

# 19. Train Test Split in Dataset

## 1. splitting the data

- The data is split into train and test in supervised learning
- there is no need to split the data into train and test in unsupervised learning

## 2. dependent and independent variables

- separate the data according to dependent and independent variables (i.e. convert the data into input and output)

```
In [1]: import pandas as pd
```

```
In [2]: dataset = pd.read_csv("boston.csv")  
dataset.head(3)
```

```
Out[2]:
```

	crim	zn	indus	chas	nox	rm	age	dis	rad	tax	ptratio	black	lstat
0	0.00632	18.0	2.31	0	0.538	6.575	65.2	4.0900	1	296	15.3	396.90	4.98
1	0.02731	0.0	7.07	0	0.469	6.421	78.9	4.9671	2	242	17.8	396.90	9.14
2	0.02729	0.0	7.07	0	0.469	7.185	61.1	4.9671	2	242	17.8	392.83	4.03

Separate the data into input and output

```
In [10]: # dataset.iloc [number of rows:number of columns]  
input_data = dataset.iloc[:, :-1]  
input_data.head(3)
```

```
Out[10]:
```

	crim	zn	indus	chas	nox	rm	age	dis	rad	tax	ptratio	black	lstat
0	0.00632	18.0	2.31	0	0.538	6.575	65.2	4.0900	1	296	15.3	396.90	4.98
1	0.02731	0.0	7.07	0	0.469	6.421	78.9	4.9671	2	242	17.8	396.90	9.14
2	0.02729	0.0	7.07	0	0.469	7.185	61.1	4.9671	2	242	17.8	392.83	4.03

```
In [18]: dataset.shape
```

```
Out[18]: (506, 14)
```

```
In [11]: output_data = dataset['medv']  
output_data.head(3)
```

```
Out[11]: 0    24.0
         1    21.6
         2    34.7
         Name: medv, dtype: float64
```

Split the data into training and test dataset

```
In [14]: from sklearn.model_selection import train_test_split
```

this will split data into 4 parts:

1. input training data, x\_train
2. input test data, x\_test
3. output training data, y\_train
4. output test data, y\_test

```
In [16]: x_train, x_test, y_train, y_test = train_test_split(input_data, output_data, test_s
```

```
In [17]: x_test
```

```
Out[17]:
```

	crim	zn	indus	chas	nox	rm	age	dis	rad	tax	ptratio	black	lsta
<b>30</b>	1.13081	0.0	8.14	0	0.5380	5.713	94.1	4.2330	4	307	21.0	360.17	22.6
<b>377</b>	9.82349	0.0	18.10	0	0.6710	6.794	98.8	1.3580	24	666	20.2	396.90	21.2
<b>79</b>	0.08387	0.0	12.83	0	0.4370	5.874	36.6	4.5026	5	398	18.7	396.06	9.1
<b>321</b>	0.18159	0.0	7.38	0	0.4930	6.376	54.3	4.5404	5	287	19.6	396.90	6.8
<b>204</b>	0.02009	95.0	2.68	0	0.4161	8.034	31.9	5.1180	4	224	14.7	390.55	2.8
<b>...</b>	...	...	...	...	...	...	...	...	...	...	...	...	...
<b>12</b>	0.09378	12.5	7.87	0	0.5240	5.889	39.0	5.4509	5	311	15.2	390.50	15.7
<b>192</b>	0.08664	45.0	3.44	0	0.4370	7.178	26.3	6.4798	5	398	15.2	390.49	2.8
<b>288</b>	0.04590	52.5	5.32	0	0.4050	6.315	45.6	7.3172	6	293	16.6	396.90	7.6
<b>4</b>	0.06905	0.0	2.18	0	0.4580	7.147	54.2	6.0622	3	222	18.7	396.90	5.3
<b>441</b>	9.72418	0.0	18.10	0	0.7400	6.406	97.2	2.0651	24	666	20.2	385.96	19.5

127 rows × 13 columns

```
In [23]: dataset.shape
```

```
Out[23]: ((506, 14), (379,))
```

```
In [24]: x_train.shape, y_train.shape
```

```
Out[24]: ((379, 13), (379,))
```

```
In [25]: x_test.shape, y_train.shape
```

```
Out[25]: ((127, 13), (379,))
```

```
In [ ]:
```

## 20. Regression Analysis

- Depending on type of data, On the basis of outcome, you decided whether to do classification or regression analysis for prediction
- outcome: continuous -> regression analysis

### **Regression Analysis - Real world applications:**

1. Prediction of rain using temperature and other factors
2. Determining of Market trends
3. Prediction of road accidents due to rash driving



- Linear Regression: Used when input and output have linear relationship
- Non-linear regression: used when input and output have non-linear relationship

### **Linear Regression:**

1. Linear regression
2. Multi-linear regression
3. Lasso regression
4. Ridge regression

### **Non-Linear Regression:**

1. Polynomial regression
2. Decision tree regression
3. Random Forest regression
4. Support vector regression
5. K-Nearest Neighbour

## 20.1 Linear Regression Algorithm (Simple Linear)

- Linear regression is used when independent/input variable is single

$$y = mx + c$$

- $m$  = slope of line (angle between  $x$  and  $y$ -axis)
- $c$  = intercept (at how much distance the line is farther from  $y$ -axis)

$$m = \frac{y_2 - y_1}{x_2 - x_1}$$

- $m$  is +ve if angle  $< 90$
- $m$  is -ve if angle  $> 90$
- $m$  is 0 if angle = 0

## 21. Linear Regression (Practical)

```
In [21]: import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
from sklearn.model_selection import train_test_split
```

```
In [11]: dataset = pd.read_csv(r'Data/placement.csv')
dataset.head(3)
```

```
Out[11]:
```

	cgpa	package
0	6.89	3.26
1	5.12	1.98
2	7.82	3.25

```
In [12]: dataset.isnull().sum()
```

```
Out[12]: cgpa      0
package    0
dtype: int64
```

- data has to be in multidimensional or 2 dimensional at least

```
In [13]: x = dataset["cgpa"]
x.ndim
```

```
Out[13]: 1
```

- So we will convert this data into 2 dimensional data:

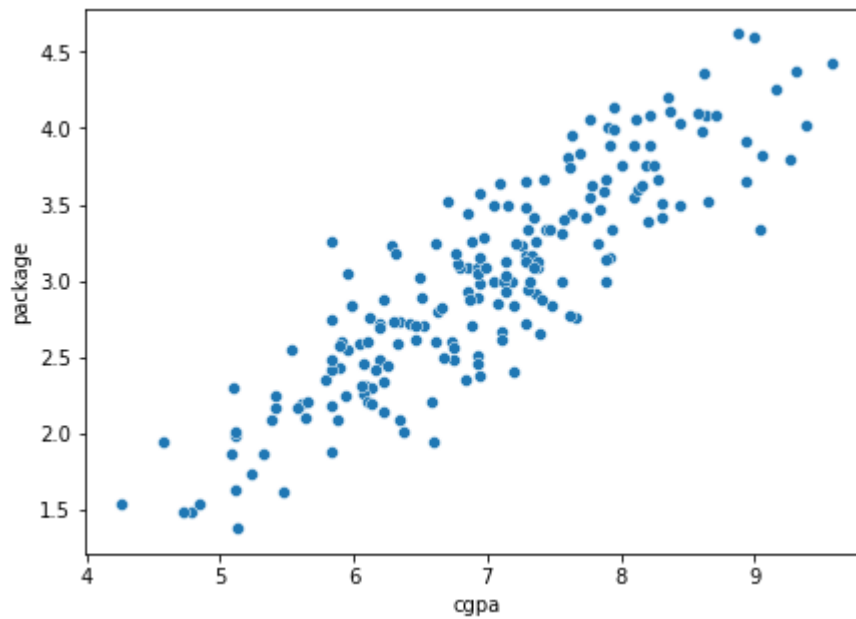
```
In [14]: x = dataset[["cgpa"]]
x.ndim
```

```
Out[14]: 2
```

```
In [15]: y = dataset['package']
```

- Before applying linear regression, check that if your data is following linearity or not

```
In [20]: plt.figure(figsize=(7,5))
sns.scatterplot(x='cgpa', y='package', data=dataset)
plt.show()
```



- You can see the data is following simple linearity

```
In [22]: x_train, x_test, y_train, y_test = train_test_split(x,y,test_size=0.2, random_state
```

```
In [26]: # y = mx + c
from sklearn.linear_model import LinearRegression
```

```
In [27]: lr = LinearRegression()
# fit will train the data to fit linear equation,
# y = mx + c, this will search for best m and c value to train the data on this lin
lr.fit(x_train, y_train)
```

```
Out[27]: ▾ LinearRegression
LinearRegression()
```

- Now our model is trained now, and ready for testing

```
In [30]: lr.predict([[6.89]])
```

```
C:\Users\rashi\AppData\Local\Programs\Python\Python39\lib\site-packages\sklearn\base.py:450: UserWarning: X does not have valid feature names, but LinearRegression was fitted with feature names
warnings.warn(
```

```
Out[30]: array([2.92962016])
```

```
In [31]: dataset.head(3)
```

```
Out[31]:
```

	cgpa	package
0	6.89	3.26
1	5.12	1.98
2	7.82	3.25

- To check if prediction is model is good or now, we will use **accuracy score**

```
In [33]: lr.score(x_test, y_test)*100
```

```
Out[33]: 77.30984312051673
```

- To improve accuracy we will change random\_state value in following code and see if the model accuracy has increased:
- `x_train, x_test, y_train, y_test = train_test_split(x,y,test_size=0.2, random_state=42)`

### To find the equation manually

```
In [41]: # y = mx + c
```

```
In [36]: m = lr.coef_  
m
```

```
Out[36]: array([0.57425647])
```

```
In [37]: c = lr.intercept_  
c
```

```
Out[37]: -1.0270069374542108
```

```
In [40]: y = (m * 6.89) + c  
y
```

```
Out[40]: array([2.92962016])
```

--

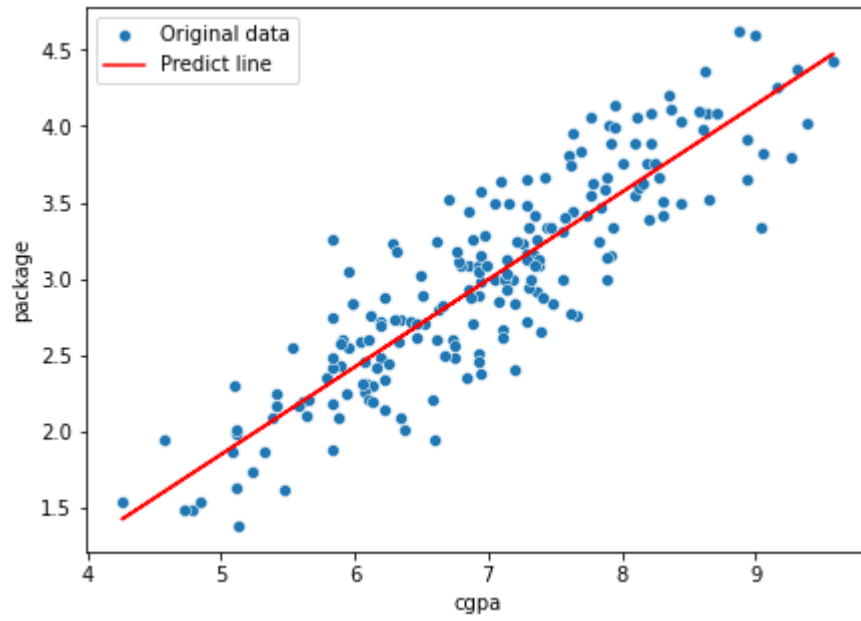
### To draw prediction line

```
In [46]: # y_pred = lr.predict(['cgpa']) = y_pred = lr.predict(x)  
y_pred = lr.predict(x)
```

```
In [55]: plt.figure(figsize=(7,5))  
sns.scatterplot(x='cgpa', y='package', data=dataset)  
# plt.plot(x,y)  
plt.plot(dataset['cgpa'], y_pred, c='red')  
plt.legend(["Original data", "Predict line"])
```



```
plt.savefig(r"Generated_images/predict.jpg")  
plt.show()
```



## 22. Multiple Linear Regression

- Used when input are more than one
- Multiple linear regression is an extension of simple linear regression as it takes more than one predictor variable to predict the response variable
- $y = m_1x_1 + m_2x_2 + m_3x_3 + \dots m_nx_n + c$

```
In [102... import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
```

```
In [103... dataset = pd.read_csv(r'Data/salary_data.csv')
dataset.head(3)
```

```
Out[103...      Age  Experience      Salary
0     53           21  274930.685866
1     39           19  217753.696272
2     32           19  166660.977435
```

```
In [104... dataset.shape
```

```
Out[104... (1000, 3)
```

```
In [105... dataset.isnull().sum()
```

```
Out[105... Age           0
Experience      0
Salary         0
dtype: int64
```

```
In [106... dataset.shape
```

```
Out[106... (1000, 3)
```

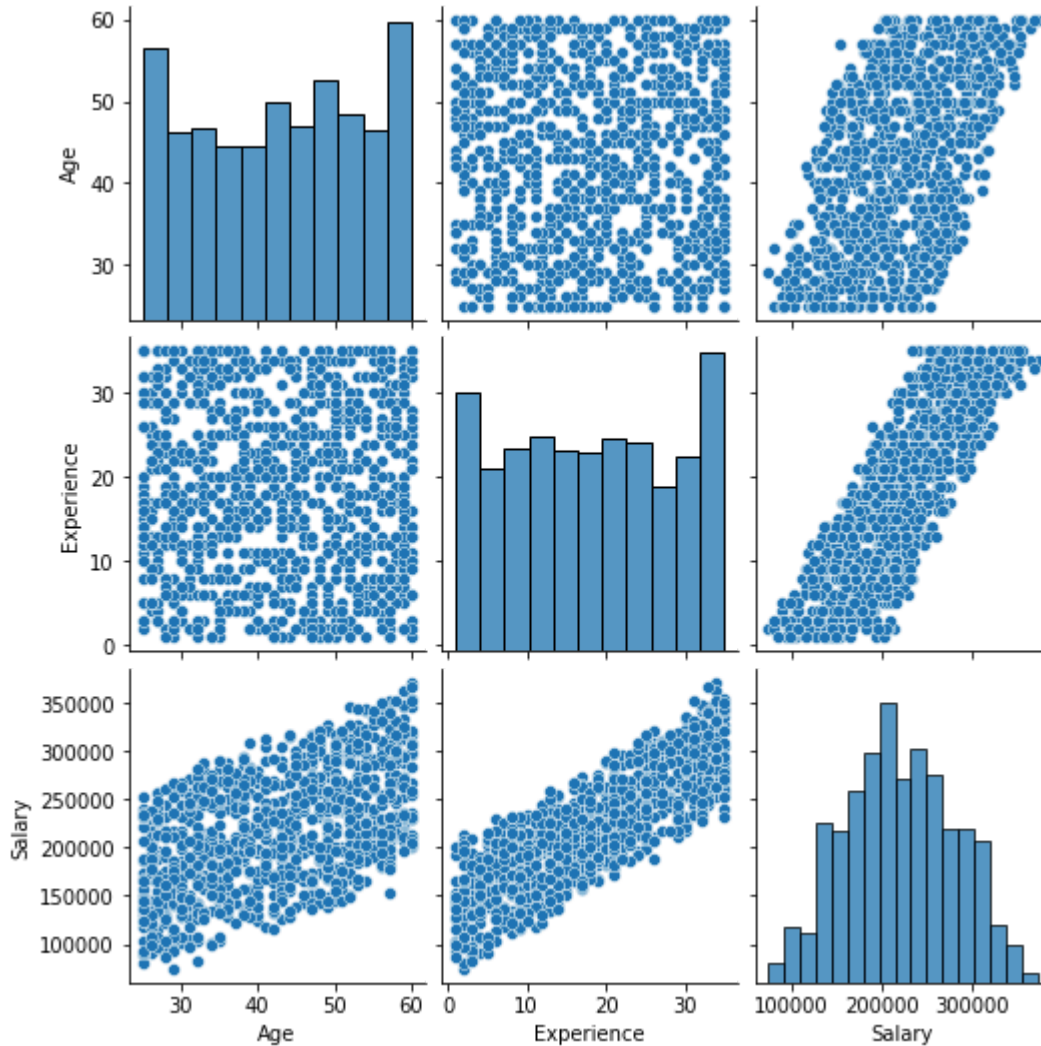
**Also an important step before applying model is to check if your data needs scaling** (if huge difference in data values)

- but for this exercise, we are not going to check it as we can see no much difference in values of age and experience

**To Check if the data is linear before applying linear regression model**

```
In [107... sns.pairplot(data=dataset)
plt.show()
```

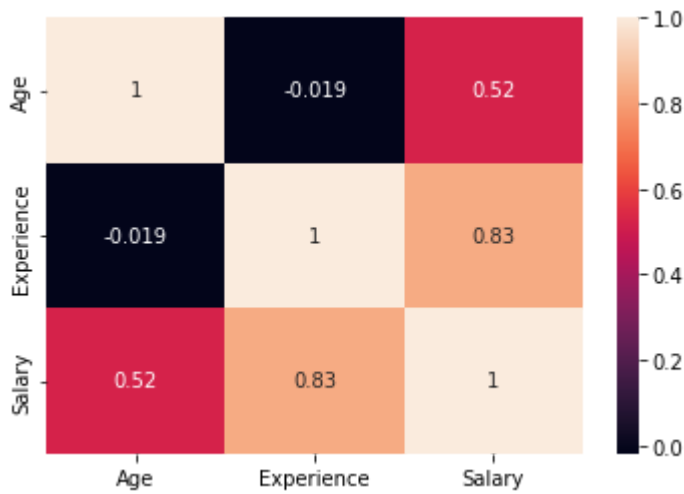
C:\Users\rashi\AppData\Local\Programs\Python\Python39\lib\site-packages\seaborn\axis  
grid.py:123: UserWarning: The figure layout has changed to tight  
self.\_figure.tight\_layout(\*args, \*\*kwargs)



**Use correlation function to check if the data is linear**

In [108...

```
# annotate = True -> to check correlation number  
sns.heatmap(data=dataset.corr(), annot=True)  
plt.show()
```



Both of above graph shows correlation between output (salary) and inputs (age and experience)

```
In [109... # Separate features and target
x = dataset[['Age', 'Experience']]
y = dataset['Salary']
```

```
In [110... # Check the shape of X and y
print(X.shape) # Should be (1000, 2)
print(y.shape) # Should be (1000,)
```

(1000, 2)

(1000,)

### Train the model

```
In [111... from sklearn.model_selection import train_test_split
```

```
In [112... x_train, x_test, y_train, y_test = train_test_split(x,y,test_size=0.20,random_state
```

### Build Model

```
In [113... from sklearn.linear_model import LinearRegression
```

```
In [114... lr = LinearRegression()
```

```
In [115... lr.fit(x_train, y_train)
```

```
Out[115... ▼ LinearRegression
LinearRegression()
```

```
In [116... dataset.shape
```

```
Out[116... (1000, 3)
```

### Test Model

In [118... `lr.score(x_test, y_test)`

Out[118... `0.9738985132159785`

### Make Prediction

In [120... `lr.predict(x_test)`

```
Out[120...] array([127673.47833523, 263638.47930118, 350142.08171943, 145791.96000071,
229782.58458827, 217703.59681128, 207200.43711274, 250171.09339619,
167062.09782308, 260806.16230738, 209338.55504254, 244319.02945815,
207387.86706319, 200973.5132738 , 249421.37359439, 290122.0027354 ,
289052.9437705 , 186999.35825527, 144722.90103581, 156239.59896145,
211101.81307144, 145604.53005026, 309309.54336578, 279618.84303686,
303776.81859083, 189269.38539771, 169894.41481688, 184673.81037502,
145042.24019891, 169949.93555468, 238279.53556966, 181091.77357942,
286727.39589025, 166930.18861044, 260674.25309473, 202792.2920405 ,
134594.60123817, 240549.5627121 , 295974.06667344, 199210.2552449 ,
322082.73020676, 262624.94107408, 188575.18633371, 140071.80527531,
207387.86706319, 157870.9477777 , 239348.59453456, 260618.73235693,
202604.86209005, 216821.96779683, 258161.27526403, 305033.30750618,
251427.58231154, 170081.84476733, 206693.66799919, 171525.76363313,
239723.45443546, 154851.20083345, 222861.46168533, 268477.00501213,
270747.03215457, 315349.03725427, 306102.36647108, 222861.46168533,
235579.12778851, 184673.81037502, 265964.02718143, 191088.16416441,
321895.30025631, 186117.72924082, 197259.56726555, 173851.31151338,
185555.43938947, 308934.68346488, 245388.08842305, 291378.49165075,
217516.16686083, 207894.63617674, 253003.41038999, 291191.0617003 ,
198328.62623045, 292072.69071475, 235579.12778851, 264388.19910298,
316230.66626872, 137801.77813287, 211851.53287324, 211983.44208588,
187318.69741836, 186249.63845346, 197766.3363791 , 265457.25806788,
195871.16913756, 270559.60220412, 115594.49055824, 292260.1206652 ,
227269.60675757, 232934.24074516, 136732.71916797, 287796.45485515,
236141.41763986, 205249.74913339, 241486.71246435, 221736.88198262,
228151.23577202, 266151.45713188, 120377.49553139, 200973.5132738 ,
289052.9437705 , 299368.67351859, 133525.54227327, 207200.43711274,
338063.09394245, 247338.7764024 , 184111.52052366, 176308.76860627,
225506.34872867, 106535.2497255 , 194614.68022221, 182723.12239567,
179890.80540187, 345171.64679584, 149131.04610805, 243062.5405428 ,
157683.51782725, 202042.5722387 , 231677.75182981, 283895.07889646,
315349.03725427, 332211.0300044 , 281250.19185311, 196884.70736465,
242743.2013797 , 252628.55048909, 107604.3086904 , 283707.648946 ,
203861.3510054 , 291378.49165075, 232052.61173071, 218904.56498883,
350142.08171943, 161210.03388504, 204368.12011894, 228713.52562337,
238973.73463365, 188012.89648236, 102446.44381636, 268102.14511122,
251240.15236109, 144160.61118446, 249796.23349529, 249421.37359439,
146861.01896561, 206506.23804874, 302200.99051239, 169387.64570333,
138121.11729596, 146111.29916381, 271121.89205547, 282638.58998111,
124278.87149008, 310003.74242978, 151269.16403785, 258480.61442713,
340013.78192179, 256529.92644778, 320319.47217787, 301131.93154749,
248220.40541685, 278417.87485931, 155920.25979835, 102446.44381636,
235953.98768941, 195308.8792862 , 128367.67739923, 304845.87755573,
171900.62353403, 207950.15691454, 287983.8848056 , 263131.71018763,
241806.05162745, 225506.34872867, 162091.66289949, 151831.4538892 ,
114338.00164289, 255460.86748288, 236516.27754076, 296348.92657434,
251240.15236109, 276786.52604306, 297230.55558879, 283707.648946 ,
168880.87658979, 277536.24584487, 222299.17183397, 275210.69796462,
325984.10616546, 213934.13006523, 299875.44263214, 297737.32470234])
```

In [ ]:

## 23. Polynomial Regression

- When data is not following any linearity
- Polynomial regression is a regression algorithm that models the relationship between a dependent(y) and independent variable(x) as nth degree polynomial
- $Y = b_0 + b_1x_1 + b_2x_1^2 + b_3x_1^3 + \dots + b_nx_1^n$

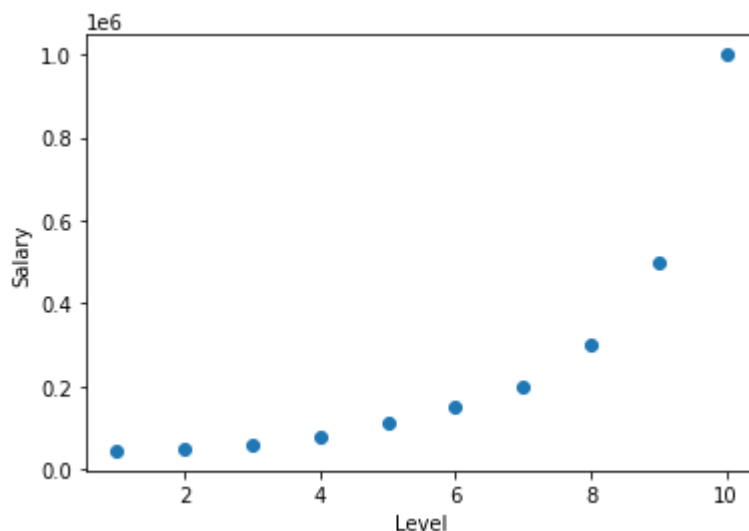
```
In [2]: import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
```

```
In [4]: dataset = pd.read_csv(r'Data/polynomial.csv')
dataset.head(3)
```

```
Out[4]:
```

	Level	Salary
0	1	45000
1	2	50000
2	3	60000

```
In [8]: plt.scatter(dataset["Level"], dataset["Salary"])
plt.xlabel("Level")
plt.ylabel("Salary")
plt.show()
```



- So this graph is showing that data is not linear

## To check correlation

```
In [6]: dataset.corr()
```

```
Out[6]:
```

	Level	Salary
Level	1.000000	0.817949
Salary	0.817949	1.000000

## Separate data into input and output

```
In [9]: # Remember that data should be multidimensional
x = dataset[['Level']]
y = dataset['Salary']
```

## Convert data into polynomial nature

```
In [10]: from sklearn.preprocessing import PolynomialFeatures
```

```
In [31]: # Change the degree to 2 and so on, depend on your need, to make the model more acc
pf = PolynomialFeatures(degree=2)
pf.fit(x)
x = pf.transform(x)
x
```

```
Out[31]: array([[1.000e+00, 1.000e+00, 1.000e+00, 1.000e+00, 1.000e+00, 1.000e+00,
                1.000e+00, 1.000e+00, 1.000e+00, 1.000e+00],
               [1.000e+00, 1.000e+00, 2.000e+00, 4.000e+00, 1.000e+00, 2.000e+00,
                4.000e+00, 4.000e+00, 8.000e+00, 1.600e+01],
               [1.000e+00, 1.000e+00, 3.000e+00, 9.000e+00, 1.000e+00, 3.000e+00,
                9.000e+00, 9.000e+00, 2.700e+01, 8.100e+01],
               [1.000e+00, 1.000e+00, 4.000e+00, 1.600e+01, 1.000e+00, 4.000e+00,
                1.600e+01, 1.600e+01, 6.400e+01, 2.560e+02],
               [1.000e+00, 1.000e+00, 5.000e+00, 2.500e+01, 1.000e+00, 5.000e+00,
                2.500e+01, 2.500e+01, 1.250e+02, 6.250e+02],
               [1.000e+00, 1.000e+00, 6.000e+00, 3.600e+01, 1.000e+00, 6.000e+00,
                3.600e+01, 3.600e+01, 2.160e+02, 1.296e+03],
               [1.000e+00, 1.000e+00, 7.000e+00, 4.900e+01, 1.000e+00, 7.000e+00,
                4.900e+01, 4.900e+01, 3.430e+02, 2.401e+03],
               [1.000e+00, 1.000e+00, 8.000e+00, 6.400e+01, 1.000e+00, 8.000e+00,
                6.400e+01, 6.400e+01, 5.120e+02, 4.096e+03],
               [1.000e+00, 1.000e+00, 9.000e+00, 8.100e+01, 1.000e+00, 9.000e+00,
                8.100e+01, 8.100e+01, 7.290e+02, 6.561e+03],
               [1.000e+00, 1.000e+00, 1.000e+01, 1.000e+02, 1.000e+00, 1.000e+01,
                1.000e+02, 1.000e+02, 1.000e+03, 1.000e+04]])
```

## Split data into train and test

```
In [13]: from sklearn.model_selection import train_test_split
```

```
In [18]: x_train, x_test, y_train, y_test = train_test_split(x,y,test_size=0.2, random_state
```



## Build model using polynomial regression

```
In [19]: from sklearn.linear_model import LinearRegression
```

```
In [20]: lr = LinearRegression()  
lr.fit(x_train, y_train)
```

```
Out[20]: ▼ LinearRegression  
LinearRegression()
```

## Check model accuracy

```
In [22]: lr.score(x_test, y_test)*100
```

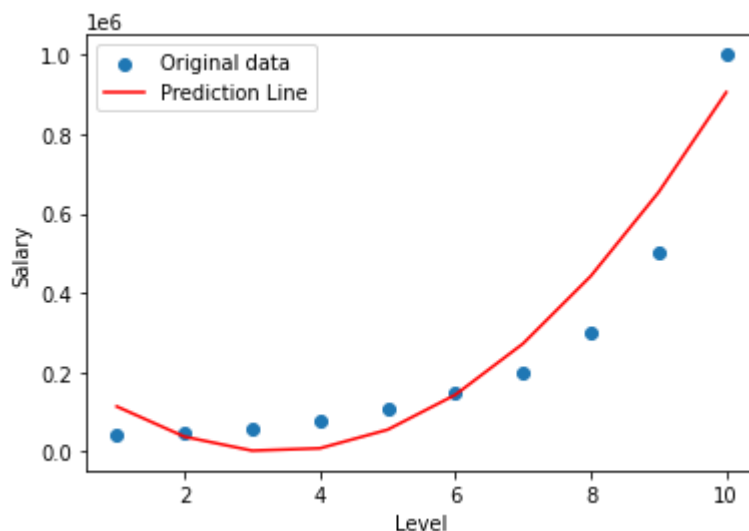
```
Out[22]: 76.66492889299911
```

## Draw Prediction Line

```
In [23]: pred = lr.predict(x)  
pred
```

```
Out[23]: array([114155.94968909, 38027.48728095, 2903.12323346, 8782.85754664,  
55666.69022046, 143554.62125495, 272446.65065008, 442342.77840588,  
653243.00452233, 905147.32899944])
```

```
In [26]: plt.scatter(dataset["Level"], dataset["Salary"])  
plt.plot(dataset['Level'], pred, c='red')  
plt.xlabel("Level")  
plt.ylabel("Salary")  
plt.legend(["Original data", "Prediction Line"])  
plt.show()
```



**Remember, before testing any data, you have to convert it into polynomial feature, then use it for prediction, like below:**

```
In [29]: test = pf.transform([[9]])  
test
```

```
C:\Users\rashi\AppData\Local\Programs\Python\Python39\lib\site-packages\sklearn\base.py:450: UserWarning: X does not have valid feature names, but PolynomialFeatures was fitted with feature names  
  warnings.warn(
```

```
Out[29]: array([[ 1.,  9., 81.]])
```

```
In [30]: lr.predict(test)
```

```
Out[30]: array([653243.00452233])
```

**Beware of overfitting / underfitting, your model should not be that much accurate, so it go to overfitting** - rahter it should be best fit

```
In [ ]:
```

# 24. Cost Function

## What is Cost Function:

- A cost function is an important parameter that determines how well a machine learning model performs for a given dataset
- Cost function is a measure of how wrong the model is in estimating the relationship b/w  $x(\text{input})$  and  $y(\text{output})$  parameter.
- With the help of cost function, you draw best fit line
- Cost function and loss functions are both functions of error - to make the error minimum from the best fit line

## Types of cost function:

- Regression cost function
- Classification cost function

### 1) Regression Cost Function:

- Regression models are used to make a prediction for the continuous variables.
  1. MSE (Mean Square Error)
  2. RMSE (Root Mean Square Error)
  3. MAE (Mean Absolute Error)
  4.  $R^2$  Accuracy

**2) Binary Classification Cost Function:** Classification models are used to make predictions of categorical variables, such as predictions for 0 or 1, cat or dog, etc.

**3) Multi-class Classification Cost Function:** A multi-class classification cost function is used in the classification problems for which instances are allocated to one of more than two classes. Binary Cross Entropy Cost Function or Log Loss Function

## 24.1 Regression Cost Function



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- red line represents prediction line
- blue points represent original data
- red triangles represent error

- please note that the error value should be minimum
- For this we use **cost function to make the error minimum from prediction line**

## 24.2 Mean Square Error

**Mean Square Error (MSE)** is the mean squared difference b/w the actual and predicted values. MSE penalizes high errors caused by outliers by squaring the error. MSE is also known as **L2 Loss**.

The Mean Squared Error (MSE) is calculated as:

$$\text{MSE} = \frac{1}{n} \sum_{i=1}^n (y_i - \hat{y}_i)^2$$

*Whereas :  $-y_i = \text{Original value}$   $-\hat{y}_i = \text{Predicted value}$   $-n = \text{number of rows}$*

Advantages of using MSE are:

1. It is differentiable

Disadvantages of using MSE:

1. When outlier is present in data, it will increase exponentially when squaring took place, so it will give wrong predictions
2. The data does not remain in original form, rather available in squared form, and also if original data is in cm. then it will change the unit in  $\text{cm}^2$  as well. So the data as well as units will not be in original format.

In [ ]:

The differentiation of  $(y = mx + c)$  with respect to  $(x)$  is:

$$\frac{d}{dx}(y) = \frac{d}{dx}(mx + c) = m$$

In this differentiation:

- $(\frac{d}{dx}(y))$  represents the derivative of  $(y)$  with respect to  $(x)$ .
- $(\frac{d}{dx}(mx + c))$  is the derivative of the function  $(mx + c)$ .
- The result  $(m)$  is the slope of the line, which is constant in this linear equation.

The update formula for finding **m(new)** is given by:

$$M_{\text{new}} = M_{\text{old}} - \lambda \left( \frac{dz}{dm} \right)$$

## 24.3 Mean Absolute Error

**Mean Absolute Error (MAE)** is the mean absolute difference b/w the actual values and the predicted values. MAE is more robust to outliers. The insensitivity to outliers is b/c it does not penalize high errors caused by outliers.

The Mean Absolute Error (MAE) is calculated as:

$$\text{MAE} = \frac{1}{n} \sum_{i=1}^n |y_i - \hat{y}_i|$$

Advantages of MAE:

1. Error remains in original form
2. It treats outlier well

Disadvantages are:

1. This is not a differentiable equation,

## 24.4 Root Mean Squared Error


**Root Mean Squared Error (RMSE)** is the root squared mean of the difference b/w actual and predicted values. RMSE can be used in situations where we want to penalize high errors but not as much as MSE does.


The Root Mean Square Error (RMSE) is calculated as:

$$\text{RMSE} = \sqrt{\frac{1}{n} \sum_{i=1}^n (y_i - \hat{y}_i)^2}$$

## 24.5 How to Find Best Fit Line

- For finding best line:
  1. Keep the error (loss) minimum (Which will be calculated through cost function)
  2. Through quadratic equation, gradient descent, we take the minimum value

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- loss function will be minimum after looking for best m (slope) and c (intercept) values in  $y = mx + c$
- m: donates angle
- c: donates intercept at y-axis.
- this whole process is called gradient descent technique

In [ ]:

# 25 Regularization Technique

## L1 (Lasso Regularization) L2 (Ridge Regularization)

- Used in linear regression mostly
- This is a form of regression, that constraints/regularizes or shrinks the coefficients estimates towards zero
- This technique discourages learning a more complex or flexible model, so as to avoid the risk of overfitting.
- Regularization can achieve this motive with 2 techniques:

1. Ridge Regularization/L2
2. Lasso Regularization/L1

- it helps in feature selection
- it helps reducing overfitting
- it removes the data with smaller coefficients or unwanted columns or columns/data which will have negligible impact on the final outcome

## 25.1 Regularization Technique (Lasso Regularization/L1)

- This is a regularization technique used in feature selection using a **shrinkage method** also referred as the **penalized regression method**.
- Lasso regression magnitude of coefficient can be exactly zero

The cost function is defined as:

$$\text{Cost Function} = \text{Loss} + \lambda \sum_{i=1}^n \|w_i\|$$

**Loss**= sum of squared residual, **lambda** = penalty, **w** = slope of the curve

- It helps in feature selection
- It makes the column (feature) zero which do not have function in the model



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- the black line (lambda mod(w)) shifts towards zero iteratively

## 25.2 Regularization Technique (Ridge Regularization/L2)

- it is called overfitting regularization technique and it reduces overfitting

Ridge regression, also known as L2 regularization, is an extension to linear regression that introduces a regularization term to reduce model complexity and **help prevent overfitting**. Ridge Regression is working value/magnitude of coefficients is almost equal to zero

Its cost function is defined as:

$$\text{Cost Function} = \text{Loss} + \lambda \sum_{i=1}^n \|w_i\|^2$$

**Loss**= sum of squared residual, **lambda** = penalty, **w** = slope of the curve



No description has been provided for this image

- it will not make exactly zero, but bring it towards zero
- L2 also reduces computational power, means reduces complexity of problem, it speeds up the model building

In [ ]:



## 26. Regularization Technique (Practical)

```
In [2]: import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn.preprocessing import StandardScaler
from sklearn.model_selection import train_test_split
```

```
In [3]: dataset = pd.read_csv(r'Data/housing.csv')
dataset.head(3)
```

```
Out[3]:
```

	area	bedrooms	bathrooms	stories	mainroad	guestroom	basement	hotwaterheating
0	7420	4	2	3	yes	no	no	nc
1	8960	4	4	4	yes	no	no	nc
2	9960	3	2	2	yes	no	yes	nc

```
In [4]: dataset.isnull().sum()
```

```
Out[4]: area          0
bedrooms          0
bathrooms          0
stories           0
mainroad           0
guestroom          0
basement           0
hotwaterheating    0
airconditioning     0
parking            0
prefarea           0
furnishingstatus    0
price              0
dtype: int64
```

## Encoding the Data into Numerical Form

```
In [5]: en_data = dataset[['mainroad', 'guestroom', 'basement', 'hotwaterheating', 'aircondi
en_data.head(3)
```

```
Out[5]:
```

	mainroad	guestroom	basement	hotwaterheating	airconditioning	prefarea	furnishing
0	yes	no	no	no	yes	yes	fur
1	yes	no	no	no	yes	no	fur
2	yes	no	yes	no	no	yes	semi-fur

```
In [6]: pd.get_dummies(en_data)
```

```
Out[6]:
```

	mainroad_no	mainroad_yes	guestroom_no	guestroom_yes	basement_no	basement_y
0	0	1	1	0	1	
1	0	1	1	0	1	
2	0	1	1	0	0	
3	0	1	1	0	0	
4	0	1	0	1	0	
...	...	...	...	...	...	...
540	0	1	1	0	0	
541	1	0	1	0	1	
542	0	1	1	0	1	
543	1	0	1	0	1	
544	0	1	1	0	1	

545 rows × 15 columns

```
In [7]: pd.get_dummies(en_data).info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 545 entries, 0 to 544
Data columns (total 15 columns):
#   Column                                Non-Null Count  Dtype
---  -
0   mainroad_no                          545 non-null    uint8
1   mainroad_yes                         545 non-null    uint8
2   guestroom_no                        545 non-null    uint8
3   guestroom_yes                       545 non-null    uint8
4   basement_no                         545 non-null    uint8
5   basement_yes                        545 non-null    uint8
6   hotwaterheating_no                 545 non-null    uint8
7   hotwaterheating_yes                545 non-null    uint8
8   airconditioning_no                 545 non-null    uint8
9   airconditioning_yes                545 non-null    uint8
10  prefarea_no                        545 non-null    uint8
11  prefarea_yes                       545 non-null    uint8
12  furnishingstatus_furnished          545 non-null    uint8
13  furnishingstatus_semi-furnished     545 non-null    uint8
14  furnishingstatus_unfurnished        545 non-null    uint8
dtypes: uint8(15)
memory usage: 8.1 KB
```

```
In [8]: from sklearn.preprocessing import OneHotEncoder
```

```
In [9]: ohe = OneHotEncoder()
ohe.fit_transform(en_data)
```

```
Out[9]: <545x15 sparse matrix of type '<class 'numpy.float64'>'
        with 3815 stored elements in Compressed Sparse Row format>
```

```
In [10]: ohe=OneHotEncoder()
arr = ohe.fit_transform(en_data).toarray()
arr
```

```
Out[10]: array([[0., 1., 1., ..., 1., 0., 0.],
               [0., 1., 1., ..., 1., 0., 0.],
               [0., 1., 1., ..., 0., 1., 0.],
               ...,
               [0., 1., 1., ..., 0., 0., 1.],
               [1., 0., 1., ..., 1., 0., 0.],
               [0., 1., 1., ..., 0., 0., 1.]])
```

```
In [11]: pd.DataFrame(arr, columns=['mainroad_Yes', 'mainroad_No', 'guestroom_Yes', 'guestroom_No', 'basement_Yes', 'basement_No'])
```

```
Out[11]:
```

	mainroad_Yes	mainroad_No	guestroom_Yes	guestroom_No	basement_Yes	basement_No
0	0.0	1.0	1.0	0.0	1.0	0.0
1	0.0	1.0	1.0	0.0	1.0	0.0
2	0.0	1.0	1.0	0.0	0.0	1.0
3	0.0	1.0	1.0	0.0	0.0	1.0
4	0.0	1.0	0.0	1.0	0.0	1.0
...	...	...	...	...	...	...
540	0.0	1.0	1.0	0.0	0.0	1.0
541	1.0	0.0	1.0	0.0	1.0	0.0
542	0.0	1.0	1.0	0.0	1.0	0.0
543	1.0	0.0	1.0	0.0	1.0	0.0
544	0.0	1.0	1.0	0.0	1.0	0.0

545 rows × 7 columns

```
In [12]: ohe = OneHotEncoder(drop='first')
ar = ohe.fit_transform(en_data).toarray()
ar
```

```
Out[12]: array([[1., 0., 0., ..., 1., 0., 0.],
                [1., 0., 0., ..., 0., 0., 0.],
                [1., 0., 1., ..., 1., 1., 0.],
                ...,
                [1., 0., 0., ..., 0., 0., 1.],
                [0., 0., 0., ..., 0., 0., 0.],
                [1., 0., 0., ..., 0., 0., 1.]])
```

```
In [13]: pd.DataFrame(arr, columns=['mainroad_Yes', 'mainroad_No', 'guestroom_Yes', 'guestroom_No', 'basement_Yes', 'basement_No'])
```

```
Out[13]:
```

	mainroad_Yes	mainroad_No	guestroom_Yes	guestroom_No	basement_Yes	basement_No
0	0.0	1.0	1.0	0.0	1.0	0.0
1	0.0	1.0	1.0	0.0	1.0	0.0
2	0.0	1.0	1.0	0.0	0.0	1.0
3	0.0	1.0	1.0	0.0	0.0	1.0
4	0.0	1.0	0.0	1.0	0.0	1.0
...	...	...	...	...	...	...
540	0.0	1.0	1.0	0.0	0.0	1.0
541	1.0	0.0	1.0	0.0	1.0	0.0
542	0.0	1.0	1.0	0.0	1.0	0.0
543	1.0	0.0	1.0	0.0	1.0	0.0
544	0.0	1.0	1.0	0.0	1.0	0.0

545 rows × 7 columns

```
In [14]: ohe = OneHotEncoder(drop='first')
ar = ohe.fit_transform(en_data).toarray()
ar
```

```
Out[14]: array([[1., 0., 0., ..., 1., 0., 0.],
                [1., 0., 0., ..., 0., 0., 0.],
                [1., 0., 1., ..., 1., 1., 0.],
                ...,
                [1., 0., 0., ..., 0., 0., 1.],
                [0., 0., 0., ..., 0., 0., 0.],
                [1., 0., 0., ..., 0., 0., 1.]])
```

```
In [15]: ar.shape
```

```
Out[15]: (545, 8)
```

```
In [16]: encoded_data = pd.DataFrame(ar, columns=['mainroad_Yes', 'guestroom_Yes', 'basement_Yes', 'mainroad_No', 'guestroom_No', 'basement_No'])
```

```
In [17]: encoded_data
```

Out[17]:

	mainroad_Yes	guestroom_Yes	basement_Yes	hotwaterheating_Yes	airconditioning_Yes
<b>0</b>	1.0	0.0	0.0	0.0	1.0
<b>1</b>	1.0	0.0	0.0	0.0	1.0
<b>2</b>	1.0	0.0	1.0	0.0	0.0
<b>3</b>	1.0	0.0	1.0	0.0	1.0
<b>4</b>	1.0	1.0	1.0	0.0	1.0
<b>...</b>	...	...	...	...	...
<b>540</b>	1.0	0.0	1.0	0.0	0.0
<b>541</b>	0.0	0.0	0.0	0.0	0.0
<b>542</b>	1.0	0.0	0.0	0.0	0.0
<b>543</b>	0.0	0.0	0.0	0.0	0.0
<b>544</b>	1.0	0.0	0.0	0.0	0.0

545 rows × 8 columns

```
In [18]: encoded_data.to_csv(r'Data/encoded_data_file.csv', index=False)
```

## Loading the Encoded Data for Applying Regularization Techniques

```
In [19]: dataset = pd.read_csv('Data/housing_2.csv')
dataset
```

```
Out[19]:
```

	area	bedrooms	bathrooms	stories	parking	mainroad_Yes	guestroom_Yes	baseme
<b>0</b>	7420	4	2	3	2	1	0	
<b>1</b>	8960	4	4	4	3	1	0	
<b>2</b>	9960	3	2	2	2	1	0	
<b>3</b>	7500	4	2	2	3	1	0	
<b>4</b>	7420	4	1	2	2	1	1	
...	...	...	...	...	...	...	...	...
<b>540</b>	3000	2	1	1	2	1	0	
<b>541</b>	2400	3	1	1	0	0	0	
<b>542</b>	3620	2	1	1	0	1	0	
<b>543</b>	2910	3	1	1	0	0	0	
<b>544</b>	3850	3	1	2	0	1	0	

545 rows × 14 columns

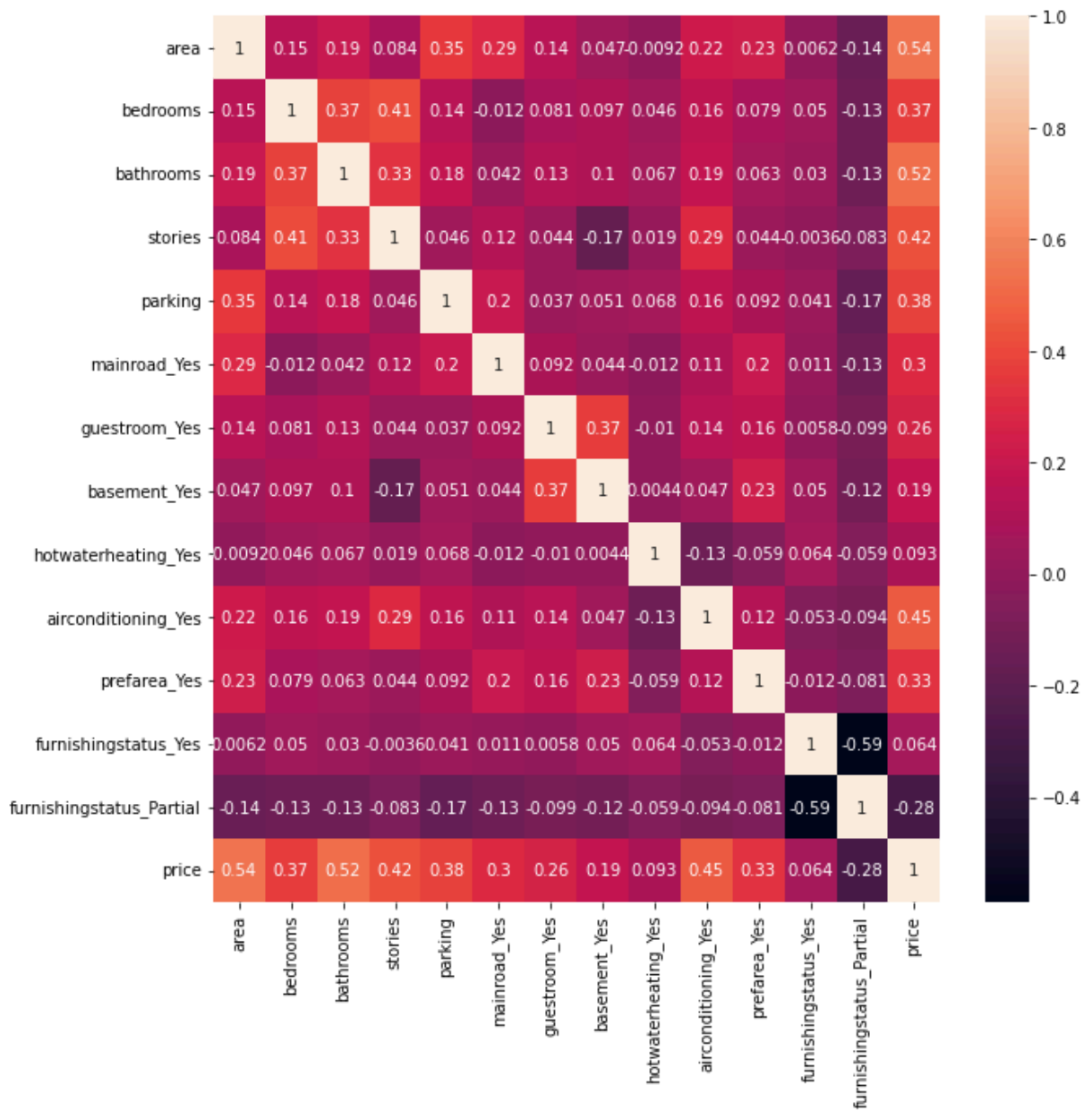
```
In [20]: dataset = pd.read_csv(r'Data/housing_2.csv')
dataset.head(3)
```

```
Out[20]:
```

	area	bedrooms	bathrooms	stories	parking	mainroad_Yes	guestroom_Yes	basement
<b>0</b>	7420	4	2	3	2	1	0	
<b>1</b>	8960	4	4	4	3	1	0	
<b>2</b>	9960	3	2	2	2	1	0	

### Check Correlation in Data

```
In [21]: plt.figure(figsize=(10,10))
sns.heatmap(data=dataset.corr(), annot=True)
plt.show()
```



```
In [22]: x = dataset.iloc[:, :-1]
x
```

```
Out[22]:
```

	area	bedrooms	bathrooms	stories	parking	mainroad_Yes	guestroom_Yes	baseme
<b>0</b>	7420	4	2	3	2	1	0	
<b>1</b>	8960	4	4	4	3	1	0	
<b>2</b>	9960	3	2	2	2	1	0	
<b>3</b>	7500	4	2	2	3	1	0	
<b>4</b>	7420	4	1	2	2	1	1	
<b>...</b>	<b>...</b>	<b>...</b>	<b>...</b>	<b>...</b>	<b>...</b>	<b>...</b>	<b>...</b>	<b>...</b>
<b>540</b>	3000	2	1	1	2	1	0	
<b>541</b>	2400	3	1	1	0	0	0	
<b>542</b>	3620	2	1	1	0	1	0	
<b>543</b>	2910	3	1	1	0	0	0	
<b>544</b>	3850	3	1	2	0	1	0	

545 rows × 13 columns

```
In [23]: y=dataset['price']
y
```

```
Out[23]: 0      13300000
1      12250000
2      12250000
3      12215000
4      11410000
...
540     1820000
541     1767150
542     1750000
543     1750000
544     1750000
Name: price, Length: 545, dtype: int64
```

### Perform Scaling on Data

```
In [28]: sc = StandardScaler()
sc.fit(x)
sc.transform(x)
```



```
Out[28]: array([[ 1.04672629,  1.40341936,  1.42181174, ...,  1.80494113,
                 -0.84488844, -0.6964292 ],
                [ 1.75700953,  1.40341936,  5.40580863, ..., -0.55403469,
                 -0.84488844, -0.6964292 ],
                [ 2.21823241,  0.04727831,  1.42181174, ...,  1.80494113,
                 1.18358821, -0.6964292 ],
                ...,
                [-0.70592066, -1.30886273, -0.57018671, ..., -0.55403469,
                 -0.84488844,  1.43589615],
                [-1.03338891,  0.04727831, -0.57018671, ..., -0.55403469,
                 -0.84488844, -0.6964292 ],
                [-0.5998394 ,  0.04727831, -0.57018671, ..., -0.55403469,
                 -0.84488844,  1.43589615]])
```

```
In [29]: # transform data to csv sheet
x = pd.DataFrame(sc.transform(x), columns=x.columns)
x
```

```
Out[29]:
```

	area	bedrooms	bathrooms	stories	parking	mainroad_Yes	guestroom_Yes
0	1.046726	1.403419	1.421812	1.378217	1.517692	0.405623	-0.465315
1	1.757010	1.403419	5.405809	2.532024	2.679409	0.405623	-0.465315
2	2.218232	0.047278	1.421812	0.224410	1.517692	0.405623	-0.465315
3	1.083624	1.403419	1.421812	0.224410	2.679409	0.405623	-0.465315
4	1.046726	1.403419	-0.570187	0.224410	1.517692	0.405623	2.149083
...	...	...	...	...	...	...	...
540	-0.991879	-1.308863	-0.570187	-0.929397	1.517692	0.405623	-0.465315
541	-1.268613	0.047278	-0.570187	-0.929397	-0.805741	-2.465344	-0.465315
542	-0.705921	-1.308863	-0.570187	-0.929397	-0.805741	0.405623	-0.465315
543	-1.033389	0.047278	-0.570187	-0.929397	-0.805741	-2.465344	-0.465315
544	-0.599839	0.047278	-0.570187	0.224410	-0.805741	0.405623	-0.465315

545 rows × 13 columns

### Split data into train and test

```
In [30]: x_train, x_test, y_train, y_test = train_test_split(x,y,test_size=0.2, random_state
```

## 26.1 Model by Linear Regression

```
In [31]: from sklearn.linear_model import LinearRegression, Lasso, Ridge
```

```
In [32]: lr = LinearRegression()
lr.fit(x_train, y_train)
```

```
Out[32]: ▾ LinearRegression
LinearRegression()
```

### Test Model

```
In [35]: lr.score(x_test, y_test)*100
```

```
Out[35]: 65.29242642153177
```

### Graphical representation of constant and coefficient

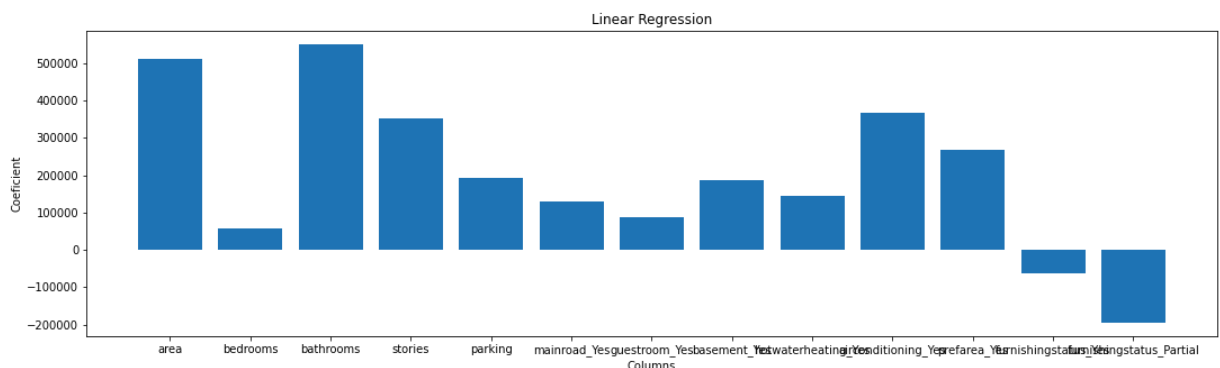
```
In [36]: lr.coef_
```

```
Out[36]: array([ 511615.56377666,  56615.57245779,  549420.50124098,
        353158.42985604,  193542.78167455,  128151.92129533,
        88590.21346152,  186194.15050566,  143233.20624958,
        367817.89491558,  267018.66081239, -62550.29721128,
       -193987.7810882  ])
```

```
In [37]: x.columns
```

```
Out[37]: Index(['area', 'bedrooms', 'bathrooms', 'stories', 'parking', 'mainroad_Yes',
        'guestroom_Yes', 'basement_Yes', 'hotwaterheating_Yes',
        'airconditioning_Yes', 'prefarea_Yes', 'furnishingstatus_Yes',
        'furnishingstatus_Partial'],
        dtype='object')
```

```
In [43]: #plt.bar(x_data, y_data)
plt.figure(figsize=(18,5))
plt.title("Linear Regression")
plt.bar(x.columns, lr.coef_)
plt.xlabel("Columns")
plt.ylabel("Coefficient")
plt.show()
```



## 26.2 Model by Lasso (L1)

This technique is used for feature selection

```
In [45]: # alpha: penalty corner, default 1.0
la = Lasso(alpha=0.5)
la.fit(x_train, y_train)
```

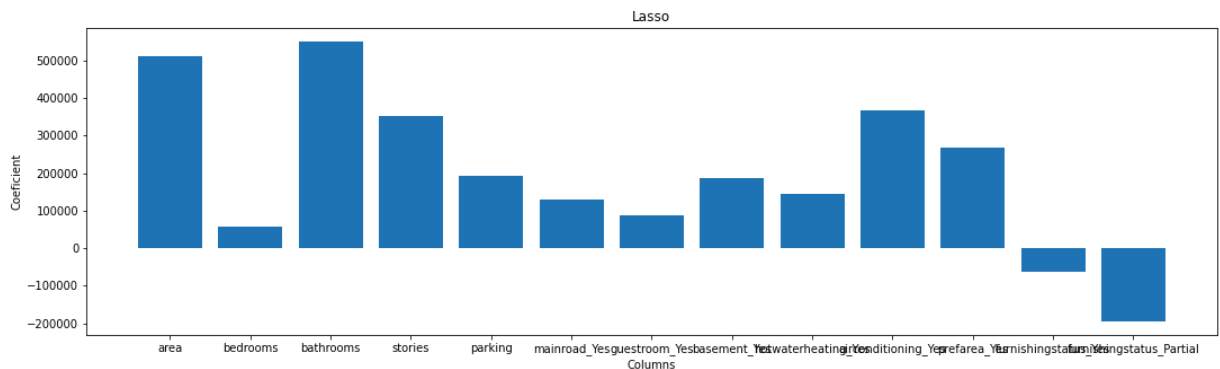
```
Out[45]: Lasso
Lasso(alpha=0.5)
```

### Test the Model

```
In [47]: la.score(x_test, y_test)*100
```

```
Out[47]: 65.29241383553659
```

```
In [50]: #plt.bar(x_data, y_data)
plt.figure(figsize=(18,5))
plt.title("Lasso")
plt.bar(x.columns, la.coef_)
plt.xlabel("Columns")
plt.ylabel("Coefficient")
plt.show()
```



## 26.3 Model by Ridge (L2)

- It reduces coefficient values and save model from over-fitting

```
In [51]: ri = Ridge(alpha=10)
ri.fit(x_train, y_train)
```

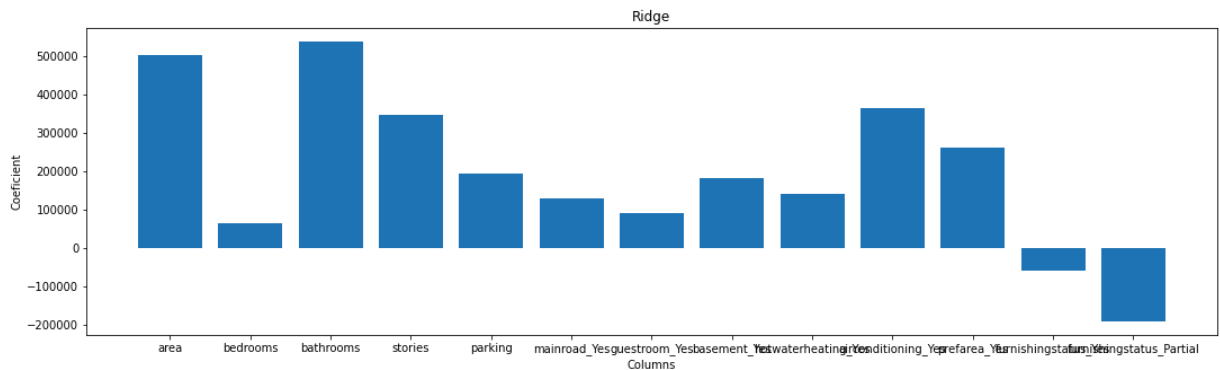
```
Out[51]: Ridge
Ridge(alpha=10)
```

### Test the Model

```
In [53]: ri.score(x_test, y_test)*100
```

Out[53]: 65.19079253215374

```
In [54]: #plt.bar(x_data, y_data)
plt.figure(figsize=(18,5))
plt.title("Ridge")
plt.bar(x.columns, ri.coef_)
plt.xlabel("Columns")
plt.ylabel("Coefficient")
plt.show()
```



## 26.4 To check which model is best

### 26.4.1 Regression Model

```
In [56]: from sklearn.metrics import mean_absolute_error, mean_squared_error
import numpy as np
```

```
In [61]: #mean_squared_error(y_true, y_pred)
print(mean_squared_error(y_test, lr.predict(x_test)))
#mean_absolute_error(y_true, y_pred)
print(mean_absolute_error(y_test, lr.predict(x_test)))
# Root mean square error
print(np.sqrt(mean_squared_error(y_test, lr.predict(x_test))))
```

1754318687330.6672

970043.4039201641

1324506.96009144

### 26.4.2 Lasso (L1) Model

```
In [62]: #mean_squared_error(y_true, y_pred)
print(mean_squared_error(y_test, la.predict(x_test)))
#mean_absolute_error(y_true, y_pred)
print(mean_absolute_error(y_test, la.predict(x_test)))
# Root mean square error
print(np.sqrt(mean_squared_error(y_test, la.predict(x_test))))
```

1754319323498.6353

970043.3950649527

1324507.2002441646

## 26.4.3 Ridge (L2) Model

```
In [63]: #mean_squared_error(y_true, y_pred)
print(mean_squared_error(y_test, ri.predict(x_test)))
#mean_absolute_error(y_true, y_pred)
print(mean_absolute_error(y_test, ri.predict(x_test)))
# Root mean square error
print(np.sqrt(mean_squared_error(y_test, ri.predict(x_test))))
```

```
1759455843663.3877
967942.6216085082
1326444.8136516602
```

**We will use Ridge model as it is showing comparatively less error as compared to Lasso and Linear regression model**

## 26.4.3 To compare coefficient of all models

```
In [64]: df = pd.DataFrame({"col_name":x.columns, "LinearRegression":lr.coef_, "Lasso":la.coef_, "Ridge":ri.coef_})
df
```

```
Out[64]:
```

	col_name	LinearRegression	Lasso	Ridge
0	area	511615.563777	511615.467912	502252.286215
1	bedrooms	56615.572458	56615.441731	65132.373585
2	bathrooms	549420.501241	549420.321462	537574.041615
3	stories	353158.429856	353158.186082	346006.857732
4	parking	193542.781675	193542.619408	194954.682792
5	mainroad_Yes	128151.921295	128151.745183	130790.775299
6	guestroom_Yes	88590.213462	88590.029990	91998.609421
7	basement_Yes	186194.150506	186193.873949	181385.995261
8	hotwaterheating_Yes	143233.206250	143232.743062	140133.580908
9	airconditioning_Yes	367817.894916	367817.774947	364207.282689
10	prefarea_Yes	267018.660812	267018.388019	262517.337220
11	furnishingstatus_Yes	-62550.297211	-62549.219050	-58988.254578
12	furnishingstatus_Partial	-193987.781088	-193986.867394	-190415.566289

```
In [ ]:
```