

```
> restart; Digits:=30; with(geometry); _EnvHorizontalName := x;
  _EnvVerticalName := y;
```

Digits := 30

[Apollonius, AreCollinear, AreConcurrent, AreConcyclic, AreConjugate, AreHarmonic, AreOrthogonal, AreParallel, ArePerpendicular, AreSimilar, AreTangent, CircleOfSimilitude, CrossProduct, CrossRatio, DefinedAs, Equation, EulerCircle, EulerLine, ExteriorAngle, ExternalBisector, FindAngle, GergonnePoint, GlideReflection, HorizontalCoord, HorizontalName, InteriorAngle, IsEquilateral, IsOnCircle, IsOnLine, IsRightTriangle, MajorAxis, MakeSquare, MinorAxis, NagelPoint, OnSegment, ParallelLine, PedalTriangle, PerpenBisector, PerpendicularLine, Polar, Pole, RadicalAxis, RadicalCenter, RegularPolygon, RegularStarPolygon, SensedMagnitude, SimsonLine, SpiralRotation, StretchReflection, StretchRotation, TangentLine, VerticalCoord, VerticalName, altitude, apothem, area, asymptotes, bisector, center, centroid, circle, circumcircle, conic, convexhull, coordinates, detail, diagonal, diameter, dilatation, directrix, distance, draw, dsegment, ellipse, excircle, expansion, foci, focus, form, homology, homothety, hyperbola, incircle, inradius, intersection, inversion, line, medial, median, method, midpoint, orthocenter, parabola, perimeter, point, powerpc, projection, radius, randpoint, reciprocation, reflection, rotation, segment, sides, similitude, slope, square, stretch, tangentpc, translation, triangle, vertex, vertices]

_EnvHorizontalName := x

_EnvVerticalName := y

```
> tanto_slope_5:=proc(k,p1)
>   local p2, p3, sq, sl1, sl2, pp1;
>   p2:=evalf(k/p1);
>   sq:=evalf(sqrt(k));
>   sl1:=sq/p1;
>   sl2:=sq/p2;
>   pp1:= p1*2+1;
>   p3 := ((k/pp1)-1)/2;
>
>   line(Y,y=x,[x,y]);
>   line(_Y,y=-x,[x,y]);
>   line(SQh,y=sq,[x,y]);
>   line(SQv,x=sq,[x,y]);
>   line(P1h,y=p1,[x,y]);
>   line(P1v,x=p1,[x,y]);
>   line(P2h,y=p2,[x,y]);
>   line(P2v,x=p2,[x,y]);
>   line(LH,y=0,[x,y]);
>   line(LV,x=0,[x,y]);
>
>   point(KK,k,k);
>   point(K0,k,0);
>   point(SQP1,sq,0);
```

```

> point(SQP1SQ, sq, sq);
> point(SQP3SQ, sq, sq);
>
> point(SQP2, sq*pp1, 0);
> point(SQP2SQ, sq*pp1, sq);
> point(OO, 0, 0);
>
> line(AA, [KK, SQP2]);
> line(BB, [K0, SQP2SQ]);
> intersection(PP3, AA, BB);
> point(PP4, HorizontalCoord(PP3), -VerticalCoord(PP3));
>
point(PP5, (sq*pp1) - (HorizontalCoord(PP3) - (sq*pp1)), VerticalCoord(P
P3));
> point(PP6, HorizontalCoord(PP5), -VerticalCoord(PP5));
>
> circle(C1, [PP3, PP4, PP5]);
>
> line(A, [KK, SQP1]);
> line(B, [K0, SQP1SQ]);
> intersection(P3, A, B);
> point(P4, HorizontalCoord(P3), -VerticalCoord(P3));
> point(P5, sq - (HorizontalCoord(P3) - sq), VerticalCoord(P3));
> point(P6, HorizontalCoord(P5), -VerticalCoord(P5));
>
> circle(C2, [P3, P4, P5]);
>
> point(X0, (k / (sq - p1)), 0);
> line(BL1, [P4, X0]);
> point(X1, (k / (sq - p3)), 0);
> line(BL2, [P4, X1]);
>
> point(P7, coordinates(intersection(I1, BL1, LV)));
> point(P8, coordinates(intersection(I2, BL2, LV)));
> line(RL1, [P7, SQP1SQ]);
> line(RL2, -slope(RL1)*x + slope(RL1)*sq = y, [x, y]);
>
> point(X2, k / (p1 + 1), 0);
> point(X3, sq / (p1 + 1), 0);
> point(X4, k / (p1*2 + 1) / 2, 0);
> line(ML1, [P3, X2]);
> line(ML2, [X3, P5]);
> line(ML3, [P8, P3]);
>
> line(YL1, [P3, PP4]);
> line(YL2, [PP4, P5]);
> line(YL3, [P3, PP6]);
> line(YL4, [PP6, P5]);
>

```

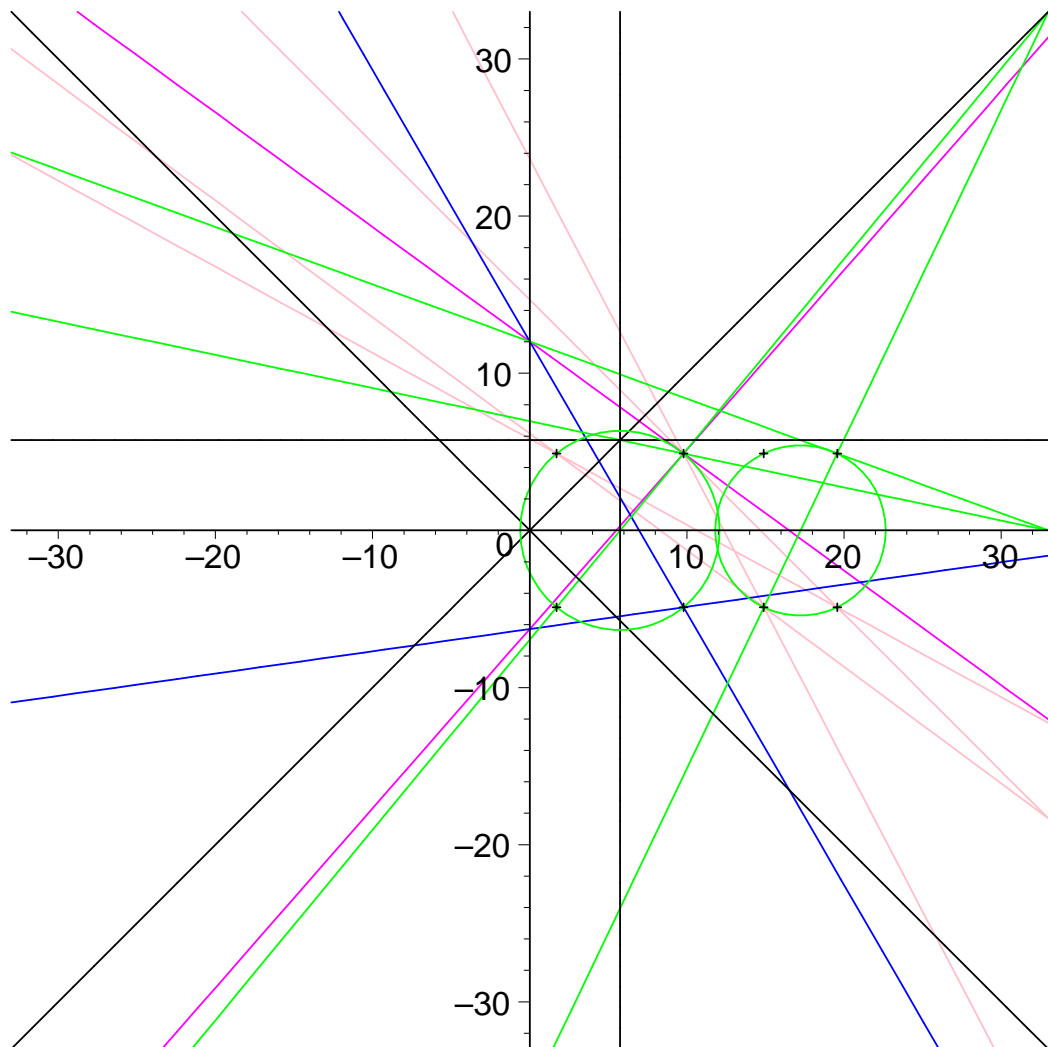
```

> print( solve(Equation(BL1),y) );
> print( solve(Equation(BL2),y) );
> print( solve(Equation(RL2),y) );
> print( solve({Equation(ML2),x=0}) );
> print( solve({Equation(ML1),Equation(BL2)}) );
> print( solve({Equation(ML1),Equation(Y)}) );
> print( solve({Equation(BL2),x=k}) );
> print( solve({Equation(ML3),x=k}) );
> print( solve({Equation(BL1),x=k}) );
> print( solve({Equation(ML1),x=k}) );
> print( solve({Equation(ML3),Equation(BL1)}) );
> print( solve({Equation(ML3),Equation(_Y)}) );
> print( solve({Equation(ML3),Equation(Y)}) );
> print( solve({Equation(ML1),Equation(_Y)}) );
> print( solve({Equation(BL1),Equation(Y)}) );
> print( solve({Equation(YL2),Equation(Y)}) );
> print( solve({Equation(YL1),x=0}) );
> print( solve({Equation(YL2),x=0}) );
> print( solve({Equation(YL3),x=0}) );
> print( solve({Equation(YL4),x=0}) );
>
> draw( [Y,_Y,SQh,SQv,P3,P4,P5,P6,PP3,PP4,PP5,PP6,
>       A(colour=green),
>       B(colour=green),
>       BB(colour=green),
>       AA(colour=green),
>       BL1(colour=blue),
>       BL2(colour=blue),
> #       RL2(colour=red),
>       ML1(colour=magenta),
> #       ML2(colour=magenta),
>       ML3(colour=magenta),
>       YL1(colour=pink),
>       YL2(colour=pink),
>       YL3(colour=pink),
>       YL4(colour=pink),
>       C1(colour=green),
>       C2(colour=green)
>       ],colour=black,axes=normal,view=[-k..k,-k..k]
> );
>
> end proc:
> tanto_slope_5(33,1);

```

$$\begin{aligned}
& 12.0237736389897894072945907687 - 1.72871355387816905498755095567 x \\
& -6.27921099245176074744397930057 + 0.141674725900320135898905327379 x \\
& 1.09307033081725358248132643351 x - 6.27921099245176074744397930048 \\
& \{x=0., y=12.0237736389897894072945907682\}
\end{aligned}$$

[illegible]



```
> tanto_slope_5(33,2);
44.3213209169693682218837723055 - 5.02921099245176074744397930047 x
-38.5767582704313395620331608396 + 3.44217216447391182835533367241 x
6.71535165408626791240663216748 x - 38.5767582704313395620331608373
{y = 44.3213209169693682218837722944, x = 0.}
{y = -0.384437695529846401317373528175, x = 11.0954126493375611022201407288}
{x = 8.81277818399154985431276477420, y = 8.81277818399154985431276477420}
{y = 75.0149231572077507736928503501, x = 33.}
{y = 108.014923157207750773692850350, x = 33.}
```

$$\{y = -121.642641833938736443767544610, x = 33.\}$$

$$\{y = -88.6426418339387364437675446140, x = 33.\}$$

$$\{y = 0.303258909039989837199251068092, x = 8.75247868383235094792159839193\}$$

$$\{x = 7.08848546215746335517655905346, y = -7.08848546215746335517655905346\}$$

$$\{y = 11.2070972708964604839058099543, x = 11.2070972708964604839058099543\}$$

$$\{x = 14.6313086237340305088732315629, y = -14.6313086237340305088732315629\}$$

$$\{y = 7.35109800809048062108602839639, x = 7.35109800809048062108602839639\}$$

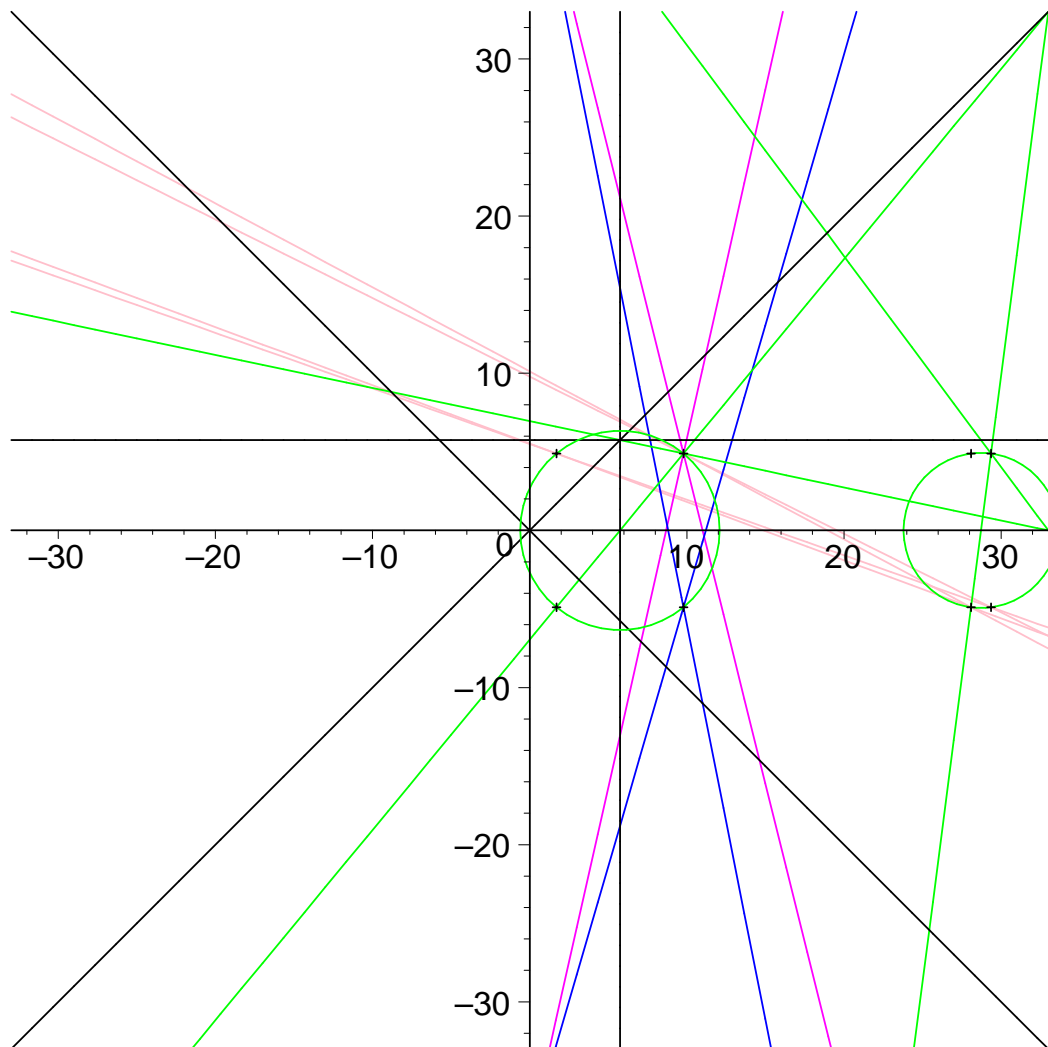
$$\{y = 4.05921022657402922511132409842, x = 4.05921022657402922511132409842\}$$

$$\{y = 9.78566045848468411094188615320, x = 0.\}$$

$$\{y = 5.49562982073906716282944384580, x = 0.\}$$

$$\{y = 10.1247174070445915824449023043, x = 0.\}$$

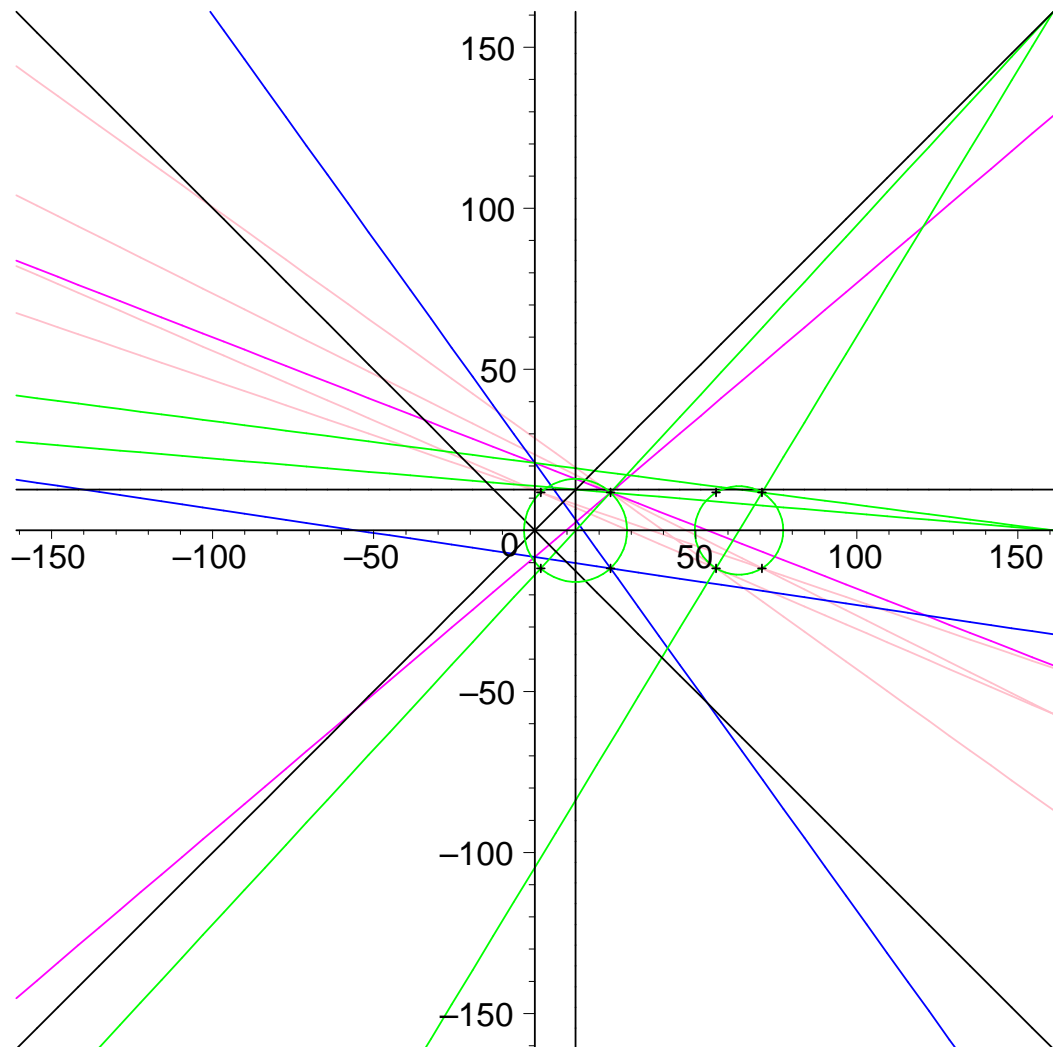
$$\{y = 5.52460641242416873938774206864, x = 0.\}$$



```
> tanto_slope_5(161,2);
```

```
20.9401542942086233912588045004 - 1.39018921045109236132780381054 x
-8.25157675375910301106503175475 - 0.149216309860862670908822812858 x
0.650315350751820602213006350920 x - 8.25157675375910301106503175431
{y = 20.9401542942086233912588045001, x = 0.}
{y = -26.3278101175912518585338272107, x = 121.141136519777248384578505836}
{x = 15.0628088153654317274598561281, y = 15.0628088153654317274598561281}
{x = 161., y = -32.2754026413579930273855046249}
{x = 161., y = 128.724597358642006972614495373}
```

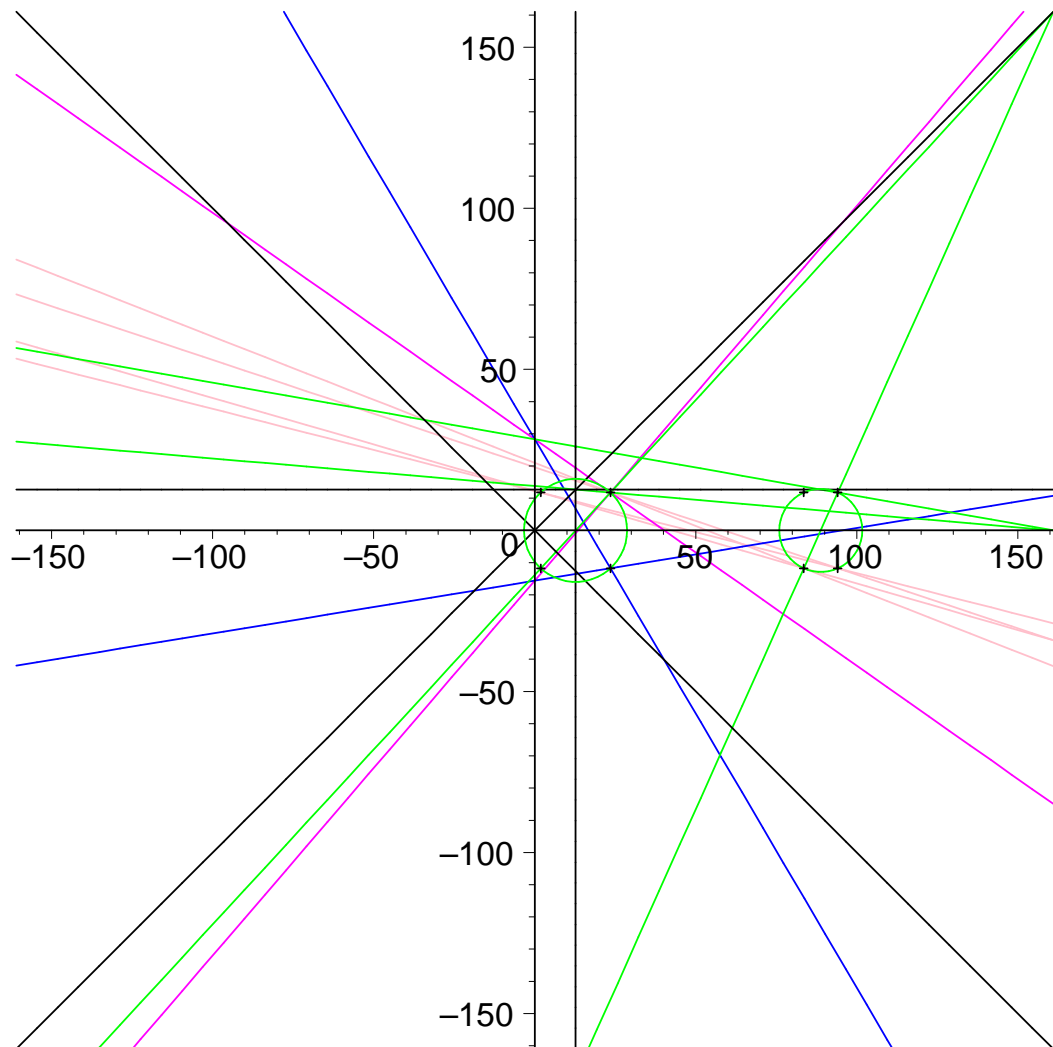
$\{x = 161., y = -202.880308588417246782517608997\}$
 $\{x = 161., y = -41.8803085884172467825176090017\}$
 $\{y = 2.83104216412157195207685419435, x = 13.0263650400587972292950509862\}$
 $\{x = 4.45842309813026822666282241903, y = -4.45842309813026822666282241903\}$
 $\{y = -55.2994291405096258039242036400, x = -55.2994291405096258039242036400\}$
 $\{y = 34.3387730310553894970226537331, x = -34.3387730310553894970226537331\}$
 $\{y = 8.76087725718444632339898289779, x = 8.76087725718444632339898289779\}$
 $\{y = 9.23491324079570382673001508672, x = 9.23491324079570382673001508672\}$
 $\{x = 0., y = 23.5232623001546597651399676513\}$
 $\{x = 0., y = 12.3962675281157902972590170195\}$
 $\{x = 0., y = 28.6356130752661057723731796357\}$
 $\{x = 0., y = 12.5623643128147057446864809500\}$



```
> tanto_slope_5(161,3);
```

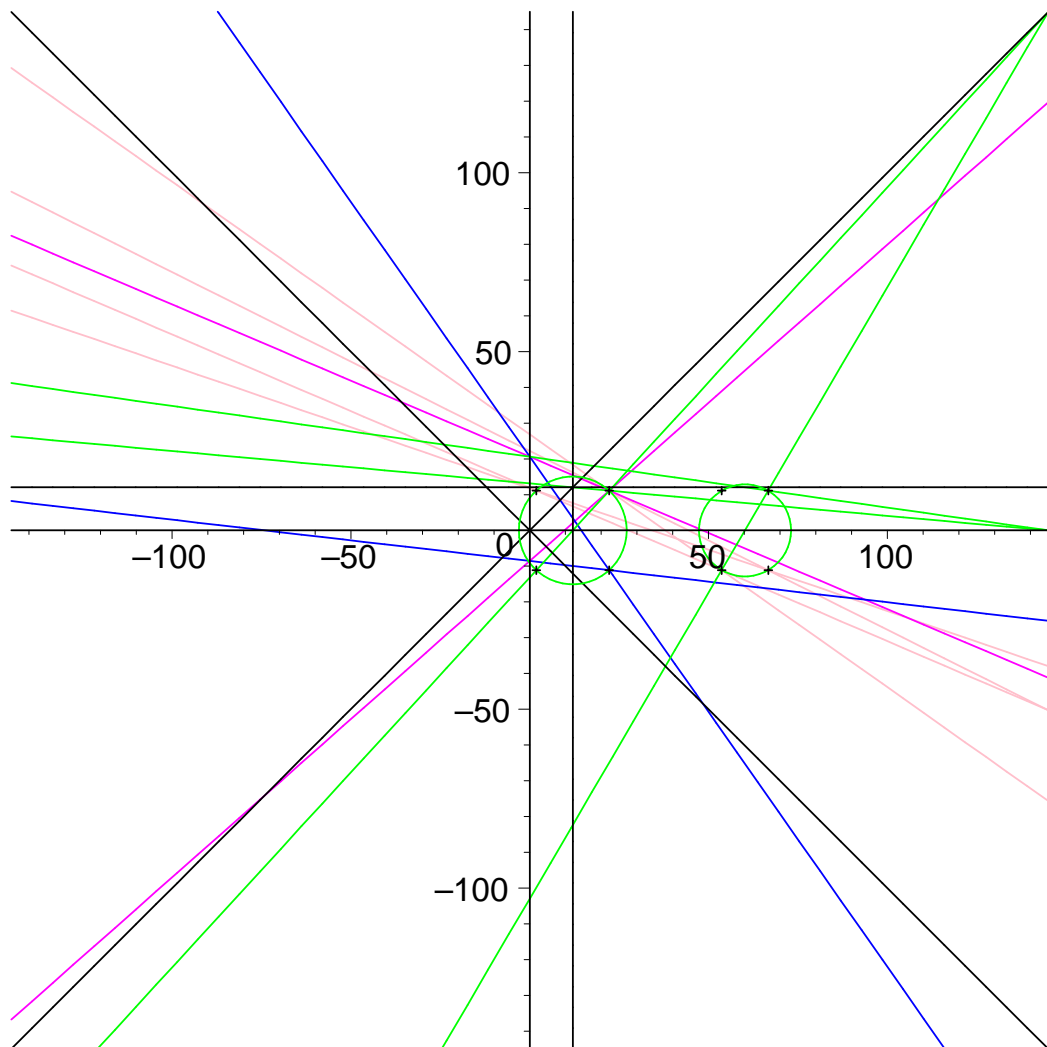
```
28.3023302143961855465285483222 - 1.70316348358748287072120616948 x
-15.6137526739466651663347755763 + 0.163757963275527838484579546069 x
1.23053609627809502376211079660 x - 15.6137526739466651663347755760
{y = 28.3023302143961855465285483208, x = 0.}
{y = -7.318181818181818181818181809, x = 50.6575111819587816046726978648}
{x = 16.6175064737656104027052461324, y = 16.6175064737656104027052461324}
{x = 161., y = 10.7512794134133168296825313408}
{x = 161., y = 171.751279413413316829682531339}
```

$\{x = 161., y = -245.906990643188556639585644964\}$
 $\{x = 161., y = -84.9069906431885566395856449676\}$
 $\{y = 2.21292731168713724896978472677, x = 15.3182023652569509663032387262\}$
 $\{x = 7.21603475941012479437142613921, y = -7.21603475941012479437142613921\}$
 $\{y = 95.3465246003093195302799353093, x = 95.3465246003093195302799353093\}$
 $\{x = -95.3465246003093195302799353033, y = 95.3465246003093195302799353033\}$
 $\{x = 10.4700771471043116956294022504, y = 10.4700771471043116956294022504\}$
 $\{x = 9.74834971522077126809512625458, y = 9.74834971522077126809512625458\}$
 $\{x = 0., y = 19.6027185834622164709499730429\}$
 $\{x = 0., y = 12.2344195823489943566300149314\}$
 $\{x = 0., y = 20.9803761866334358703532600566\}$
 $\{x = 0., y = 12.2954532585689137906476485753\}$



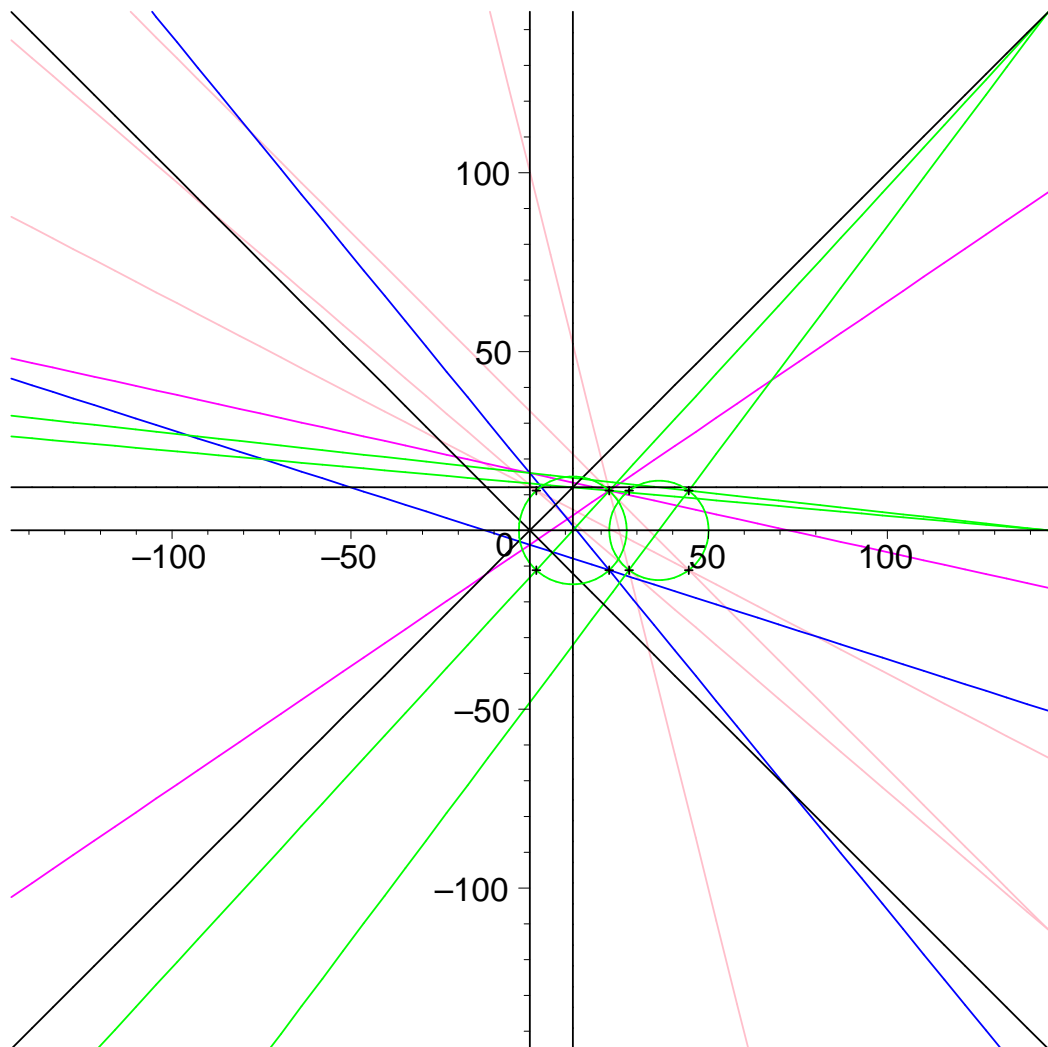
```
> tanto_slope_5(145, 2);
20.5919267827073570384882912445 - 1.42603986446980738700320602572 x
-8.55033220391506155836005021465 - 0.115482875457062597411029288137 x
0.710066440783012311672010042884 x - 8.55033220391506155836005021409
{x = 0., y = 20.5919267827073570384882912441 }
{x = 93.8386834547345006639373160803, y = -19.3870931983728864541732703744}
{x = 14.4399376874105166285006734001, y = 14.4399376874105166285006734001 }
{x = 145., y = -25.2953491451891381829592969945}
{x = 145., y = 119.704650854810861817040703005 }
```

$\{x = 145., y = -186.183853565414714076976582486\}$
 $\{x = 145., y = -41.1838535654147140769765824902\}$
 $\{x = 12.6126553576479099594788130147, y = 2.60577744588274150324032768055\}$
 $\{y = -4.53714752312947115835767445528, x = 4.53714752312947115835767445528\}$
 $\{x = -74.0398277240173106787959793967, y = -74.0398277240173106787959793967\}$
 $\{x = -35.8769285669738622792419129558, y = 35.8769285669738622792419129558\}$
 $\{y = 8.48787651195812747502295649483, x = 8.48787651195812747502295649483\}$
 $\{x = 8.75122216516262652894160450581, y = 8.75122216516262652894160450581\}$
 $\{x = 0., y = 22.2365446378455950641471520751\}$
 $\{x = 0., y = 11.7513451032205803617297920619\}$
 $\{x = 0., y = 26.8306197828964580289241827980\}$
 $\{x = 0., y = 11.9100821277400429746535708735\}$



```
> tanto_slope_5(145,1);
16.0369942200359032692543746277 - 1.22119992027635728647247413278 x
-3.99539964124360778912613359757 - 0.320322819650512697941761181096 x
0.331799880414535929708711199174 x - 3.99539964124360778912613359730
{x = 0., y = 16.0369942200359032692543746276 }
{y = 60.7407302188536155715541374184, x = -202.096528529336104969773422072}
{x = 13.1321612078116864209624649264, y = 13.1321612078116864209624649264 }
{x = 145., y = -50.4422084905679489906815048565 }
{x = 145., y = 94.5577915094320510093184951424 }
```

$\{x = 145., y = -161.036994220035903269254374625\}$
 $\{x = 145., y = -16.0369942200359032692543746280\}$
 $\{x = 10.5385002821508279970162305247, y = 3.16737851564094334989978782277\}$
 $\{x = 2.37867114466143573391562402573, y = -2.37867114466143573391562402573\}$
 $\{y = -12.4730409329025550325394417943, x = -12.4730409329025550325394417943\}$
 $\{x = -20.5919267827073570384882912450, y = 20.5919267827073570384882912450\}$
 $\{x = 7.21996884370525831425033669995, y = 7.21996884370525831425033669995\}$
 $\{x = 7.93974219953001737942923071200, y = 7.93974219953001737942923071200\}$
 $\{x = 0., y = 33.3548169567683925962207281127\}$
 $\{x = 0., y = 12.0815943489092472815310075537\}$
 $\{x = 0., y = 100.372757439640932510691192014\}$
 $\{x = 0., y = 12.7018919365572884172335657096\}$



```
> tanto_slope_5(1403,11);
```

```
97.0488194115795039811035888314 - 1.83006830572983182307430011831 x
-59.5921778109234195338587302145 + 0.316719538231379904169366098825 x
1.59096425264884432755907522676 x - 59.5921778109234195338587302161
{y = 97.0488194115795039811035888538, x = 0.}
{y = -16.3311120700730917871594383785, x = 136.591086178099613533854602155}
{y = 53.0301623757570097343873140694, x = 53.0301623757570097343873140694}
{x = 1403., y = 384.765334327702586015761906437}
{x = 1403., y = 1787.76533432770258601576190644}
```

$$\{x = 1403., y = -2470.53701352737454379213947716\}$$

$$\{x = 1403., y = -1067.53701352737454379213947712\}$$

$$\{x = 49.7780609910204446950836253405, y = 5.95156767122648553544550316816\}$$

$$\{x = 25.7226551714658669422864377052, y = -25.7226551714658669422864377052\}$$

$$\{y = 188.154409872207726599372836254, x = 188.154409872207726599372836254\}$$

$$\{x = -571.104877335508351008340093430, y = 571.104877335508351008340093430\}$$

$$\{y = 34.2920413670199670015639751516, x = 34.2920413670199670015639751516\}$$

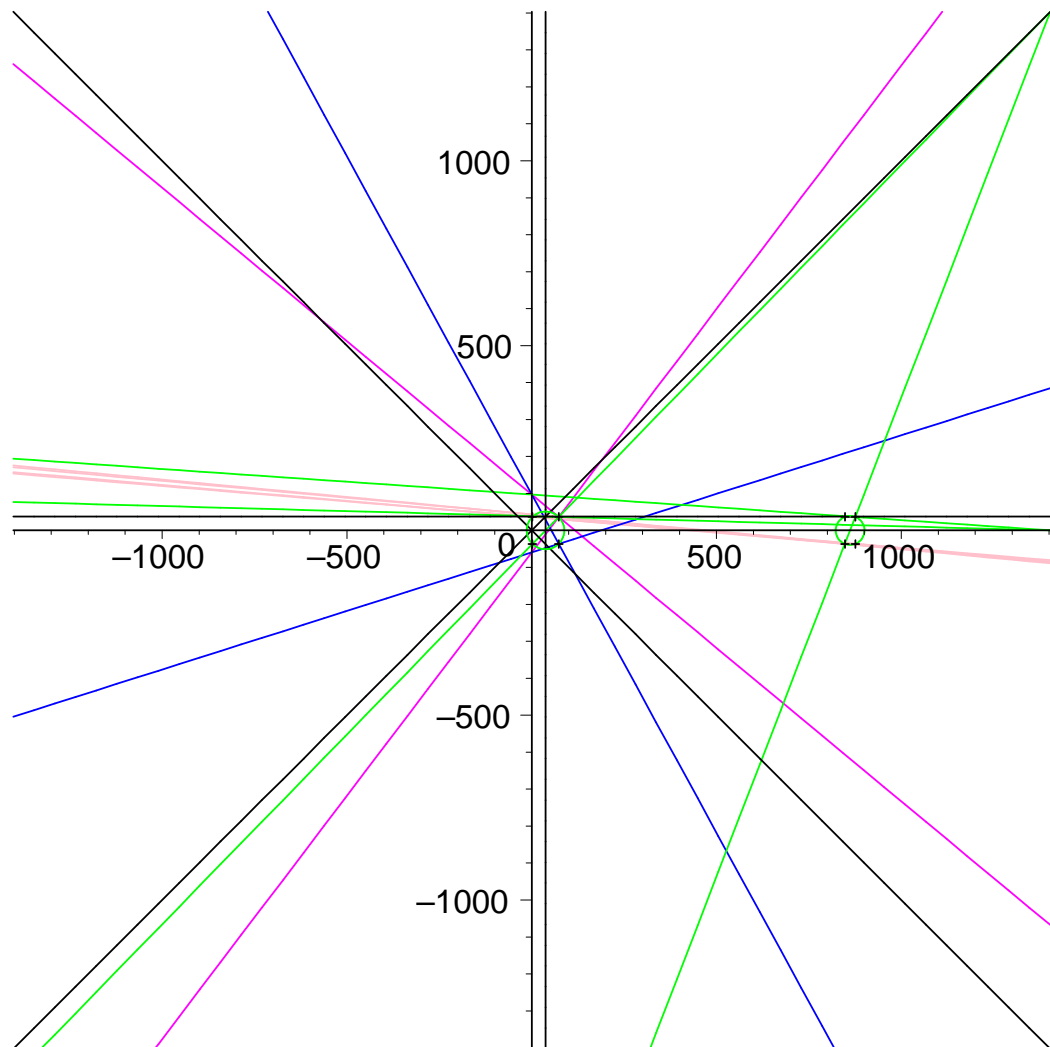
$$\{x = 33.8206664655499853394940351889, y = 33.8206664655499853394940351889\}$$

$$\{y = 43.1158530770565636255543364211, x = 0.\}$$

$$\{x = 0., y = 36.6453396552906438866315129122\}$$

$$\{x = 0., y = 43.3570553246641743387062457047\}$$

$$\{x = 0., y = 36.6507587673911550246725979538\}$$



```
> tanto_slope_5(1403,10);
      85.2543328125992582946824705182 - 1.66842313680583880345082478669 x
    -47.7976912119431738474376119014 + 0.155074369307386884545890767198 x
      1.27608053390205589749702913820 x - 47.7976912119431738474376119027
      {x = 0., y = 85.2543328125992582946824705342 }
{y = -22.7424135000999223528526676105, x = 161.569431645915175467177468759 }
{y = 51.0987476329397440364424686397, x = 51.0987476329397440364424686397 }
      {y = 169.771648926320625170447134477, x = 1403. }
      {x = 1403., y = 1572.77164892632062517044713448 }
```

$$\{x = 1403., y = -2255.54332812599258294682470520\}$$

$$\{x = 1403., y = -852.543328125992582946824705175\}$$

$$\{x = 47.1231243294772309847970014901, y = 6.63302190272131720990070706231\}$$

$$\{x = 22.1791377098994200904429886550, y = -22.1791377098994200904429886550\}$$

$$\{x = 308.224314729915567164530951533, y = 308.224314729915567164530951533\}$$

$$\{y = 257.117857957046138468296930446, x = -257.117857957046138468296930446\}$$

$$\{y = 31.9493305378286331883399426522, x = 31.9493305378286331883399426522\}$$

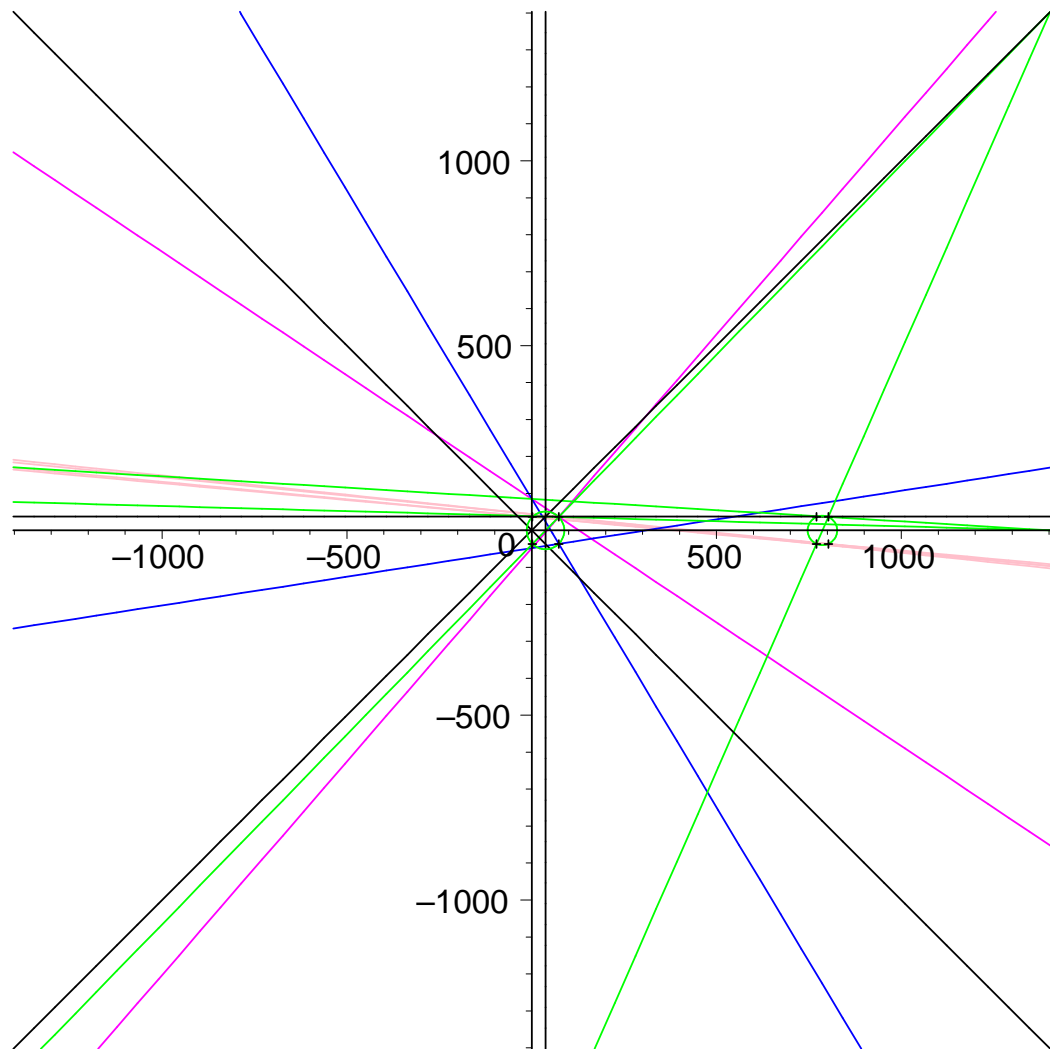
$$\{x = 33.5983402983470523148132200645, y = 33.5983402983470523148132200645\}$$

$$\{y = 43.7791738936266646044090185199, x = 0.\}$$

$$\{y = 36.6601660709894700781171857346, x = 0.\}$$

$$\{y = 44.1144799114231329421553229843, x = 0.\}$$

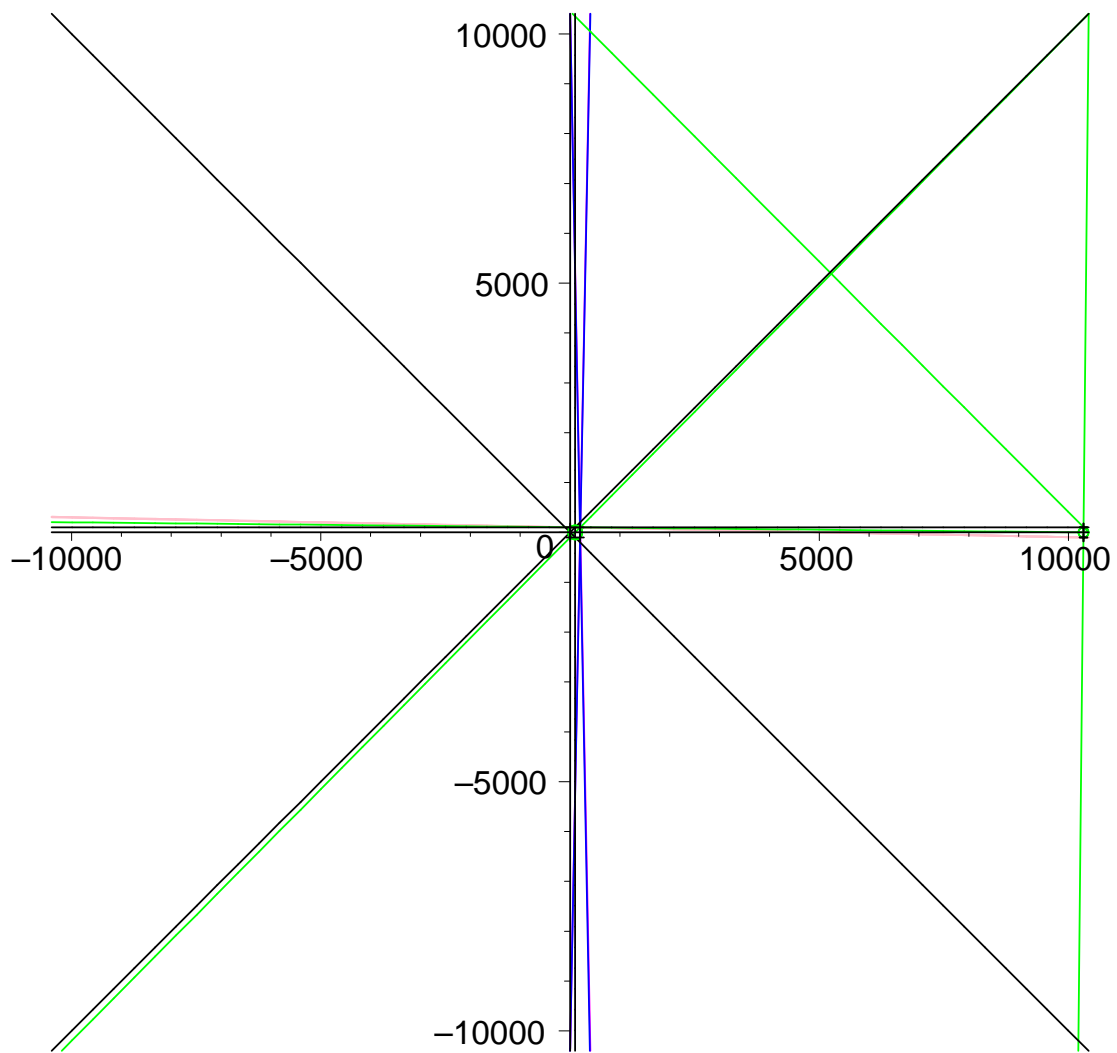
$$\{x = 0., y = 36.6675701529947151434391062059\}$$



```
> tanto_slope_5(10403, 50);
```

```
10454.2475429531162648718411859 - 52.2512375940218138525871287595 x
-10352.2524450316965315733588210 + 50.7463353976399326772868075262 x
101.497548960709866649241176563 x - 10352.2524450316965315733588329
{x = 0., y = 10454.2475429531162648718414690}
{x = 203.990147782101975642703188290, y = -0.499987867014040542086152652474}
{y = 200.076553672849485702152589897, x = 200.076553672849485702152589897}
{y = 517561.874696616523110241299874, x = 10403.}
{x = 10403., y = 527964.874696616523110241299877}
```

$\{x = 10403., y = -533115.377147655813243592059299\}$
 $\{x = 10403., y = -522712.377147655813243592058773\}$
 $\{y = 0.490372491334953718360035430369, x = 200.067168775688866900262995208\}$
 $\{x = 196.264865928390066473653789305, y = -196.264865928390066473653789305\}$
 $\{y = 204.000000471229106063075098431, x = 204.000000471229106063075098431\}$
 $\{x = 208.039603470319619361004008974, y = -208.039603470319619361004008974\}$
 $\{x = 196.319334822872732497380460155, y = 196.319334822872732497380460155\}$
 $\{y = 99.1001359739641725631371677214, x = 99.1001359739641725631371677214\}$
 $\{y = 105.044999406228673805448605525, x = 0.\}$
 $\{x = 0., y = 101.043649521888284598815081171\}$
 $\{x = 0., y = 105.045787909139961031535387537\}$
 $\{x = 0., y = 101.043656955314049378084005399\}$



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