

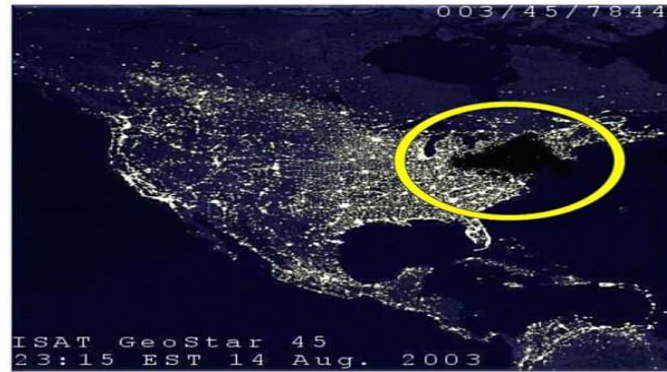
Predicting Cascading Failures in Smart Grids

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Grids are reliable but blackouts occur



<https://www.npr.org/2013/08/14/210620446/10-years-after-the-blackout-how-has-the-power-grid-changed>



<https://blog.cheaperthandirt.com/survive-summer-power-outage/>



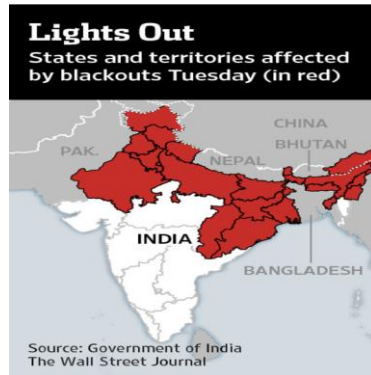
<https://www.buzzfeednews.com/article/gabrielsanchez/2003-blackout-new-york-city-without-power>



<https://www.amny.com/news/northeast-blackout-2003-1-20432049/>

A global problem

2012 India Blackout



wsj.com/articles/SB1000087239639044405804577560413178678898

2014 Bangladesh Blackout



<http://theevolutionandpresentdayofbangladesh.blogspot.com/2014/11/blackout-in-entire-country-people-of.html>

2015 Ukraine Blackout



<https://www.dailykos.com/stories/2018/3/16/1749595/-Ukraine-was-Putin-s-Trial-Run>

2019 Java Blackout



<https://www.nst.com.my/world/2019/08/510124/power-restored-java-after-12-hour-blackout>

Outline

Background & motivation for this work

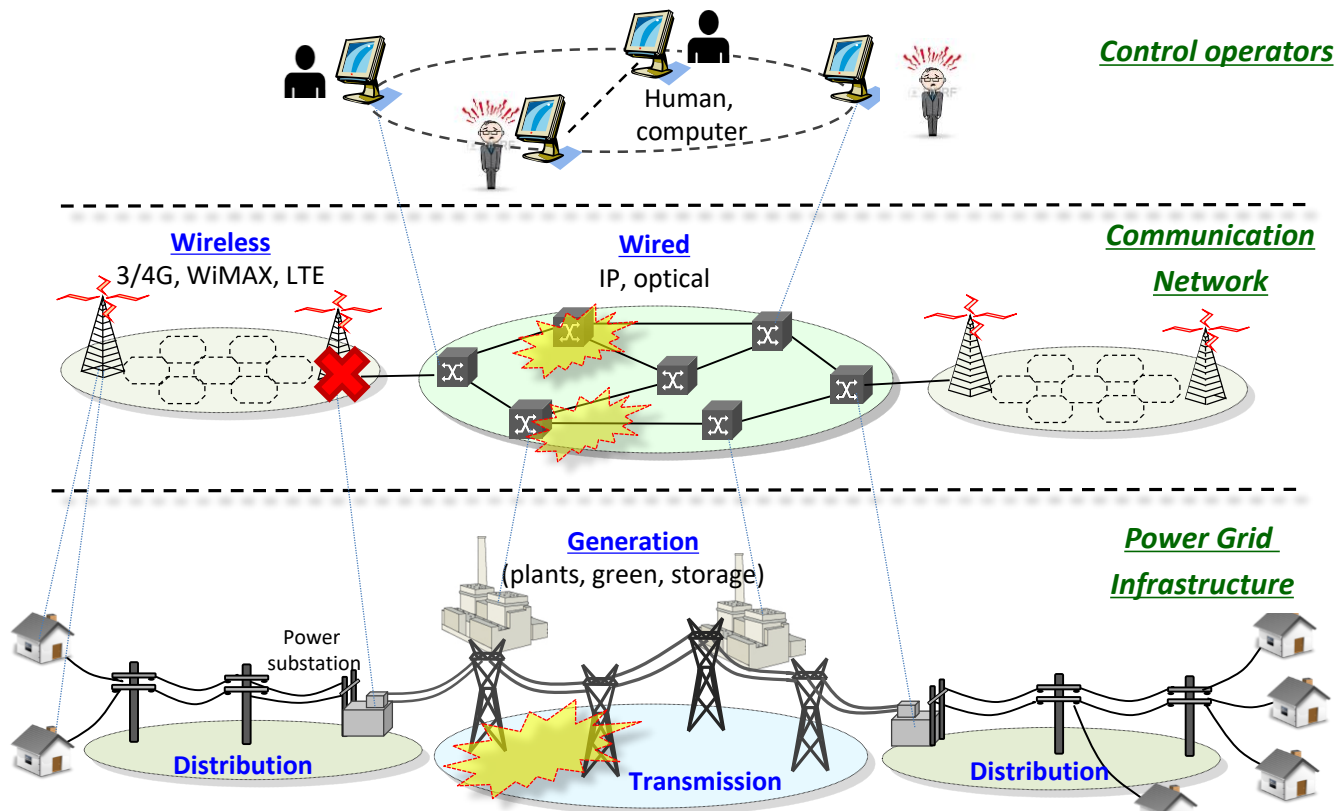
Data collection and feature engineering

Data cleaning and visualizations

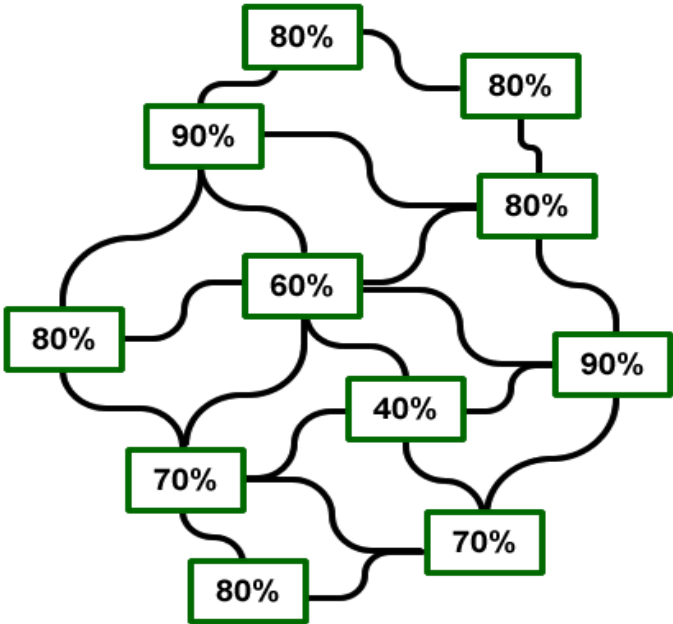
Model tuning, discussion and results

Conclusions and extensions

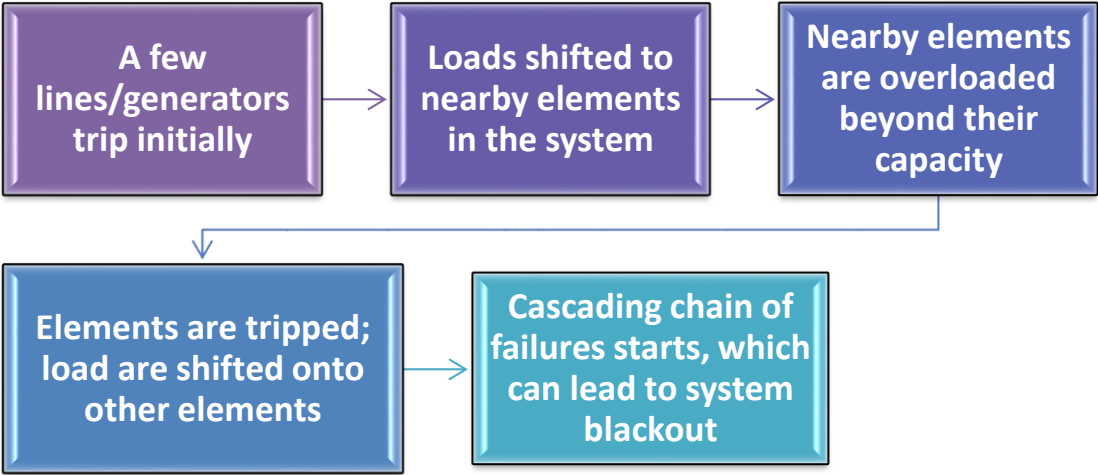
Interdependent multi-layer view of the smart grid



Cascading failures in power grid : overview



Network running normally

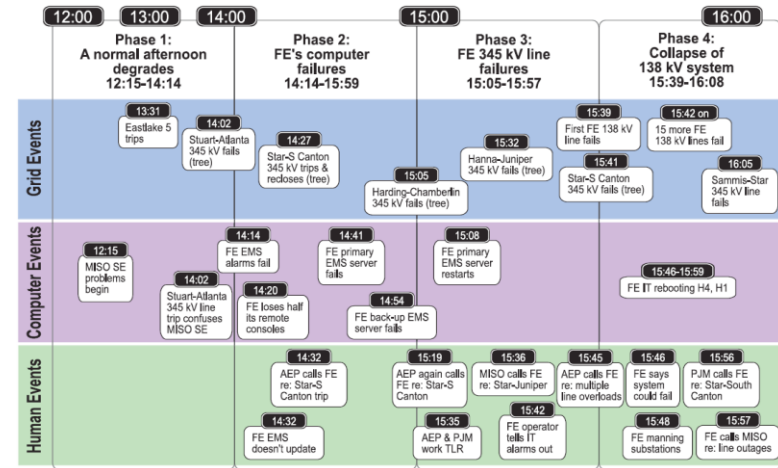


Source: Wikipedia

Understanding large blackouts: known causes

– 2003 Northeast Blackout

- Occurred due to combination of transmission line and communication network failures.
- Alarm software failed, left human operators unaware of transmission-line outage and resulting confusion and misjudgment led to cascading failures [1].



– 2011 South East Blackout (San Diego and AZ)

Technician accidentally shut 500-kv transmission line which lead to a blackout affecting 11 million people over 11 hours. Estimated losses in \$12-\$18M range [3].

– 2015 Ukraine Blackout

In 2015, cyber attackers gained access to the Ukraine power grid using malware and eventually attacked the grid and did massive outage affecting 0.25 million subscribers.

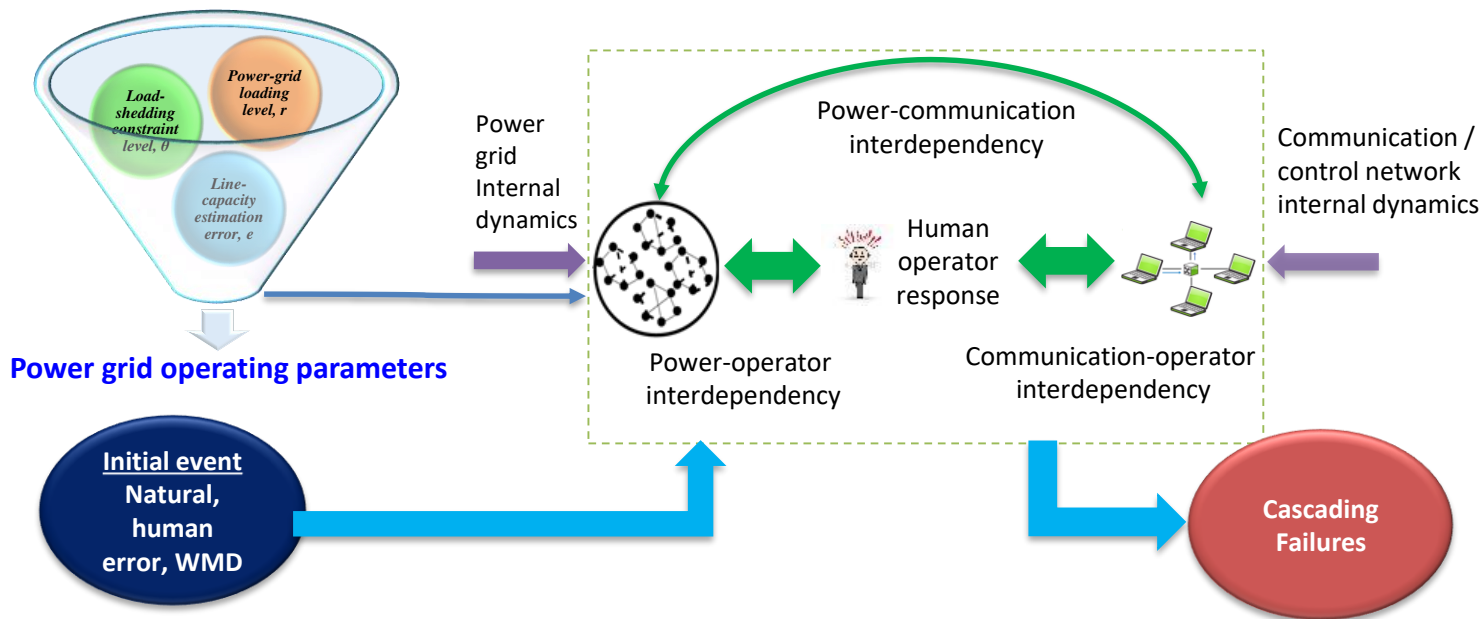
[1] U.S.-Canada System Outage Task Force, Princeton, NJ, USA, "Final Report on the August 14th Blackout in the United States and Canada 2004

[2] <https://www.ferc.gov/legal/staff-reports/04-27-2012-ferc-nerc-report.pdf>

[3] D. U. Case, "Analysis of the cyber attack on the Ukrainian power grid," Electricity Information Sharing and Analysis Center (E-ISAC), 2016.

Overview of cascading failure dynamics

Dynamical and stochastic cascading failures behavior



Motivations



Limited real-world data



Generating synthetic cascade data using DC/AC optimal power flow formulations



Feature engineering

- Utilities can use this model to mitigate the risk of cascading failures during planning phase.
- Significantly reduces the computational time.

Contributions



Development of a cascading failure simulation framework

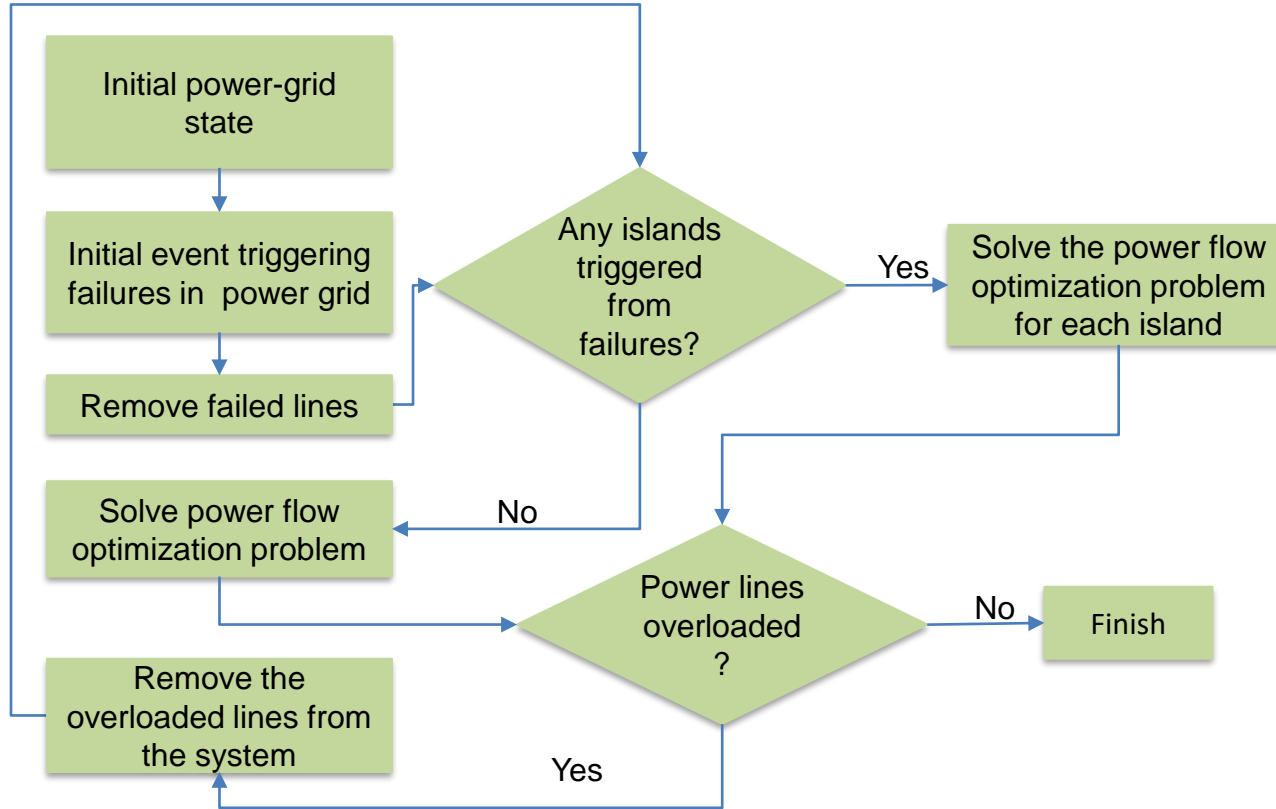


Classification of cascading failures in power grids



Predicting cascading failures (from line failures and load-shedding) using regression

Data collection: flowchart of the simulation framework



Dataset:

A 66817 X 19 Matrix with 16 features using IEEE 118 bus system (186 lines and max generation of 9966MW).

Target:

Amount of Load-shedding
Total Number of line fail
Cascading effect

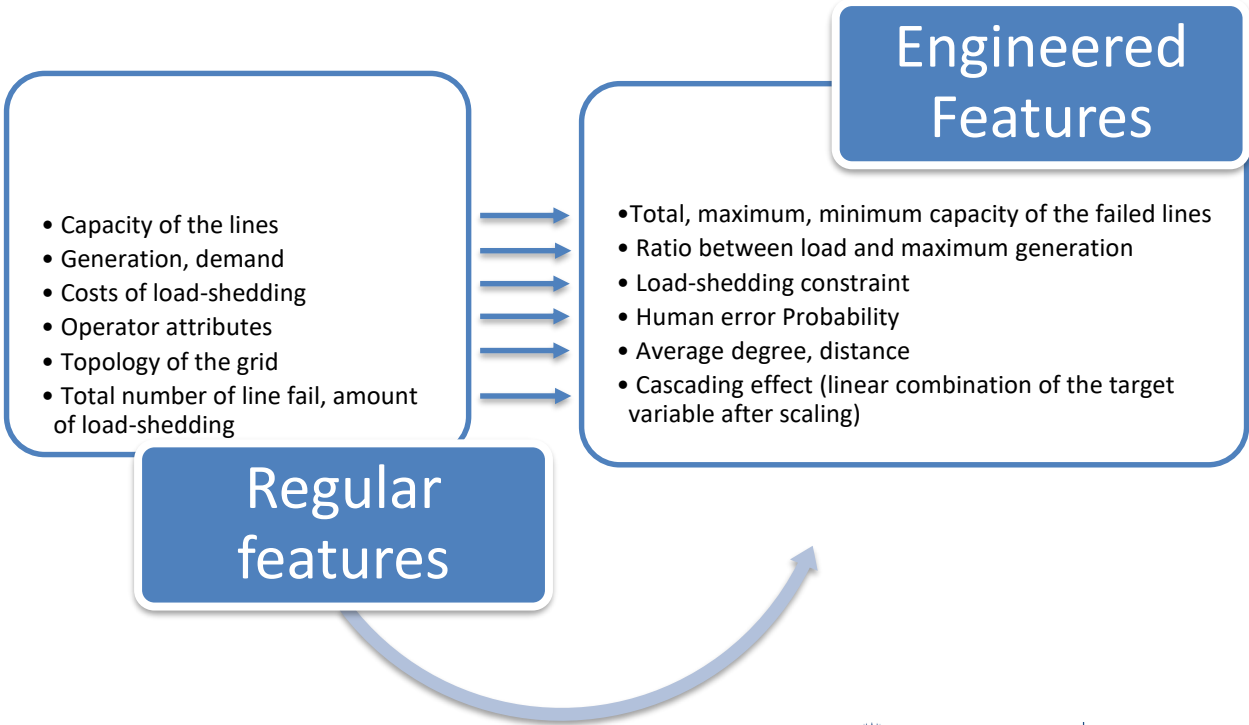
Source:

MATLAB using MATPOWER
[1] power-flow m-files.

Computation time: 556 hrs.

Feature selection and engineering

Features	Feature Remarks
Initial number failed lines	Regular feature
Generation	Regular feature
Demand	Regular feature
Served load	Regular feature
Capacity estimation error, alpha	Regular feature (uncertainty of information)
Flow capacity	Regular feature
Islands	Regular feature
Total Number of line fail	Target
Amount of load-shedding	Target

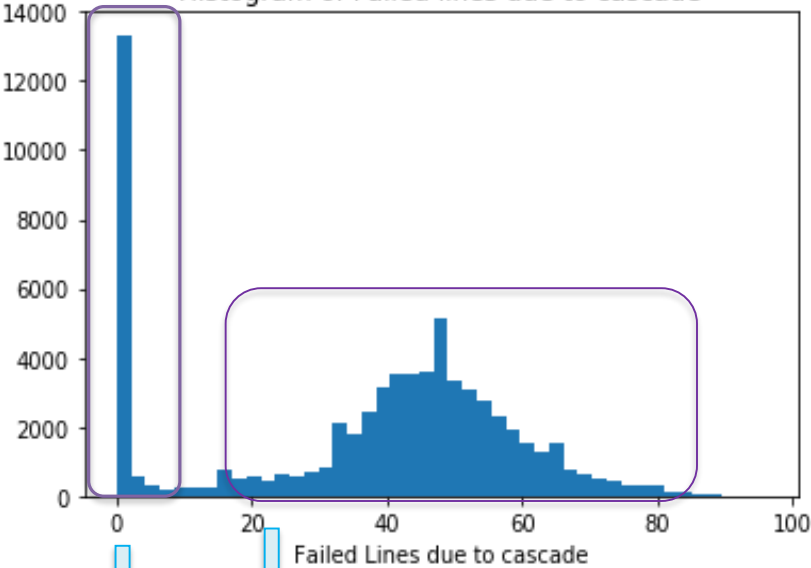


Data cleaning

- Duplicate Records – No duplicate records since the dataset is simulated
- Null Values – No null records since the dataset is simulated
- Outliers – No outliers since the dataset is simulated

Exploratory data analysis: data visualizations

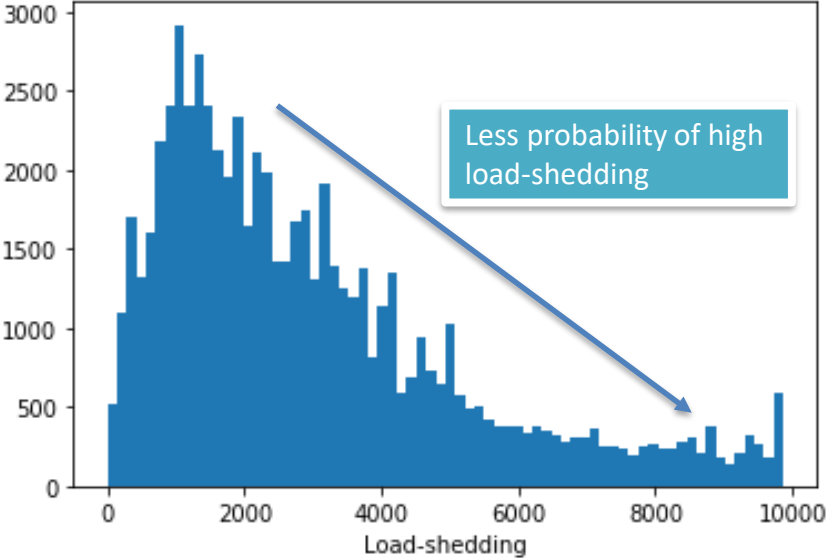
Histogram of Failed lines due to cascade



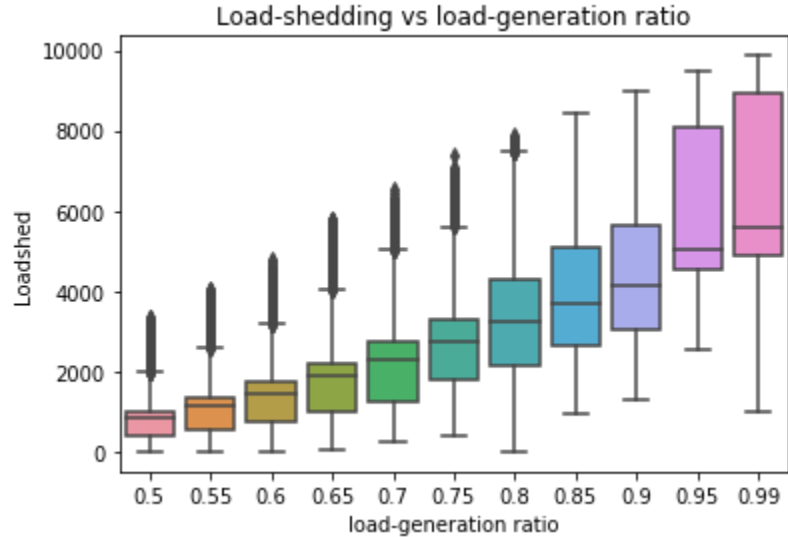
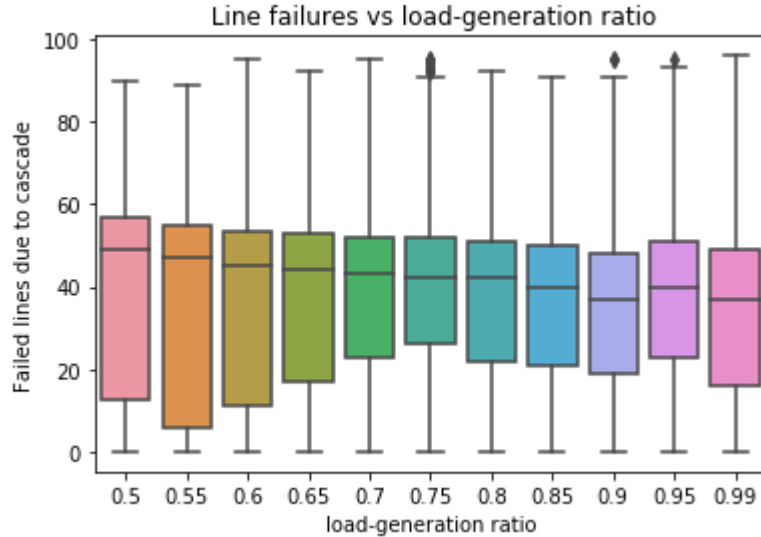
Gaussian in nature

No additional failures

Histogram of Load-shedding

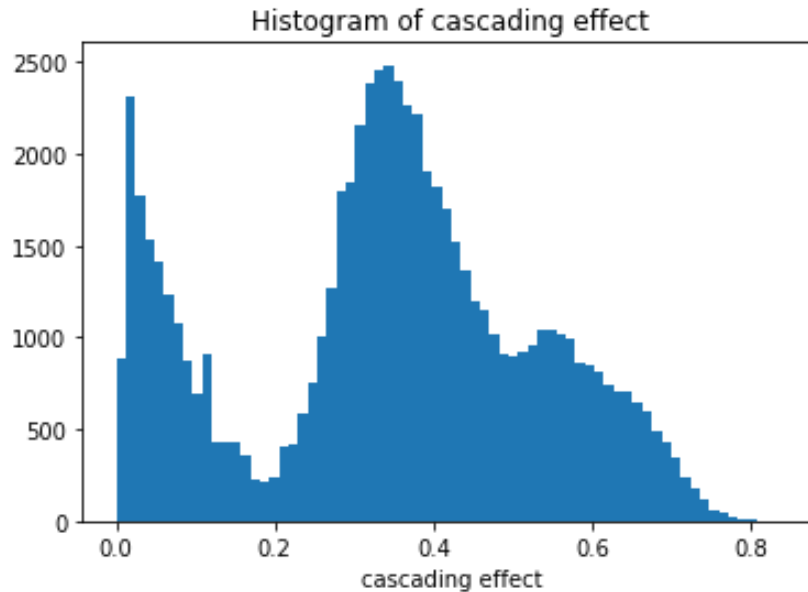


Exploratory data analysis: Data Visualizations



The mean of line failure remains almost the same while the amount of loadshedding increases significantly with higher load-generation ratio.

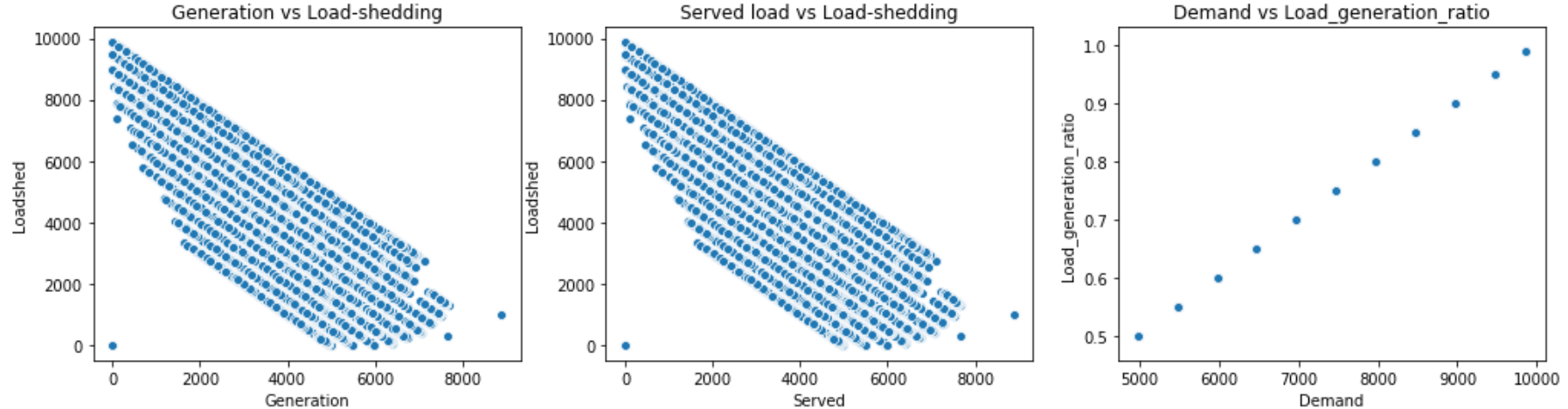
Exploratory data analysis: data visualizations



Histogram of the cascading effect shows bimodal nature. The first peak is due to no line failure scenarios and the second peak captures the average effect of line failures and loadshedding

Exploratory data analysis: pruning features/dimensionality reduction

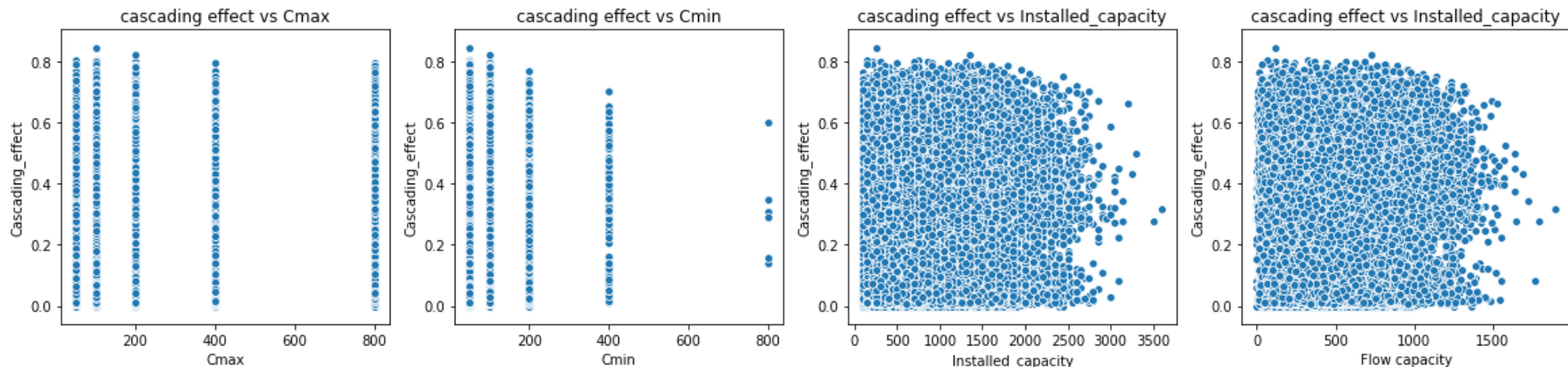
Load features



Decision: Removed generation, served, demand from the dataset to avoid collinearity
Rationale: scatterplot above shows linear correlation.

Exploratory data analysis: pruning features/dimensionality reduction

Capacity features

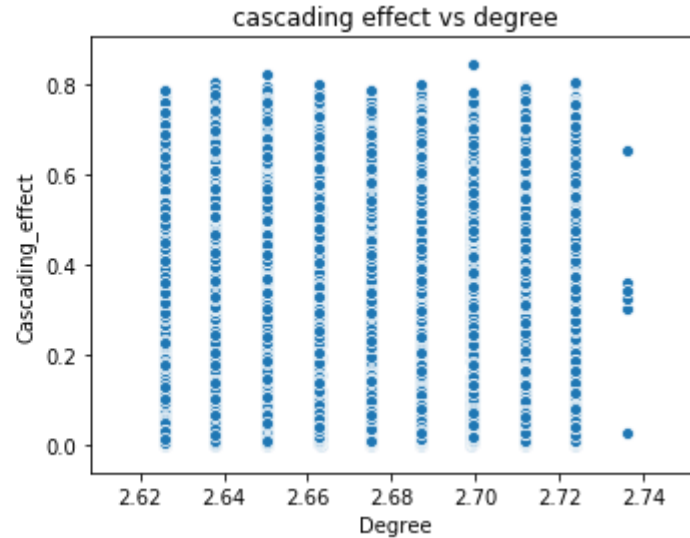
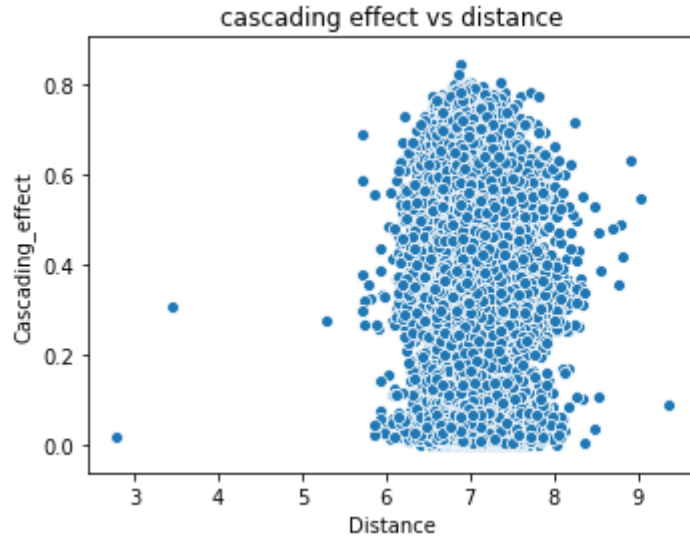


Decision: We can remove this four features from the data set as well. But for now Cmax, Cmin are kept and the other two are deleted. We may delete them later during model tuning.

Rationale: There is no visible patterns between Cmax, Cmin, Installed capacity, Flow capacity with cascading failure.

Exploratory data analysis: pruning features/dimensionality reduction

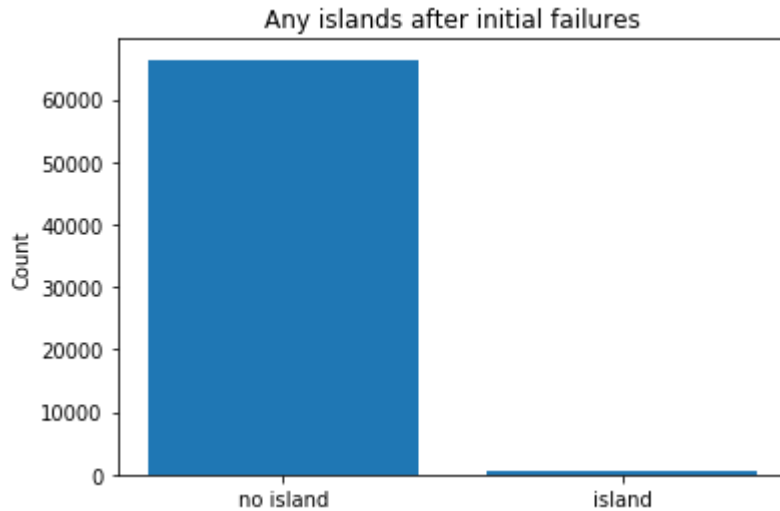
Topological features



Decision: We can remove this two features from the data set as well. But i will keep them for now and may delete them during model tuning.

Rationale: There is no visible patterns between degree and distance with cascading failure.

Exploratory data analysis: pruning features/dimensionality reduction



Finally, removed failed lines after cascade ends and load-shed features since cascading effect is obtained from their linear combinations.

Decision: Removed islands feature From dataset

Rationale: Bar chart above shows no islands formed after initial failures in most cases.

Exploratory data analysis: correlation between features

Strong correlation with cascading effect:

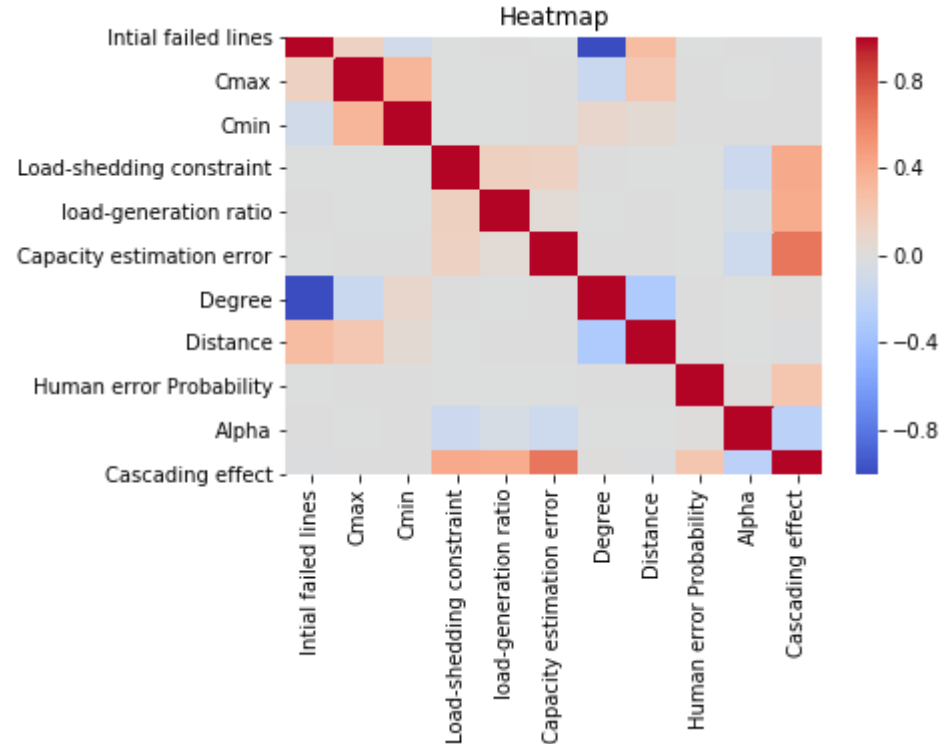
- Capacity estimation error

Moderate correlation with cascading effect:

- Load-generation ratio
- Load-shedding constraint
- Human error probability
- Alpha(negative correlation)

Low/minimal Correlation with cascading effect:

- Cmax, Cmin
- Degree, distance
- Initially failed lines



Modeling : (ML algorithms and modeling steps)

Algorithms for regression:

- Linear regression/ Ridge/Lasso regression
- Random Forest regression
- Support vector regressor

Algorithms for classification:

- Logistic regression
- KNN (k nearest neighbor)
- Random forest
- Decision tree
- Support vector machine
- Adaboost

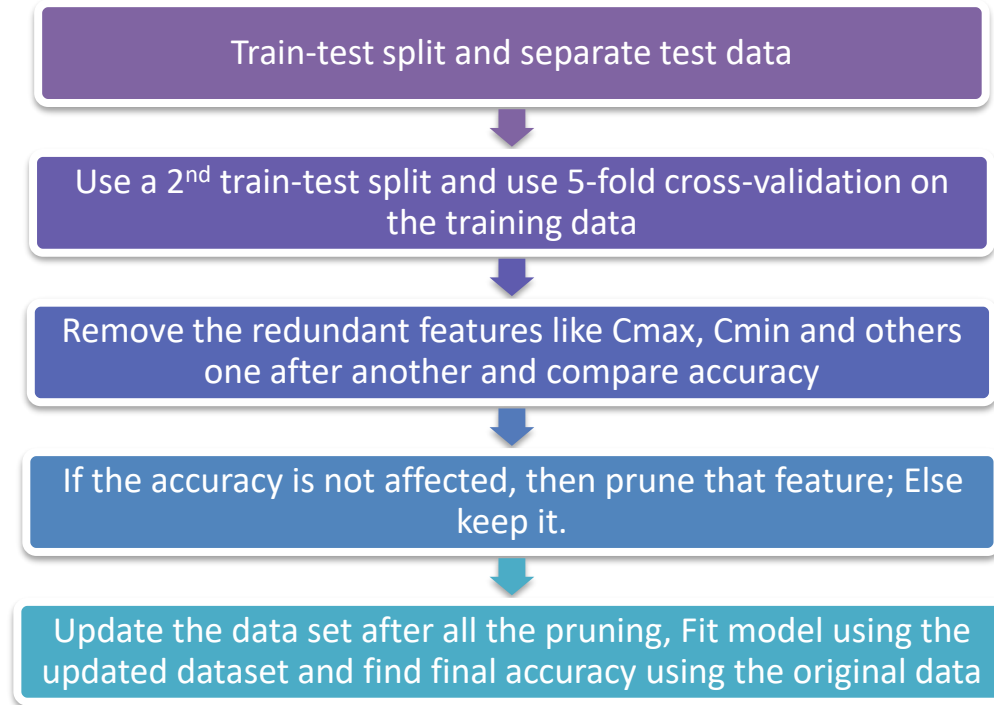
Regression metric:

- r-squared score.
- mean absolute error
- mean square error

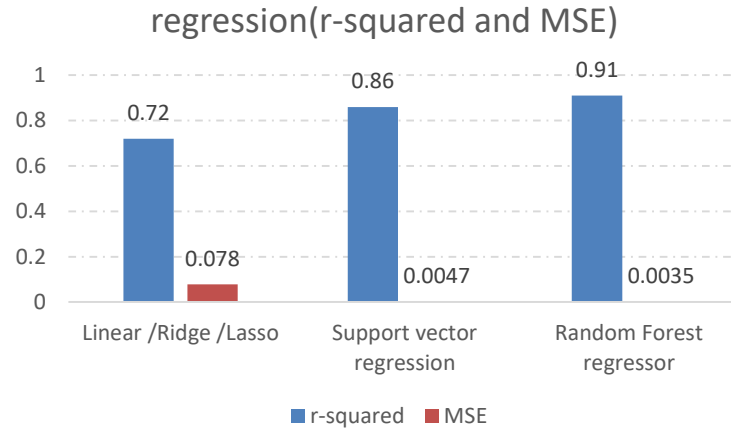
Classification Metric:

- Accuracy
- Precision
- Recall
- F1-score

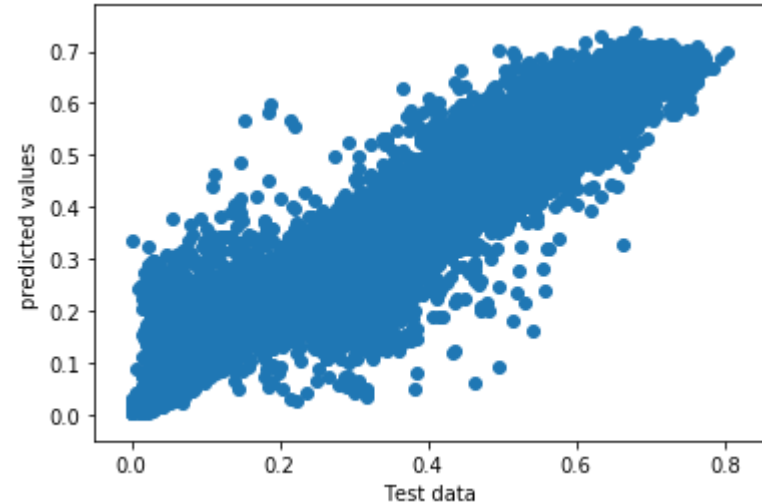
Steps used for modeling:



Regression model to predict cascading effect



- Random forest regression worked best.
- r-squared of 0.91 found after hyperparameter tuning (`n_estimators = 300`, `min_samples_split=10`, `min_samples_leaf=10`)

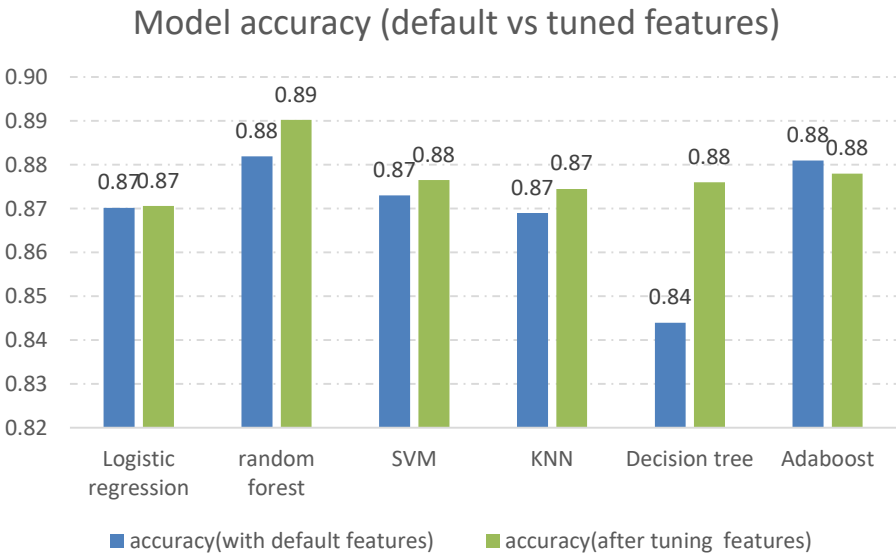


Predicted vs test data showing linear trend
(random forest regressor)

Classification of cascading failures

No cascade: cascading effect < mean of cascading effect

Cascade: cascading effect >= mean of cascading effect

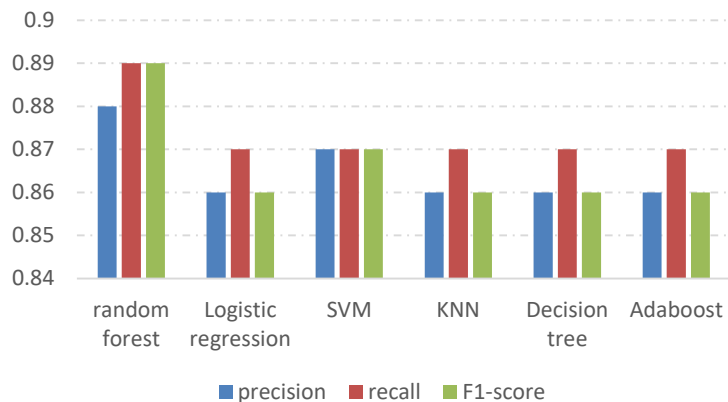


Model	Best hyperparameters
Decision tree	'criterion': 'entropy', 'min_samples_leaf': 10, 'min_samples_split': 5
KNN	'algorithm': 'auto', 'leaf_size': 1, 'n_neighbors': 10, 'weights': 'distance'
Adaboost	'algorithm': 'SAMME.R', 'learning_rate': 0.5, 'n_estimators': 200
Random forest	'criterion': 'gini', 'min_samples_leaf': 5, 'min_samples_split': 5, 'n_estimators': 50
Logistic regression	C= 10 (penalty = 'l2')
SVM	'C': 5, 'kernel': ['rbf']

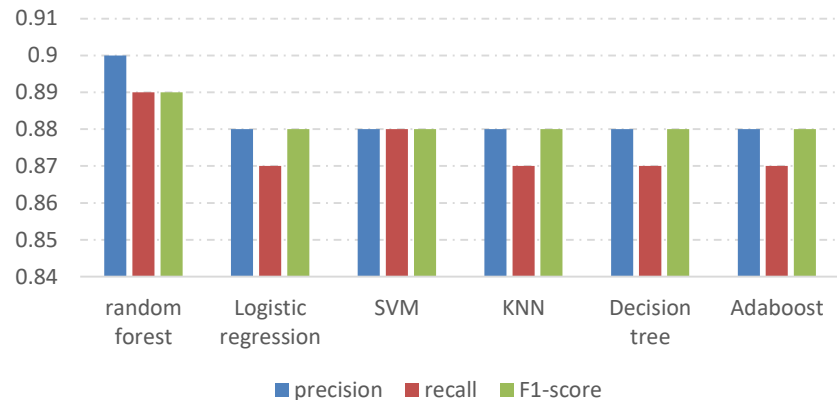
- Random forest best accuracy
- Decision tree gave the best improvement after feature tuning

Predicting cascading failures (classification report with tuned features)

No cascade prediction



Cascade prediction



- Model could predict the cascade/no cascade classes with high precision and recall.

Summary

- Machine learning algorithms were used to predict cascading failures in smart grids.
- We would use random forest for classification and regression for production because of high accuracy and a wide variety of hyperparameter tuning opportunities.
- Modeling effort reduces computational time.
- Utilities can use this model to mitigate the risk of cascading failures during planning phase.

THANK YOU QUESTIONS

Outline

Background

Contribution

**Data
Collection**

**Feature
engineering**

**Data
Cleaning**

**Exploratory
data analysis**

Heatmap

Modeling

Regression

Classification

Summary



MARQUETTE
UNIVERSITY

**BE THE
DIFFERENCE.**

Annex1: Algorithms for cascading failure simulation

Algorithm 1 Finding maximum overloaded lines probabilistically during cascading failures

Require: e , PF, Capacity

Ensure: FailedIndex

```
1: for  $i \leftarrow 1$  to  $M$  do
2:    $P_{lf}(i) \leftarrow \text{abs}(\text{PF}(i)) / ((1 - e) * \text{Capacity}(i))$ 
3: ProbTest  $\leftarrow 0$ 
4: for  $i \leftarrow 1$  to  $M$  do
5:   if rand < LinkProb( $i$ ) then
6:     if (ProbTest <  $P_{lf}(i)$ ) then
7:       ProbTest =  $P_{lf}(i)$ ;
8:       FailedIndex =  $i$ 
return FailedIndex
```

Algorithm 2 Solving power flow in each islanded grid

Require: mpc, s , c

Ensure: GD, PF

```
1: SG = sparse(AdjMatrix)
2: [ $s, c$ ] = graphconncomp(G)
3: for  $i \leftarrow 1$  to  $s$  do
4:   struct mpc[ $s$ ]  $\leftarrow$  mpc
5:   [PF, GD] = rundcopf(mpc[ $s$ ])
return GD, PF
```

Algorithms used to find the maximum overloaded line in one iteration and solving power flow in each island.

Annex2: HEP Calculation Using SPAR-H Methodology

Human factor influences transition prob. through human-error probability (HEP)

- HEP is explicit function of performance-shaping factors (PSFs), i.e.,

$$PSF < 3 \rightarrow HEP = NHEP \cdot \prod_{i=1}^2 PSF_i$$

$$PSF \geq 3 \rightarrow HEP = \frac{NHEP \cdot \prod_{i=1}^8 PSF_i}{NHEP \cdot (\prod_{i=1}^8 PSF_i - 1) + 1}$$

SPAR-H PSFs	SPAR-H PSF Levels	Multiplier	Pr.(escalation)
Diagnosis / Action		0.01/0.001	
Available time	Inadequate time	1	0.0
	Time available = time required	10	0.9
	Nominal time	1	0.1
	Time available \geq 5x time required	0.1	0.0
	Time available > 50x time required	0.01	0.0
Stress/Stressors	Extreme	5	0.4
	High	2	0.6
	Nominal	1	0.0
Complexity	Highly complex	5	0.4
	Moderately complex	2	0.6
	Nominal	1	0.0
	Obvious diagnosis	0.1	0.0
Experience	Low	10	0.6
	Nominal	1	0.2
Training	High	0.1	0.3
Procedures	Not available	50	0.0
	Incomplete	20	0.2
	Available, but poor	5	0.1
	Nominal	1	0.7
	Diagnostic/ system oriented	0.5 (Diagnosis only)	0.0
Ergonomics / HMI	Missing/ misleading	50	0.2
	Poor	20	0.0
	Nominal	1	0.8
	Good	0.5	0.0
Fitness for duty	Unfit	p(failure)= 1.00	0.0
	Degraded fitness	5	0.1
	Nominal	1	0.9
Work processes	Poor	2	0.0
	Nominal	1	1
	Good	0.8	0.0

Annex2: Frequency of PSFs (PSF distribution)

Table 3: Frequency of PSFs for 36 events sampled in operator interviews

<i>SPAR-H PSFs</i>	<i>SPAR-H PSF Levels</i> Source: Gertman <i>et al.</i> , 2005	<i>Frequency</i>
NHEP: Diagnosis / Action	0.01 / 0.001	N=36
Available time	Inadequate time	0.00
	Barely time / time available = time required	0.42
	Nominal time	0.56
	Extra time (between 1 and 2 times nominal time and more than 30 min)	0.03
	Expansive time (more than 2 times nominal time and more than 30 min)	0.00
Stress/Stressors	Extreme	0.03
	High	0.31
	Nominal	0.67
Complexity	Highly complex	0.11
	Moderately complex	0.67
	Nominal	0.14
	Obvious diagnosis	0.08
Experi-	Low	0.11
	Nominal	0.36
	High	0.53
Procedures	Not available	0.06
	Incomplete	0.08
	Available, but poor	0.06
	Nominal	0.81
	Diagnostic/ system oriented	0.00
Ergonomics/HMI	Missing/ misleading	0.36
	Poor	0.17
	Nominal	0.47
	Good	0.00
Fitness for duty	Unfit	0.00
	Degraded fitness	0.00
	Nominal	1.00
Work processes	Poor	0.11
	Nominal	0.69
	Good	0.19

Annex3:

$$\text{Precision} = \frac{\text{True Positive}}{\text{True Positive} + \text{False Positive}}$$

$$\text{Recall} = \frac{\text{True Positive}}{\text{True Positive} + \text{False Negative}}$$

$$F1 = 2 \times \frac{\text{Precision} * \text{Recall}}{\text{Precision} + \text{Recall}}$$

The Formula for R-Squared Is

$$R^2 = 1 - \frac{\text{Explained Variation}}{\text{Total Variation}}$$