

# **CSE260 Lab Report-5**



## **Experiment: Applications of Kmap Method**

### **Group-1:**

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Name of the Experiment:

Applications of Kmap Method

Objective:

- ① To investigate the rules of Kmap
- ② To gain experience working with practical stuff.
- ③ To simplify a complex function using Kmap.

Required components or Equipments:

1. AT-700 Portable analog/digital laboratory.
2. AND, OR & NOT IC.
3. Wires, trainer board & bread board.

Experimental setup:

For conducting <sup>the</sup> this experiment a trainer board, bread board, wires and 1 IC-7408 AND gate, 1 IC-7432 OR gate & 1 IC-7404 NOT gate were used here. Here, 14<sup>th</sup> pin is connected to the +ve (+5V) and 7<sup>th</sup> pin to the GND position of the breadboard <sup>& trainer board</sup>. Now, at first for the first experiment.

1. A & D were taken as 2 inputs in AND gate pin no 1 & 2 respectively. Then another new input B was taken in pin no. 4. But this time another input is the inversion of D so NOT gate was used here. Hence, at NOT gate pin no 1 was used as input and pin no 2 was connected to pin no 5 of AND gate by a wire. And the resultant output from pin no 2 was connected to pin no 5 of AND gate. After that a new gate was used for a resultant output. From pin no 3 & 6 two outputs were taken as inputs of OR gate at pin no 1 & 2 respectively. Furthermore, A was again taken as input at pin no 10 and another new input C was taken at pin no 9. However, now the input B is inverted so again the NOT gate was used. Therefore, from pin no 2 of NOT gate an input



was taken to AND gate of pin no 13 via a wire and the output from pin no 8 was connected to pin no 12 of the similar gate. After that, through a wire pin no 3 & 6 was used as two inputs of OR gate at pin no 1 & 2 accordingly. And finally, pin no 11 of AND gate and pin no 3 of OR gate were taken as inputs for the OR gate again at pin no 4 & 5 respectively. Thus, we got the resultant output at pin no 6 of OR gate.

2. Here, at first A & B were taken as input and connected at pin no 1 & 2 via AND gate. Then, again B was taken as input at pin no 4 and here a new input C was taken to the NOR gate pin no 1 by a wire, and the output was taken by another wire from pin no 2 to pin no 5 of AND gate. After that, from pin no 3 & 6 of the AND gate we got 2

outputs which later on was taken as inputs for an OR gate at pin no 1 & 2 serially. Then again, from pin no 1 A was taken as an input ~~for~~ in the NOT gate of pin no 3 by a wire and the output from pin no 4 was taken by another wire to pin no 10 as input. But here another new input was taken, which is D at pin no 9 and the output was connected to the OR gate of pin no 4 later on. Lastly, at pin no 5 the output of pin no 3 was connected through a wire, which gave us the final output at pin no 6.



Results.

Truth table.

1. Given

$$F(A, B, C, D) = \sum(1, 3, 9, 10, 11, 13, 15)$$

| A | B | C | D | B' | $AD + B'D + ABC$ |
|---|---|---|---|----|------------------|
| 0 | 0 | 0 | 0 | 1  | 0                |
| 0 | 0 | 0 | 1 | 1  | 1                |
| 0 | 0 | 1 | 0 | 1  | 0                |
| 0 | 0 | 1 | 1 | 1  | 1                |
| 0 | 1 | 0 | 0 | 0  | 0                |
| 0 | 1 | 0 | 1 | 0  | 0                |
| 0 | 1 | 1 | 0 | 0  | 0                |
| 0 | 1 | 1 | 1 | 0  | 0                |
| 1 | 0 | 0 | 0 | 1  | 0                |
| 1 | 0 | 0 | 1 | 1  | 1                |
| 1 | 0 | 1 | 0 | 1  | 0                |
| 1 | 0 | 1 | 1 | 1  | 1                |
| 1 | 1 | 0 | 0 | 0  | 0                |
| 1 | 1 | 0 | 1 | 0  | 1                |
| 1 | 1 | 1 | 0 | 0  | 0                |
| 1 | 1 | 1 | 1 | 0  | 1                |

Kmap:

|         | CD | C'D' | C'D | CD | C'D' |
|---------|----|------|-----|----|------|
| AB      | 00 | 01   | 11  | 10 |      |
| A'B' 00 | 1  | 1    | 1   |    | m2   |
| A'B 01  |    |      |     |    | m6   |
| AB 11   |    | 1    | 1   |    | m14  |
| A'B' 10 |    | 1    | 1   | 1  | m10  |

2. Given,

$$F(A, B, C, D) = \Sigma(1, 4, 15) + d(3, 5, 7, 12, 13, 14)$$

① Truth table

| A | B | C | D | A' | C' | $AB + BC' + AD$ |
|---|---|---|---|----|----|-----------------|
| 0 | 0 | 0 | 0 | 1  | 1  | 0               |
| 0 | 0 | 0 | 1 | 1  | 1  | 1               |
| 0 | 0 | 1 | 0 | 1  | 0  | 0               |
| 0 | 0 | 1 | 1 | 1  | 0  | 1               |
| 0 | 1 | 0 | 0 | 1  | 1  | 1               |
| 0 | 1 | 0 | 1 | 1  | 1  | 1               |
| 0 | 1 | 1 | 0 | 1  | 0  | 0               |
| 0 | 1 | 1 | 1 | 1  | 0  | 1               |
| 1 | 0 | 0 | 0 | 0  | 1  | 0               |
| 1 | 0 | 0 | 1 | 0  | 1  | 0               |
| 1 | 0 | 1 | 0 | 0  | 0  | 0               |
| 1 | 0 | 1 | 1 | 0  | 0  | 0               |
| 1 | 1 | 0 | 0 | 0  | 1  | 1               |
| 1 | 1 | 0 | 1 | 0  | 1  | 1               |
| 1 | 1 | 1 | 0 | 0  | 0  | 1               |
| 1 | 1 | 1 | 1 | 0  | 0  | 1               |



Kmap

| AB \ CD | 00 | 01 | 11 | 10 |
|---------|----|----|----|----|
| AB' 00  | 0  | 1  | X  | 28 |
| AB 01   | 1  | X  | X  | 6  |
| AB 11   | X  | X  | 1  | X  |
| AB' 10  | 8  | 9  | 11 | 10 |

✱

Discussion

from the above truth tables & tables of Kmap we get the equations of our 2 experiments. which are →

1.  $AD + B'D + AB'C$

2.  $AB + BC' + A'D$