## 5.Decision\_Tree (without SKLearn)

## November 9, 2021

Classification using Decision Tree - Without SK-Learn

```
[20]: # Dataset
      # Format: each row is an example
      # The last column is the label
      # The first two columns are the input features
      training_data = [['Green', 3, 'Mango'],
                       ['Yellow', 3, 'Mango'],
                       ['Red', 1, 'Grape'],
                       ['Red', 1, 'Grape'],
                       ['Yellow', 3, 'Lemon']
      header = ["color", "diameter", "label"]
[21]: # Finding unique values in a column
      def unique_vals(rows, col):
          return set([row[col] for row in rows])
      # unique_vals(trianing_data, 0)
      # unique_vals(trianing_data, 1)
[22]: # counting unique values for each type of example in a dataset
      def class counts(rows):
          counts = {}
          for row in rows:
              label = row[-1]
              if label not in counts:
                  counts[label] = 0
              counts[label] += 1
          return counts
      # class_counts(training_data)
[23]: # To check for numeric or float
      def is_numeric(value):
          return isinstance(value, int) or isinstance(value,float)
```

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[24]: # This records a column number (example, O for Color) and column value
       → (example, green). The 'match' method is used to
      # compare the efature value in an example to the feature value stored in the \Box
       \rightarrow question.
      class Question:
          def __init__(self, column, value):
              self.column = column
              self.value = value
          def match(self, example):
              val = example[self.column]
              if is_numeric(val):
                  return val >= self.value
              else:
                  return val == self.value
          def __repr__(self):
              condition = "=="
              if is numeric(self.value):
                  condition = ">="
              return "Is %s %s %s?" % (header[self.column], condition, str(self.
       →value))
[25]: def partition(rows, question):
          # partitions dataset : if matches the question, "true rows", else "false"
       →rows"
          true_rows, false_rows = [], []
          for row in rows:
              if question.match(row):
                  true_rows.append(row)
              else:
                  false_rows.append(row)
          return true_rows, false_rows
      ###
      # Lets partition the training data based on whether rows are Red.
      # true_rows, false_rows = partition(training_data, Question(0, 'Red'))
      # This will contain all the 'Red' rows.
      # true_rows
      # This will contain everything else
      # flase_rows
      ####
```

"""calculate the gini impurity for a list of rows"""

counts = class\_counts(rows)

impurity = 1

def gini(rows):

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for 1bl in counts:
            prob of_lbl = counts[lbl] / float(len(rows))
            impurity -= prob_of_lbl**2
        return impurity
    ####
    # Demo:
    # Let us see how gini impurity works
    # First we will look at a dataset with no mixing.
    # no mixing = [['Mango', ['Mango']]]
    # gini(no mixing)
    # this will return O
   # lots_of_mixing =
→ [['Mango'], ['Orange'], ['Grape'], ['Grapefruit'], ['Blueberry']]
    # qini(lots_of_mixing)
    # This will return 0.8
    ####
def info_gain(left, right, current_uncertainty):
        """information gain. The uncertainity of the starting node, mius the\sqcup
→weighted impurity of two child nodes. """
        p = float(len(left)) / (len(left) + len(right))
        return current_uncertainty - p * gini(left) - (1-p) * gini(right)
    ####
    # /=Demo:
    # calculate the uncertainity of our training data
    # current_uncertianity = qini(training_data)
    # how much information do we gain by partitioning on 'Green'?
    # true_rows, false_rows = partition(training_data, Question(0, 'Green'))
    # info_gain(true_rows, false_rows, current_uncertainity)
    # what about if we partitioned on 'Red' instead?
    # true_rows, false_rows = partition(training_data, Question(0, 'Red'))
    # info gain(true rows, false rows, current uncertainity)
    ####
def find_best_split(rows):
        """Find the best question to ask by iterating over every feature /_{\sqcup}
 ⇒value and calculting the information gain"""
        best_gain = 0
                                           # keep track of the best information_
 \hookrightarrow gain
        best_question = None
                                           # keep track of the feature/value_
\rightarrow that produced it
        current_uncertainty = gini(rows)
        n_features = len(rows[0])
                                           # number of columns
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for col in range(n_features): # for each feature
                   values = set([row[col] for row in rows]) # unique values in the
       \rightarrow column
                   for val in values:
                                                   # for each value
                       question = Question(col, val)
                       # split the dataset
                       true_rows, false_rows = partition(rows, question)
                       # skip this split f it does not divide the dataset
                       if len(true_rows) == 0 or len(false_rows) == 0:
                           continue
                       # calculate the information gain from this split
                       gain = info_gain(true_rows, false_rows, current_uncertainty)
                       # You actually can use '>' instead of '>=' here
                       # but I wanted the tree to look a certian way for our toy \square
       \rightarrow dataset
                       if gain >= best_gain:
                           best_gain, best_question = gain, question
              return best gain, best question
               ####
               # Demo:
               # Find the best question to ask first for out dataset
               # best_gain, best_question = find_best_split(trianing_data)
               # FYI: is color == Red is just as good. See the note in the code above
               # Where I used '>='
               ####
[26]: class Leaf:
           """ A leaf node classifies data. This holds a dictionary of clas (ex:\sqcup
       → "Mango") -> number of times it appears
          in the rows from the training data that reach this leaf.
          def __init__(self, rows):
               self.predictions = class_counts(rows)
      class Decision_Node:
          """ A decision node asks a question. This holds a reference to the \sqcup
       {\scriptscriptstyle \hookrightarrow} \textit{question, and to the two child nodes.} """
          def __init__(self, question, true_branch, false_branch):
```

```
self.question = question
self.true_branch = true_branch
self.false_branch = false_branch
```

```
[27]: def build_tree(rows):
              # It builds the tree
              # partition the dataset on each of the unique attribute, calculate the
       →information gain, and return the question that
              # produces the highest gain
              gain, question = find_best_split(rows)
              # Base case: no further info gain
              # Since we can ask no further questions, we will return a leaf
              if gain == 0:
                  return Leaf (rows)
              # If we reach here, we have found a userful feature/value to partition_
       \hookrightarrow on.
              true_rows, false_rows = partition(rows, question)
              # Recursively build the true branch
              true_branch = build_tree(true_rows)
              # Recursively build the true branch
              false_branch = build_tree(false_rows)
              # Return a question node
              # This records the best feature/value to ask at this point as well as \Box
       → the branches to follow depending on the answer
              return Decision_Node(question, true_branch, false_branch)
      def print_tree(node, spacing=""):
              """Tree model for this dataset"""
              # Base case: we have reached a leaf
              if isinstance(node, Leaf):
                  print(spacing + "predict", node.predictions)
              # Print the question at this node
              print(spacing + str(node.question))
              # call this function recursively on the true branch
              print(spacing + '--> True :')
              print_tree(node.true_branch, spacing + " ")
```

```
# call this function recursively on the false branch
        print(spacing + '--> False :')
        print_tree(node.false_branch, spacing + " ")
def classify(row, node):
        # Base case: we have reached a Leaf
        if isinstance(node, Leaf):
            return node.predictions
        # Decide whether to follow the true-branch or the false-branch
        # Compare th feature/value stored in the node to the example we are
\rightarrow considering
        if node.question.match(row):
            return classify(row, node.true_branch)
            return classify(row, node.false_branch)
def print_leaf(counts):
        """print the predictions at a leaf"""
        total = sum(counts.values()) * 1.0
        probs = {}
        for lbl in counts.keys():
            probs[lbl] = str(int(counts[lbl] / total * 100)) + "%"
        return probs
    ####
    # Demo:
    # printing that a bit nicer
    # print_leaf(classify(training_data[0], my_tree))
    ####
```

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# add support for missing (or unseen) attributes
# prune the tree to prevent overfitting
# add support for regression
```

```
Is label == Grape?
--> True :
   predict {'Grape': 2}
--> False :
   Is label == Lemon?
   --> True :
      predict {'Lemon': 1}
   --> False :
      predict {'Mango': 2}
Actual: Apple. Predicted: {'Mango': '100%'}
Actual: Grape. Predicted: {'Grape': '100%'}
Actual: Grape. Predicted: {'Grape': '100%'}
Actual: Grape. Predicted: {'Grape': '100%'}
```