# OPTIMIZATION



### **Course Overview**

You are here...

Term	CDF	GCD	GCDAI	PGPDSAI
Term 1	Data Analytics with Python	Data Analytics with Python	Data Analytics with Python	Data Analytics with Python
Term 2	Data Visualization Techniques	Data Visualization Techniques	Data Visualization Techniques	Data Visualization Techniques
Term 3	EDA & Data Storytelling	EDA & Data Storytelling	EDA & Data Storytelling	EDA & Data Storytelling
		Minor Project	Minor Project	Minor Project
Term 4		Machine Learning Foundation	Machine Learning Foundation	Machine Learning Foundation
Term 5		Machine Learning Intermediate	Machine Learning Intermediate	Machine Learning Intermediate
Term 6		Machine Learning Advanced (Mandatory)	Machine Learning Advanced (Mandatory)	Machine Learning Advanced (Mandatory)
		Data Visualization with Tableau (Elective - I)	Data Visualization with Tableau (Elective - I)	Data Visualization with Tableau (Elective - I)
		Data Analytics with R (Elective - II)	Data Analytics with R (Elective - II)	Data Analytics with R (Elective - II)
		Capstone Project	Capstone Project	Capstone Project
Term 7		Bonus: Industrial ML (ML – 4 & 5)	Basics of AI, TensorFlow, and Keras	Basics of Al, TensorFlow, and Keras
Term 8			Deep Learning Foundation	Deep Learning Foundation
Term 9			NPL – I/CV – I	CV – I
Term 10			NLP – II/CV – II	NLP – I
			Capstone Project	Capstone Project
Term 11				CV – II
Term 12				NLP – II
				NLP – III + CV – III
				AutoVision & AutoNLP
				Building Al product



### **Term Context**

- K Nearest Neighbor
- K-means Clustering
- Ensemble Learning
- Optimization



You are here...



- 1. Optimization
- 2. Optimization Techniques
- 3. Cost Function
- 4. Working of Gradient Descent
- 5. Issues with Gradient Descent
- 6. Types of Gradient Descent



## **Optimization**

• The process of **choosing** the **optimal** solution from all the **feasible** solutions.





## **Need Of Optimization**

The goal is to create a model that gives accurate predictions in a particular set of cases in less time.

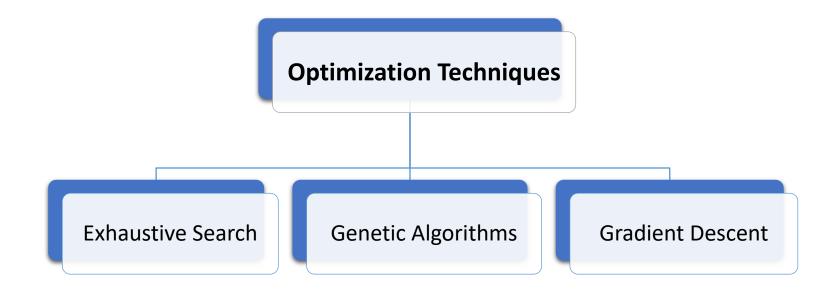




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## **Optimization Techniques**





#### **Exhaustive Search**

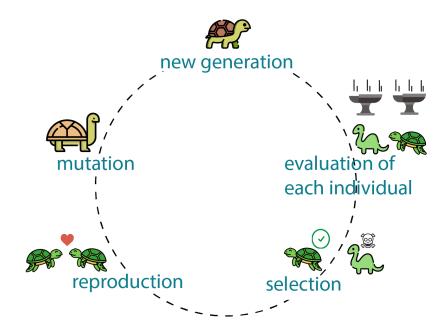
- The process of looking for the most optimal hyper parameters.
- It simply checks whether each candidate is a good match or not.
- But if there are thousands of options to consider, it becomes unbearably heavy and slow.





### **Genetic Algorithms**

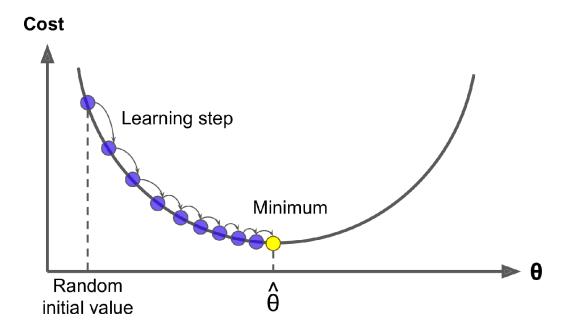
- A search heuristic that is inspired by Charles Darwin's theory of natural evolution (a process of natural selection).
- The **fittest** individuals are **selected** for reproduction in order to **produce** offspring of the next generation.
- It is an attempt to apply theory of natural evolution to the machine learning.





### **Gradient Descent**

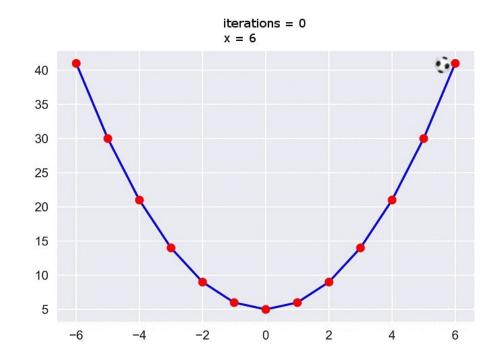
- The most common and widely used algorithm to optimize the model by minimizing the error/cost.
- It iterates over the training dataset while re-adjusting the model's parameters.





### **Gradient Descent**

- It tweak parameters iteratively to minimize a cost function.
- Two things matters direction and step-size.





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#### **Cost Function**

- It is the average of the loss function for all the training examples.
- There are several cost functions that are used to evaluate models.
- For example: Mean Squared Error, Mean Absolute Error, etc.

$$\mathsf{MSE} = \tfrac{1}{N} \sum_{i=1}^{N} (Y' - Y)^2 \qquad \qquad \mathsf{MAE} = \tfrac{1}{N} \sum_{i=1}^{N} |Y' - Y|$$

- Y' = Predicted values
- Y = Actual values
- N = No. of data points



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### **Working of Gradient Descent**

- You start by filling gradient ( $\theta$ ) with random values, also called random initialization.
- Let's say,  $h_{\theta}(x)$  is hypothesis function,

$$h_{\theta}(x) = \theta_0 + \theta_1 x$$

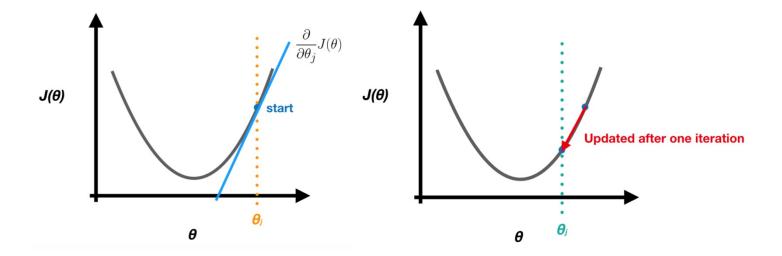
- $\theta_0$  = bias
- $\theta_1$  = weight
- x = independent variable/feature

• Hence, we will initialize  $\theta_0$ ,  $\theta_1$  with some random values.



### **Working of Gradient Descent**

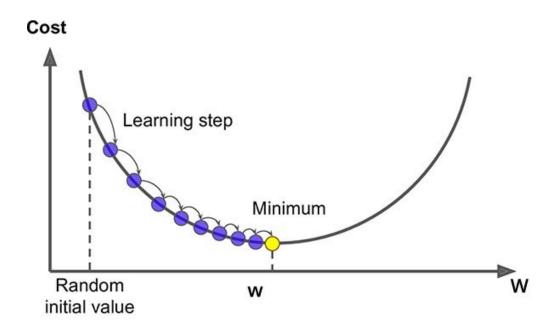
- Each step attempts to decrease the cost function until the algorithm converges to a minimum.
- Most common values of learning rate ( $\alpha$ ) are : 0.001, 0.003, 0.01, 0.03, 0.1, 0.3.





## **Working of Gradient Descent**

Once the gradient is zero, you have reached a minimum!



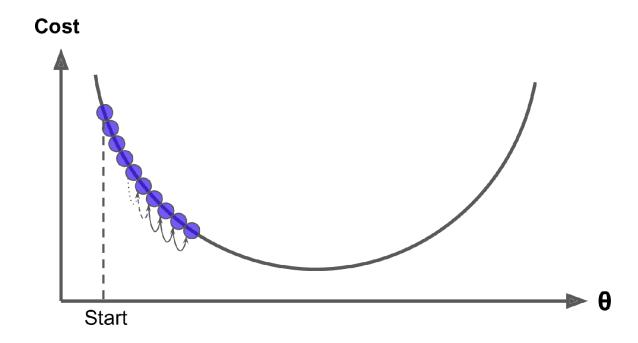


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### **Issues with Gradient Descent**

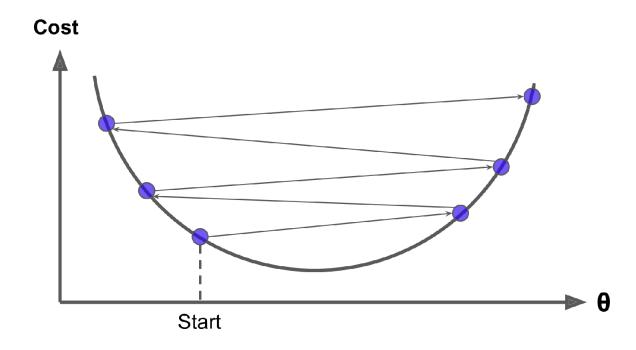
• If the learning rate is too small, then it will iterate too many times to finally converge, which will take a long time.





### **Issues with Gradient Descent**

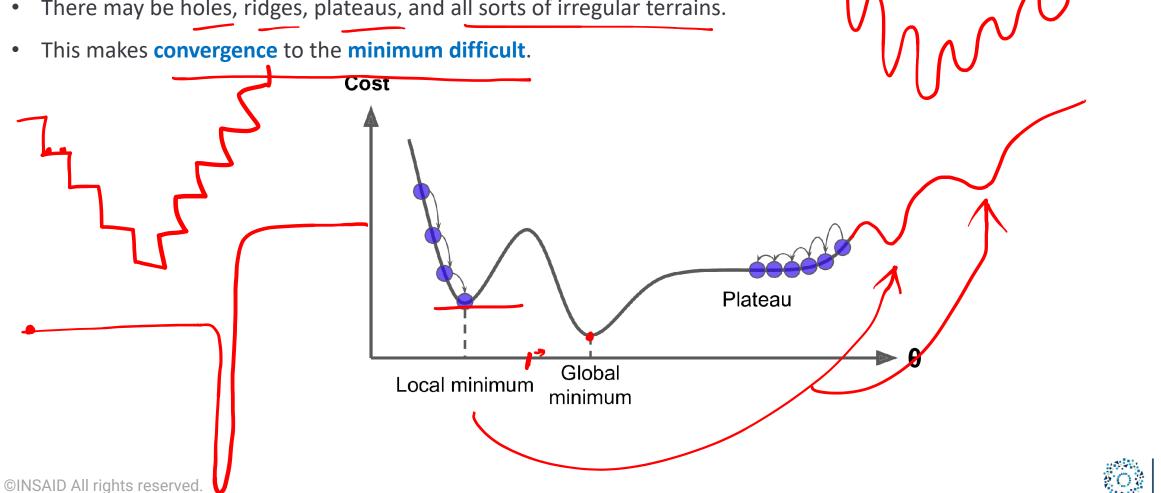
• If the learning rate is too high, then we may overshoot the minima and possibly keep bouncing.





### **Issues with Gradient Descent**

- Not all cost functions look like nice, regular bowls.
- There may be holes, ridges, plateaus, and all sorts of irregular terrains.





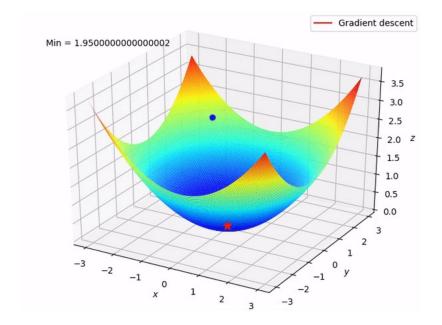
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#### (A,-P,)+(A2-R)+(A3-P3)+(A4-P4) Total ho of **Types of Gradient Descent** 500 Lines XI ibout =500 **Gradient Descent Types** 500 Lines X100 50lines×1000 Stochastic Mini-Batch Batch =50000 Gradient Descent **Gradient Descent Gradient Descent** 5,00,000 i.e. So Thousand - . Batchin = 1 BatchSizi= 100 ir.5Lakh :. NI of Battley = 1000 We will take any 1 pmt 4 plot LOSF for HA Take any one of the batch instead of keep reporting this prices. ©INSAID All rights reserved. 1000 all 1000 points

### **Batch Gradient Descent**

- Here calculations are involved over the full training set i.e. at each gradient descent step.
- We take the average of the gradients of all the training examples.
- Then use **mean** gradient to update our parameters.





## **Pros/Cons of Batch Gradient Descent**

#### **Pros**

- It is computationally efficient.
- No updates are required after each sample.
- It produces a stable gradient descent convergence.
- It benefits from the **vectorization**, which increases the speed of processing.

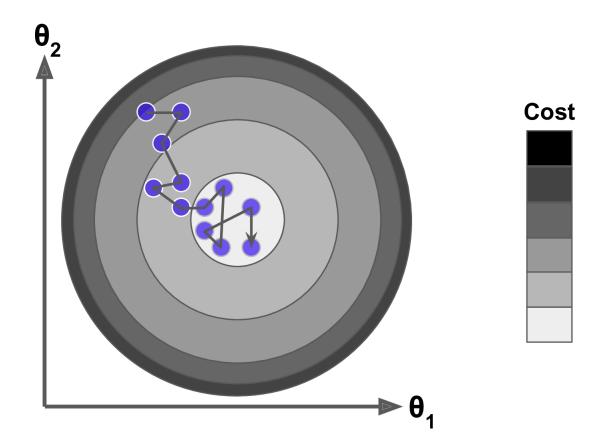
#### Cons

- It's learning process is very slow.
- The entire training set can be too large to process in the memory.
- We may get stuck in a local minimum of the loss function and never reach the global optimum.



### **Stochastic Gradient Descent**

- This variant picks a random instance in the training set at every step.
- Computes the gradient based only on a single instance.





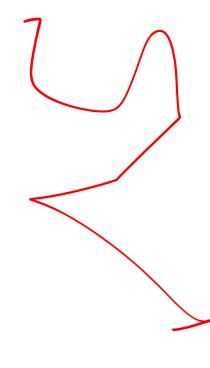
## **Pros/Cons of Stochastic Gradient Descent**

#### **Pros**

- It can easily fit the data into memory.
- It is faster on a large dataset and better than Batch Gradient Descent.
- It immediately gives us an insight into the performance of the model.

#### Cons

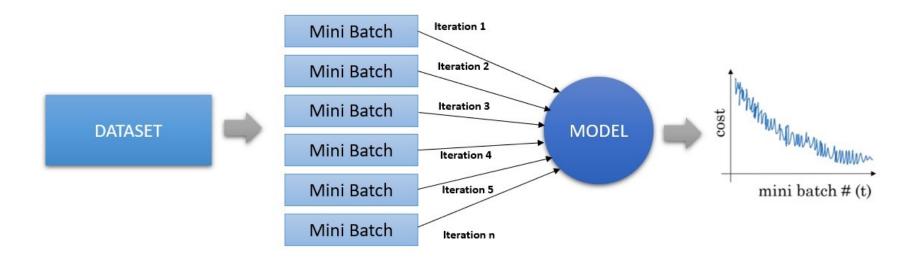
- More computationally intensive than the batch gradient descent
- Lose the benefits of vectorization since we process one observation per time
- Due to the noisiness, it is more difficult to find and stay at a global minimum.





#### **Mini-Batch Gradient Descent**

- Here gradients are computed on small random sets of instances called mini-batches.
- Finds a balance between the robustness of stochastic gradient descent and the efficiency of batch gradient descent.





## **Pros/Cons of Mini Batch Gradient Descent**

#### **Pros**

- It is computationally efficient.
- It is a fast learner since we perform more updates.
- The has a more **stable convergence** than Stochastic Gradient Descent.

#### Cons

- It is more time consuming.
- It requires configuring of mini-batch size as hyperparameter.





