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Implementing SGD on Linear Regression and comparing Manual SGD with
            sklearn SGD
 In [0]: import warnings
            warnings.filterwarnings('ignore')
            #importing libraries and dataset
            import numpy as np
            import pandas as pd
            from matplotlib import pyplot as plt
            from sklearn.metrics import mean squared error
            from prettytable import PrettyTable
            from sklearn.linear_model import SGDRegressor
            from sklearn import preprocessing
 In [2]: from sklearn.datasets import load boston
            boston = load boston()
            print(boston.data.shape)
            (506, 13)
 In [3]: print(boston.feature names)
            ['CRIM' 'ZN' 'INDUS' 'CHAS' 'NOX' 'RM' 'AGE' 'DIS' 'RAD' 'TAX' 'PTRATIO'
             'B' 'LSTAT']
 In [4]: print(boston.target.shape)
            (506,)
 In [5]: print(boston.DESCR)
            .. boston dataset:
            Boston house prices dataset
            **Data Set Characteristics:**
                 :Number of Instances: 506
                 :Number of Attributes: 13 numeric/categorical predictive. Median Value (attribute 14) is usua
           lly the target.
                 :Attribute Information (in order):
                     - CRIM per capita crime rate by town
                                proportion of residential land zoned for lots over 25,000 sq.ft.
                     - INDUS proportion of non-retail business acres per town
                     - CHAS Charles River dummy variable (= 1 if tract bounds river; 0 otherwise)
                     - NOX nitric oxides concentration (parts per 10 million)
                     - RM
                                   average number of rooms per dwelling
                     - AGE
- DIS
                                   proportion of owner-occupied units built prior to 1940
                                   weighted distances to five Boston employment centres
                     - RAD
                                  index of accessibility to radial highways
                     - TAX full-value property-tax rate per $10,000
                     - PTRATIO pupil-teacher ratio by town
                     - B 1000(Bk - 0.63)^2 where Bk is the proportion of blacks by town
                     - LSTAT % lower status of the population
                     - MEDV
                                  Median value of owner-occupied homes in $1000's
                 :Missing Attribute Values: None
                 :Creator: Harrison, D. and Rubinfeld, D.L.
            This is a copy of UCI ML housing dataset.
            https://archive.ics.uci.edu/ml/machine-learning-databases/housing/
            This dataset was taken from the StatLib library which is maintained at Carnegie Mellon Universit
            The Boston house-price data of Harrison, D. and Rubinfeld, D.L. 'Hedonic
            prices and the demand for clean air', J. Environ. Economics & Management,
            vol.5, 81-102, 1978. Used in Belsley, Kuh & Welsch, 'Regression diagnostics
            ...', Wiley, 1980. N.B. Various transformations are used in the table on
            pages 244-261 of the latter.
            The Boston house-price data has been used in many machine learning papers that address regression
           problems.
            .. topic:: References
               - Belsley, Kuh & Welsch, 'Regression diagnostics: Identifying Influential Data and Sources of
            Collinearity', Wiley, 1980. 244-261.
               - Quinlan, R. (1993). Combining Instance-Based and Model-Based Learning. In Proceedings on the
            Tenth International Conference of Machine Learning, 236-243, University of Massachusetts, Amhers
            t. Morgan Kaufmann.
 In [0]: X = load boston().data
            Y = load boston().target
 In [7]: df=pd.DataFrame(X)
            #some intuition
            {\tt df[13]=df[10]//df[12]} \quad \textit{\#here we set a column 13 such that df[13]=Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston\_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']//Boston_data['Medv']
            X=df.as matrix()
            df.head()
 Out[7]:
                                                                       8
                                                                                  10
                                                                                                12
                                                                                                     13
                                 2
                                      3
                                                          6
                                                                                           11
            0 | 0.00632 | 18.0 | 2.31 | 0.0 | 0.538 | 6.575 | 65.2
                                                            4.0900 1.0 296.0 15.3 396.90 4.98 3.0
                               7.07 0.0 0.469
                                                                         242.0 17.8
            1 0.02731 0.0
                                                6.421
                                                       78.9
                                                            4.9671 2.0
            2 0.02729 0.0
                              7.07 0.0 0.469
                                               7.185 | 61.1 | 4.9671 | 2.0 | 242.0 | 17.8 | 392.83 | 4.03 | 4.0
            3 0.03237 0.0
                               2.18 0.0 0.458
                                                6.998
                                                       45.8
                                                            6.0622
                                                                     3.0 222.0
                                                                                18.7
                                                                                      394.63 2.94 6.0
                                               7.147 54.2
                                                                     3.0
                                                                         222.0 18.7
               0.06905 0.0
                              2.18 0.0 0.458
                                                            6.0622
                                                                                      396.90 5.33 3.0
 In [0]: #Splitting whole data into train and test
            from sklearn.model selection import train test split
            X_train, X_test, y_train, y_test=train_test_split(X, Y, test_size=0.3, random_state=4)
 In [9]: # applying column standardization on train and test data
            from sklearn.preprocessing import StandardScaler
            sc = StandardScaler()
            X_train = sc.fit_transform(X_train)
            X_test=sc.transform(X_test)
            df train=pd.DataFrame(X train)
            df train['price']=y_train
            df_train.head()
 Out[9]:
            0 -0.425469 -0.470768 -0.954686 -0.231455 -0.919581 0.215100
                                                                                     -0.747410 0.454022
                                                                                                             -0.764468
                                                                                                                        -0.976012
               -0.426323
                          2.992576
                                      -1.330157
                                                  -0.231455 -1.227311 -0.883652 -1.691588 3.163428
                                                                                                             -0.651568
                                                                                                                        -0.464548
                                      -0.705828
                                                  4.320494
                                                             -0.423795 -0.125423 0.818985
                           -0.470768
                                                                                                -0.353904
                                                                                                            -0.199967
               -0.385190
                                                                                                                        -0.623278
            3
                           -0.470768
                                      -0.423497
                                                                                     1.021567
                                                                                                                                    1.15
               -0.249268
                                                  -0.231455 -0.158805
                                                                          -0.228336
                                                                                                 -0.021755
                                                                                                            -0.651568
                                                                                                                        -0.623278
                           0.395068
                                       -1.030363
                                                  -0.231455 0.157472
                                                                         3.102729
                                                                                      -0.060078
                                                                                                 -0.646202
                                                                                                             -0.538668
                                                                                                                        -0.876071
                                                                                                                                    -2.5
                -0.365945
In [10]: #SGD Implementation for Lineat Regression.
            #function having parameter X train, y train, no of iteration, learning rate r
            #intialising no of iteration=100,learning rate =0.01
            #batch size=20
            W, B, iteration, lr_rate, k=np. zeros (shape=(1,14)), 0,750, 0.01,25 #intialise W and B to zero
            while iteration>=0:
                 w,b,temp vectors,temp intercept=W,B,np.zeros(shape=(1,14)),0
                 data=df train.sample(25) #sampling random k=batch size=20 data
                 x=np.array(data.drop('price',axis=1))
                 y=np.array(data['price'])
                 for i in range(k):
                      temp vectors+=(-2)*x[i]*(y[i]-(np.dot(w,x[i])+b)) #partial differentiation wrt w dl/dw=1/k(-2)
            x) * (y-wTx-b)
                      temp intercept+=(-2)*(y[i]-(np.dot(w,x[i])+b))#partial differentiation wrt b dl/db=1/k(-2)*
            (y-wTx-b)
                 W=(w-lr rate*(temp vectors)/k)
                 B=(b-lr rate*(temp intercept)/k)
                 iteration-=1
            print(W)
            print(B)
            [[-1.24942365 0.89061473 -0.59881448 0.9203986 -1.40117399 1.55516223
               0.1680994 -2.91538048 2.19469597 -1.06691333 -2.2110781 0.92145648
              -1.96576631 2.71980831]]
            [22.04635501]
 In [0]: #prediction on x test
            #https://www.geeksforgeeks.org/numpy-asscalar-in-python/
            y predic lr=[]
            for i in range(len(X_test)):
                 val=np.dot(W, X test[i])+B #val= wTx+b
                 y predic lr.append(np.asscalar(val))
In [12]: #Scatter plot of actual price vs predicted price
            plt.scatter(y test,y predic lr)
            plt.xlabel('Actual price')
            plt.ylabel('Predictd price')
            plt.title('Actual price vs Predicted price')
            plt.show()
                              Actual price vs Predicted price
               40
               30
            Predictd price
               20
               10
                                        Actual price
In [13]: MSE lr=mean squared error(y test, y predic lr)
            print('mean squared error =', MSE lr)
            mean squared error = 23.914496793480303
In [17]: #SGD regression sklearn implementation
            #intialising no of iteration=100,eta0=1
            \#taking t=2 and power t=1 such that for each iteration eta0=eta0/pow(2,1) ,it means half each times
            model=SGDRegressor(learning rate='constant',eta0=0.01,penalty=None,n iter=100,max iter=100)
            model.fit(X train,y train)
            y pred sgd=model.predict(X test)
            #Scatter plot of actual price vs predicted price
            plt.scatter(y test, y pred sgd)
            plt.xlabel('Actual price')
            plt.ylabel('Predictd price')
            plt.title('Actual price vs Predicted price')
            plt.show()
            /usr/local/lib/python3.6/dist-packages/sklearn/linear model/stochastic gradient.py:152: Deprecati
            onWarning: n_iter parameter is deprecated in 0.19 and will be removed in 0.21. Use max_iter and t
            ol instead.
              DeprecationWarning)
                              Actual price vs Predicted price
               40
               30
            Predictd price
               20
               10
                                                                    50
                       10
                                  20
                                        Actual price
In [18]: MSE sgd=mean squared error(y test, y pred sgd)
            print('mean squared error =', MSE_sgd)
            mean squared error = 22.523397759886592
In [22]: #Comparison between weights obtained from manual implementation and weights obtained from sgd implem
            entation
            from prettytable import PrettyTable
            x = PrettyTable()
            x.field names=['Weight vector manual','Weight vector SGD sklearn']
            weight sgd=model.coef
            for i in range(13):
                 x.add_row([W[0][i],weight_sgd[i]])
            print(x)
            | Weight vector manual | Weight vector SGD sklearn |
            +----+
            | -1.2494236549195774 | -1.447738141819672
            0.8906147344020182 | 0.8937799376554265
            | -0.5988144837915654 | -0.40303205842820167
                                             0.3193745240501973
            | 0.9203985964849772 |
                                              -1.65965023682602
            | -1.4011739908522907 |
            | 1.555162233635373 | 1.672760037743413
            | 0.16809939759744807 | 0.4341658061223362
              -2.915380476287036 | -3.2413354813564643
            | 2.1946959666080508 | 2.871108006032379
            | -1.0669133272714628 | -2.095579666719773
            | -2.2110780960021876 | -2.654728787069825
                                             1.0533008521707796
            | 0.9214564800651012 |
            -1.965766307474707 | -1.7118713082232575
```

In [21]: | #comparison between MSE of manual implementation and SGD sklearn implementation

print('MSE of manual implementation = ',MSE lr)

print('MSE of SGD sklearn implementation = ', MSE sgd)

print('-'*50)