Task-D: Collinear features and their effect on linear models In [1]: %matplotlib inline import warnings warnings.filterwarnings("ignore") import pandas as pd import numpy as np from sklearn.datasets import load\_iris from sklearn.linear\_model import SGDClassifier from sklearn.model\_selection import GridSearchCV import seaborn as sns import matplotlib.pyplot as plt In [2]: data = pd.read\_csv('task\_d.csv') In [3]: data.head() Out[3]: 2\*y 2\*z+3\*x\*x w target X\*X **0** -0.581066 0.841837 -1.012978 -0.604025 0.841837 -0.665927 -0.536277 0 **1** -0.894309 -0.207835 -1.012978 -0.883052 -0.207835 -0.917054 -0.522364 0 **2** -1.207552 0.212034 -1.082312 -1.150918 0.212034 -1.166507 0.205738 0 **3** -1.364174 0.002099 -0.943643 -1.280666 0.002099 -1.266540 -0.665720 0 0 In [4]: X = data.drop(['target'], axis=1).values Y = data['target'].values Doing perturbation test to check the presence of collinearity Task: 1 Logistic Regression 1. Finding the Correlation between the features a. check the correlation between the features b. plot heat map of correlation matrix using seaborn heatmap 2. Finding the best model for the given data a. Train Logistic regression on data(X,Y) that we have created in the above cell b. Find the best hyper prameter alpha with hyper parameter tuning using k-fold cross validation (grid search CV or random search CV make sure you choose the alpha in log space) c. Creat a new Logistic regression with the best alpha (search for how to get the best hyper parameter value), name the best model as 'best\_model' 3. Getting the weights with the original data a. train the 'best\_model' with X, Y b. Check the accuracy of the model 'best\_model\_accuracy' c. Get the weights W using best\_model.coef\_ 4. Modifying original data a. Add a noise(order of  $10^{-2}$ ) to each element of X and get the new data set X'(X' = X + e)b. Train the same 'best\_model' with data (X', Y) c. Check the accuracy of the model 'best\_model\_accuracy\_edited' d. Get the weights W' using best\_model.coef\_ 5. Checking deviations in metric and weights a. find the difference between 'best\_model\_accuracy\_edited' and 'best\_model\_accuracy' b. find the absolute change between each value of W and W' ==> |(W-W')|c. print the top 4 features which have higher % change in weights compare to the other feature Task: 2 Linear SVM 1. Do the same steps (2, 3, 4, 5) we have done in the above task 1. Do write the observations based on the results you get from the deviations of weights in both Logistic Regression and linear SVM In [5]: #Heat map for finding correlation dataplot=sns.heatmap(pd.DataFrame(X).corr(),cmap='YlGnBu',annot=True) plt.show() 0.8 -0.26 -0.4 - 0.6 0.85 0.67 0.81 0.81 -0.6 - 0.4 -0.21 0.81 -0.21 - 0.2 0.0 -0.6 -0.21 -0.26 -0.4 -0.2 0.85 -0.26 -0.26 - -0.4 -0.4 -0.4 - -0.6 In [6]: #From the above heatmap i can say that (3,5) columns are highly correlated feature #and among them i can choose one of the feature from them #(4,1),(5,1),(5,0),(3,0),(3,5) these set of features are highly correlated among these i can drop 0 and 3 features In [7]: #Finding the best model for the given data from sklearn.linear\_model import LogisticRegression clf=LogisticRegression(n\_jobs=-1) In [8]: from sklearn.model\_selection import RandomizedSearchCV def get\_best\_para(est,param,X,Y): clf=RandomizedSearchCV(est,param,n\_iter=10,n\_jobs=-1) clf.fit(X,Y) return clf.best\_params\_, clf.best\_score\_ In [9]: param={ 'C':[0.1,1,10,100,0.001,0.2]} get\_best\_para(clf,param,X,Y) Out[9]: ({'C': 0.1}, 1.0) In [10]: best\_model=LogisticRegression(n\_jobs=-1,C=0.1) best\_model.fit(X,Y) LogisticRegression(C=0.1, n\_jobs=-1) Out[10]: In [11]: #Calculating accuracy of a model def acc(Y\_true,Y\_pred): from sklearn.metrics import confusion\_matrix #print(confusion\_matrix(Y\_true, Y\_pred)) TN, FP, FN, TP = confusion\_matrix(Y\_true, Y\_pred).ravel() #print(TN, FP, FN, TP) #Precision = TP/(TP+FP)#Sensitivity(recall)=TP/(TP+FN) #Specificity=TN/(TN+FP) Accuracy=(TP+TN)/(TP+TN+FP+FN) return Accuracy Acc\_best\_model=acc(Y, best\_model.predict(X).reshape(-1,1)) In [13]: print(Acc\_best\_model) 1.0 In [14]: #Weight of the model best\_model\_coeff=best\_model.coef\_ In [15]: #Adding noise to the X with  $e=10^{-2}$ import random as rn X1=X+rn.uniform(0.01,0.1)In [16]: #Retraining the model with Noise points best\_model.fit(X1,Y) best\_model\_edited\_coeff=best\_model.coef\_ In [17]: Acc\_best\_model\_edited=acc(Y, best\_model.predict(X).reshape(-1,1)) In [18]: print(Acc\_best\_model) 1.0 In [19]: def diff\_weight(w1,w2): W=(abs(w1-w2)/w1)\*100return list(np.argsort(W)[0][0:4]) In [20]: #Accuracy of model\_1 aand model\_2 print(f'The difference in accuracy of the model are {abs(Acc\_best\_model\_edited-Acc\_best\_model)}') The difference in accuracy of the model are 0.0 In [21]: #Getting top 4 features which have highest change l=diff\_weight(best\_model\_coeff,Acc\_best\_model\_edited) temp=np.array(data.columns) print(f'{temp[1]} are the top 4 features whoes weight has changed') ['y' '2\*y' 'z' '2\*z+3\*x\*x'] are the top 4 features whoes weight has changed In [22]: #Linear SVM from sklearn.svm import LinearSVC SVC=LinearSVC()

para={'C':[0.001,0.001,0.01,0.1,1,10,100]}

best\_model\_SVM\_coeff=best\_model\_SVM.coef\_

#Retraining the model with Noise points

#Accuracy of model\_1 aand model\_2

temp=np.array(data.columns)

Observation

best\_model\_edited\_SVM\_coeff=best\_model.coef\_

The difference in accuracy of the model are 0.0

#Getting top 4 features which have highest change

l=diff\_weight(best\_model\_SVM\_coeff,Acc\_best\_model\_edited\_SVM)

print(f'{temp[1]} are the top 4 features whoes weight has changed')

['y' '2\*y' 'z' '2\*z+3\*x\*x'] are the top 4 features whoes weight has changed

In both the cases when we use different model the same features have the high percentage change in the weight

Acc\_best\_model\_SVM=acc(Y, best\_model\_SVM.predict(X).reshape(-1,1))

Acc\_best\_model\_edited\_SVM=acc(Y, best\_model\_SVM.predict(X).reshape(-1,1))

print(f'The difference in accuracy of the model are {abs(Acc\_best\_model\_edited\_SVM-Acc\_best\_model\_SVM)}')

get\_best\_para(SVC, para, X, Y)

best\_model\_SVM=LinearSVC(C=0.001)

**#Best For LinearSVM** 

best\_model\_SVM.fit(X,Y)

print(Acc\_best\_model)

#Weight of the model

best\_model\_SVM.fit(X1,Y)

Out[23]: ({'C': 0.001}, 1.0)

Out[24]: LinearSVC(C=0.001)

1.0

In [24]:

In [26]:

In [27]:

In [28]:

In [29]:

In [31]: