Lab 04

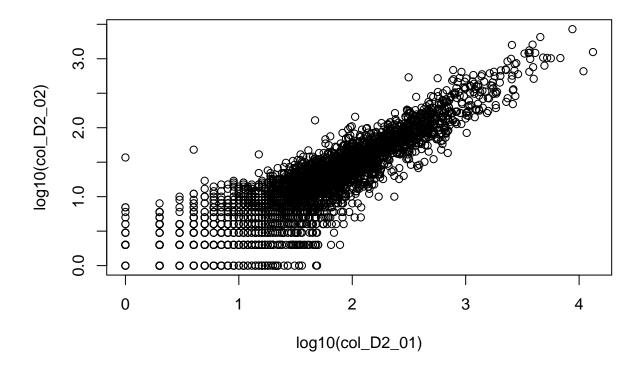
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2022-03-03

Part-01: read the data set

Part-02: plot D2 $_$ 01 and D2 $_$ 02 on log10-log10 scale

```
col_D2_01 = myTable[ , c("D2_01")]
col_D2_02 = myTable[ , c("D2_02")]
plot(log10(col_D2_01), log10(col_D2_02))
```

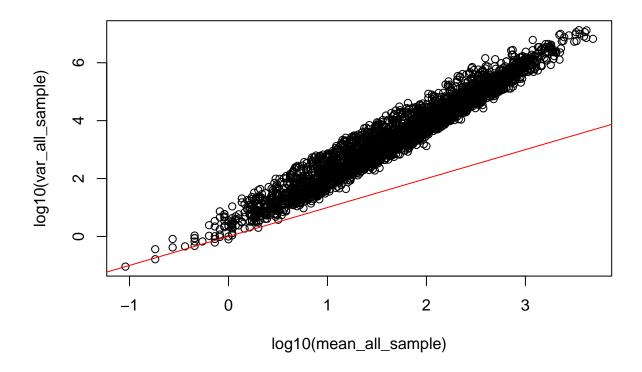


Qualitatively, from the plot, we see that both the replicas has a linear relationship among them in gene expression. Thus we can assume that they have a similar pattern.

Part-03: plot var(x-all samples) vs mean(x-all sample) on log10-log10 scale

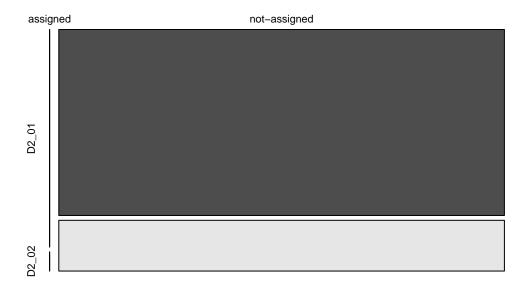
```
var_all_sample = apply(myTable, 1, var)
mean_all_sample = apply(myTable, 1, mean)

plot(log10(mean_all_sample), log10(var_all_sample))
abline(coef = c(0,1), col = 'red')
```



Part-04: 2-by-2 contingency table for NC101_00003 (fisher's test)

29L, 158299L), .Dim = c(2L, 2L), .Dimnames = list(c("assigned", "not-as



```
test = fisher.test(conTab)

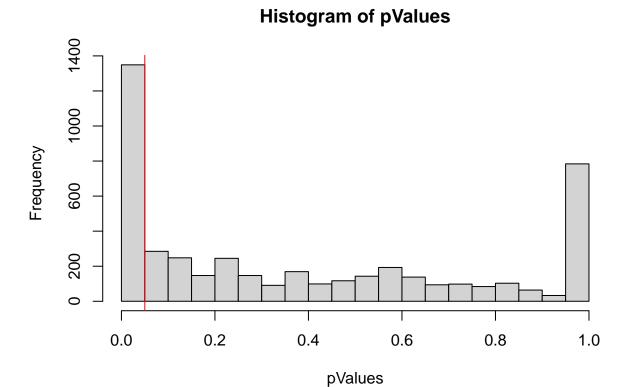
pVal = test$p.value
print(paste('p-value: ', pVal))
```

[1] "p-value: 1.67001714123219e-11"

Since, the p-value obtained from fisher's test is significant [<0.05], we reject the null hypothesis and conclude that there is association between the column and row variables.

Part-05: 2-by-2 contingency table for all the genes (fisher's test)



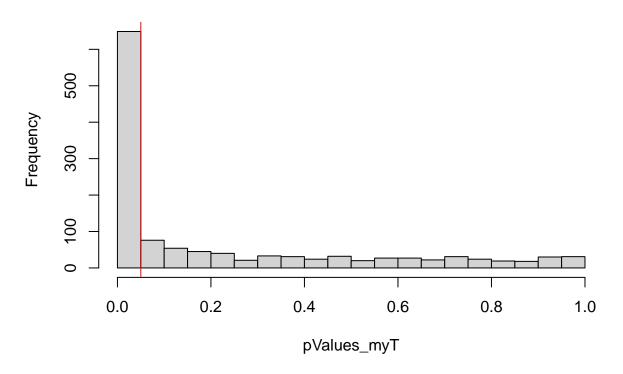


From the plot we can see that, the p-values are not entirely uniformly distributed. We can have p-values to be uniformly distributed when the null hypothesis is true. But we see that, the hypothesis is false for around 30% of the genes (left of red line) since we expect to have dependencies between the rows and columns for these.

Also, we expected to see more significant p-values since we are considering samples from replicas having similar gene patterns.

```
hist(pValues_myT, breaks = 25)
abline(v=0.05, col='red')
```

Histogram of pValues_myT



When we remove the low abundance genes the p-values starts to become more significant, thus distribution becoming more weighted towards zero.

part-06: poisson.test() for NC101_00003

```
newT = myTable+1

col_D2_O1_newT = newT[ , c("D2_O1")]
col_D2_O2_newT = newT[ , c("D2_O2")]

p = col_D2_O1_newT[1]/sum(col_D2_O1_newT)

test = poisson.test(col_D2_O2_newT[1], sum(col_D2_O2_newT), r=p)

p_val = test$p.value
print(paste('p-value: ', p_val))
```

[1] "p-value: 1.13934089393884e-13"

Since, the p-value obtained from poisson's test is significant [<0.05], we reject the null hypothesis and conclude that the expected frequencies are not similar.

part-07: poisson.test() for all the genes

```
pValues_pos = vector()

for (i in 1:length(col_D2_01_newT)) {

   p = col_D2_01_newT[i]/sum(col_D2_01_newT)

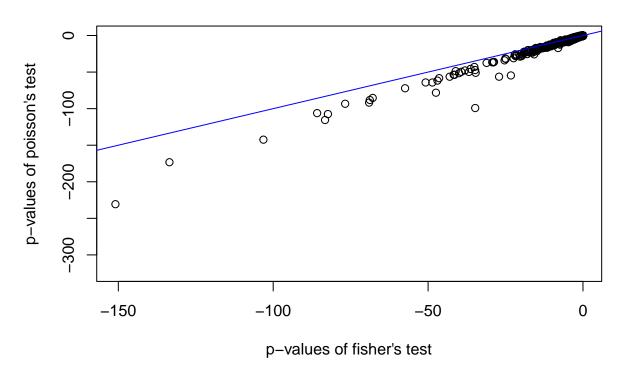
   test = poisson.test(col_D2_02_newT[i], sum(col_D2_02_newT), r=p)

   p_val = test$p.value
   pValues_pos[i] = p_val
}

plot(log10(pValues), log10(pValues_pos), xlab = 'p-values of fisher\'s test',
        ylab = 'p-values of poisson\'s test', main = 'log10-log10 plot')

abline(coef = c(0,1), col = 'blue')
```

log10-log10 plot



From the plot, we see that the p-values from fisher's test and poisson's test has almost a linear relationship. Therefore, we can assume they agrees.