

### Exercise 1B.1

While visiting the Three Bears' house, Goldilocks finds three bowls of porridge. Upon tasting a bowl she will declare it either Too Hot, Too Cold, or Just Right. How many possible outcomes are there?

### Exercise 1B.2

We have 4 imaging modalities available for diagnosing a brain tumor: CT, MRI, MRS, PET.

- (a) If all four modalities have to be used, in how many different orders can the physician request them?
  
  
  
  
  
  
  
  
  
  
- (b) Suppose that only three modalities are used and if they all agree, the patient will be considered positive for a brain tumor. How many different combinations of the three chosen modalities can the physician use?
  
  
  
  
  
  
  
  
  
  
- (c) How many different sequences (orderings) of three modalities could the physician order?

**Exercise 1B.3**

A pair of (standard, six-sided) dice are rolled. Let  $A$  be the event that the first die is a 6 and  $B$  be the event that the second die is a 6.

(a) Calculate  $P(A \cap B)$ .

(b) Calculate  $P(A \cup B)$ .

## Exercise 1B.4

A social scientist is recruiting adults who have either diabetes or asthma to participate in a pilot study investigating strategies for managing chronic disease. She will cold-call adults in Columbus, Ohio to recruit study subjects. In Ohio, 6.8% of adults have asthma, 10.5% of adults have diabetes, and 0.8% of adults have both.

- (a) What is the probability that a randomly called adult will be eligible for her study?

### Exercise 1B.5

Suppose there are two tests for a disease, test G and test H. In the whole population, test G gives a positive result 20% of the time and test H gives a positive result 30% of the time. Test G and test H both give a positive result 10% of the time.

(a) What is the probability of either test G or test H being positive?

(b) What is the probability of test G being negative and test H being positive? (A Venn Diagram may be useful. . . )

### Exercise 1B.6

CHALLENGE: In Texas Hold 'Em poker, each player makes the strongest hand he can with 5 cards.

Strength of the hand is based on the probability of that specific combination of 5 cards. How likely is four of a kind? ("four of a kind" = 4 cards all the same #, plus 1 other card) Note that there are 52 cards in a standard deck.