

# Data Visualisation

## CSE613

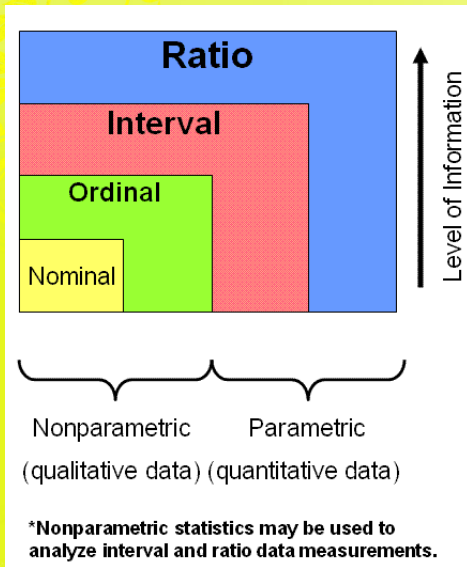
Prof. Ramesh Ragala

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## Different Types of Data in data visualization

- Quantitative Data
  - Continuous Data
  - Discrete Data
    - Interval Data
    - Ratio Data
- Qualitative Data
  - Ordinal Data
  - Nominal Data

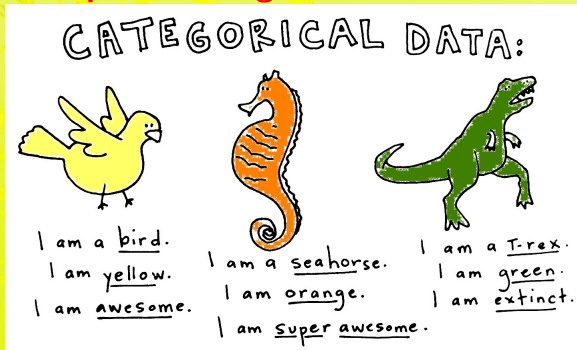
# INTRODUCTION: SEMIOTICS



# INTRODUCTION: THE ESSENCE OF SEMIOTICS

- **Level of Organisation:**
- A data variable is classified → 4 types → based on the scale by which the values it contains are measured:
  - **Nominal/categorical data:**
    - The data values are categorical and not numeric.
    - A categorical variable is one that has two or more categories or labels or classes, but there is no intrinsic ordering to the categories.
    - simply Categorical variables represent types of data which may be divided into groups.
    - It is completely qualitative measurement.
    - Examples: age, gender, educational levels, countries, people names. **operations: == and !=**
    - Comparing two observations using the values for the variable, the observations will either be similar or different depending on whether the categorical value matches or not.

- **Example on Categorical Data:**



- if the categorical data has only two outcomes → binary or binomial data
- The Binomial data outcomes may pass/fail, live/dead or extinct/not extinct

# INTRODUCTION: THE ESSENCE OF SEMIOTICS

## Examples on Categorical Variables

	A	B	C	D	E	F	G	H	I
1	Name	Miles Per Gallon	Acceleration	Horsepower	weight	cylinders	year	price	Country
2	Volkswagen Rabbit DI	43,1	21,5	48	1985	4	78	2400	Germany
3	Ford Fiesta	36,1	14,4	66	1800	4	78	1900	Germany
4	Mazda GLC Deluxe	32,8	19,4	52	1985	4	78	2200	Japan
5	Datsun B210 GX	39,4	18,6	70	2070	4	78	2725	Japan
6	Honda Civic CVCC	36,1	16,4	60	1800	4	78	2250	Japan
7	Oldsmobile Cutlass	19,9	15,5	110	3365	8	78	3300	USA
8	Dodge Diplomat	19,4	13,2	140	3735	8	78	3125	USA
9	Mercury Monarch	20,2	12,8	139	3570	8	78	2850	USA

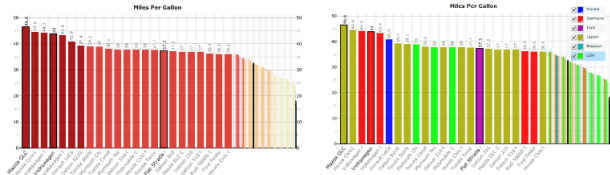


Figure: Classic car data set shown as bar chart for numerical variable "Miles per gallon" and coloured based on categorical variable Country.

## NOMINAL DATA



**T-SHIRT**store

The store carries more solid colored shirts than polka dot shirt.



FIGURE: nominal level of measurement

- A categorical variable (sometimes called a nominal variable) is one that has two or more categories, but there is **no intrinsic ordering** to the categories.
- A purely categorical variable is one that simply **allows you to assign categories** but **you cannot clearly order the variables**.
- If the variable has a **clear ordering**, then that variable would be an **ordinal variable**.
- The Nominal or categorical data has only meaning → how they are differing from one another.
- **Example:** Country names are Nominal data values → putting all country names in alphabetical order is not making any relationship to another.
- Assignment of numbers to categories has no mathematical meaning.
- Nominal categories should be mutually exclusive and exhaustive



- **Where Can We Have Categorical Data:**
  - Social sciences : opinions on issues
  - Health sciences : response to treatments/drugs
  - Behavioral sciences : e.g. diagnose mental illness
  - Public health : AIDS awareness
  - Zoology : animals food preferences
  - Education : student's response to exams
  - Marketing : consumer preferences
  - Almost everywhere
- Distinction in categorical data are: Nominal Data and Ordinal Data

- **Ordinal data values:**

- The data values are categorical but ordered.
- Comparing two observations using the values for that variable.
- Operations:  **$==, !=, \leq$  and  $\geq$**
- it is mainly used for obey ordering relations among data values
- Ordinal data is that which has inherent order, but no inherent degree of difference between what is being ordered.
- **Example:** The I<sup>st</sup>, II<sup>nd</sup> and III<sup>rd</sup> place winners in a race are on ordinal scale
- But we do not know **how much faster** first place was than second place
- But we know only that one was faster than other.

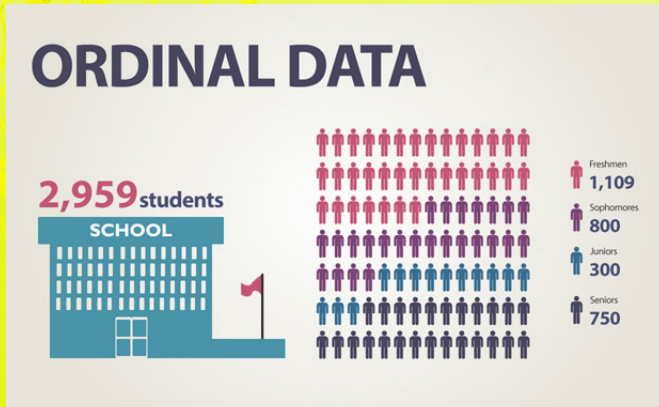
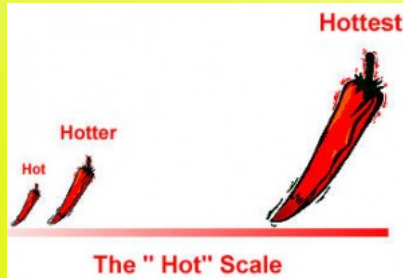


FIGURE: Ordinal level of measurement

# INTRODUCTION: SEMIOTICS



## ● Interval Data:

- The data values are numeric.
- It represents the more sensitive type of data or sophisticated form of measurement.
- simply, Interval data is data which exists on a scale with meaningful quantitative magnitudes between values.
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- Data values can be compared quantitatively using basic arithmetic operations **+, -, \* and /** not the values themselves.
- The values are ordered. it includes negative numbers and zero. But zero is not absolute reference point.
- Scale data is usually aggregated or converted to averages.

## ● Interval Data:

- **Example:1** The dataset does not contain an interval data variable, if there were a variable in a dataset that recorded the measurements of temperature. → it would be classified as a interval variable.
- Temperature variable contains the values 40,60 and 80, we could say that compared with 40°F, 80°F is two times warmer than 60°F  $(80-40)/(60-40)$ , but not twice as hot because 0°F is an arbitrarily chosen point on the scale.
- **Example:2** if Sidda Reddy is rated as "6" on attractiveness and Durga Prasad a "3" → it does not mean Sidda Reddy is twice as attractive as Durga Prasad.

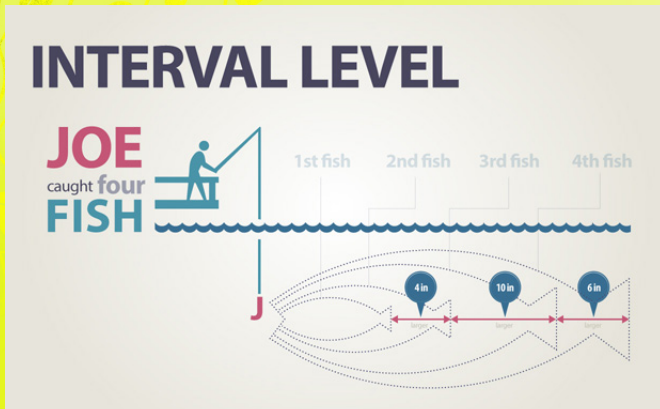


FIGURE: interval level of measurement

- The measurement between the sizes of the fish Joe caught in order of when he caught them.



- **Ratio Data:**

- The Data Values are numeric and include an absolute zero.
- This data values are allowed to compare quantitatively with other using basic arithmetic operations
- Ratio data is data which, like interval data, has a meaningful order and a constant scale between ordered values, but additionally it has a meaningful zero value.
- Supported Operations are  $=$ ,  $\neq$ ,  $\leq$ ,  $\geq$ ,  $-$ ,  $/$  and  $*$
- The Ratio level of measurement applies to data that can be arranged in order.
- In addition, both differences between data values and ratios of data values are meaningful. Data at the ratio level have a true zero.
- **Example:** If one box weighs 50lbs and another 100lbs  $\rightarrow$  the second box weighs twice as much as the first  $\rightarrow$  this is not a case in interval data



## RATIO LEVEL



FIGURE: Ratio level of measurement

- The amounts of teddy bears a certain child has.
- Since we can't have less than zero teddy bears, then the ratio level has a true zero.

- **According to Bertin, The components are characterized by following way:**
  - Nominal Variables → Qualitative Components(N)
  - Ordinal Variables → Ordered Components(O)
  - Interval and Ration Variables → Quantitative Components(Q)