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2010 Matematik 2A hold 4, Lay5.1TF
Alex Bondo Andersen, 6/8/10 at 12:48 PM

Question 1: Score 0/1

If $A\mathbf{x} = \lambda\mathbf{x}$ for some vector \mathbf{x} , then λ is an eigenvalue of A .



Your Answer: True

Correct Answer: False

Comment: False, since \mathbf{x} is not assumed different from the zero vector.

Question 2: Score 1/1

A matrix A is not invertible if and only if 0 is an eigenvalue of A .



Your Answer: True

Question 3: Score 1/1

A number c is an eigenvalue of A if and only if the equation $(A - cI)\mathbf{x} = \mathbf{0}$ has a nontrivial solution.



Your Answer: True

Question 4: Score 0/1

Finding an eigenvector of A may be difficult, but checking whether a given vector is in fact an eigenvector is easy.



Your Answer: False

Correct Answer: True

Question 5: Score 1/1

To find the eigenvalues of A , reduce A to echelon form.



Your Answer: False

Question 6: Score 0/1

If $A\mathbf{x} = \lambda\mathbf{x}$ for some scalar λ , then \mathbf{x} is an eigenvector of A .



Your Answer: True

Correct Answer: False

Question 7: Score 1/1

If \mathbf{v}_1 and \mathbf{v}_2 are linearly independent eigenvectors, then they correspond to distinct eigenvalues.



Your Answer: False

Question 8: *Score 1/1*

The eigenvalues of a matrix are on its main diagonal.



Your Answer: False

Question 9: *Score 1/1*

An eigenspace of A is a null space of a certain matrix.



Your Answer: True
