Opium Tutorial 5: Iron

Goal: The purpose of this tutorial is to demonstrate the construction of a pseudopotential with a partial core correction.

As in pseudopotentials with semicore orbitals, there are other cases in which it is important to include more than just the valence orbitals in the pseudopotential. Another common example is the inclusion of a *nonlinear* or *partial* core correction.

In a partial core correction, a static core charge is carried along with the pseudopotential. This extra charge reduces errors due to the *descreening* of the exchange-correlation potential. This is often applied to the case of spin-polarized solid-state calculations.

The core charge is termed a partial core correction due to the fact only part of the true core density is included in the pseudopotential. Including all of the core would be prohibitively expensive due to the sharply peaked regions near the nucleus. Therefore, before some cutoff radius (r_{pcc}) the core density is replaced by a smooth density.

Note: If the partial core correction radius is fairly small, additional covergence testing will need to be performed in the target calculation (the FFT mesh may need to be made more dense). Always check the convergence of parameters involving the charge density when including a partial core correction.

Including the partial core correction in OPIUM is quite simple, just add the [pcc] keyblock to the param file and specify (r_{pcc}) and the method to smooth the core.

```
[Atom]
Fe
100 2.00
200 2.00
210 6.00
300 2.00
310 6.00
400 2.00
410 0.00
320 6.00
[Pseudo]
3 2.30 2.30 2.30
opt
[Optinfo]
7.07 10
7.07
      10
7.07
      10
[XC]
lda
[Pcc]
1.2
lfc
```

As shown, the method to smooth the core is that of Louie, Froyen and Cohen[1]. Also avaliable is the method of Fuchs and Scheffler [2](by replacing lfc with fuchs). Let's construct the potential and plot the valence, core and partial core density.

```
%> ./opium fe fe.log ae ps nl plot den
```

As you can see, the large peaks from the core density are smoothed out in the region between r_{pcc} and the nucleus. An acceptable r_{pcc} should be small enough such that there is appreciable overlap between the partial core and the

valence density. But, as the partial core radius is made smaller, the partial density gets more strongly peaked. This increases the cost of faithfully representing the partial core in the target calculation.

Now, we continue with this potential as we have before:

```
%> ./opium fe fe.log ae ps nl tc rpt %> cat fe.rpt
```

.

		Pseudopo	tential	convergence	error		
	Orbital	[mRy/e]	[meV/e]	[mR	y]	[meV]	Ghost
400	0.006122	0.083295	0	.012244	0.166590	no	
410	0.000591	0.008043	3 0	.000000	0.000000	no	
320	0.025927	0.352749	0	. 155559	2.116494	yes	
		Tot. error =		0.167	803 2	2.283084	

320 SHOULD NOT be used as the local potential

NL:	Orbital	Filling	Eigenvalues[Ry]		1	Norm	Ghost
100 210 320	2.000 0.000 6.000	-0.396506 -0.107486 -0.589652	3901	0.7006851926 0.8934619782 0.0623617903	no no no		
======= No ghosts in potential!!======							

 $E_{tot} = -45.6060980561 \text{ Ry}$

.

We see that the convergence error is quite small and that there are no ghosts with the s potential chosen as local. What about the transferability?

```
%> grep AE-NL fe.rpt
```

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. AE-NL:Orbital AE-NL	0	Eigenvalues[mRy]	Norm[1e-3]
AE-NL- 100	1.000	-0.8562223210	-2.4084895280
AE-NL- 210	0.000	0.8665798182	-0.2631166727
AE-NL- 320	7.000	-9.8612973995	1.1613596499
AE-NL- total	error =	11.5840995387	3.8329658506
AE-NL:Orbital	Filling	Eigenvalues[mRy]	Norm[1e-3]
AE-NL			
AE-NL- 100	0.000	3.6487417857	-2.2046999349
AE-NL- 210	0.000	4.6943936295	0.7237461995
AE-NL- 320	8.000	-10.8285874308	-0.4336429834
AE-NL- total	error =	19.1717228460	3.3620891178
AE-NL:Orbital	Filling	Eigenvalues[mRy]	Norm[1e-3]

```
AE-NL- ------
AE-NL- 100
               1.330 -0.8663210293
                                                           -1.7928347865
              0.000
6.670
                                   0.4803426596
                                                          -0.2693273743
AE-NL- 210
                                                       1.0946108182
AE-NL- 320
                                    -6.3801378782
                             7.7268015671
AE-NL- total error =
                                                            3.1567729790
\label{eq:def-matter} \texttt{AE-NL-} \quad \texttt{i} \quad \texttt{j} \qquad \quad \texttt{DD[mRy]} \qquad \quad \texttt{DD[meV]}
AE-NL- -----
AE-NL- 0 1 3.983617 54.199898
AE-NL- 0 2 16.516136 224.713587
AE-NL- 0 3 1.571338 21.379153
AE-NL- 1 2 12.532519 170.513689
AE-NL- 1 3 -2.412279 -32.820745
AE-NL- 2 3 -14.944798 -203.334434
```

The transferability looks adequate, but the cutoff radii are somewhat large (core overlap will occur in the bcc structure). Let's try reducing the core radii:

[Atom] Fe

```
Pseudopotential convergence error
Orbital
            [mRy/e] [meV/e] [mRy]
                                                    [meV]
                                                               Ghost
           0.002336
                                  0.004671
   400
                       0.031779
                                                  0.063558
                                                                 yes
           0.009350
                                     0.000000
   410
                        0.127210
                                                  0.000000
                                                                 yes
            0.119586
                        1.627046
                                     0.717514
   320
                                                  9.762275
                                                                 yes
                                     0.722185
                                                  9.825833
            Tot. error =
   400 SHOULD NOT be used as the local potential
```

```
400 SHOULD NOT be used as the local potential 410 SHOULD NOT be used as the local potential 320 SHOULD NOT be used as the local potential
```

!!ERROR!! There are no choices for local potential


```
NL:Orbital
              Filling
                             Eigenvalues[Ry]
                                                       Norm
                                                                  Ghost
       100
                2.000
                              -0.3965065480
                                                  0.8146375109
                                                                     no
       210
                0.000
                              -0.1074863901
                                                  0.9406500193
                                                                    yes
       320
                6.000
                              -0.5896524124
                                                  0.1014472799
                                                                     no
 !!ERROR!! Ghosts are present in pseudopotential
```

 $E_{tot} = -46.0085239071 \text{ Ry}$

!!ERROR!! See log file for more information

This is not good! Pulling in the cutoff radii results in having no channel avaliable as the local potential. However, looking at the NL section, we see that the p potential is the only channel with a ghost when s (the default) is chosen as the local potential. Therefore, we may be able to pull the p core radius back out and have a usable potential:

```
[Atom]
Fe
100 2.00
200 2.00
210 6.00
300 2.00
310 6.00
400 2.00
410 0.00
320 6.00
[Pseudo]
3 2.00 2.30 2.00
opt
 %> ./opium fe fe.log ae ps nl tc rpt
 %> cat fe.rpt
```

======Optimized pseudopotential method========

Pseudopotential convergence error							
Orbital	[mRy/e]	[meV/e]	[mRy]	[meV]	Ghost		
400	0.002336	0.031779	0.004671	0.063558	no		
410	0.000591	0.008043	0.000000	0.000000	no		
320	0.119586	1.627046	0.717514	9.762275	yes		
	Tot. error	· =	0.722185	9.825833			

320 SHOULD NOT be used as the local potential

NL:Orbital	Filling	Eigenvalues[Ry]	Norm	Ghost
100 210 320	2.000 0.000 6.000	-0.3965065480 -0.1074863901 -0.5896524124	0.8146375109 0.8934619782 0.1014472790	no no no

======= No ghosts in potential!!======

$$E_{tot} = -46.0085239336 \text{ Ry}$$

.

This removed the ghosts. Since we still have a low convergence error, we move onto check the transferability:

%> grep AE-NL fe.rpt

AE-NL:Orbital	Filling	Eigen	values[mRy]	Norm[1e-3]
AE-NL- 100 AE-NL- 210 AE-NL- 320 AE-NL- total AE-NL:Orbital AE-NL		1.4 -12.1 13.8	853239332 195696200 514191833 563127365 values [mRy]	-1.8680190378 0.2976519978 1.2700832809 3.4357543165 Norm[1e-3]
AE-NL- 100 AE-NL- 210 AE-NL- 320 AE-NL- total AE-NL:Orbital		6.2 -10.7 23.8	878973445 643883719 633992225 156849389 values [mRy]	-1.3438343854 1.8731566380 -0.2436429537 3.4606339770 Norm[1e-3]
AE-NL- 100 AE-NL- 210 AE-NL- 320 AE-NL- total AE-NL- i AE-NL	1.330 0.000 6.670 error =	0.8 -8.6	253601512 025918312 723596390 003116214 DD[meV]	-1.4883638661 0.0852035901 1.2366583176 2.8102257738
AE-NL- O AE-NL- O AE-NL- 1 AE-NL- 1		6.180204 22.079085 2.703022 15.898882 -3.477181 -19.376063	84.085996 300.401413 36.776512 216.315417 -47.309484 -263.624901	

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As expected, the transferability is quite similar to before.

To explore: What about simply including semicore states (such as 3s and 3p) in the pseudopotential rather than adding the partial core correction? What are the pros and cons of such an approach?

S.G.Louie, S. Froyen, and M. L. Cohen, Phys. Rev. B 26,1738 (1982).
 M. Fuchs and M. Scheffler, Comput. Phys. Commun. 119, 67 (1999).

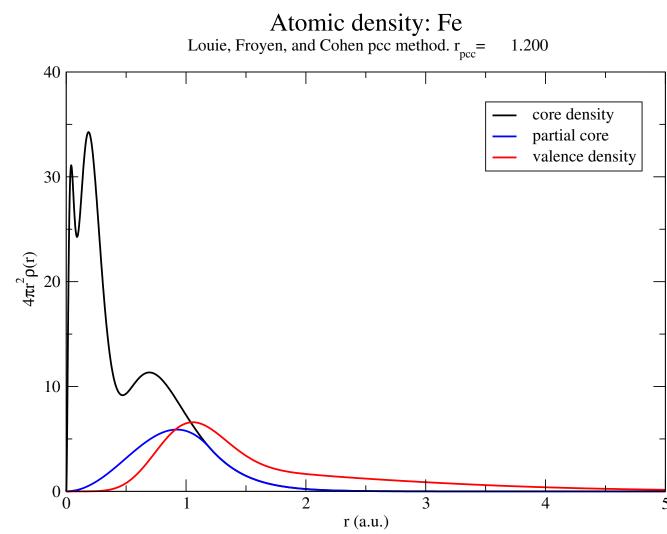


FIG. 1: LFC partial core correction for Iron