Elec 4700

Precious usoroh

101031041

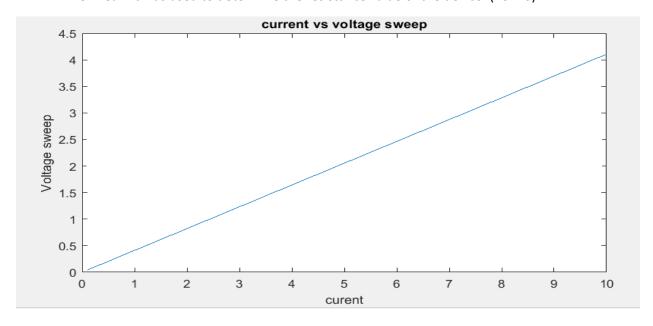
Assignment 4

Question:1

C and G matrix

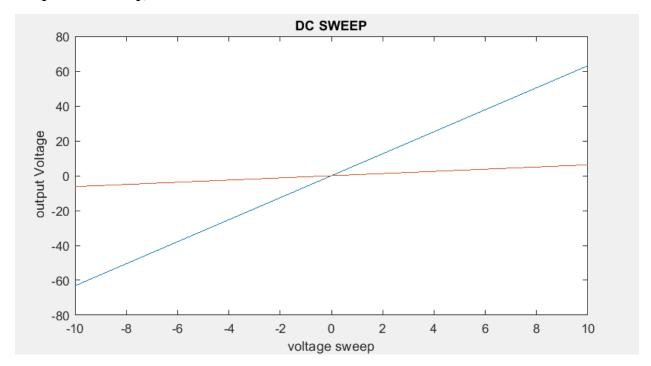
	C ★								
	⊞ 6x6 double								
	1	2	3	4	5	6			
1	0	0	0	0	0	0			
2	-0.2500	0.2500	0	0	0	0			
3	0	0	0	0	0	0			
4	0	0	0	0	0	0			
5	0	0	0	0	0	0			
6	0	0	0	0	0	0.2000			
	G 🗶								
	6x6 double								
	1	2	3	4	5	6			
1	1	0	0	0	0	0			
2	-1	1.5000	0	0	0	-1			
3	0	0	0.1000	0	0	1			
4	0	0	-10	1	0	0			
5	0	0	0	-0.1000	0.0990	0			
6	0	1	-1	0	0	0			

The linear fit was used to determine the resistance value of the device. (R3=10)



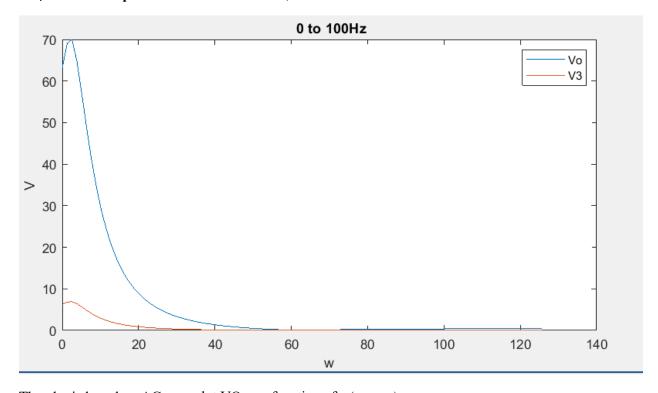
The current vs voltage sweep plot is the average current at each voltage.

B: (plot of Dc sweep)

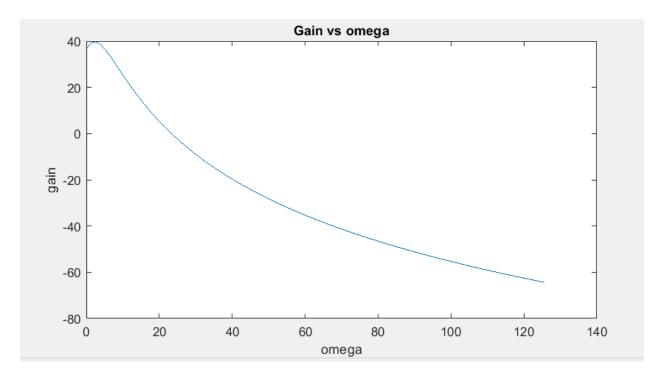


The plot was gotten by performing a voltage sweep of the device from $0.1\ V$ to $10\ V$

C: (The AC case plot VO as a function of ω)

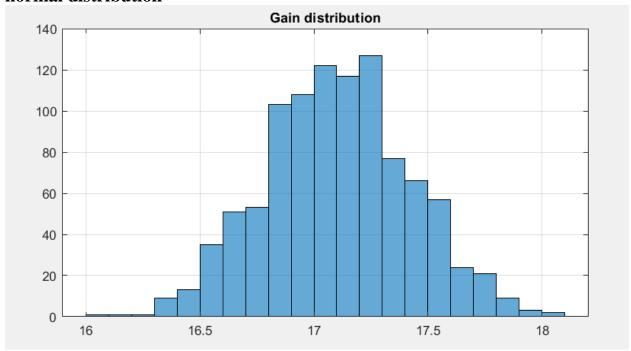


The plot is based on AC case plot VO as a function of ω (omega).



This plot is an AC case plot where the gain is a function of random perturbations on C

The case plot the gain as function of random perturbations on C using a normal distribution

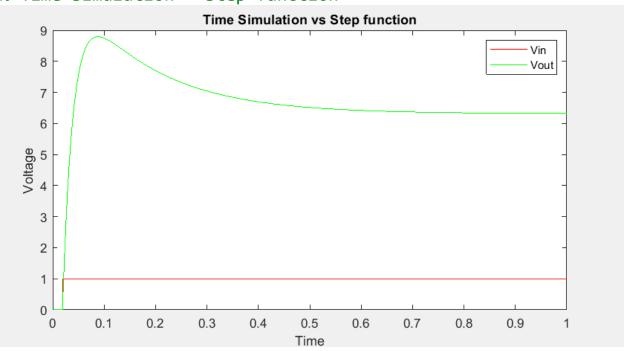


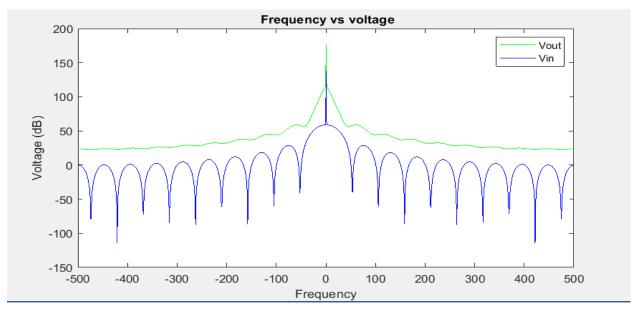
Question:4

This part focus was based on determining the transient response of the same circuit.

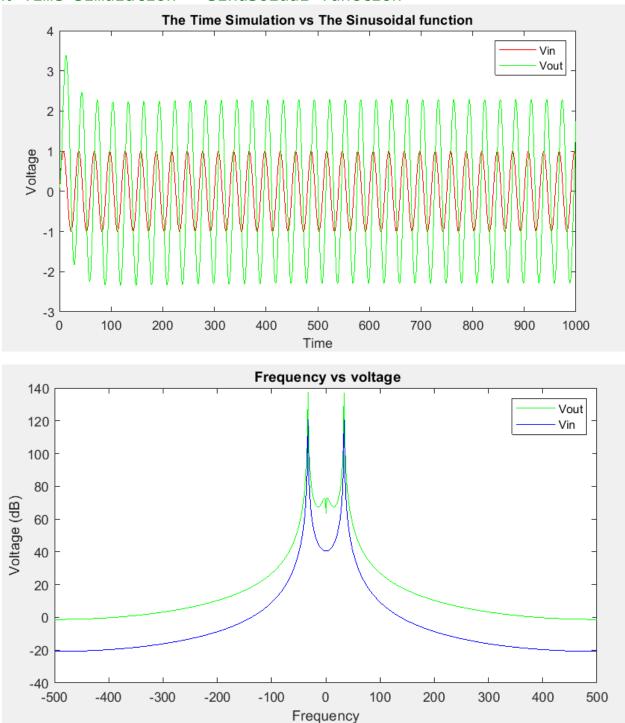
- a.) it is a low pass filter
- b.) Basically, the frequency response is expected to cut off the high frequencies, then the low frequencies will then go through.

% Time simulation - step function



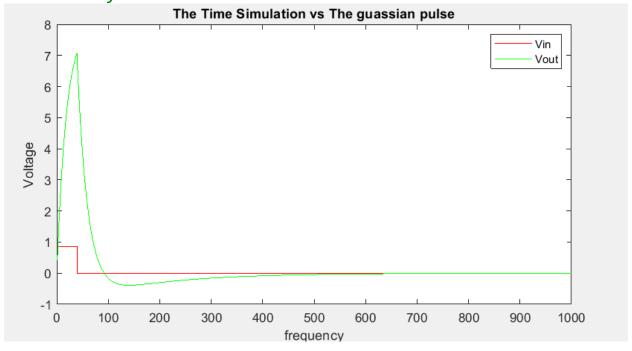


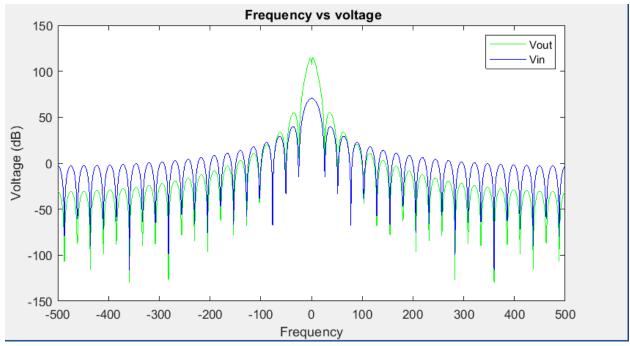
% Time simulation - sinusoidal function



Based on the plot above when the frequency was lower it resulted to a larger period of the sine response. At the peak of the plot the frequency was approximately 33 Hz

% A guassian pulse with a magnitude of 1, std dev. of 0.03s and a delay of 0.06s.

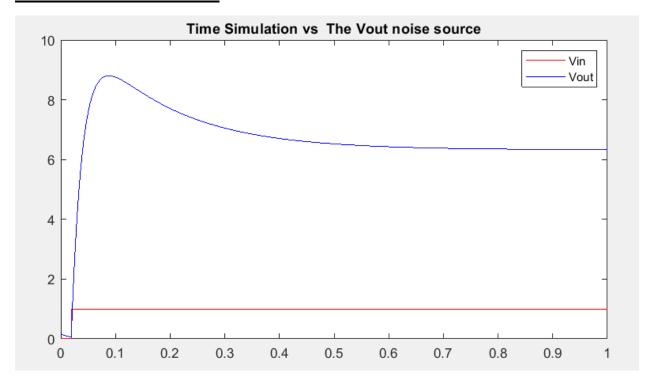


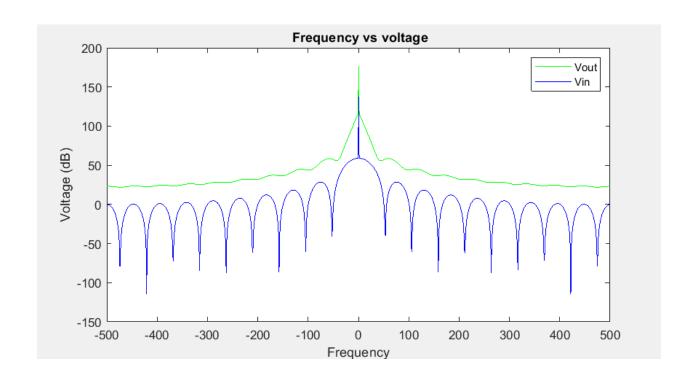


PART2

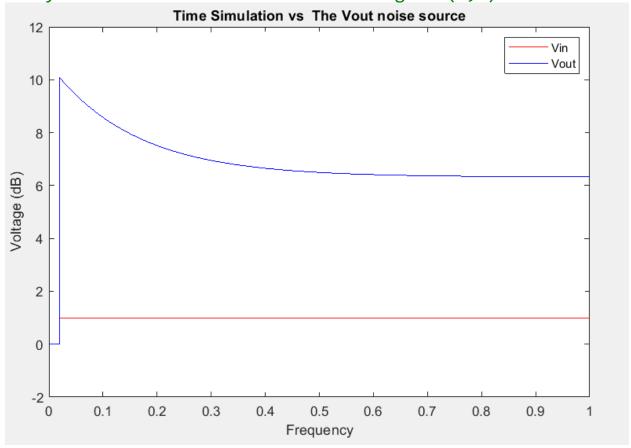
	C ×								
	⊞ 6x6 double								
	1	2	3	4	5	6			
1	0	0	0	0	0	0			
2	-0.2500	0.2500	0	0	0	0			
3	0	0	0	0	0	0			
4	0	0	0	0	0	0			
5	0	0	0	0	0	0			
6	0	0	0	0	0	1.0000e-04			

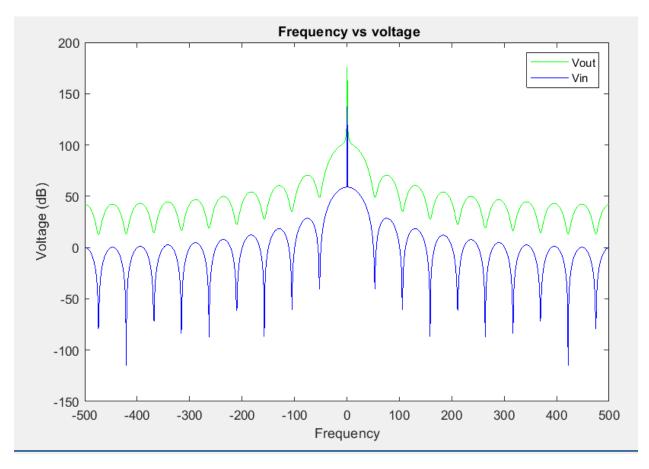
Plot of Vout with noise source



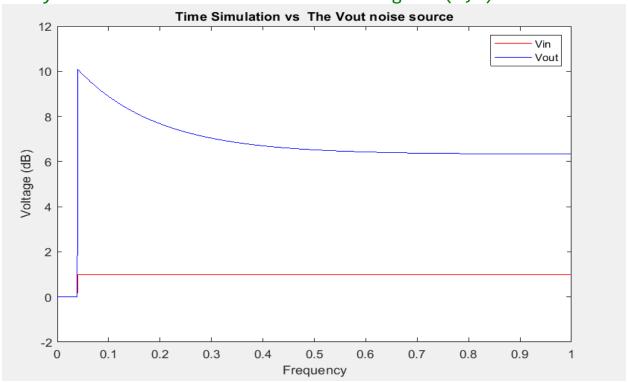


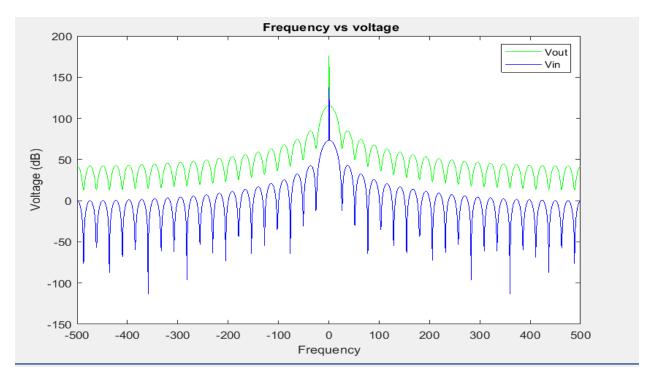
%vary Cn to see how the bandwidth changes C(6,6) = 1e-10



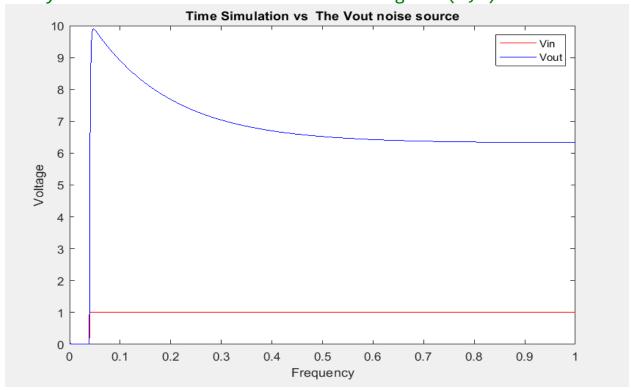


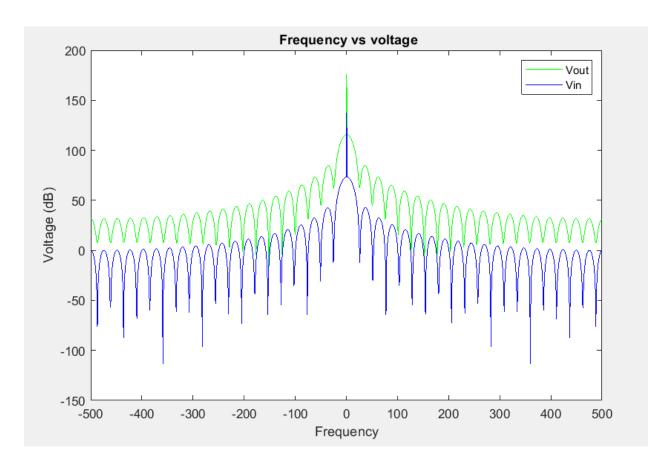
%vary Cn to see how the bandwidth changes C(6,6) = 1e-7





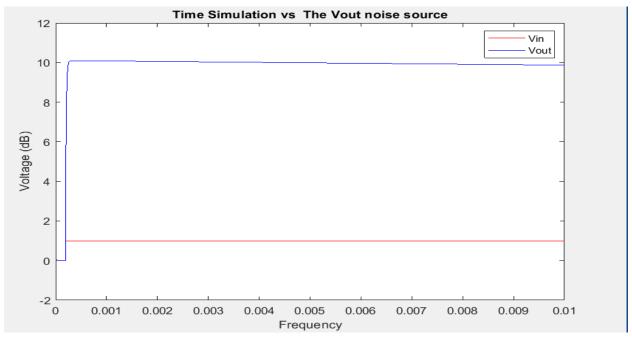
%vary Cn to see how the bandwidth changes C(6,6) = 1e-2

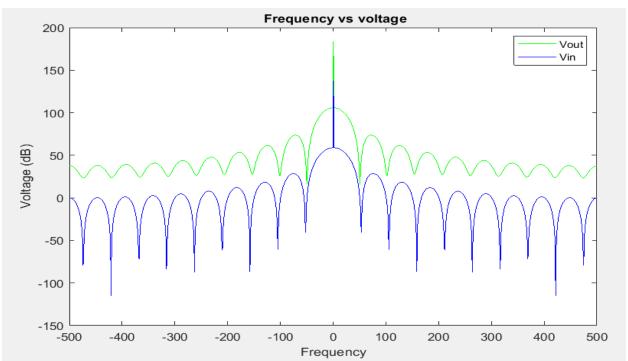




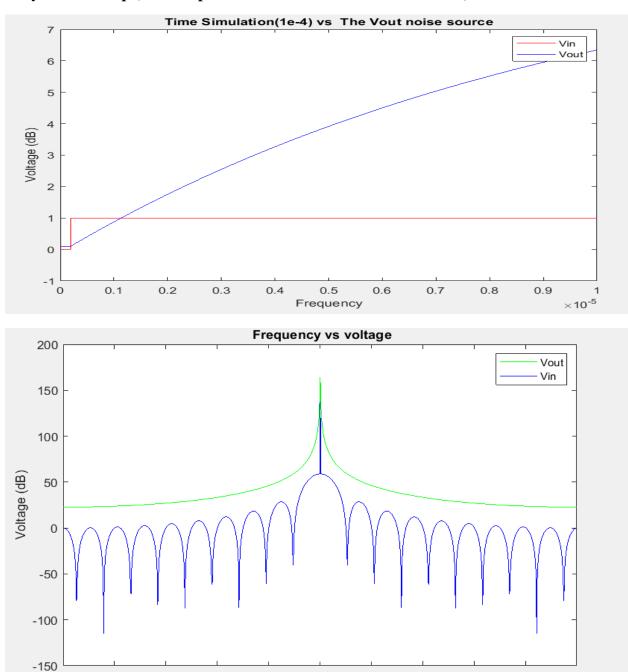
Based on the plots(vary Cn to see how the bandwidth changes) above as cn gets larger the bandwidth tends to get smaller.

Vary the time step (Time step increased from 1000 to 100000)





Vary the time step (Time step increased from 100000t to 100000000)



Based on the plot(Vary the time step) as the time step is increased the simulation correctness decreases.

0

Frequency

100

200

300

400

500

-500

-400

-300

-200

-100

Question:6

Addition of another matrix to represent the non-linear elements. "B(V)" a non-linear vector will be added. This addition makes the system to be nonlinear, newton Raphson numerical method will come in useful. Also, backwards Euler implementation can be used.

MATLAB CODE(PART1)

```
%% Part 1
%
clearvars
clearvars -GLOBAL
close all
set(0, 'DefaultFigureWindowStyle', 'docked')
meshsizex = 6;
meshsizey = 6;
vinlow = 0.1;
vinhigh = 10;
% Components
Cap = 0.25;
R1 = 1;
R2 = 2;
L = 0.2;
R3 = 10;
alpha = 100;
R4 = 0.1;
Ro = 1000;
omg = 10;
% C Matrix
%C=zeros(6,6);
C = zeros(meshsizex,meshsizey);
C(2,1) = -Cap;
C(2,2) = Cap;
C(6,6) = L;
% G Matrix
```

```
G = zeros (meshsizex, meshsizey);
G(1,1) = 1;
G(2,1) = -1/R1;
G(2,2) = (1/R1) + (1/R2);
G(2,6) = -1;
G(3,3) = 1/R3;
G(3,6) = 1;
G(4,3) = -alpha/R3;
G(4,4) = 1;
G(5,4) = -R4;
G(5,5) = R4 - (1/R0);
G(6,2) = 1;
G(6,3) = -1;
%%
% The C and G matrix
С;
G;
%%
F=zeros(6,1);
Vv1 = zeros(10,1);
Vv2 = zeros(100,1);
gain = zeros(10,1);
vin = linspace(-10,10,100);
for i=1:100
   %F(6) = i;
   F(1) = vin(i);
   V=G\F;
   Vv1(i) = V(5);
   Vv2(i) = V(3);
end
figure (1)
plot(vin, Vv1)
title('DC SWEEP');
xlabel('voltage sweep');
ylabel(' output Voltage');
hold on
plot(vin, Vv2)
```

```
%THE AC
Vv1 = zeros(10,1);
Vv2 = zeros(100,1);
step=100;
omg = 2*pi*linspace(0,20,step);
for i=1:100
omg =2*pi*linspace(0,20,step);
F(1) = vin(i);
s=i*omg(i);
    x = G + (s.*C);
    V = x \setminus F;
     Vv1(i) = V(5);
    Vv2(i) = V(3);
     gain(i) = 20 * log(abs(Vv1(i))/abs(V(1)));
end
figure (2)
plot (omg,abs(Vv1))
title(' 0 to 100Hz');
hold on;
figure (2)
plot(omg,abs(Vv2))
legend('Vo', 'V3');
xlabel('w');
ylabel('V');
figure(3)
plot(omg, gain);
title('Gain vs omega');
xlabel('omega');
ylabel('gain');
s = 1i*pi;
%C case plot the gain as function of random perturbations on
C using a normal distribution
for i = 1:1000
```

```
randomcap = Cap + 0.05*randn(); % random perturbations
on C
    C(2, 1) = randomcap;
    C(2, 2) = -randomcap;
    C(6, 6) = L;
    H = G + (s.*C);
    V = H \setminus F;
    Vv1(i) = abs(V(5));
    gain(i) = 20*log10(abs(Vv1(i))/abs(V(1)));
end
figure(4)
histogram(gain)
title('Gain distribution');
grid on
% C dV/dt + GV = F
% C*(V i - V (i-1))/delta t + G*V i = F
% (C/delta t + G) * V_i + C/delta t*V_(i-1) = F
% C/delta t * V (i-1) - F = (C/delta t + G)*V i
% (C/delta t + G) \setminus (C/delta t * V (i-1) - F) = V i <-
Simtime = 1;
numSteps = 1000;
deltaT = Simtime/numSteps;
% H vector
% C Matrix
%C=zeros(6,6);
C = zeros(meshsizex,meshsizey);
C(2,1) = -Cap;
C(2,2) = Cap;
C(6,6) = L;
H = (C./deltaT) + G;
```

```
V = zeros(6,1);
Vp = V;
% F vector
F = zeros(1,6);
Vv1 = zeros(10,1);
Vv2 = zeros(100,1);
% Time simulation - step function
newtime = linspace(1,numSteps,numSteps);
for i = 1:numSteps
    % F vector
    if (i == 20)
        F(1) = 1;
    end
    newtime(i) = i*deltaT;
    V = H \setminus (((C * Vp)./deltaT) + F');
    Vv1(i) = V(1);
    Vv2(i) = V(5);
    Vp = V;
end
 figure(5)
   plot(newtime, Vv1, '-r');
    hold on
   plot(newtime, Vv2, 'g');
pause(0.01);
legend('Vin', 'Vout');
title('Time Simulation vs Step function');
xlabel('Time');
vlabel('Voltage');
```

```
figure(6)
plot(linspace(-
500,500,1000),fftshift(20*log(abs(fft(Vv2)))),'-g');
hold on
plot(linspace(-
500,500,1000),fftshift(20*log(abs(fft(Vv1)))),'-b');
legend('Vout', 'Vin');
xlabel('Frequency');
ylabel('Voltage (dB)');
title(' Frequency vs voltage');
% Time simulation - sinusoidal function
Simtime = 1;
numSteps = 1000;
deltaT = Simtime/numSteps;
% H vector
H = (C./deltaT) + G;
Vv1 = zeros(10,1);
Vv2 = zeros(100,1);
Vp = zeros(6,1);
newtime = linspace(1,numSteps,numSteps);
for i = 1:numSteps
    % F vector
    F(1) = \sin(2 * pi * (1/0.03) * newtime(i) * deltaT);
    V = H \setminus (((C * Vp)./deltaT) + F');
   Vv1(i) = V(1);
   Vv2(i) = V(5);
    Vp = V;
end
```

```
figure(7)
    plot(newtime, Vv1, 'r');
    hold on
   plot(newtime, Vv2, 'g');
pause(0.01);
legend('Vin', 'Vout');
title('Time Simulation vs Step function');
xlabel('Time');
ylabel('Voltage');
legend('Vin', 'Vout');
title('The Time Simulation vs The Sinusoidal function');
xlabel('Time');
ylabel('Voltage');
figure(8)
plot(linspace(-
500,500,1000),fftshift(20*log(abs(fft(Vv2)))),'g');
hold on
plot(linspace(-
500,500,1000),fftshift(20*log(abs(fft(Vv1)))),'b');
legend('Vout', 'Vin');
xlabel('Frequency');
ylabel('Voltage (dB)');
title(' Frequency vs voltage');
% plot(ti,g)
% g = \exp(-(ti-0.3).^2/0.1^2)
%A guassian pulse with a magnitude of 1, std dev. of 0.03s
and a delay of 0.06s.
Simtime = 1;
numSteps = 1000;
deltaT = Simtime/numSteps;
% H vector
H = (C./deltaT) + G;
Vv1 = zeros(10,1);
```

```
Vv2 = zeros(100,1);
Vp = zeros(6,1);
gp=sin(2*pi*0.03)*exp(-(newtime-0.06-0.5).^2/(2*0.03^2));
newtime = linspace(1,numSteps,numSteps);
for i = 1:numSteps
    % F vector
    if (i == 40)
        F(1) = gp(i);
    end
    V = H \setminus (((C * Vp)./deltaT) + F');
   Vv1(i) = V(1);
   Vv2(i) = V(5);
    Vp = V;
end
 figure(9)
    plot(newtime, Vv1, 'r');
    hold on
   plot(newtime, Vv2, 'g');
pause(0.01);
legend('Vin', 'Vout');
title('Time Simulation vs guassian pulse');
xlabel('Time');
ylabel('Voltage');
legend('Vin', 'Vout');
title('The Time Simulation vs The guassian pulse');
xlabel('frequency');
ylabel('Voltage');
figure(10)
```

```
plot(linspace(-
500,500,1000),fftshift(20*log(abs(fft(Vv2)))),'g');
hold on
plot(linspace(-
500,500,1000),fftshift(20*log(abs(fft(Vv1)))),'b');
legend('Vout', 'Vin');
xlabel('Frequency');
ylabel('Voltage (dB)');
title(' Frequency vs voltage');
```

MATLAB CODE(PART2)

```
clearvars
clearvars -GLOBAL
close all
set(0, 'DefaultFigureWindowStyle', 'docked')
meshsizex = 6;
meshsizey = 6;
% Voltage Range
Vmin = 0.1;
Vmax = 10;
% Components
Cap = 0.25;
R1 = 1;
R2 = 2;
L = 0.2;
% R3 = R3finder(Vmin, Vmax, 20);
R3 = 10;
alpha = 100;
R4 = 0.1;
Ro = 1000;
omg = 10;
```

```
% Noise components
In = 0.001;
Cn = 0.00001;
% C Matrix
C = zeros(meshsizex,meshsizey);
C(2,1) = -Cap;
C(2,2) = Cap;
C(3,3) = Cn;
C(6,6) = L;
% G Matrix
G = zeros (meshsizex, meshsizey);
G(1,1) = 1;
G(2,1) = -1/R1;
G(2,2) = (1/R1) + (1/R2);
G(2,6) = -1;
G(3,3) = 1/R3;
G(3,6) = 1;
G(4,3) = -alpha/R3;
G(4,4) = 1;
G(5,4) = -R4;
G(5,5) = R4 - (1/R0);
G(6,2) = 1;
G(6,3) = -1;\%
% (a) Updated C and G matrices
С;
G;
Simtime = 1;
numSteps = 1000;
deltaT = Simtime/numSteps;
% H vector
H = (C./deltaT) + G;
V = zeros(6,1);
Vp = V;
```

```
% F vector
F = zeros(1,6);
%F(3)=In;
 F(3) = In*randn();
Vv1 = zeros(10,1);
Vv2 = zeros(100,1);
newtime = linspace(1,numSteps,numSteps);
for i = 1:numSteps
    % F vector
    if (i == 20)
        F(1) = 1;
    end
    newtime(i) = i*deltaT;
    V = H \setminus (((C * Vp)./deltaT) + F');
    Vv1(i) = V(1);
    Vv2(i) = V(5);
    Vp = V;
end
 figure(1)
  plot(newtime, Vv1, '-r');
    hold on
   plot(newtime, Vv2, '-b');
pause(0.01);
legend('Vin', 'Vout');
title('Time Simulation vs The Vout noise source');
figure(2)
plot(linspace(-
500,500,1000),fftshift(20*log(abs(fft(Vv2)))),'-g');
hold on
plot(linspace(-
500,500,1000),fftshift(20*log(abs(fft(Vv1)))),'-b');
```

```
legend('Vout', 'Vin');
xlabel('Frequency');
ylabel('Voltage (dB)');
title(' Frequency vs voltage');
%vary Cn to see how the bandwidth changes C(6,6) = 1e-10
C = zeros(meshsizex,meshsizey);
C(2,1) = -Cap;
C(2,2) = Cap;
C(6,6) = 1e-20;
Simtime = 1;
numSteps = 1000;
deltaT = Simtime/numSteps;
% H vector
H = (C./deltaT) + G;
V = zeros(6,1);
Vp = V;
% F vector
F = zeros(1,6);
F(3)=In;
%F(3) = In*randn();
Vv1 = zeros(10,1);
Vv2 = zeros(100,1);
newtime = linspace(1,numSteps,numSteps);
for i = 1:numSteps
    % F vector
    if (i == 20)
        F(1) = 1;
    end
    newtime(i) = i*deltaT;
    V = H \setminus (((C * Vp)./deltaT) + F');
```

```
Vv1(i) = V(1);
    Vv2(i) = V(5);
    Vp = V;
end
 figure(3)
  plot(newtime, Vv1, '-r');
    hold on
   plot(newtime, Vv2, '-b');
pause(0.01);
legend('Vin', 'Vout');
xlabel('Frequency');
ylabel('Voltage (dB)');
title('Time Simulation vs The Vout noise source');
figure(4)
plot(linspace(-
500,500,1000),fftshift(20*log(abs(fft(Vv2)))),'-g');
hold on
plot(linspace(-
500,500,1000),fftshift(20*log(abs(fft(Vv1)))),'-b');
legend('Vout', 'Vin');
xlabel('Frequency');
ylabel('Voltage (dB)');
title(' Frequency vs voltage');
%vary Cn to see how the bandwidth changes C(6,6) = 1e-7
C(6,6) = 1e-7;
Simtime = 1;
numSteps = 1000;
deltaT = Simtime/numSteps;
% H vector
H = (C./deltaT) + G;
V = zeros(6,1);
```

```
Vp = V;
% F vector
F = zeros(1,6);
F(3)=In;
%F(3) = In*randn();
Vv1 = zeros(10,1);
Vv2 = zeros(100,1);
newtime = linspace(1,numSteps,numSteps);
for i = 1:numSteps
    % F vector
    if (i == 40)
        F(1) = 1;
    end
    newtime(i) = i*deltaT;
    V = H\setminus(((C * Vp)./deltaT) + F');
    Vv1(i) = V(1);
    Vv2(i) = V(5);
    Vp = V;
end
 figure(5)
  plot(newtime, Vv1, 'r');
    hold on
   plot(newtime, Vv2, 'b');
pause(0.01);
legend('Vin', 'Vout');
xlabel('Frequency');
ylabel('Voltage (dB)');
title('Time Simulation vs The Vout noise source');
figure(6)
```

```
plot(linspace(-
500,500,1000),fftshift(20*log(abs(fft(Vv2)))),'g');
hold on
plot(linspace(-
500,500,1000),fftshift(20*log(abs(fft(Vv1)))),'b');
legend('Vout', 'Vin');
xlabel('Frequency');
ylabel('Voltage (dB)');
title(' Frequency vs voltage');
%vary Cn to see how the bandwidth changes C(6,6) = 1e-2
C(6,6) = 1e-2;
Simtime = 1;
numSteps = 1000;
deltaT = Simtime/numSteps;
% H vector
H = (C./deltaT) + G;
V = zeros(6,1);
Vp = V;
% F vector
F = zeros(1,6);
F(3)=In;
%F(3) = In*randn();
Vv1 = zeros(10,1);
Vv2 = zeros(100,1);
newtime = linspace(1,numSteps,numSteps);
for i = 1:numSteps
    % F vector
    if (i == 40)
        F(1) = 1;
    end
    newtime(i) = i*deltaT;
```

```
V = H \setminus (((C * Vp)./deltaT) + F');
    Vv1(i) = V(1);
    Vv2(i) = V(5);
    Vp = V;
end
 figure(8)
  plot(newtime, Vv1, 'r');
    hold on
   plot(newtime, Vv2, 'b');
pause(0.01);
legend('Vin', 'Vout');
xlabel('Frequency');
ylabel('Voltage');
title('Time Simulation vs The Vout noise source');
figure(9)
plot(linspace(-
500,500,1000),fftshift(20*log(abs(fft(Vv2)))),'g');
hold on
plot(linspace(-
500,500,1000),fftshift(20*log(abs(fft(Vv1)))),'b');
legend('Vout', 'Vin');
xlabel('Frequency');
ylabel('Voltage (dB)');
title(' Frequency vs voltage');
%vary the time step
C(6,6) = 1e-4;
% Simtime = 1;
% numSteps = 1000;
% deltaT = Simtime/numSteps;
deltaT=1e-5;
% H vector
H = (C./deltaT) + G;
```

```
V = zeros(6,1);
Vp = V;
% F vector
F = zeros(1,6);
F(3)=In;
%F(3) = In*randn();
Vv1 = zeros(10,1);
Vv2 = zeros(100,1);
newtime = linspace(1,numSteps,numSteps);
for i = 1:numSteps
    % F vector
    if (i == 20)
        F(1) = 1;
    end
    newtime(i) = i*deltaT;
    V = H \setminus (((C * Vp)./deltaT) + F');
    Vv1(i) = V(1);
    Vv2(i) = V(5);
    Vp = V;
end
 figure(10)
  plot(newtime, Vv1, 'r');
    hold on
   plot(newtime, Vv2, 'b');
pause(0.01);
legend('Vin', 'Vout');
xlabel('Frequency');
ylabel('Voltage (dB)');
title('Time Simulation vs The Vout noise source');
figure(11)
```

```
plot(linspace(-
500,500,1000),fftshift(20*log(abs(fft(Vv2)))),'g');
hold on
plot(linspace(-
500,500,1000),fftshift(20*log(abs(fft(Vv1)))),'b');
legend('Vout', 'Vin');
xlabel('Frequency');
ylabel('Voltage (dB)');
title(' Frequency vs voltage');
%vary time
C(6,6) = 1e-4;
% Simtime = 10000;
% numSteps = 1000;
% deltaT = Simtime/numSteps;
deltaT=1e-8;
% H vector
H = (C./deltaT) + G;
V = zeros(6,1);
Vp = V;
% F vector
F = zeros(1,6);
F(3)=In;
%F(3) = In*randn();
Vv1 = zeros(10,1);
Vv2 = zeros(100,1);
newtime = linspace(1,numSteps,numSteps);
for i = 1:numSteps
    % F vector
    if (i == 20)
        F(1) = 1;
    end
    newtime(i) = i*deltaT;
```

```
V = H \setminus (((C * Vp)./deltaT) + F');
    Vv1(i) = V(1);
    Vv2(i) = V(5);
    Vp = V;
end
 figure(12)
  plot(newtime, Vv1, 'r');
    hold on
   plot(newtime, Vv2, 'b');
pause(0.01);
legend('Vin', 'Vout');
xlabel('Frequency');
ylabel('Voltage (dB)');
title('Time Simulation(1e-4) vs The Vout noise source');
figure(13)
plot(linspace(-
500,500,1000),fftshift(20*log(abs(fft(Vv2)))),'g');
hold on
plot(linspace(-
500,500,1000),fftshift(20*log(abs(fft(Vv1)))),'b');
legend('Vout', 'Vin');
xlabel('Frequency');
ylabel('Voltage (dB)');
title(' Frequency vs voltage');
```