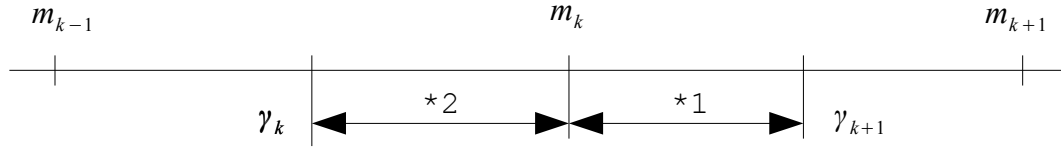


**INTERVALS:**  $m_0, m_1, \dots, m_L$

**LEVELS:**  $\gamma_0, \gamma_1, \dots, \gamma_L$



\*1 QUANTIZED TO  $\gamma_k$

$$SQ.Err = (m - \gamma)^2$$

\*2 QUANTIZED TO  $\gamma_{k+1}$

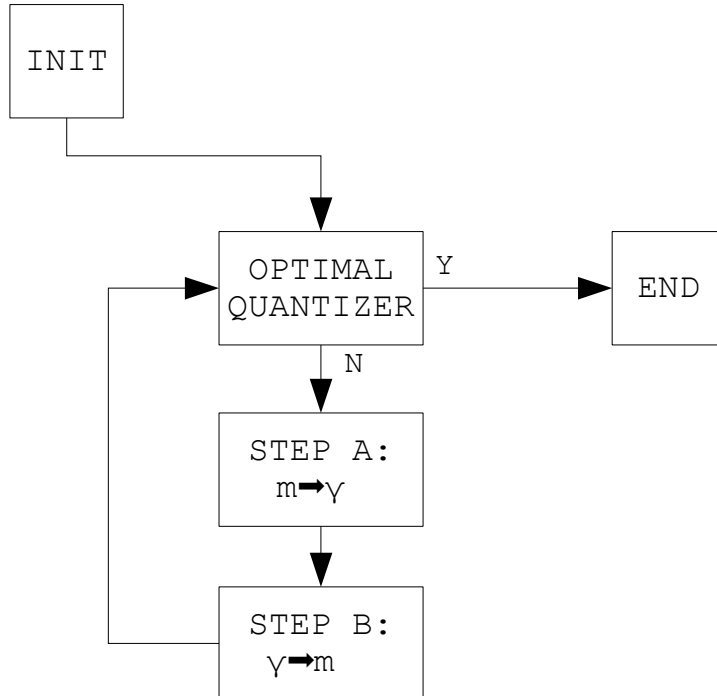
**INIT:** INTERVALS:  $\{-INF, -6, -4, -2, 0, 2, 6, +INF\}$   
 LEVELS:  $\{-7, -5, -3, -1, 1, 3, 5, 7\}$

**STEP A:** QUANTIZATION INTERVALS  $\rightarrow$  LEVELS

$$\gamma_k = \frac{\sqrt{\frac{\sigma^2}{2\pi}} [e^{-\frac{m_{k-1}^2}{2\sigma^2}} - e^{-\frac{m_k^2}{2\sigma^2}}]}{qfunc(\frac{m_{k-1}}{\sigma}) - qfunc(\frac{m_k}{\sigma})}$$

**STEP B:** LEVELS  $\rightarrow$  QUANTIZATION INTERVALS

$$m_k = \frac{1}{2}(\gamma_{k+1} + \gamma_k)$$



ABOUT:

ITERATIVE REPEAT STEPS A, B UNTIL CONVERGENCE TO GET OPTIMAL QUANTIZER.  
 MINIMIZE THE MEAN SQUARED QUANTIZATION ERROR.