

Assignment 1

Question 1: "wage1"

1. Average education level - 12.56.
Lowest year of education - 0.00.
Highest year of education -18.00.
2. Average hourly wage - \$5.909, average hourly wage seems to be low.
3. As per the Economic Report of the President report: **cpi_1976 = 56.9, cpi_2010 = 218.1**
4. Average hourly wage in 2010 = \$22.6494. Yes, the new average hourly wage rate seems reasonable.
5. Women: 252. Men :274

Question 2: "meap01"

1. Largest value of math4 = 100 and Smallest values of math4 = 0.
Range [0,100]. The Range makes sense.
2. Schools have a perfect pass rate on the math test = 38, which is 2.08%.
3. Schools have math pass rates of exactly 50% = 17.
4. Average math_prte =71.909%, Average read_prte= 60.06%.
Read is harder to pass.
5. Correlation = 0.8427 or 84.27%.
Math and Read are highly correlated.
6. Expenditure per pupil = 5194.865, Standard deviation = 1091.89.
Yes, there is wide variation in per pupil spending.
7. School A's spending exceeds School B's by 9.09%, and
their logarithmic difference: 8.701%.

Question 3: "401k"

1. Average Participation rate: 87.36%, Average match rate: 0.7315 %.
2. $\text{prate} = 83.0755 + 5.8611 \text{ mrate}$
 $\text{df}=1532$, Sample = 1534, R-squared = 0.0747 or 7.47%
3. When $\text{mrate} = 0$, intercept = 83.0755. The predicted participation rate is 83.07%
For every 1 percent increase in mrate , the participation rate increases by 5.86%.
4. When $\text{mrate} = 3.5$, the Participation rate is 103.58%, which make no sense. Because Participation rate cannot be more than 100%.
5. R-Squared = 7.47%, which is very low.
The variation in mrate does not explain the variation in prate .

Question 4: "ceosal2"

1. Average CEO salary: \$ 865.56K
Average CEO tenure: 7.95 years.
2. CEOs in first year = 5,
Longest tenure as CEO = 37 years.
3. $\ln[\text{salary}] = 6.505498 + 0.0097 \text{ ceoten}$
 $R\text{-Squared} = 0.01316$, Sample = 177, $df = 175$
For one-year increase as CEO, the predicted percentage increase in salary is 0.97%.

Question 5: "wage2"

1. Average salary = \$ 957.94545, Average IQ = 101.28235, IQ Standard deviation = 15.05264
2. $\text{wage} = 116.992 + 8.303 \text{ IQ}$
Sample = 935, $df = 933$, $R\text{-Squared} = 0.0955$ or 9.55%
15 points increase in IQ, the wage will be increased by 125.53.
But R-square is 9.5%, the variation in IQ does not explain the variation in Wage.
3. $\log(\text{wage}) = 5.886 + .0088 \text{ IQ}$
Sample = 935, $df = 933$, $R\text{-Squared} = 0.09909$ or 9.909%
15 points increase in IQ, the wage will be increase by 13.21 %

Question 6: "meap93"

1. Diminishing effect seem more appropriate.
Expend has very less effect on the math pass rate.
2. In the given model: $\text{math10} = b_0 + b_1 \ln[\text{expend}] + u$, the expend coefficient is in log form that gives percentage, and math10 is also in percentage format. So, 10% increase in expend means a 1/10 increase in log value.
 $b_1/10$ implies one percent increase in math10.
3. $\text{math10} = -69.341 + 11.164 * \ln[\text{expend}]$
 $N = 408$; $df = 406$; $R\text{-square} = 2.966\%$
4. 10% increase in expend \rightarrow 1.064% increase in math rate.
5. Range of predicted math10 [21.22, 30.15]. The maximum predicted value is 30.15.
Let's assume math10 value be 101.
The equation becomes: $101 = -69.34 + 11.164 * \ln(\text{expend})$
 $\ln(\text{expend}) = (101 + 69.34) / (11.164)$
expend is approximately greater than \$4.2m ($\text{expend} > \4.2m)

Question 7: "hprice1"

1. $\text{price} = -19.315 + 0.1284\text{sqrft} + 15.198\text{bdrms}$
Sample = 88, df = 85, R-Squared = 0.6315 or 63.15%.
2. Estimated increase in House = \$15.198k or \$15198.
3. Estimated increase in House = \$33.174k or \$33174.
4. R-squared is 63.19% (variation in percentage is explained).
5. Predicted selling price will be \$ 354K.
6. Residual = -54k, Underpaid.

Question 8: "ceosal2"

1. $\ln(\text{salary}) = 4.6209 + 0.1621 \text{ sales} + 0.1067 \text{ mktval}$
R-squared: 0.2991, Sample = 177, df = 174.
2. Profit values range from -463 to 2700, some are negatives. We can't use $\log(\text{profits})$.
Therefore, $\log(\text{Profit})$ attribute can't be added to this model. The R-squared is 0.2993, approximately 70% of the variation in $\log(\text{salary})$ is unexplained. Profits seems to add very little to the model, suggesting that profits have very mild influence on $\log(\text{salary})$.
3. One-year increase in tenure is associated with a 1.167% increase in a CEO's salary.
4. Correlation = 0.776, Market value and Profits are highly correlated.
Both needs to be included.

Question 9: "attend"

1. atndrte : min :6.25%, max: 100%, average: 81.71%
 PriGPA : min :0.857, max: 3.930, average: 2.587
 ACT : min :13.00, max: 32.00, average: 22.51
2. $\text{atndrte} = 75.70 + 17.261 \text{ priGPA} - 1.717 \text{ ACT}$
Sample size = 680, df=677 R-squared = 0.2906
The predicted attend rate is 75.70% for a student who has Zero ACT score and Zero PriGPA. No, it does not have any useful meaning.
3. # For every point increase in "priGPA", the attendance rate is predicted to increase by 17.26% which makes sense.
For every point increase in "ACT", the attendance rate is predicted to decrease by 1.717% which does not make any sense.
4. When $\text{priGPA}=3.65$ and $\text{ACT}=20$, the attend rate is over 100 %, which is impossible and makes no sense.
There is one student in these criteria.
Details: index number is 568, the original "attendance" is "87.5%".
5. The predicted difference between the attendance between student A and student B is 25.846%

Question 10: "htv"

1. Range [6,20].
41.62% has completed 12th but no higher degree.
Mean education levels of Men, Father, and Mother are 13.03740, 12.44715, 12.17805 respectively. So, men have higher education level than their parents.
2. $\text{Educ} = 6.96 + 0.3042 \text{ motheduc} + 0.1902 \text{ fatheduc}$.
Sample = 1230, df = 1227, R-Squared = 0.2493. So, 24.93% of sample variation in educ is explained by the parents' education.
For one-year increase in mother's education, 0.3042 years increase in son's year in education.
3. $\text{Educ} = 8.4486 + 0.1891 \text{ motheduc} + 0.111 \text{ fatheduc} + 0.5024 \text{ abil}$;
Sample = 1230, df = 1226, R-square = 0.4275 or 42.75%.
For one-year increase in ability, 0.5024 years increase in student years in education.
4. $\text{educ} = 8.2302 + 0.1901 \text{ motheduc} + 0.1089 \text{ fatheduc} + 0.4014 \text{ abil} + 0.0505 \text{ abil}^2$
Sample = 1230, df = 1225, R-square = 0.4444 or 44.44%.
#1st derivative = 0, $d(\text{Educ})/d(\text{abil}) = 0.4014 + 2 * 0.0505 * \text{abil} = 0$
abil = -3.974.
2nd derivative, $d^2(\text{Educ})/d^2(\text{abil}) = 0.10$.
The second derivative is positive, so there is a minimum.
5. Out of 1230 only 15 students are predicted to have ability less than -3.974.
1.21% is very low and we don't have enough data for low ability students.
6. When $\text{motheduc} = 12.18$ and $\text{fatheduc} = 12.45$,
 $\text{educ} = 8.2302 + 0.1901 * 12.18 + 0.1089 * 12.45 + 0.4014 \text{ abil} + 0.0505 \text{ abil}^2$
 $\text{educ} = 11.901 + 0.4014 \text{ abil} + 0.0505 \text{ abil}^2$

(*Graph next page)

