

# Introduction to Robotics CSCI/ARTI 4530/6530

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# Agenda

- A quick recap
- For today
  - Introduction to Markov Localization
  - Kalman Filter Localization

# A quick recap

ROS Networking: working with multiple machines:

1. Export ROS\_MASTER\_URI = <http://master-IP:11311>
2. Export ROS\_IP=local-IP

Problems with AF\_INET/hostname resolution:

Solution - add the host name and its IP address in the /etc/hosts file of both the computers

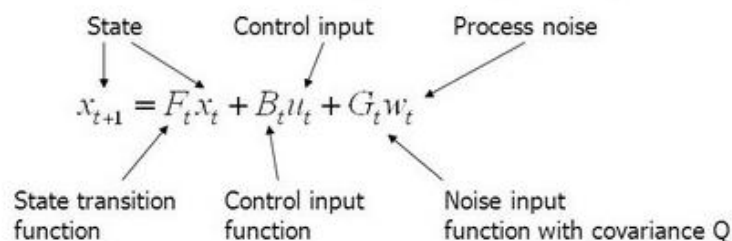
# For today – Markov Localization

See the attached EdX slides

# For today – Kalman Filter Basics

## Kalman Filter Model

Linear discrete time dynamic system (motion model)



Measurement equation (sensor model)

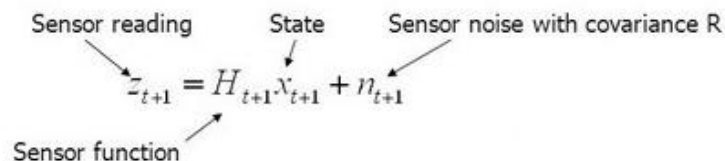


Image courtesy: Dr. Paul E. Rybski

Measurement Equation:

$$\begin{bmatrix} z_k^1 \\ z_k^2 \\ \vdots \\ z_k^{42} \end{bmatrix} = \begin{bmatrix} H \end{bmatrix} \begin{bmatrix} x_k \\ y_k \\ v_{x_k} \\ v_{y_k} \\ a_{x_k} \\ a_{y_k} \end{bmatrix} + \bar{q}_k$$

$\begin{bmatrix} x_k \\ y_k \\ v_{x_k} \\ v_{y_k} \\ a_{x_k} \\ a_{y_k} \end{bmatrix}$  system state vector  
 $42 \times 42$  matrix  
 $\bar{q}_k \in N(0, Q)$   
 $k=0,1,2,\dots$

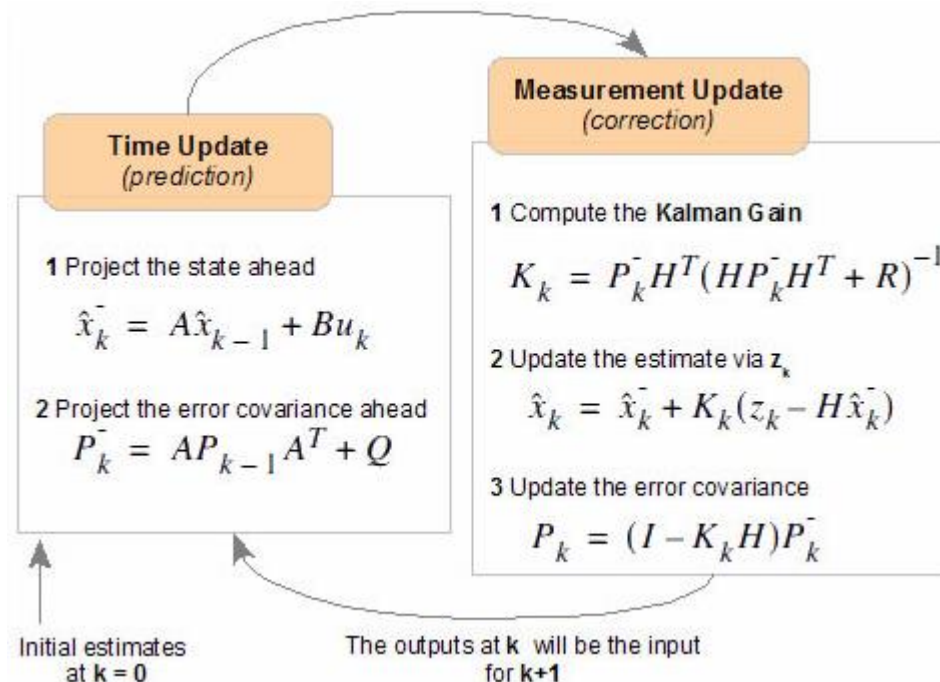
System Equation:

$$\bar{x}_{k+1} = \begin{bmatrix} A \end{bmatrix} \bar{x}_k + \bar{w}_k$$

$42 \times 6$  matrix  
 $6 \times 6$  matrix  
 $\bar{w}_k \in N(0, W)$   
 $k=0,1,2,\dots$

Image courtesy: Brown University

# For today – Kalman Filter Basics



Kalman Gain ( $K$ ) = Error in Estimate / (Error in Estimate + Measurement Error)

New Estimate = Old Estimate +  $K$  (Measurement - Old Estimate)

New Error in Estimate =  $(1 - K)$  (Old Error in Estimate)

Image courtesy: Bilgin Esme, Kalman Filter for Dummies

# For today – Kalman Filter Localization

See the attached EdX slides