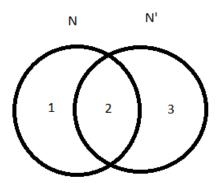
## Question 2

## ballay2k

## May 2020

2. In the above example, we had  $|N|=2, |N'|=3, |N\cap N'|=1$ , and  $|N\cup N'|=4$ . It is no coincidence that 2+3=1+4; in fact, for any sets N and N', it is always true that  $|N|+|N'|=|N\cap N'|+|N\cup N'|$ . Why? Draw



$$|N| + |N'| = (1) + (2) + (2) + (3)$$
 \_\_\_\_\_(a)

$$|N\cap N'|+|N\cup N'|=(2)+(1)+(2)+(3)$$

$$|N \cap N'| + |N \cup N'| = (1) + (2) + (2) + (3)$$
 \_\_\_\_\_(b)

From(a) and(b),

$$|N|+|N'|=|N\cap N'|+|N\cup N'|$$