Fairness in Machine Learning and Al

Romain Couillet romain.couillet@gipsa-lab.grenoble-inp.fr GIPSA-lab, University Grenoble-Alps

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Motivation and basic concepts

Fairness: law and ethics

How machines learn to discriminate

Formalizing fairness in machine learning

Case study: loan granting

Conclusion...well, partial

Outline

Motivation and basic concepts

The new era of machine learning:

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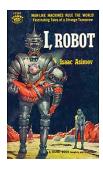
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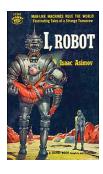
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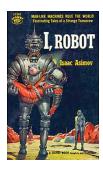


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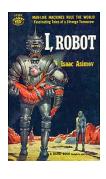
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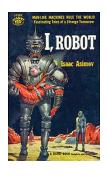
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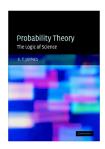
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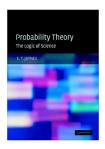


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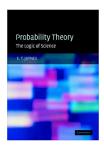
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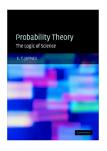


Probability Theory: the Logic of Science: In 2003, Jaynes theorizes plausible reasoning

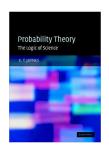
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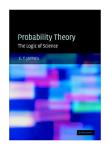
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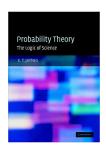


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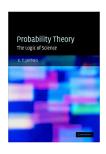
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Consequence: open door to unfair decisions, uncontrollable behavior, unseen biases.

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- inequity of information access in minority populations.

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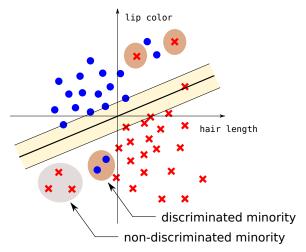
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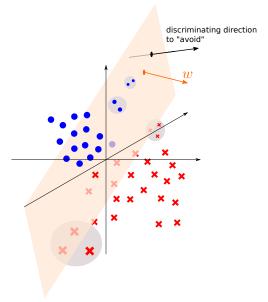
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Under SVM formulation: in best effort strategy, minority groups excluded from optimization



Under SVM formulation: possible counter-measure: force separating hyperplane against discriminating directions?



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- 2. recent mathematical formalization on basic proba/information theory grounds
- 3. we will exhibit three "laws of fairness AI" under the form of desiderata
- 4. Big problem: three desiderata mutually incompatible!

 \ldots incomplete conclusion \ldots : as future AI engineers, you will be the ambassadors of a fair AI



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- in itself an ethical problem:
 - admit existence of minorities
 - treat minorities differently

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- data labelled and selected (even passively) by people.
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Two legal difficulties:

 $\text{discriminating data} \qquad \Leftrightarrow \qquad \text{disparate treatment}$

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- plaintiff may retort: live tests with modern construction site equipment has same effect, but is less discriminating.

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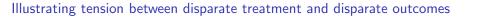
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Consequence: Tension between disparate treatment and disparate outcomes!



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- 3. white people in turn complain: job chances have become unequal!

Outline

How machines learn to discriminate

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- 3. the data feed the machine for further evaluation and decision-making, creating a vicious cycle.

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- change of decision making: how did they do in previous jobs?
- but still limited: exploits previous managers' biases

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- quality of information: average education level to answer polls, absence of answers when inappropriate

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Example: in unsupervised learning, are features isolating

groups of good vs. bad workers?

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- how to enforce orthogonality to unwanted features?

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- even if data perfect, coping with observed differences in performance: sample size disparity, limited features
- understand causes of disparities: identify and eliminate proxies (correlated features).

Outline

Formalizing fairness in machine learning

Probabilistic setup: (e.g., advertisement display for Software Engineer job position)

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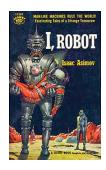
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 - → e.g., Bayes' optimal score for quadratic loss (MMSE):

$$R_{\text{Bayes}} = \mathbb{E}[Y|X=x, A=a].$$

The three desiderata



- Law 1. Independence (also called demographic parity)
- Law 2. Separation (also called predictive value parity)
- Law 3. Sufficiency.



Law 1. Independence (also called demographic parity)

Law 2. Separation (also called predictive value parity)

Law 3. Sufficiency.

Question: How would the "Al robot" apply the fairness rules?

Law 1. Independence: (also called demographic parity)

 $\hat{Y} \perp A$

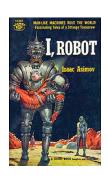


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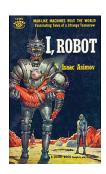
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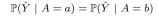
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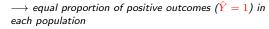


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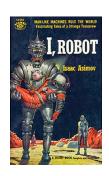
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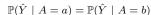
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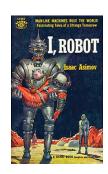
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- ► ε-variants:

$$\frac{\mathbb{P}(\hat{Y} = 1 \mid A = a)}{\mathbb{P}(\hat{Y} = 1 \mid A = b)} \ge 1 - \varepsilon.$$

or

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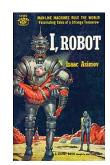
- equal average output in each sensitive category
- ► Example: parity in juries, parity in companies (as many women as men)
- ► ε-variants:

$$\frac{\mathbb{P}(\hat{Y} = 1 \mid A = a)}{\mathbb{P}(\hat{Y} = 1 \mid A = b)} \ge 1 - \varepsilon.$$

or

$$|\mathbb{P}(\hat{Y} = 1 \mid A = a) - \mathbb{P}(\hat{Y} = 1 \mid A = b)| < \varepsilon$$

e.g., the 20% discrimination rule!



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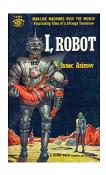
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- promotes algorithm laziness!

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$$R \perp A \mid Y$$

(reminder: R = r(X, A) = r(X, A) is the "soft score")

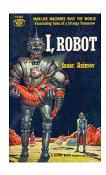


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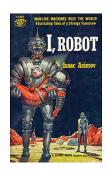
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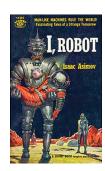
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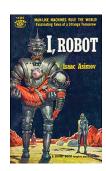
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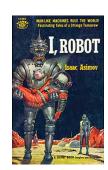
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(i.e., Y "sits" between A and R.)



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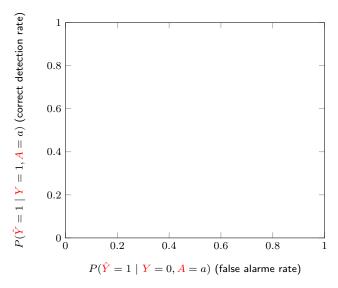
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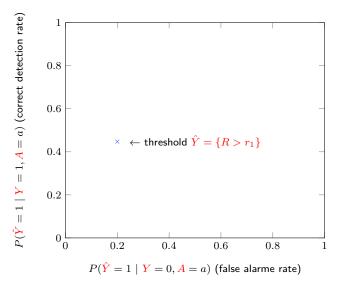
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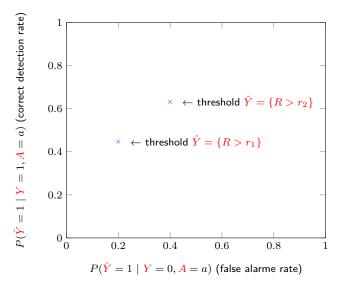
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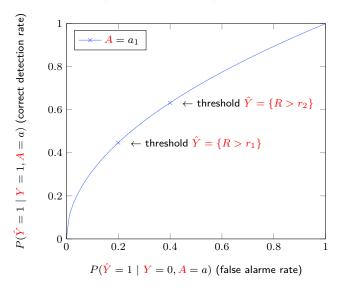
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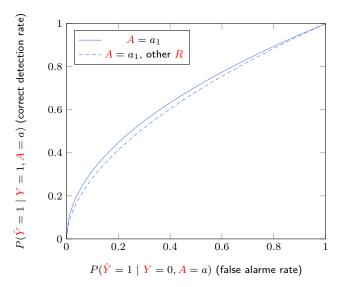
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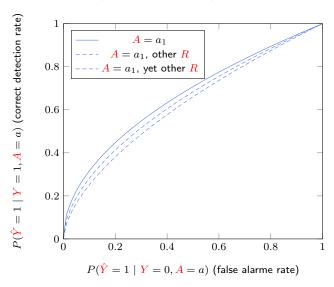


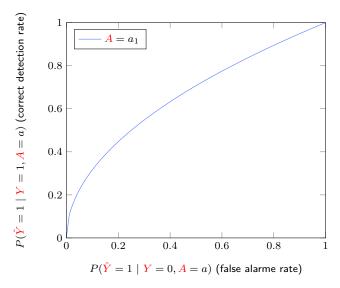


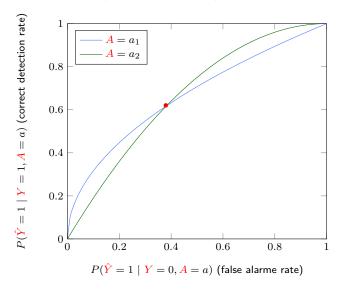


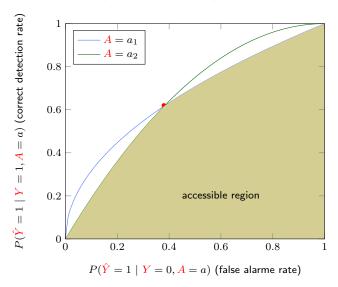


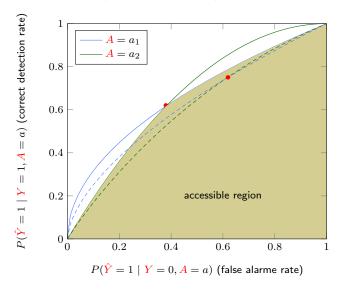












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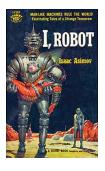
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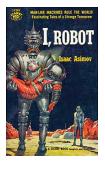


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(i.e., Y "sits" between A and R.)

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sufficiency implied by group-wise calibration:

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 \blacktriangleright since cross-entropy loss unknown, calibration performed on training dataset $\{(y_i,r_i)\}_{i=1}^n$:

$$\min_{\alpha,\beta} - \sum_{i=1}^n y_i \log s_i + (1-y_i) \log (1-s_i) \quad \text{where} \quad s_i = \frac{1}{1+\exp(\alpha r_i + \beta)}.$$

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- ▶ more philosophically: is fairness accessible to mathematics, and thus machines?

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So, conversely, if $R \perp A$ (independence), then $Y \not\perp A \mid R$ (not sufficiency) or $Y \perp A$ (trivial case).

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So, conversely, separation and sufficiency imply $A \perp Y$ which is forbidden (trivial setting).

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Outline

Case study: loan granting

Borrowed from:

https://research.google.com/bigpicture/attacking-discrimination-in-ml/

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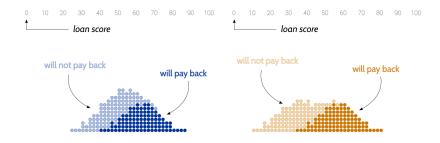
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Output for the bank:

- successful loan: \$300,
- ▶ unsuccessful loan: -\$700.
- credit score in (0, 100).

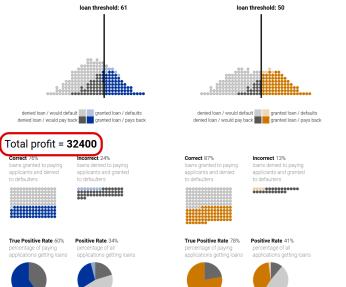
Populations and credit score:



Profit: 12100

No fairness case: max profit for bank (assuming bank knows statistics)

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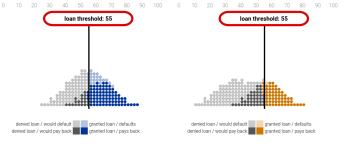
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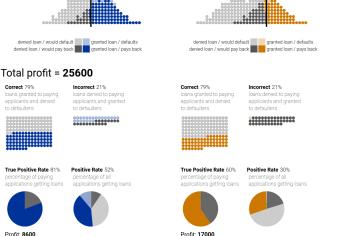
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"The most profitable, since there are no constraints"

Group unaware case: max profit by considering all groups as one (unique threshold r_0)



Total profit = 25600





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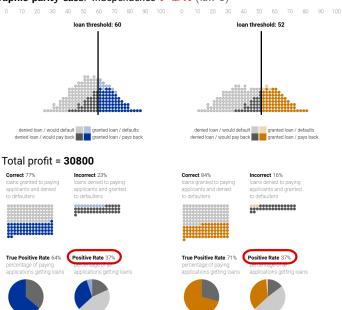
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"Both groups have the same threshold"

Profit: 11900

Demographic parity case: Independence $\hat{Y} \perp A$ (law 1)



Profit: 18900

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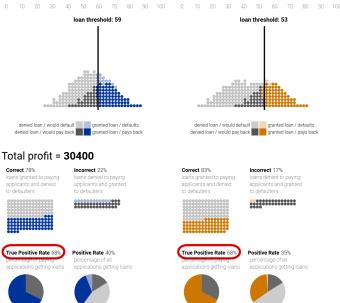
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"The number of loans given to each group is the same"

Profit: 11700

Equal opportunity case: Separation $R \perp A \mid Y$ (law 2)



Profit: 18700

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[&]quot;Among people who would pay back a loan, blue and orange groups do equally well"

Outline

 $Conclusion \dots well, \ partial!$

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mathematicians used to be physicists and philosophers until each field got too complex what about AI and ethics? should we (as AI experts) become philosophers again?