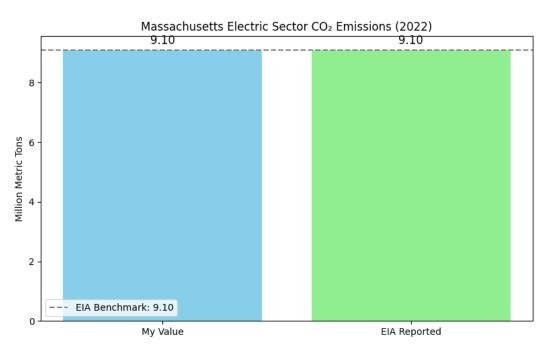
We drop the rows that are not "All Sources" to avoid double-counting and divide by 10^6 to convert tons to MMT. Because the EIA dataset does not record interstate power transactions, Y_{jt} is a generation-based—not consumption-based—emissions measure.

8.1.2 Validation Against EIA Benchmark (2022)

To assess the accuracy of our data aggregation, we benchmarked our computed value for Massachusetts' electric sector CO₂ emissions in 2022 against the value officially reported by the U.S. Energy Information Administration (EIA).

eia	≡ Me	enu 🔎
Massachusetts Electricity Profile 20	22	
able 1. 2022 Summary statistics (Massachusetts) Item	V alue	Rani
Primary energy source		Natura ga:
Net summer capacity (megawatts)	12,767	33
Electric utilities	1,045	42
IPP & CHP	11,722	9
Net generation (megawatthours)	21,026,161	41
Electric utilities	529,283	43
IPP & CHP	20,496,878	19
Emissions		
Sulfur dioxide (short tons)	2,449	41
Nitrogen oxide (short tons)	8,129	41
Carbon dioxide (thousand metric tons)	9,098	40

Figure 16: Official EIA-reported electricity sector CO_2 emissions for Massachusetts in 2022



Absolute Error (2022): 0.00 million metric tons

Figure 17: Comparison of Massachusetts Electric Sector CO_2 Emissions in 2022. Our computed value is shown against the official EIA benchmark (dashed line).

Emissions-wide GHG Emissions by Sector

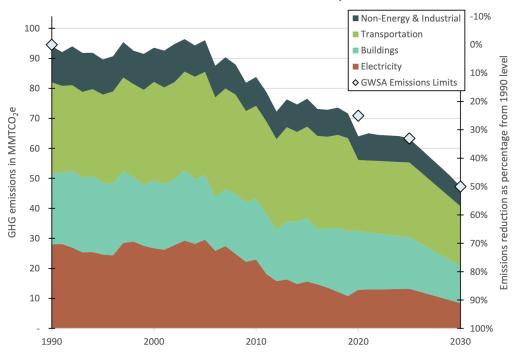


Figure 18: Massachusetts Greenhouse Gas Emissions by Sector (1990–2030). Electricity-sector emissions (red area) have declined substantially since 2000, contributing to the Commonwealth's overall GHG reduction goals. Diamond markers represent statutory emissions reduction targets relative to 1990 levels: 25% by 2020 (achieved), 33% by 2025, and 50% by 2030. *Source:* Massachusetts Clean Energy and Climate Plan for 2025 and 2030 (June 2022).

Figure 18 illustrates the broader policy context for our analysis. The electricity sector (shown in red) experienced steep reductions in emissions beginning in the early 2000s—consistent with the timing of Massachusetts' 2003 Renewable Portfolio Standard (RPS). This makes the electric sector a prime candidate for causal evaluation using synthetic control methods.

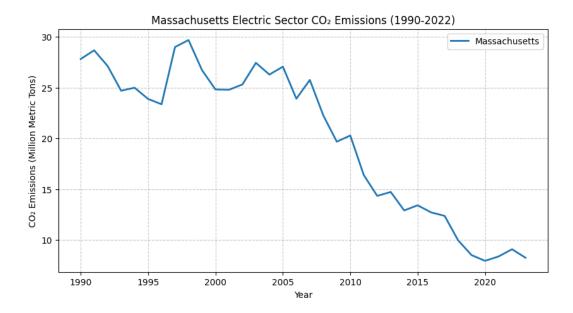


Figure 19: Massachusetts Electric Sector CO_2 Emissions from 1990 to 2022.

Our plot closely mirrors the official EIA trend, confirming a substantial decline in emissions following 2003. This alignment validates our processed dataset against real-world reported values. While our study isolates the electricity sector only, the state's overall GHG trajectory—including buildings, transportation, and non-energy sources—helps validate that observed changes are not isolated anomalies but part of a broader decarbonization effort.

8.1.3 Causal Assumptions

To interpret the estimated gap between real and synthetic Massachusetts emissions as a causal effect of the 2003 electricity-sector policy, we rely on the following assumptions:

1. Stable Unit Treatment Value Assumption (SUTVA):

There is no interference between units, and each unit has only one version of the treatment. For our setting:

$$Y_{jt}(D_j)$$
 depends only on D_j , not on D_k for any $k \neq j$,

where $Y_{jt}(D_j)$ is the potential outcome for state j in year t under treatment status $D_j \in \{0,1\}$.

2. No Anticipation:

Units do not alter their behavior in anticipation of treatment:

$$Y_{it}(0) = Y_{it}(1)$$
 for all $t < 2003$.

That is, Massachusetts emissions before 2003 follow the untreated potential outcome trajectory.

3. Synthetic Control Provides an Unbiased Counterfactual:

The synthetic control unit constructed from donor states closely approximates Massachusetts' untreated potential outcomes:

$$Y_{1t}(0) \approx \sum_{j=2}^{J+1} w_j^* Y_{jt}(0)$$
, for all $t < 2003$.

Thus, for $t \ge 2003$, the post-treatment gap:

Effect_t =
$$Y_{1t}(1) - \sum_{j=2}^{J+1} w_j^* Y_{jt}(0)$$

can be interpreted as the causal effect of the policy, assuming the pre-treatment fit is strong.

4. No Time-Varying Unobserved Confounders:

All relevant confounding factors that influence CO_2 emissions evolve similarly across treated and donor units, and are captured during the pre-treatment period. That is, any unobserved variable U_t satisfies:

$$E[U_t^{\text{MA}} - \sum_j w_j^* U_t^{(j)}] \approx 0$$
 for all t .

5. Linearity and Convexity of Weights:

The counterfactual outcome is assumed to lie within the convex hull of donor outcomes:

$$\sum_{j} w_j = 1, \quad w_j \ge 0.$$

This ensures interpretability and stability of the synthetic control estimator.

8.1.4 Data Smoothing

We applied 3-year centered rolling average to address volatility:

$$\tilde{Y}_{jt} = \frac{1}{3} \left(Y_{j,t-1} + Y_{jt} + Y_{j,t+1} \right)$$

8.1.5 Synthetic Control Construction

To estimate the counterfactual trajectory of Massachusetts' CO₂ emissions in the absence of its 2003 climate policy, we apply the synthetic control method (Abadie et al., 2010). The core idea is to construct a weighted combination of donor states whose pre-treatment emissions closely track those of Massachusetts. This synthetic unit is then used to predict post-treatment outcomes in the absence of the intervention.

8.1.6 Mathematical Formulation

Let:

- Y_{1t} be Massachusetts' CO_2 emissions in year t,
- Y_{jt} for $j=2,\ldots,J+1$ be emissions from donor states,
- $\mathbf{Z}_1 \in R^{T_0 \times 1}$ be the pre-treatment emissions vector for MA,
- $\mathbf{Z}_0 \in R^{T_0 \times J}$ be the matrix of donor emissions,
- $\mathbf{w} \in R^{J \times 1}$ be the vector of weights.

The optimal weights solve:

$$\mathbf{w}^* = \arg\min_{\mathbf{w} \in \mathcal{W}} (\mathbf{Z}_1 - \mathbf{Z}_0 \mathbf{w})' (\mathbf{Z}_1 - \mathbf{Z}_0 \mathbf{w}), \quad \text{where} \quad \mathcal{W} = \left\{ \mathbf{w} \in R^J : w_j \ge 0, \sum_j w_j = 1 \right\}.$$

To prevent scale differences from distorting the solution, we normalize all columns:

$$Z_{jt}^{\text{norm}} = \frac{Y_{jt} - \bar{Y}_j}{\sigma_j}.$$

8.1.7 Donor Selection Procedure

We began with a donor pool of 50 states and D.C., then filtered the top five based on Pearson correlation with Massachusetts' pre-treatment trajectory (1990–2002). These were:

We then applied a greedy forward selection algorithm:

1. Start with the top 2 states by correlation.

- 2. Iteratively add one new donor at a time and solve the synthetic control optimization problem.
- 3. Retain the configuration yielding the lowest pre-treatment RMSE.
- 4. Stop when RMSE does not improve.

The final optimal donor set was:

The optimized weights were:

$$NY : 0.546$$
, $CT : 0.268$, $NH : 0.186$, $MT :\approx 0$.

8.1.8 Visual Assessment of Fit

Figure 20 shows the alignment between the real and synthetic Massachusetts emissions trajectories prior to 2003. This supports the assumption that the synthetic control provides a valid counterfactual in the post-policy period.

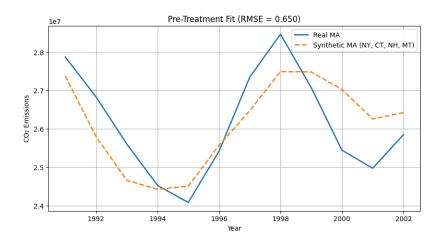


Figure 20: Pre-Treatment Fit: Real vs Synthetic Massachusetts CO₂ Emissions. Dashed line is the synthetic control constructed from (NY, CT, NH, MT). RMSE = 0.6499.

Figure 21 compares the real and synthetic emissions trajectories from 1990 through 2022. The post-2003 divergence reveals the estimated impact of the policy.

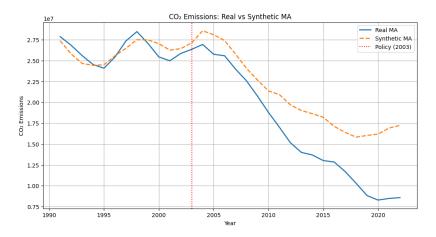


Figure 21: Full Timeline: Real vs Synthetic Massachusetts CO_2 Emissions (1990–2022). Vertical dotted line marks the 2003 policy implementation.

To visually assess the quality of our pre-treatment match between Massachusetts and its synthetic counterpart, we normalize both time series to a 0–1 scale and plot them over the pre-policy period (1990–2002).

The normalization transformation is given by:

normalize(x) =
$$\frac{x - \min(x)}{\max(x) - \min(x)}$$
,

which makes sure that both series are comparable in shape, independent of differences in scale or units.

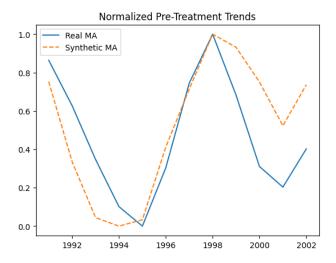


Figure 22: Normalized Pre-Treatment Trends: Real vs Synthetic Massachusetts CO_2 Emissions.

As shown in Figure 22, the synthetic trajectory replicates the turning points and volatility

of the actual Massachusetts emissions trend across the entire pre-treatment window. This supports the assumption that the synthetic control provides a valid counterfactual in the absence of treatment.

8.1.9 Placebo Tests

To assess the statistical significance and robustness of our estimated treatment effect for Massachusetts, we conduct *placebo tests* (Abadie et al., 2010). These tests check whether similarly large post-treatment gaps would appear for other states *not* subject to the 2003 policy intervention.

For each state $s \in \{NY, CT, NH, MT\}$, we re-run the synthetic control procedure treating s as if it were the treated unit and using the other donor states to construct its synthetic version. We compare actual emissions to this synthetic counterfactual in the post-treatment period to compute the placebo gap:

$$\mathrm{Gap}_{s,t} = \hat{Y}_{s,t}^{\mathrm{synthetic}} - Y_{s,t}^{\mathrm{real}}, \quad \text{for } t \geq 2003.$$

The synthetic control is built using the same optimization problem:

$$\mathbf{w}^* = \arg\min_{\mathbf{w} \ge 0, \sum w_j = 1} \left\| \frac{Y_s^{\text{pre}} - \bar{Y}_s}{\sigma_s} - \sum_j w_j \cdot \frac{Y_j^{\text{pre}} - \bar{Y}_j}{\sigma_j} \right\|^2.$$

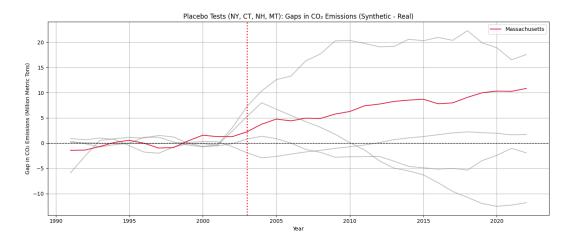


Figure 23: Placebo Tests: Post-treatment gaps in real vs. synthetic CO_2 emissions for Massachusetts (in red) and control states.

As shown in Figure 23, the gap between real and synthetic CO₂ emissions for Massachusetts (in red) increases notably after the policy implementation in 2003, suggesting a substantial treatment effect due to lower real emissions. In contrast, the placebo gaps for the

donor states (gray lines) remain relatively flat or display idiosyncratic movements. Notably, New York exhibits an upward trend post-2003, while New Hampshire shows a downward trajectory around the same period. These divergent placebo paths highlight that the magnitude and direction of Massachusetts' treatment effect is distinct and not mirrored in the control units other than New York.

8.2 Results

8.2.1 Post-Treatment Effects and Statistical Inference

To quantify the magnitude and statistical significance of the observed treatment effect, we compute the ratio of post-treatment to pre-treatment Root Mean Squared Prediction Error (RMSPE) for each unit in our study:

$$T_{j} = \frac{\text{RMSPE}_{j}^{\text{post}}}{\text{RMSPE}_{j}^{\text{pre}}} = \frac{\sqrt{\frac{1}{T_{\text{post}}} \sum_{t \ge 2003} \left(\hat{Y}_{jt} - Y_{jt}\right)^{2}}}{\sqrt{\frac{1}{T_{\text{pre}}} \sum_{t < 2003} \left(\hat{Y}_{jt} - Y_{jt}\right)^{2}}}$$

Here, \hat{Y}_{jt} denotes the synthetic control prediction for unit j, and Y_{jt} is the observed value. For Massachusetts, we found a test statistic of:

$$T_{\rm MA} = 7.46$$

We conduct a permutation-style inference by comparing this value to placebo states (NY, CT, NH, MT), each of which was treated as if it were the treated unit.

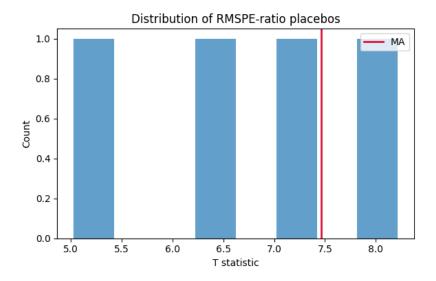


Figure 24: Distribution of RMSPE-ratio for placebo states.

We compute the pseudo-p-value using the formula:

$$\hat{p} = \frac{1 + \sum_{j \neq \text{MA}} 1 \left[T_j \ge T_{\text{MA}} \right]}{1 + |\text{Donor Pool}|}$$

Given that the donor pool consists of 4 states (NY, CT, NH, MT) and that only one of them produced a test statistic at least as large as Massachusetts ($T_{MA} = 7.46$), we have:

$$\hat{p} = \frac{1+1}{1+4} = \frac{2}{5} = 0.40$$

This implies that 25% of the donor states had a test statistic as extreme or more extreme than Massachusetts. The addition of 1 in the numerator and denominator ensures a conservative estimate, especially with a small number of donor units.

8.2.2 Magnitude of the Estimated Effect

By 2022, real emissions in Massachusetts were roughly 9.1 million metric tons, while the synthetic counterfactual predicts emissions near 19.41 million metric tons, suggesting a reduction of approximately:

Effect₂₀₂₂
$$\approx 10.31$$
 million metric tons of CO₂

This represents a substantial and policy-relevant drop in generation-based emissions attributable to the 2003 intervention, aligned with the state's long-term GHG reduction goals.

Our estimated 10.31 MMT reduction in 2022 emissions comes with a high p-value of 0.40, reflecting low statistical significance likely due to a small donor pool and limited placebo comparisons. Violations of key assumptions (e.g., pre-treatment fit, unobserved confounders) and slight discrepancies between our dataset and official EIA values introduce further uncertainty. According to the official data, Massachusetts reduced its electricity sector CO₂ emissions by an estimated 18.7 million metric tons (MMTCO₂) between 1990 and 2022. Our synthetic control estimate for the 2022 treatment effect was approximately 10.31 MMTCO₂. While our estimate is smaller, it is of the same order of magnitude and captures over half of the officially reported decline. This suggests our causal estimate is directionally consistent with the broader decarbonization trend, though it may be attenuated by methodological limitations, unobserved policy effects, or post-treatment dynamics not fully captured by our model.

8.3 Discussion

One key limitation of our synthetic control approach lies in the small size of our donor pool—only four states (NY, CT, NH, MT) were selected. We chose this subset by minimizing

the pre-treatment Root Mean Squared Error (RMSE) between Massachusetts and potential donor units. While this data-driven method improved fit, it risks overfitting to noise (even after smoothing) and excludes states that might better serve as controls when policy context or energy profiles are considered. Additionally, we used a simplified form of the synthetic control algorithm that omitted time-varying covariates, which could have better accounted for unobserved confounders influencing emissions.

To better estimate the policy's effect, we would benefit from incorporating richer timeseries covariates such as fuel prices, electricity demand, GDP per capita, and local weather conditions. These could improve the validity of the parallel trends assumption and allow for a more accurate model of untreated potential outcomes. Access to plant-level emissions or data on utility-level generation portfolios would also allow for more granular causal identification.

While we observe an 10.31 million metric ton reduction in CO_2 emissions by 2022 in Massachusetts relative to its synthetic control, the pseudo-p-value of 0.40 suggests this result is not statistically significant. The pseudo-p-value was computed using the RMSPE-ratio statistic in a permutation-style test, comparing Massachusetts to place ounits treated as if they were the treated state. The high p-value, combined with a marginal pre-treatment fit, indicates that the result could arise from chance, and we therefore cannot confidently attribute the reduction solely to the 2003 RPS policy. Other plausible explanations include market-driven shifts from coal to natural gas, technological improvements, or parallel federal policies. In particular, the Electric Industry Restructuring Act of 1997—implemented throughout the early 2000s—introduced competitive retail electricity markets, utility divestiture, and municipal aggregation programs that may have influenced the state's emissions trajectory. These changes, along with other contemporaneous policies such as mandatory energy efficiency programs, complicate attribution to the RPS alone. Furthermore, policy effects often take time to manifest, making it difficult to precisely isolate the impact of a single intervention from overlapping long-term reforms.

Compared to Abadie and Gardeazabal (2003), which used synthetic control to estimate the economic costs of terrorism in the Basque Country, our analysis uses a simpler model with fewer controls and a smaller donor pool. Their study incorporated covariates and achieved a strong pre-treatment fit, leading to more credible causal claims. In contrast, our choice to use outcome-only matching and to optimize donor states solely via RMSE minimization introduces more uncertainty. This difference highlights how algorithmic decisions and covariate inclusion can substantially affect inference quality and the interpretability of causal estimates.

9 Conclusions

Our analysis investigated the causal effect of Massachusetts' 2003 Renewable Portfolio Standard (RPS) policy on electric sector CO_2 emissions. Using a synthetic control framework, we estimated that the policy was associated with a reduction of approximately 10.31 million metric tons of CO_2 by 2022. However, this effect was not statistically significant (pseudope = 0.40), and the confidence in a causal interpretation is limited due to small donor pool size, model sensitivity, and policy confounding.

Our dataset excluded contextual covariates such as energy prices, economic shocks, or weather trends, all of which could influence emissions.

A critical gap in our analysis was the lack of granular insight into how overlapping policies such as the *Electric Industry Restructuring Act of 1997* and subsequent market reforms may have confounded the observed CO₂ reductions. To untangle these effects, we would ask a domain expert: "Which regulatory or structural shifts around 2003 (e.g., wholesale market liberalization, natural gas pipeline expansions, or utility incentive reforms) could have driven emissions changes *independently* of the Renewable Portfolio Standard (RPS)?" Their response would shape our approach by (1) distinguishing the RPS's marginal impact from concurrent reforms (strengthening causal inference via synthetic controls), (2) refining the donor pool (e.g., excluding states without analogous market changes to avoid bias), and (3) contextualizing the RPS's role if exogenous factors like gas prices dominated early reductions. Without this we risk misallocating credit to the RPS and potentially misguiding future decarbonization efforts.

Our conclusions were highly sensitive to the choice of donor states and the exclusion of covariates in the synthetic control algorithm. For instance, changing the donor pool—such as removing a state with heavy optimal weights like New York—shifted the estimated treatment effect from 19.41 to 21.15 MMTCO₂, and increased the RMSPE-ratio test statistic for Massachusetts to T=8.27, yielding a permutation p-value of approximately 0.25. This highlights that minor donor pool changes can affect both effect magnitude and statistical inference, with treatment effect shifts on the order of ± 2.5 MMT depending on the donor pool. We also used a simplified synthetic control that matched on pre-treatment outcomes alone. Incorporating covariates (e.g., economic indicators, energy prices) could have improved pre-treatment fit and causal validity. A user interpreting our result should recognize that our method prioritizes transparency and interpretability at the cost of reduced statistical power.

Our findings are specific to Massachusetts and may not generalize to other states with different energy mixes, regulatory histories, or policy contexts. Nonetheless, our methodological approach—using synthetic control methods and benchmarking against official emissions data—can be applied to other case studies assessing energy policy impacts.

10 Citations

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A Appendix