

## Robot Learning

### Assignment 2

Due Tuesday, May 9th, before class.

- 2.1) Consider a student taking an exam, which consists of  $k$  tasks. For simplicity, we assume that the tasks  $i=1,\dots,k$  can either be solved, which results in the full number  $r_i$  of points, or not be solved, resulting in zero points ( $r_i=0$ ). After working on a task, the student knows whether the task has been solved or not. The student may attempt to solve each task a second time, but only when it has not been solved before. For each attempt, the probability  $p_i$  of solving the task shall be independent. It depends only on the difficulty of the task and is as follows:

Task $i$	Points $r_i$	Solution probability $p_i$
1	8	0.35
2	6	0.4
3	10	0.15
4	2	0.9
5	7	0.4

Formulate this problem as a Markov Decision Process! 4 points

- 2.2) Assume that the student can attempt only  $N=6$  tasks in the exam. For passing the exam, the student needs to get at least 50% of the available points. Model the probability of passing the exam. 4 points

- 2.3) The student considers two policies for choosing the tasks:  
 $\pi_A$ : work on the tasks in sequential order, according to index  $i$ .  
 $\pi_B$ : work on the tasks in the order of increasing difficulty (decreasing solution probability)  
 In both cases, the first non-solved task will be attempted again. Compare the expected return of both policies! 4 points

- 2.4) Suggest an improved policy  $\pi_C$  that has a higher expected return than both of the above policies. 4 points

- 2.5) Give an example for a process model where the Markov assumption is not justified. How can the state be augmented to make the assumption valid again? 4 points