

Can Place Flowers

Input: flowerbed = [1, 0, 0, 0, 1]

n = 1

Output: true

Step 1 Find cases below (flowers can be placed in alternative positions where flowerbed[i] = 0)Case 1 flowerbed with all zeros
$$[\underline{0}, \overset{x}{0}, \overset{x}{0}, \overset{x}{0}, \overset{x}{0}, \overset{x}{0}, \overset{x}{0}] \leftarrow 7 \text{ nos} \rightarrow 4(\text{max})$$

$$[\underline{0}, \overset{x}{0}, \overset{x}{0}, \overset{x}{0}, \overset{x}{0}, \overset{x}{0}] \leftarrow 6 \text{ nos} \rightarrow 3(\text{max})$$

$$\text{max} = (\text{length of flowerbed} + 1) / 2$$

Case 2 Leading or Trailing zeros
$$[\underline{0000}, 1, 00000, 1, \underline{00000}]$$

$$4 \text{ nos} \rightarrow 2$$

$$5 \text{ nos} \rightarrow 2$$

$$\text{max} = \frac{\text{count of leading / trailing zeros}}{2}$$

Case 3 Middle zeros
$$[0000, 1, \underline{0000}, 1, 00000]$$

$$[0000, 1, \underline{0000}, 1, 00000]$$

$$5 \text{ nos} \rightarrow 2$$

$$4 \text{ nos} \rightarrow 1$$

$$\text{max} = \frac{C - 1}{2}$$

Step 2 $\text{int } fi = -1$ ← 1st 1 encountered
 $\text{int } li = -1$ ← last 1 encountered
 $\text{int } max = 0$

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for (int i=0; i < flowerbed.length; i++) {
    if (flowerbed[i] == 1) {
        if (fi == -1) {
            fi = i; li = i;
        }
        else {
            li = i;
        }
    }
}
```

Step 3 If flowerbed has all zeros then $fi = -1$ still

So, if ($fi == -1$)
 ~~return~~ $(flowerbed.length + 1) / 2$;
 $max =$

Step 4

For leading & trailing zeros;

$max \pm (fi/2) + (flowerbed.length - 1 - li)/2$;

Step 5 For middle zeros

$\text{int } count = 0$;
 for (int i = fi+1; i < li; i++) {

 if (flowerbed[i] == 0) {

 count ++;

 }

 else {

$max \pm (count - 1) / 2$;

 count = 0;

 }

}

// reset count for next
 middle zeros after
 1 is encountered

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Step 6

Since for last 1 & middle zero's loop
could have exhausted

if (count > 0) {

max = (count + 1) / 2;

Step 7

Return n <= max;